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## Title

A model exploring whether the coupled effects of plant water supply and demand affect the interpretation of water potentials and irrigation management

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## **Authors**

Spinelli, Gerardo M Shackel, Ken A Gilbert, Matthew E

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1	<i>Title</i> . A model exploring whether the coupled effects of plant water supply and
2	demand affect the interpretation of water potentials and irrigation
3	management
4	Authors. Gerardo M. Spinelli <sup>*</sup> , Ken A. Shackel, and Matthew E. Gilbert
5	Affiliation. University of California, Davis, Dept. of Plant Sciences. One Shields Ave, Davis, CA 95616-
6	8683, USA.
7	Corresponding author. Tel.: (530) 304 3738. E-mail address: gerardo.spinelli@gmail.com (G. Spinelli).
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10 Abstract

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12 Water potential is a useful predictive tool in irrigation scheduling as it, or a component, is associated with 13 physiological responses to water deficit. Increasing atmospheric *demand* for water increases transpiration 14 and decreases water potential for the same stomatal conductance. However, based on *supply* by the soil-15 plant-atmosphere-continuum, decreasing soil water potential should decrease stomatal conductance and thus transpiration but also decrease water potential. Such contradictory behavior of supply and demand 16 17 responses, may limit the value of water potential as an indicator of plant water status. This work studied the 18 relationship between plant water potential and transpiration affected by supply (soil moisture) and 19 atmospheric evaporative demand, and has implications for interpretation of water potentials and irrigation 20 management. Results were that plant water potential has a narrow range of sensitivity to variation in supply 21 and demand in hydrated soils, but greatly varying sensitivity in dry soils, limiting interpretation under dry 22 conditions. Loss of soil conductance in dry, coarse soil types affects the trajectory of plant water potential 23 response to supply and demand. Sapflow measurements on almonds indicated that variation in reference 24 evapotranspiration and/or soil moisture deficit led to similar variation in stem water potentials to that 25 predicted by the model. The model indicates hypotheses that with further testing may have important repercussions on the measurement of plant water use and irrigation scheduling. 26

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- 28 Keywords: sapflow, almond, *Prunus dulcis*, crop coefficient, water potential
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#### 30 Introduction

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The responses of plants to water stress modulate physiological processes such as carbon assimilation,
 growth, reproductive success and water uptake (Hsiao, 1973). Thus, our understanding of water stress has

important implications for both physiological studies and practical applications such as irrigationscheduling.

Water potential  $(\Psi)$  is considered as particularly informative as it is related to many plant processes: 36 37 it integrates the hydrostatic, gravitational, matric and osmotic effects on water availability. However, some 38 authors have criticized the focus on  $\Psi$ , suggesting that relative water content or components of  $\Psi$  may be 39 better indicators of physiological responses (Passioura, 1988; Sinclair and Ludlow, 1985). As relative water 40 content measurements are prone to error (Arