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# *XtalCAMP*: a comprehensive program for the analysis and visualization of scanning Laue X-ray micro-/nanodiffraction data

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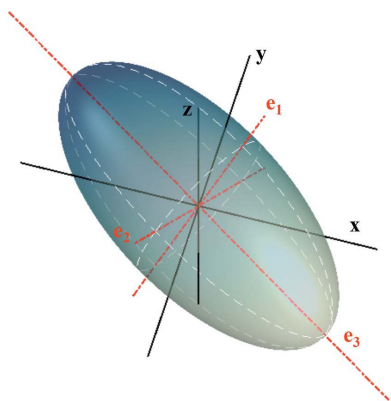
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*XtalCAMP* is a software package based on the MATLAB platform, which is suitable for, but not limited to, the analysis and visualization of scanning Laue X-ray micro-/nanodiffraction data. The main objective of the software is to provide complementary functionalities to the Laue indexing software packages used at several synchrotron beamlines. The graphical user interfaces allow the easy analysis of characteristic microstructure features, including real-time intensity mapping for a quick examination of phase, grain and defect distribution, 2D color-coded mapping of microstructural properties from the output of other Laue indexing software, crystal orientation visualization, grain boundary characterization based on orientation/misorientation calculation, principal strain/stress analysis, and strain ellipsoid representation, as well as a series of additional toolkits. As an example, *XtalCAMP* is applied to the microstructural investigation of a solution-heat-treated Ni-based superalloy manufactured using a laser 3D-printing technique, and a deformed natural quartzite from Val Bregaglia in the Central Alps.

## 1. Introduction

Taking advantage of brilliant synchrotron sources, the scanning Laue X-ray micro-/nanodiffraction ( $\mu$ XRD) technique has become an indispensable high-throughput approach for linking multiscale microstructures to physical properties in statistically large areas of samples with excellent spatial (as good as tens of nanometres) (Lee *et al.*, 2020) and angular resolution ( $\sim 0.001^\circ$ ) (Chen, Dejoie *et al.*, 2016; Zhou *et al.*, 2018). With the  $\mu$ XRD technique, the sample is raster scanned under a focused polychromatic X-ray beam and the diffraction pattern (*i.e.* Laue pattern, LP) at each scan spot is recorded using a 2D detector with a short exposure time (0.1–1 s) depending on the intensity of the synchrotron X-ray beam. The spatial distributions of phases, crystal orientation, elastic strains/stresses and microstructural defects can then be extracted after analyzing the LPs. Efficient data analysis software, capable of indexing thousands of diffraction patterns automatically, has thus been a necessity for the popularization of the  $\mu$ XRD technique.

Previous computer programs, such as *LAUEGEN* (Campbell, 1995), *LaueX* (Soyer, 1996) and *OrientExpress* (Laugier & Filhol, 1993), have been designed for Laue



diffraction data analysis but aimed at isolated LP indexing and crystal orientation determination. This initiated the development of in-house software at synchrotron beamlines to analyze thousands of LPs sequentially, such as the *X-ray Microdiffraction Analysis Software (XMAS)* (Tamura, 2014) on beamline 12.3.2 of the Advanced Light Source (ALS) and beamline 21A of the Taiwan Photon Source, *LaueGo* (Liu *et al.*, 2004) on beamline 34-ID-E of the Advanced Photon Source (APS), and *LaueTools* (Robach *et al.*, 2014) on beamline CEA-CNRS BM32 of the European Synchrotron Research Facility. Although structured into different computer formats, the core outputs of these software packages are similar, comprising a matrix of the same dimension and size as the performed scan. Each element of the matrix contains the crystallographic and microstructural information obtained from analysis of the corresponding LP, including the local crystal orientation, strain/stress tensor, LP background intensity, and diffraction peak number and shape. The crystal orientation is usually expressed in one or several of the following ways: orientation matrix, Euler angles, Rodrigues' rotation axis/angle pair and quaternions. The background intensity is an average value of all pixels on the 2D LP. The average FWHM of all indexed Laue peaks in angular space is taken to describe the diffraction peak shape. With these powerful software packages,  $\mu$ XRD has been applied to the investigation of phase identification and structural evolution of micro-/nanocrystals (Guo *et al.*, 2011; Strelcov *et al.*, 2012; Dejoie *et al.*, 2014), orientation mapping of single- or polycrystalline materials (Chen *et al.*, 2010; Ma *et al.*, 2015), transient and residual strain/stress measurement in engineering and natural materials (Chen *et al.*, 2009, 2015, 2020; Li, Xie *et al.*, 2018), and evaluation of dislocation type, arrangement and density by analyzing the Laue peak shape (Lupinacci *et al.*, 2015; Li, Chen & Tamura, 2018). In these typical applications of the  $\mu$ XRD technique, it is found that the functionalities, such as 2D map plotting, misorientation computing, grain boundary characterization and strain/stress distribution visualization, need to be further enhanced for general users.

Therefore, we introduce here a comprehensive custom-developed program, *Crystal Calculating, Analyzing and Mapping Program (XtalCAMP)*, for in-depth analysis of the output of  $\mu$ XRD data indexing. It incorporates a variety of easy-to-use features, including tools for diffraction intensity study, basic 2D map plotting, crystal orientation and misorientation analysis, grain boundary characterization, strain/stress distribution visualization, and other tasks. As mentioned above, the core information generated from indexing software packages such as *XMAS*, *LaueGo* and *LaueTools* is essentially the same. Here we take the *XMAS* \*.seq file and *LaueGo* \*.xml file as examples, but *XtalCAMP* can be applied to the output of other software after the necessary changes in format.

## 2. Technical description, availability and requirements

*XtalCAMP* is coded through the MATLAB graphical user interface (GUI) module and can be executed on MATLAB R2014b and higher versions installed on Windows 7 and 10

operating systems (32 bit or 64 bit). It has been registered at the Copyright Protection Centre of China (Registration No. 2016SR060878). The software is available online at <http://nano.xjtu.edu.cn/info/1171/2793.htm>.

## 3. Program functionality and features

The general architecture and principal functions of *XtalCAMP* are shown in Fig. 1. The diffraction intensity can be extracted and mapped with *XtalCAMP* for qualitative microstructure imaging, independent of *XMAS* or any other LP indexing/analysis software. The output of LP indexing software packages [either in ASCII (\*.txt) or specific binary \*.seq formats generated by *XMAS*] can be directly imported into *XtalCAMP*, and 2D maps can then be plotted for microstructure imaging using various colorbars and user-defined threshold filters. Finally, further data processing can be performed, including the plotting of pole figures, inverse pole figures, ordinary grain boundaries, twin boundaries and misorientation distributions. In addition, *XtalCAMP* provides some other useful toolkits for data analysis, as summarized in Fig. 1.

To demonstrate the basic data processing functions of *XtalCAMP*, a  $\mu$ XRD study of a heat-treated DZ125L Ni-based superalloy manufactured by laser 3D printing is adopted as an example. A precipitation-hardened superalloy fabricated by directional solidification was selected as the substrate. Three kinds of phases exist in this alloy: the  $\gamma$ -austenite matrix, L1<sub>2</sub>-ordered  $\gamma'$ -Ni<sub>3</sub>(Al, Ti, Ta) precipitates and MC-type carbides. Powders of the same compositions as the substrate were laser clad on the (001) plane of the substrate. With the aid of a high thermal gradient applied antiparallel to the building direction, columnar grains with a width of  $\sim 500$   $\mu$ m grew in epitaxy with the bottom substrate, extending to multiple cladding layers. Due to high dislocation densities and residual strain/stress, complete recrystallization occurred in the heat-affected zone (HAZ) after post-manufacturing solution heat treatment at 1513 K for 2 h. The  $\mu$ XRD experiment was carried out at the ALS on beamline 12.3.2 (Kunz *et al.*, 2009). A area of  $570 \times 300$   $\mu$ m on the longitudinal section of the heat-treated sample was raster scanned using the microfocused X-ray beam with a 3  $\mu$ m step

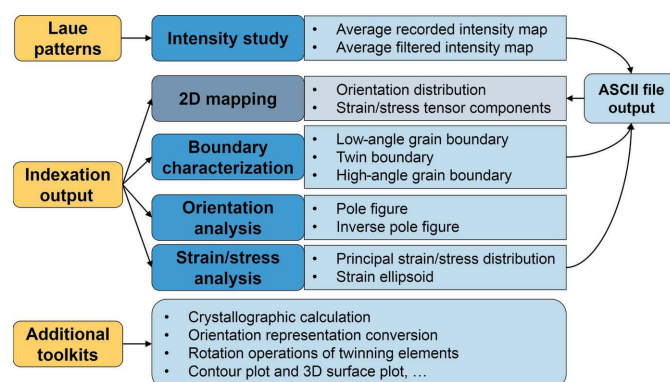


Figure 1  
The architecture of *XtalCAMP*.

size, covering the substrate and the cladding layers. Finally, a total of 19 000 LPs were automatically indexed with *XMAS*, taking advantage of the newly developed peak position comparison (PPC) indexing algorithm (Kou *et al.*, 2018), and the indexing outputs (\*.seq format) were imported into *XtalCAMP* for further analysis. All LPs were indexed using the crystal structure of nickel, due to the small misfit and cube-on-cube orientation relationship between the  $\gamma$  and  $\gamma'$  phases (Li, Chen & Tamura, 2018).

In addition, a tectonically deformed natural quartzite sample was studied using the  $\mu$ XRD technique and then the residual strain distribution was visualized with *XtalCAMP*. The sample was collected from Val Bregaglia in the Central Alps, sliced into petrographic thin sections with a thickness of  $\sim 30 \mu\text{m}$  and mounted on a glass slide. An area of  $501 \times 501 \mu\text{m}$  with a  $3 \mu\text{m}$  step size was scanned using the micro-focused polychromatic X-ray beam in the same reflection geometry as used for the laser 3D-printed Ni alloy on beamline 12.3.2 at the ALS (Wenk *et al.*, 2020) with 27 889 LPs.

Details of the sample preparation and  $\mu$ XRD experiments are described in Appendix A.

### 3.1. Diffraction intensity analysis and mapping

As indexing thousands of LPs in a scan is time consuming, we developed a novel approach to collect the intensity of each LP without indexing, facilitating a quick overview of characteristic microstructural features, including cracks, voids, dendrite structures, precipitates and grain boundaries, in a real-time manner. The following lists the main steps of this approach, which can be automatically accomplished with the ‘Read Average Intensity’ interface under the ‘Tools’ menu in the main interface of *XtalCAMP*, as shown in Fig. 2(a):

(i) For a  $\mu$ XRD scan, an LP is recorded at each position using a 2D detector. The dimensions of the detector, XDim ( $n$ ) and YDim ( $m$ ), need to be input into the software [red circles

in Fig. 2(a)]. The average recorded intensity  $I_R$  for an individual LP is defined by averaging the gray values of all pixels in this pattern, that is

$$I_R = \frac{\sum_{k=1}^{nm} I_r^k}{nm}, \quad (1)$$

where  $I_r^k$  is the gray value of the  $k$ th pixel.

(ii) To enhance the microstructural contrast, treatment is required to distinguish LPs with different peak shapes. The approach adopted here is to set a threshold intensity ( $I_t$ ) for each LP, which is defined as  $I_t = C_f I_R$ .  $C_f$  is a defined filter factor, which is constant for all the LPs taken in the whole scanned area, and by default  $C_f$  is equal to 4. The reason why this method works has been explained in our previous publication (Zhou *et al.*, 2016).

(iii) The filtered intensity  $I_f^k$  of the  $k$ th pixel is defined as

$$I_f^k = \begin{cases} 0 & \text{when } I_r^k \leq I_t, \\ I_r^k - I_t & \text{when } I_r^k > I_t. \end{cases} \quad (2)$$

Then, the averaged filtered intensity  $I_F$  of an individual LP is obtained by averaging the filtered intensity of all the pixels in the LP:

$$I_F = \frac{\sum_{k=1}^{nm} I_f^k}{nm}, \quad (3)$$

(iv) Finally, by setting the path where the LPs are stored and pressing ‘Run’, the average recorded intensity  $I_R$  and averaged filtered intensity  $I_F$  of all the LPs are saved as a \*.txt file in a user-defined directory, which can be imported into *XtalCAMP* and visualized as a 2D map plot. Details of the import and plot operations are introduced in Sections 3.2 and 3.3, respectively. Here an example is given to demonstrate how the microstructure features are studied from the maps of the average recorded and filtered intensities.

The average recorded intensity map in Fig. 2(b) displays the morphology of the sample surface, while the averaged filtered

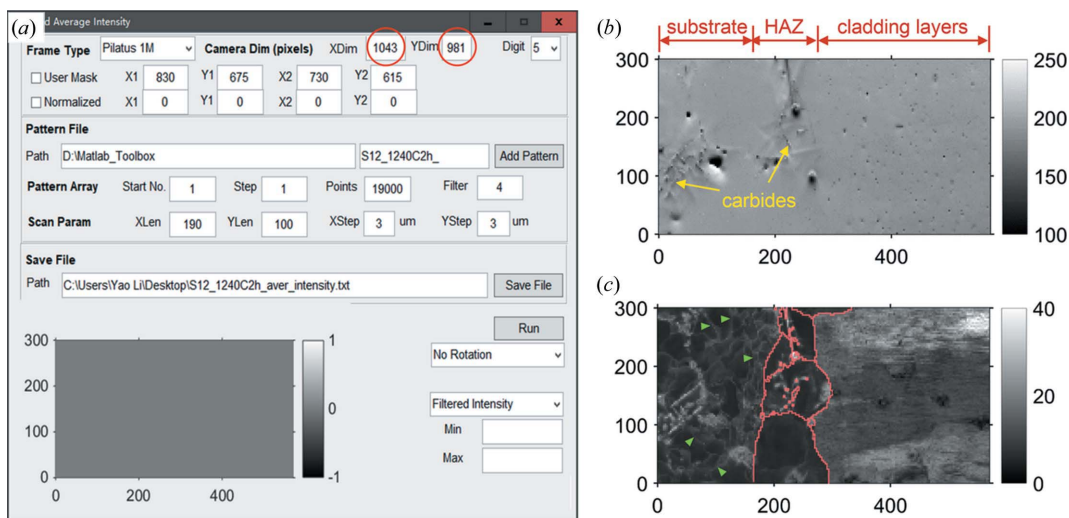


Figure 2

Diffraction intensity analysis and mapping before LP indexing. (a) Snapshot of the diffraction intensity study interface. (b) Average recorded intensity map. (c) The average filtered intensity map is obtained by a default filter factor of 4, where the HAGBs are outlined in red and the LAGBs are denoted by green triangles. The coordinate units are micrometres.

intensity map in Fig. 2(c) shows the more detailed microstructure features of the Ni-based superalloy sample. Due to the enrichment of heavy elements and sharp diffraction peaks, MC-type carbides ( $M = W, Ta, Ti$ ) in the substrate and the HAZ give stronger intensity signals. In addition, some boundary features, which are identified as low-angle grain boundaries (LAGBs) in Section 3.5, are observed in the substrate as darker contrast, because of the peak splitting of the LPs collected in these regions. As for the completely recrystallized area in the HAZ, the crystal orientation (and thus Laue peak indices and intensity) becomes significantly different from the substrate and the cladding layers, resulting, through contrast, in the clear visualization of high-angle grain boundaries (HAGBs). The non-uniform contrast in the cladding layers is attributed to the local orientation gradient and microstructural defects. The contrast of both images can be adjusted by setting the range (minimum and maximum) of the grayscale values.

### 3.2. Data input

The file input function is achieved in the main window of *XtalCAMP*, as displayed in Fig. 3. The input data can be the  $\mu$ XRD results, diffraction intensity analysis output or other ASCII files such as fluorescence data which are occasionally collected when  $\mu$ XRD experiments are performed. The  $\mu$ XRD results are the most frequently used in *XtalCAMP* so we will take them as an example. They can be provided either in text format of the output matrix from the LP indexing software packages or via the binary \*.seq file generated specifically by *XMAS* after automatically processing thousands of LPs collected in raster scan mode. To read a *LaueGo* \*.xml file, a toolkit named 'Read APS LaueGo XML File' (as shown in Fig. 4) has been developed and is accessible under the 'Tools' menu to convert a \*.xml file to a plain text file. In this window,  $x$  and  $y$  coordinates need to be assigned from the columns Xsample, Ysample or Depth. Users can also define

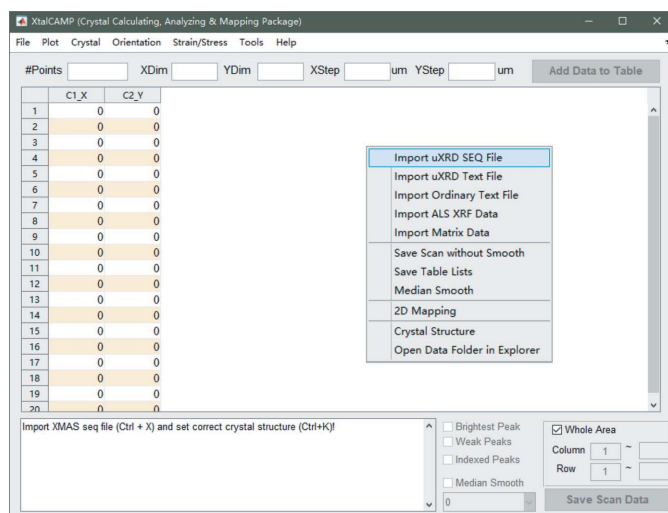


Figure 3  
The main window of *XtalCAMP*, showing the right-click options.

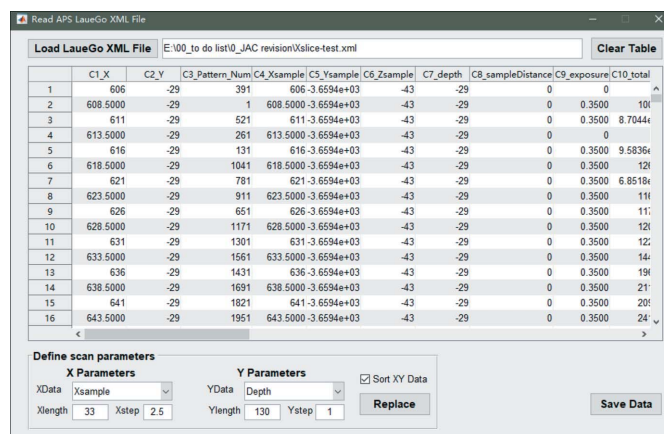


Figure 4  
The 'Read APS LaueGo XML File' window designed for converting a \*.xml file to a plain text file.

the  $x$  and  $y$  coordinates by the total scan spot numbers (Xlength and Ylength) and step sizes (Xstep and Ystep) along the  $x$  and  $y$  directions. Afterwards, a table can be saved as a text file and re-loaded into *XtalCAMP* through the main interface (Fig. 3) for further analysis.

After loading, either through the 'File' menu or the right-click context menu, a table appears on the screen with the same number of rows as LPs (Fig. 3). Each row is composed of grain information derived from the indexing results of an LP, including scan spot coordinates, pattern number, diffraction geometry parameters, orientation matrix values, strain/stress tensor components, average peak width *etc.*, which then allows the construction of 2D maps of the distribution of a certain microstructural feature.

### 3.3. 2D color-coded mapping

The  $x$  and  $y$  coordinates of each scanning position are automatically calculated according to the scanning stage positions in the \*.seq file and are by default displayed in the first two columns when the data are loaded into *XtalCAMP*, and then a certain aspect of the microstructure characteristics at the location of the grid sites specified by the  $x$  and  $y$  coordinates can be visualized by plotting the 2D color-coded (including grayscale) map using the corresponding column entry. Although this is a built-in functionality of LP indexing programs such as *XMAS*, *LaueGo* or *LaueTools*, users have limited permissions to change the display style of the map. In the 2D color-coded mapping interface of *XtalCAMP* (Fig. 5), various options are available for users to self-define the map appearance, such as color styles, color ranges, visualization of not-indexed pixels in different colors from the colorbar, filter selections for data colored in the map, axis label settings and gray shade for skipped data (in 'Missdata Color'). The data cursor is designed to read the pixel value from the map.

In Fig. 5, the average peak width, which is the averaged FWHM of all Laue peaks indexed in a single LP, is taken as an example. As the peak width reflects the local dislocation concentration, the heterogeneous distribution indicates a

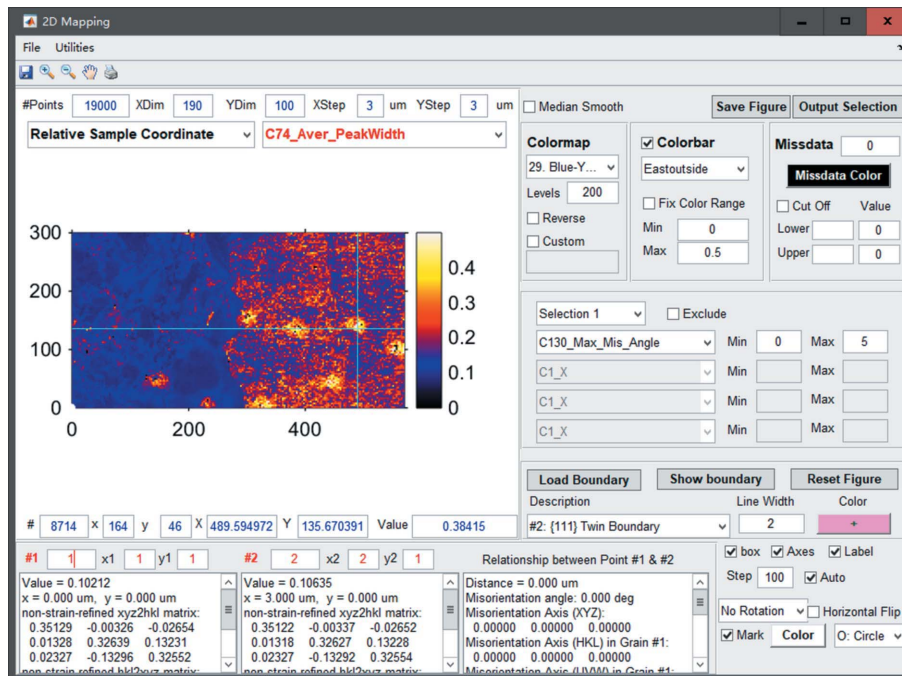


Figure 5  
A snapshot of the 2D color-coded mapping interface.

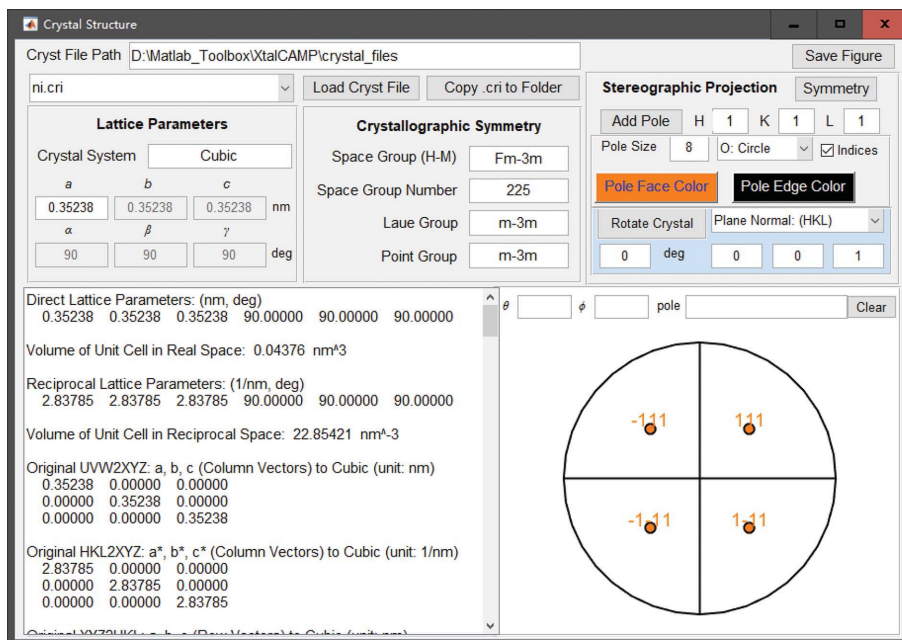


Figure 6  
The crystal structure selection interface of *XtalCAMP*.

relatively larger population of dislocations stored in the cladding layers, in spite of the disappearance of dendrite structure after solution heat treatment.

### 3.4. Crystal selection

As no crystal structure information is contained in the \*.seq file or other \*.txt files, one needs to pre-set the crystal structure for the crystal orientation/misorientation

analysis. In this case, one can access the ‘Crystal’ menu in the main window (Fig. 3) and select the correct crystal file via the window shown in Fig. 6. *XtalCAMP* supports both the standard crystallographic information file (\*.cif) and the crystal file (\*.cri) defined by *XMAS*, from which the unit cell and basic information about the crystal structure can be obtained. The two formats can be converted to each other using *XtalCAMP*. Once a certain crystal structure is selected, the space-

group and point-group annotations are displayed and the crystal symmetry is represented by the stereographic projection of the (001) pole center in the lower-right corner of the window. The atomic coordinates, relevant to the diffraction intensity, are listed in the text box in the lower-left corner of the window.

For crystallographic calculations (e.g. the angle between two crystal vectors) in a certain (cubic or non-cubic) crystal structure, it is convenient to define a Cartesian coordinate system  $\mathbf{a}^o\mathbf{b}^o\mathbf{c}^o$ , in which  $\mathbf{a}^o$ ,  $\mathbf{b}^o$  and  $\mathbf{c}^o$  are unit vectors perpendicular to each other and adherent to the generally non-Cartesian crystal lattice coordinate system  $\mathbf{abc}$ . On the basis of the common definition, the relationship between the two coordinates follows (Matthies *et al.*, 1988)

$$\mathbf{c}^o \parallel \mathbf{c}, \quad \mathbf{b}^o \parallel \mathbf{c} \times \mathbf{a}, \quad \mathbf{a}^o \parallel \mathbf{b}^o \times \mathbf{c}^o, \quad (4)$$

where the  $\times$  denotes the cross product of two vectors. Therefore, there exists a coordinate transformation matrix  $\mathbf{L}$  (Liu & Liu, 2012)

$$\mathbf{L} = \begin{bmatrix} a \sin \beta & b(\cos \gamma - \cos \alpha \cos \beta) / \sin \beta & 0 \\ 0 & b(1 - \cos^2 \alpha - \cos^2 \beta - \cos^2 \gamma + 2 \cos \alpha \cos \beta \cos \gamma)^{1/2} / \sin \beta & 0 \\ a \cos \beta & b \cos \alpha & c \end{bmatrix}, \quad (5)$$

where  $a$ ,  $b$ ,  $c$ ,  $\alpha$ ,  $\beta$  and  $\gamma$  are the unit-cell parameters. It is apparent that the coordinates of the lattice vectors  $\mathbf{a}$ ,  $\mathbf{b}$  and  $\mathbf{c}$  correspond to the columns of  $\mathbf{L}$ . Similarly, the rows of  $\mathbf{L}^{-1}$  (the inverse matrix of  $\mathbf{L}$ ) are the coordinates of the lattice vectors  $\mathbf{a}^*$ ,  $\mathbf{b}^*$  and  $\mathbf{c}^*$  in reciprocal space. Therefore, the arbitrary indices of a crystal direction or plane in the coordinate system  $\mathbf{abc}$  can be readily converted into the coordinate system  $\mathbf{a}^o\mathbf{b}^o\mathbf{c}^o$  using the  $\mathbf{L}$  matrix and vice versa, where the conversion equations are given by He & Jonas (2007). As shown in Fig. 6, matrices  $\mathbf{L}$  and  $\mathbf{L}^{-1}$  and other crystal information are displayed in the text box in the lower-left corner.

### 3.5. Orientation and misorientation analysis

In the *XMAS* \*.seq file, the crystal orientation is represented by the **xyz2hkl** matrix, and its transpose matrix is denoted by  $\mathbf{G}$ , which describes the rigid rotation from the Cartesian coordinate system  $\mathbf{a}^o\mathbf{b}^o\mathbf{c}^o$  to the sample coordinate system  $\mathbf{xyz}$  by a rotational operation  $\mathbf{R}$ :

$$\mathbf{G} = \mathbf{xyz2hkl}^T = \mathbf{RL} = \begin{pmatrix} a_x & b_x & c_x \\ a_y & b_y & c_y \\ a_z & b_z & c_z \end{pmatrix}, \quad (6)$$

where the elements of matrix  $\mathbf{G}$  represent the projections of the lattice vectors  $\mathbf{a}$ ,  $\mathbf{b}$ ,  $\mathbf{c}$  on the  $x$ ,  $y$  and  $z$  axes in the sample coordinate system. The  $\mathbf{R}$  matrix is a pure rotation matrix, which is equivalent to a set of three Euler angles in the Bunge setting widely adopted in texture analysis (Bunge, 1969; Kocks *et al.*, 1998; Engler & Randle, 2009) and in electron backscatter diffraction (EBSD) software. Similarly to the transformation matrix  $\mathbf{L}$ , the vectors and Miller indices in the

coordinate system  $\mathbf{abc}$  can be converted into the coordinate system  $\mathbf{xyz}$  using the  $\mathbf{G}$  matrix and vice versa.

The misorientation matrix  $\mathbf{M}$  between two crystal orientations  $\mathbf{G}_1$  and  $\mathbf{G}_2$  is derived as

$$\mathbf{M} = \mathbf{G}_1\mathbf{G}_2^{-1} = \mathbf{R}_1\mathbf{L}\mathbf{L}^{-1}\mathbf{R}_2^{-1} = \mathbf{R}_1\mathbf{R}_2^{-1}, \quad (7)$$

where  $\mathbf{R}_i$  is the corresponding rotation matrix of  $\mathbf{G}_i$  ( $i = 1$  or  $2$ ). The misorientation matrix  $\mathbf{M}$  is also a rotation matrix, which can be represented as a misorientation angle–axis pair. By checking the misorientation between adjacent scan spots, the boundary configurations, such as LAGBs, twin boundaries (TBs) and HAGBs, in the scan area can be identified.

In *XtalCAMP*, the misorientation angle–axis pair  $\{\theta_r, \mathbf{v}_r\}$  between the current spot  $P$  and its right neighbor  $P_r$  and  $\{\theta_u, \mathbf{v}_u\}$  between  $P$  and its upper neighbor  $P_u$  are calculated (Fig. 7).

Then the boundary configurations are identified following the procedure below:

(i) An LAGB is formed if the misorientation angle  $\theta_r$  is smaller than a threshold angle  $\omega_g$  (user-defined but commonly set as  $15^\circ$ ), while the lower bound of  $\theta_r$  lacks rigorous definition and is usually dependent on the angular resolution. For  $\mu$ XRD technique, the lower bound of  $\theta_r$  can be set as  $0.1^\circ$ , which is 100 times larger than the angular resolution.

(ii) If the misorientation angle  $\theta_r$  is larger than  $\omega_g$ , the boundary is characterized as an HAGB, but in many cases it is of interest whether it is a special boundary, such as a TB, or an ordinary HAGB. We have reported a look-up-table-based approach to achieve this function (Li, Wan & Chen, 2015). Firstly, a look-up table which lists all the misorientation angle–axis pairs  $\{\theta_i, \mathbf{v}_i\}$  is established considering the given twin law (either mirror plane or twin axis/angle) and the rotational symmetry operations associated with the selected crystal structure. Then the boundary is identified as a TB if the measured misorientation meets the following two conditions simultaneously:

$$|\theta_r - \theta_t| < \omega_{t1} \quad \text{and} \quad \theta_v < \omega_{t2}, \quad (8)$$

where  $\omega_{t1}$  and  $\omega_{t2}$  are user-defined threshold angles taking into account the inherent uncertainties in orientation measurement and the plastic deformation effect, and  $\theta_v$  is the angle between  $\mathbf{v}_r$  and  $\mathbf{v}_t$ . Otherwise, if  $\theta_r$  is larger than  $\omega_g$  and the conditions in equation (8) are not satisfied, the boundary is identified as an HAGB.

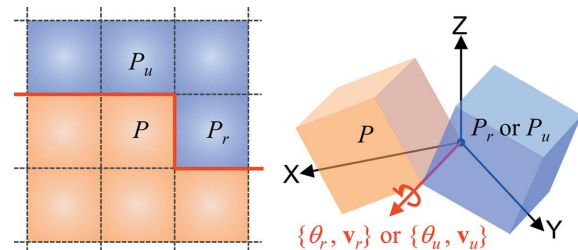


Figure 7 Schematic illustration of the grain boundary characterization algorithm.



(iii) The same analysis procedure is repeated to check the boundary between  $P$  and  $P_u$ .

By extending the process to the entire scan, the measured misorientation angle–axis pairs and boundary information are output as two \*.txt files. There is also an option to output a \*.cpt file with Bunge Euler angles as used in the *BEARTEX* software (Wenk *et al.*, 1998) which can be used for texture analysis.

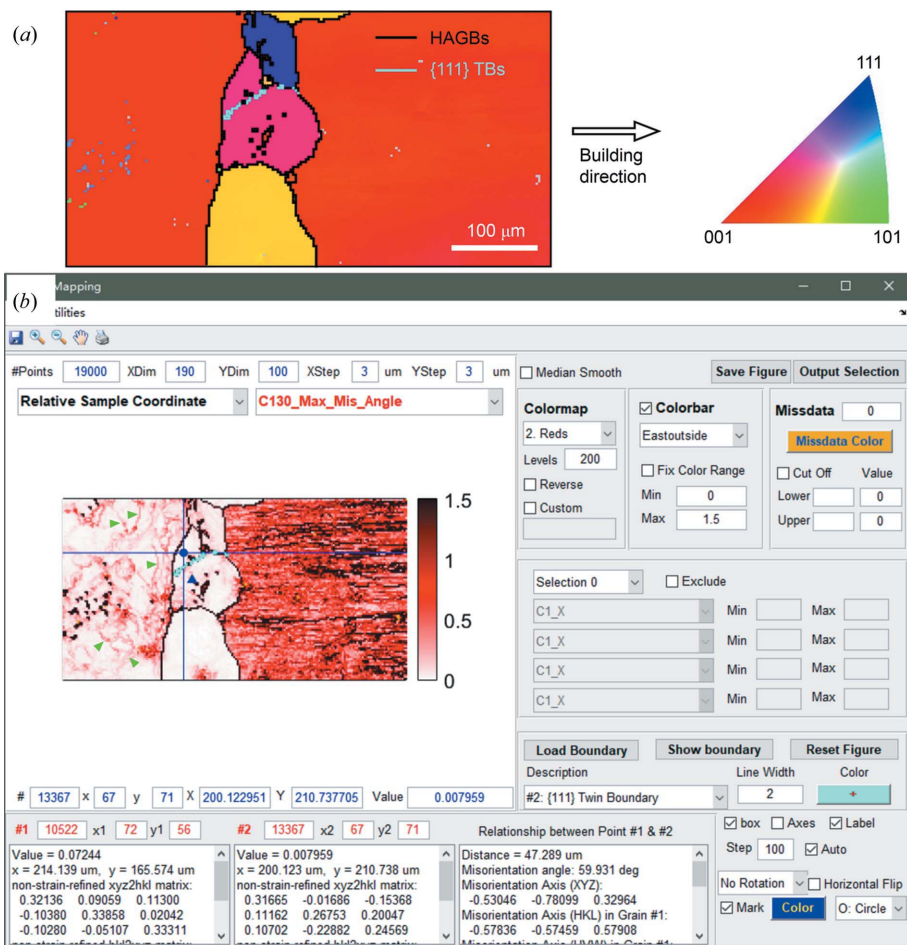
We again use the 3D-printed Ni-based superalloy data as an example. After re-loading the two \*.txt files generated from the misorientation angle–axis pair calculation and grain boundary configuration identification into *XtalCAMP*, an RGB inverse pole figure map (without showing the program interface) and misorientation map are plotted (Fig. 8) with TBs and HAGBs superimposed in different colors. As shown in Fig. 8(a), HAZ grains are visualized in different colors from the substrate and cladding layers, demonstrating the occurrence of recrystallization in the HAZ after solution heat treatment due to the large amount of stored energy from the

high density of dislocations (Chen *et al.*, 2020). It is observed in Fig. 8(b) that the dislocation density becomes low and a {111} twin forms on recrystallization. In addition, the LAGBs in the substrate (denoted by green triangles) are consistent with the contrast found in the average filtered intensity map in Fig. 2(c), while more LAGBs with higher misorientation angles are detected in the cladding layers, consistent with previous studies (Xue *et al.*, 2015; Li *et al.*, 2020).

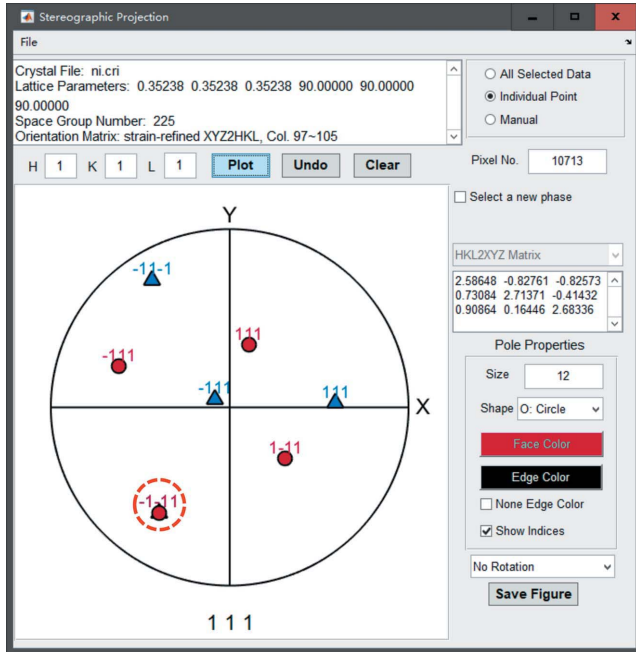
It is convenient to read the orientation matrix using the data cursor in the 2D color-coded map. As seen in Fig. 8, on clicking the two grains next to the TB (marked by a blue circle and triangle in the figure), their orientation information is listed in the bottom text boxes, and the misorientation between them is automatically calculated and shown in the third text box. The misorientation is close to  $\{60^\circ, [\bar{1}\bar{1}1]\}$ , validating our TB identification algorithm. The {111} twin relationship can be further confirmed from the {111} pole figure, which is implemented in the interface shown in Fig. 9. The 111 poles of these two orientations are displayed in different colors. The overlapped  $\bar{1}\bar{1}1$  poles of the two grains show that they share the same  $\bar{1}\bar{1}1$  plane, which serves as the mirror plane between the twin and parent domains.

### 3.6. Strain/stress analysis

For polychromatic X-ray Laue diffraction, the wavelength of each peak is unknown and the volumetric change of the unit cell is thus indeterminable. However, the lattice distortion can be detected based on the hypothesis of constant volume of the unit cell. Therefore, the dilatational strain tensor  $\delta$  is undetectable, while the deviatoric strain tensor  $\epsilon'$  ( $3 \times 3$  matrix,  $\epsilon' = \epsilon - \delta$ , where  $\epsilon$  is the full strain tensor) can be determined from the slight shift in Laue peak positions relative to the unstrained crystal. It is common practice to compute the deviatoric stress tensor  $\sigma'$  by applying Hooke's law:  $\sigma' = C\epsilon'$ , where  $C$  is the fourth-rank stiffness tensor. Note that this calculated  $\sigma'$  is the deviatoric stress tensor only when the studied crystal is cubic. For non-cubic crystals, the calculated  $\sigma'$  is slightly different from the true deviatoric stress tensor, although in most cases it is a good approximation. Details can be found in Appendix B. The deviatoric strain/stress tensor components are contained in the output from the  $\mu$ XRD data processing software file (e.g. \*.seq) and can be visualized by the 2D color-coded



**Figure 8** Orientation and misorientation maps obtained by *XtalCAMP*. (a) RGB inverse pole figure map along the building direction, which is rotated by  $90^\circ$  counter-clockwise. (b) The 2D color-coded mapping interface, showing HAGBs (dark lines) and {111} TBs (cyan lines) superimposed on the misorientation angle map. The color scale and the color of the grain/twin boundaries can be selected from the panels to the right of the map.



**Figure 9**  
A {111} stereographic projection of the two scan spots marked in Fig. 8(b). The overlapped poles are marked by the red dashed circle.

mapping interface (Fig. 5). Frequently, it is necessary to express the strain or stress tensor in different coordinate systems. For example, a strain tensor  $\boldsymbol{\varepsilon}'_{x'y'z'}$  in  $O-x'y'z'$  coordinates can be obtained by rotating a tensor  $\boldsymbol{\varepsilon}_{xyz}$  in  $O-xyz$  coordinates:

$$\boldsymbol{\varepsilon}'_{x'y'z'} = \mathbf{R}\boldsymbol{\varepsilon}'_{xyz}\mathbf{R}^T, \quad (9)$$

where  $\mathbf{R}$  is a rotation matrix denoting the rotation from  $O-xyz$  to  $O-x'y'z'$  coordinates. For this purpose, *XtalCAMP* provides a convenient toolkit for the user to calculate the strain/stress tensor after rotation.

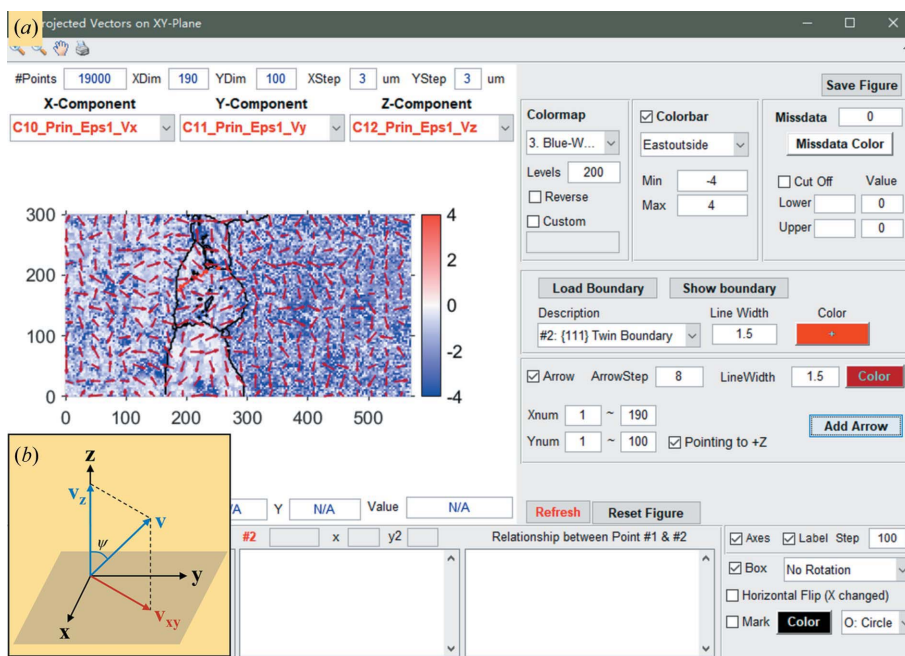
With respect to a strained/stressed crystal, there are three mutually perpendicular planes where the shear strain/stress components are 0 but only normal strain/stress components exist. The three normal strains/stresses are called principal strains/stresses, and the corresponding strain/stress directions are normal to these three principal planes. Under the 'Strain/Stress' menu in the main window of *XtalCAMP* (Fig. 3), the functionality to calculate the principal strains/stresses and their directions are stored as a \*.txt file, which can be reloaded into *XtalCAMP*. The magnitudes and directions of principal strains of the second-rank deviatoric strain tensor  $\boldsymbol{\varepsilon}'$  can be obtained by calculating the eigenvalues and eigenvectors (Noyan & Cohen, 2013):

$$\boldsymbol{\varepsilon}'_p = \begin{pmatrix} \varepsilon'_{p1} & 0 & 0 \\ 0 & \varepsilon'_{p2} & 0 \\ 0 & 0 & \varepsilon'_{p3} \end{pmatrix} = \mathbf{T}^T \boldsymbol{\varepsilon}' \mathbf{T}, \quad (10)$$

where  $\boldsymbol{\varepsilon}'_p$  represents the principal strain tensor,  $\varepsilon'_{p1}$ ,  $\varepsilon'_{p2}$  and  $\varepsilon'_{p3}$  the three principal strains in ascending order, and  $\mathbf{T}$  the rotation matrix composed of three column eigenvectors. In the case of the deviatoric strain tensor, the summation of  $\varepsilon'_{p1}$ ,  $\varepsilon'_{p2}$  and  $\varepsilon'_{p3}$  (the trace of  $\boldsymbol{\varepsilon}'_p$ ) is 0, which means  $\varepsilon'_{p1}$  is always compressive while  $\varepsilon'_{p3}$  is always tensile (except when all components are 0). This is also valid for deviatoric stresses.

In order to show the magnitude and direction of the principal strain simultaneously, superimposition of the strain direction projection on the 2D color-coded principal strain map is adopted, as seen in Fig. 10(a). As schematically displayed in Fig. 10(b), for the projection vector  $\mathbf{v}_{xy}$  of an arbitrary strain direction  $\mathbf{v}$ , the length of  $\mathbf{v}_{xy}$  can reflect the magnitude of the  $z$  component of  $\mathbf{v}$ . For an overview of the strain direction distribution, the  $\mathbf{v}_{xy}$  of every  $n$ th ( $n$  is a user-defined variable which is 8 in this example) scan spot is denoted by an arrow in Fig. 10(a). This approach has been successfully applied to explain the residual strain distribution in alloys and minerals (Li, Qian *et al.*, 2015; Chen, Kunz *et al.*, 2016).

Additionally, the strain ellipsoid is used to demonstrate the magnitude and orientation of the strain field. As seen in Fig. 11,  $\mathbf{e}_1$ ,  $\mathbf{e}_2$  and  $\mathbf{e}_3$  denote the principal strain directions and the dashed ellipses delineate the corresponding principal planes. It is clear that the rotation matrix  $\mathbf{T}$  in equation (10) represents the



**Figure 10**  
The principal strain visualization interface. (a) Arrows denoting the compression strain axis direction superimposed on the magnitude distribution map of principal compression strain in the laser 3D-printed Ni-based superalloy. (b) A schematic diagram showing an arbitrary vector projected on the  $xy$  plane.

**Table 1**  
Additional tools in *XtalCAMP*.

Application	Crystallographic study	Orientation/misorientation calculation	Data visualization
Tools	1. Equivalent directions and Miller indices 2. Conversion of three-digit indices to four-digit indices for hexagonal and trigonal symmetry 3. Angle between two vectors 4. Conversion between plane indices and the plane normal direction	1. Conversion of different orientation representations 2. Misorientation between two <b>xyz2hkl</b> matrices by considering the rotational symmetry 3. Construction of look-up table for twin identification	1. Contour plot 2. 3D surface plot 3. Inverse pole figure 4. Misorientation profile along a line 5. Frequency statistics of microstructural properties

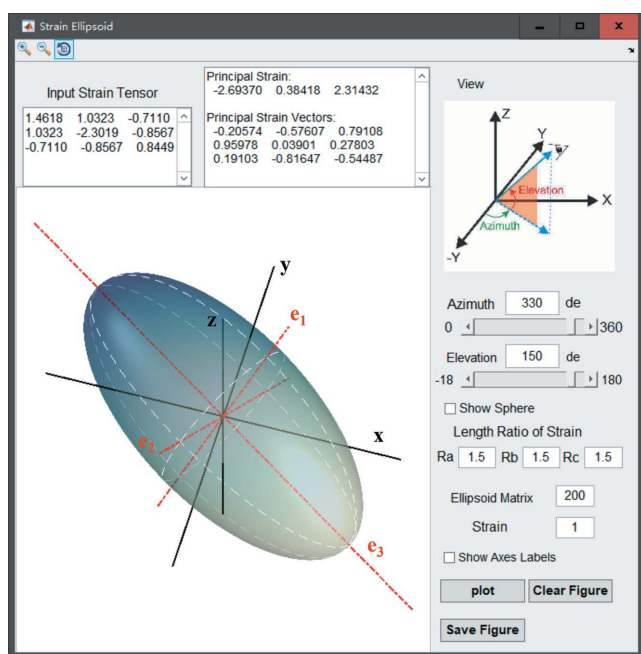
rotational operation between  $e_1e_2e_3$  coordinates and the sample coordinates  $xyz$ . As a result, the strain ellipsoid can be treated as an ‘orthorhombic crystal’ with three main axes, the minor axis  $e_1$  corresponding to compression, the major axis  $e_3$  corresponding to tension and the intermediate axis  $e_2$ . In this way, the compressive and tensile strain axis distribution can be visualized by  $\langle 100 \rangle$  and  $\langle 001 \rangle$  pole figures of such an ‘orthorhombic crystal’, respectively, either from the orientation matrix as in *XtalCAMP* or by converting the orientation matrix into Euler angles for use in other software such as *BEARTEX*. In *XtalCAMP*, the calculated principal strain magnitude and strain axes and the Euler angles defining the orientation of the strain ellipsoid can be stored as an individual \*.txt file.

To validate the wider applicability of this approach, naturally deformed quartzite samples with trigonal crystal symmetry were studied by  $\mu$ XRD with a potential use as a paleo-piezometer (Chen, Kunz *et al.*, 2016; Wenk *et al.*, 2020). The residual strain distribution of a quartzite sample is shown

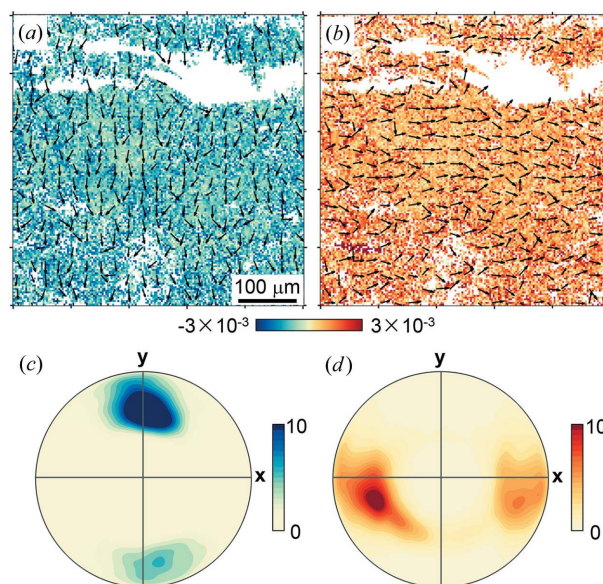
in Fig. 12 (for more details see Appendix A2). There is a relatively uniform magnitude of residual strain in the scanned area [Figs. 12(a) and 12 (b)], and the compressive strain vectors are mainly aligned along the  $y$  axis while the majority of tensile strain vectors are parallel to the  $x$  axis. The 3D orientation of strain vectors is further expressed by the strain pole figures shown in Figs. 12(c) and 12(d). Clearly, the compressive strain is aligned nearly parallel to the  $y$  axis, while the tensile strain is close to the  $x$  axis, consistent with the projection vector distributions in Figs. 12(a) and 12(b).

### 3.7. Additional tools

In addition to the functionalities introduced above, *XtalCAMP* provides many other useful tools, which are straightforward to use. These are listed in Table 1.



**Figure 11**  
Strain Ellipsoid interface. The principal strain axes are denoted  $e_1, e_2$  and  $e_3$  in red and the sample coordinates are denoted  $x, y, z$  in black.



**Figure 12**  
The residual strain distributions in the quartzite sample. The magnitude of the principal (a) compressive strain and (b) tensile strain and the corresponding strain axis directions are denoted by arrows in every eighth pixel. (c)  $\langle 100 \rangle$  and (d)  $\langle 001 \rangle$  strain pole figures in equal area projection. The arrows indicate the  $+z$  direction of the vector. The white regions in (a) and (b) represent the LPs which could not be indexed as quartz (such as a large muscovite mica crystal on top) or were excluded due to severe plastic deformation. Strain units are microstrains and pole figure densities are in multiples of a random distribution.

#### 4. Conclusions and future outlook

In this article, we have described the implementation of *XtalCAMP*, a comprehensive and versatile program dedicated to post-processing of LP indexing software output.

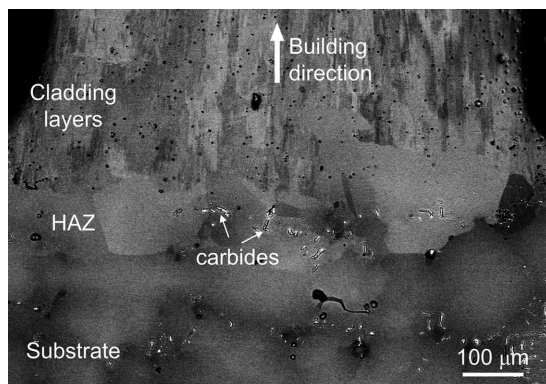
*XtalCAMP* provides a variety of tools for the visualization and analysis of scanning  $\mu$ XRD data, including intensity-based microstructure characterization, microstructural property mapping, basic crystallographic calculations, grain orientation visualization, boundary characteristic determination, deviatoric strain/stress analysis and principal strain axis representation, as well as some additional toolkits. With the built-in data conversion tools,  $\mu$ XRD orientation measurements can be transformed into a data format compatible with EBSD data analysis software such as the *MTEX* toolbox (Bachmann *et al.*, 2010) and other programs for quantitative texture analysis such as *BEARTEX*. This will help extend the  $\mu$ XRD technique to more users and adapt the trend that  $\mu$ XRD has been merging with other advanced crystal/materials characterization techniques such as EBSD and high-resolution powder diffraction.

#### APPENDIX A

##### Sample preparation and $\mu$ XRD experiment

###### A1. Laser 3D-printed Ni-based superalloy sample

The thin-wall Ni-based superalloy sample was 3D-printed using an in-house-developed co-axial laser cladding apparatus equipped with a 1 kW Nd:YAG laser source (Do *et al.*, 2013). The substrate was cut from a directionally solidified Ni-based superalloy DZ125L ingot. The DZ125L powders, with particle diameters ranging from 40 to 120  $\mu\text{m}$ , were used as the feedstock and deposited on the (001) plane of the substrate with a fixed laser power of 180 W and a scan rate of 10  $\text{mm s}^{-1}$  protected with an Ar atmosphere. The Ar gas-carried powders were injected into the melt pool at a feeding rate of  $\sim 9 \text{ mm}^3 \text{ s}^{-1}$  and the layer thickness was controlled to about 100  $\mu\text{m}$ . After post-processing solution heat treatment at 1513 K for 2 h, a slice with a thickness of  $\sim 1.5 \text{ mm}$  was cut longitudinally and investigated by scanning electron micro-



**Figure 13**  
BSE SEM investigation of the laser 3D-printed Ni-based superalloy DZ125L after solution heat treatment.

scopy (SEM) in backscattered electron (BSE) mode (Fig. 13) after mechanical grinding and electropolishing.

The heat-treated sample was then examined in a synchrotron Laue  $\mu$ XRD experiment on beamline 12.3.2 at the ALS. The sample was mounted 90° rotated around the surface normal with respect to the SEM image on a high-precision XY stage (so that the building direction points towards the right), with a 45° inclination angle between the sample surface normal and the incident X-ray beam. Using a focused polychromatic X-ray beam with a size of  $\sim 1 \mu\text{m}$  and an energy bandpass between 5 and 24 keV, a total of 19 000 LPs were collected via a 2D detector (Pilatus 1M, 1043  $\times$  981 pixels) from an area of 570  $\times$  300  $\mu\text{m}$ , which covered the substrate, HAZ and cladding layers, with a 3  $\mu\text{m}$  step size on the sample surface. Subsequently, all the LPs were sequentially indexed by the *XMAS* software, taking advantage of the newly developed peak position comparison indexing algorithm.

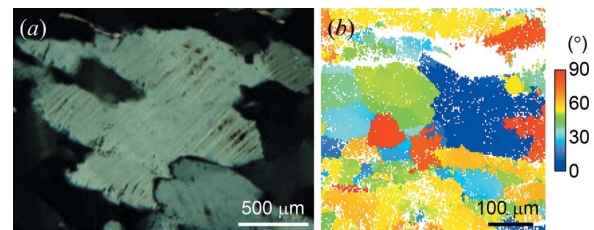
###### A2. Deformed quartzite sample

The quartzite sample, collected from Val Bregaglia in the Central Alps, was deformed under greenschist facies metamorphic conditions during the Alpine orogeny 20–60 M years ago (Wenk *et al.*, 2020). From the sample, a thin section with a thickness of  $\sim 30 \mu\text{m}$  was prepared and mounted on a glass slide. A synchrotron Laue  $\mu$ XRD experiment was performed on beamline 12.3.2 at the ALS and the diffraction patterns were recorded from an area of 501  $\times$  501  $\mu\text{m}$  with a 3  $\mu\text{m}$  step size in a reflection geometry that was the same as that used for the Ni-based superalloy study described above. The experimental geometry parameters, including the detector distance, orientation and incident X-ray beam position, were calibrated using a defect-free synthetic quartz single crystal. For an LP of a trigonal crystal with a hexagonal lattice, the diffraction intensities are taken into account for unambiguous indexing (Chen *et al.*, 2012). The microstructure of the quartzite sample is shown in Fig. 14.

#### APPENDIX B

##### The calculation of deviatoric stress

The full strain tensor  $\boldsymbol{\varepsilon}$  is the sum of the deviatoric strain tensor  $\boldsymbol{\varepsilon}'$  and the dilatational strain tensor  $\boldsymbol{\delta}$ , which can be written out in matrix notation as



**Figure 14**  
Microstructures of the quartzite sample. (a) Microstructure observed with optical microscopy and crossed polarized light. (b) The Bunge Euler angle ( $\Phi$ ) distribution of  $\mu$ XRD measurements showing the grain structure.

$$\begin{pmatrix} \varepsilon_{11} & \varepsilon_{12} & \varepsilon_{13} \\ \varepsilon_{12} & \varepsilon_{22} & \varepsilon_{23} \\ \varepsilon_{13} & \varepsilon_{23} & \varepsilon_{33} \end{pmatrix} = \begin{pmatrix} \varepsilon_{11} - \delta & \varepsilon_{12} & \varepsilon_{13} \\ \varepsilon_{12} & \varepsilon_{22} - \delta & \varepsilon_{23} \\ \varepsilon_{13} & \varepsilon_{23} & \varepsilon_{33} - \delta \end{pmatrix} + \begin{pmatrix} \delta & 0 & 0 \\ 0 & \delta & 0 \\ 0 & 0 & \delta \end{pmatrix}. \quad (11)$$

$$\mathbf{C}_{\text{cubic}} = \begin{pmatrix} C_{11} & C_{12} & C_{12} & 0 & 0 & 0 \\ C_{12} & C_{11} & C_{12} & 0 & 0 & 0 \\ C_{12} & C_{12} & C_{11} & 0 & 0 & 0 \\ 0 & 0 & 0 & C_{44} & 0 & 0 \\ 0 & 0 & 0 & 0 & C_{44} & 0 \\ 0 & 0 & 0 & 0 & 0 & C_{44} \end{pmatrix}, \quad (16)$$

According to Hooke's law, the full stress tensor  $\sigma$  is derived by multiplying the stiffness tensor  $\mathbf{C}$  and the full strain tensor  $\boldsymbol{\varepsilon}$ ,

$$\sigma = \mathbf{C}\boldsymbol{\varepsilon} = \mathbf{C}(\boldsymbol{\varepsilon}' + \boldsymbol{\delta}) = \mathbf{C}\boldsymbol{\varepsilon}' + \mathbf{C}\boldsymbol{\delta}. \quad (12)$$

Similarly to the full strain tensor, the full stress tensor  $\sigma$  can also be divided into a deviatoric stress tensor  $\boldsymbol{\sigma}'$  and a hydrostatic stress tensor  $\sigma_{\text{H}}$ :

$$\sigma = \boldsymbol{\sigma}' + \sigma_{\text{H}}. \quad (13)$$

Comparing equations (12) and (13), it is concluded that the deviatoric stress tensor  $\boldsymbol{\sigma}'$  equals  $\mathbf{C}\boldsymbol{\varepsilon}'$  only when  $\mathbf{C}\boldsymbol{\delta}$  is a hydrostatic stress tensor, which is represented in Voigt notation as

$$\sigma_{\text{H}} = \mathbf{C}\boldsymbol{\delta} = \begin{pmatrix} C_{11} & C_{12} & C_{13} & C_{14} & C_{15} & C_{16} \\ C_{12} & C_{22} & C_{23} & C_{24} & C_{25} & C_{26} \\ C_{13} & C_{23} & C_{33} & C_{34} & C_{35} & C_{36} \\ C_{14} & C_{24} & C_{34} & C_{44} & C_{45} & C_{46} \\ C_{15} & C_{25} & C_{35} & C_{45} & C_{55} & C_{56} \\ C_{16} & C_{26} & C_{36} & C_{46} & C_{56} & C_{66} \end{pmatrix} \begin{pmatrix} \delta \\ \delta \\ \delta \\ 0 \\ 0 \\ 0 \end{pmatrix} = \begin{pmatrix} \sigma_{\text{H}} \\ \sigma_{\text{H}} \\ \sigma_{\text{H}} \\ 0 \\ 0 \\ 0 \end{pmatrix}. \quad (14)$$

Therefore, the stiffness tensor components must satisfy the following conditions simultaneously:

$$\begin{cases} C_{11} + C_{12} + C_{13} = C_{12} + C_{22} + C_{23} = C_{13} + C_{23} + C_{33}, \\ C_{14} + C_{24} + C_{34} = 0, \\ C_{15} + C_{25} + C_{35} = 0, \\ C_{16} + C_{26} + C_{36} = 0. \end{cases} \quad (15)$$

It is known that the stiffness tensor depends on the crystal symmetry (Laue group) and the independent components can be further reduced by taking crystal symmetry into consideration. The stiffness tensor matrices in all 11 Laue groups are listed in Appendix E of the book by Nye (1985). Based on the relationship between these components, it is found that equation (15) is only satisfied for the stiffness tensor of cubic crystals  $\mathbf{C}_{\text{cubic}}$  [equation (16)], where the relationship between the components is displayed in equation (17):

$$\begin{cases} C_{11} = C_{22} = C_{33}, \\ C_{12} = C_{13} = C_{23}, \\ C_{41} = C_{42} = C_{43} = C_{51} = C_{52} = C_{53} = C_{61} = C_{62} = C_{63} = 0. \end{cases} \quad (17)$$

As a consequence, the deviatoric stress tensor in cubic crystals can be calculated by direct multiplication of the stiffness tensor and deviatoric strain tensor, although this results in an approximation of the real deviatoric stress tensor in non-cubic crystals.

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### References

- Bachmann, F., Hielscher, R. & Schaeben, H. (2010). *Solid State Phenom.* **160**, 63–68.
- Bunge, H.-J. (1969). *Mathematische Methoden der Texturanalyse*. Berlin: Akademie-Verlag.
- Campbell, J. W. (1995). *J. Appl. Cryst.* **28**, 228–236.
- Chen, K., Dejoie, C. & Wenk, H.-R. (2012). *J. Appl. Cryst.* **45**, 982–989.
- Chen, K., Huang, R., Li, Y., Lin, S., Zhu, W., Tamura, N., Li, J., Shan, Z.-W. & Ma, E. (2020). *Adv. Mater.* **32**, 1907064.
- Chen, K., Kunz, M., Li, Y., Zepeda-Alarcon, E., Sintubin, M. & Wenk, H. R. (2016). *Geophys. Res. Lett.* **43**, 6178–6185.
- Chen, K., Kunz, M., Tamura, N. & Wenk, H. R. (2015). *Geology*, **43**, 219–222.
- Chen, K., Tamura, N., Kunz, M., Tu, K. N. & Lai, Y. S. (2009). *J. Appl. Phys.* **106**, 023502.
- Chen, K., Tamura, N., Tang, W., Kunz, M., Chou, Y. C., Tu, K. N. & Lai, Y. S. (2010). *J. Appl. Phys.* **107**, 063502.

- Chen, X., Dejoie, C., Jiang, T., Ku, C. S. & Tamura, N. (2016). *MRS Bull.* **41**, 445–453.
- Dejoie, C., Sciau, P., Li, W., Noé, L., Mehta, A., Chen, K., Luo, H., Kunz, M., Tamura, N. & Liu, Z. (2014). *Sci. Rep.* **4**, 4941.
- Do, X., Li, D., Zhang, A., He, B., Zhang, H. & Doan, T. (2013). *J. Laser Appl.* **25**, 2–7.
- Engler, O. & Randle, V. (2009). *Introduction to Texture Analysis: Macrotexture, Microtexture, and Orientation Mapping*. Boca Raton: CRC Press.
- Guo, H., Chen, K., Oh, Y., Wang, K., Dejoie, C., Syed Asif, S. A., Warren, O. L., Shan, Z. W., Wu, J. & Minor, A. M. (2011). *Nano Lett.* **11**, 3207–3213.
- He, Y. & Jonas, J. J. (2007). *J. Appl. Cryst.* **40**, 559–569.
- Kocks, U. F., Tomé, C. N. & Wenk, H.-R. (1998). *Texture and Anisotropy: Preferred Orientations in Polycrystals and their Effect on Materials Properties*. Cambridge University Press.
- Kou, J., Chen, K. & Tamura, N. (2018). *Scr. Mater.* **143**, 49–53.
- Kunz, M., Tamura, N., Chen, K., MacDowell, A. A., Celestre, R. S., Church, M. M., Fakra, S., Domning, E. E., Glossinger, J. M., Kirschman, J. L., Morrison, G. Y., Plate, D. W., Smith, B. V., Warwick, T., Yashchuk, V. V., Padmore, H. A. & Ustundag, E. (2009). *Rev. Sci. Instrum.* **80**, 035108.
- Laughier, J. & Filhol, A. (1983). *J. Appl. Cryst.* **16**, 281–283.
- Lee, L., Tang, S.-Y., Chen, J.-H., Su, T.-Y., Chen, H.-C., Lin, C.-H., Chiang, C.-Y., Chiu, S.-J., Ku, C.-S., Shen, J.-L., Wang, Z. M. & Chueh, Y.-L. (2020). *ACS Appl. Mater. Interfaces*, **12**, 32041–32053.
- Li, R., Xie, Q., Wang, Y.-D., Liu, W., Wang, M., Wu, G., Li, X., Zhang, M., Lu, Z., Geng, C. & Zhu, T. (2018). *Proc. Natl Acad. Sci. USA*, **115**, 483–488.
- Li, Y., Chen, K., Narayan, R. L., Ramamurty, U., Wang, Y., Long, J., Tamura, N. & Zhou, X. (2020). *Addit. Manuf.* **34**, 101220.
- Li, Y., Chen, K. & Tamura, N. (2018). *Mater. Des.* **150**, 171–181.
- Li, Y., Qian, D., Xue, J., Wan, J., Zhang, A., Tamura, N., Song, Z. & Chen, K. (2015). *Appl. Phys. Lett.* **107**, 181902.
- Li, Y., Wan, L. & Chen, K. (2015). *J. Appl. Cryst.* **48**, 747–757.
- Liu, H. & Liu, J. (2012). *J. Appl. Cryst.* **45**, 130–134.
- Liu, W., Ice, G. E., Larson, B. C., Yang, W., Tischler, J. Z. & Budai, J. D. (2004). *Metall. Mater. Trans. A*, **35**, 1963–1967.
- Lupinacci, A., Chen, K., Li, Y., Kunz, M., Jiao, Z., Was, G. S., Abad, M. D., Minor, A. M. & Hosemann, P. (2015). *J. Nucl. Mater.* **458**, 70–76.
- Ma, E. Y., Cui, Y. T., Ueda, K., Tang, S., Chen, K., Tamura, N., Wu, P. M., Fujioka, J., Tokura, Y. & Shen, Z. X. (2015). *Science*, **350**, 538–541.
- Matthies, S., Wenk, H.-R. & Vinel, G. W. (1988). *J. Appl. Cryst.* **21**, 285–304.
- Noyan, I. C. & Cohen, J. B. (2013). *Residual Stress: Measurement by Diffraction and Interpretation*. Heidelberg: Springer.
- Nye, J. F. (1985). *Physical Properties of Crystals: Their Representation by Tensors and Matrices*. Oxford University Press.
- Robach, O., Kirchlechner, C., Micha, J. S., Ulrich, M. O., Biquard, X., Geaymond, M. O., Castelnau, O., Bornert, M., Petit, J., Berveiller, S., Sicardy, O., Villanova, J. & Rieutord, F. (2014). *Strain and Dislocation Gradients from Diffraction: Spatially Resolved Local Structure and Defects*, edited by R. Barabash & G. Ice, pp. 156–204. Singapore: World Scientific.
- Soyer, A. (1996). *J. Appl. Cryst.* **29**, 509.
- Strelcov, E., Tselev, A., Ivanov, I., Budai, J. D., Zhang, J., Tischler, J. Z., Kravchenko, I., Kalinin, S. V. & Kolmakov, A. (2012). *Nano Lett.* **12**, 6198–6205.
- Tamura, N. (2014). *Strain and Dislocation Gradients from Diffraction: Spatially Resolved Local Structure and Defects*, edited by R. Barabash & G. Ice, pp. 125–155. Singapore: World Scientific.
- Wenk, H.-R., Chandler, B. C., Chen, K., Li, Y., Tamura, N. & Yu, R. (2020). *Geophys. J. Int.* **222**, 1363–1378.
- Wenk, H.-R., Matthies, S., Donovan, J. & Chateigner, D. (1998). *J. Appl. Cryst.* **31**, 262–269.
- Xue, J., Zhang, A., Li, Y., Qian, D., Wan, J., Qi, B., Tamura, N., Song, Z. & Chen, K. (2015). *Sci. Rep.* **5**, 14903.
- Zhou, G., Kou, J., Li, Y., Zhu, W., Chen, K. & Tamura, N. (2018). *Quantum Beam Sci.* **2**, 13.
- Zhou, G., Zhu, W., Shen, H., Li, Y., Zhang, A., Tamura, N. & Chen, K. (2016). *Sci. Rep.* **6**, 28144.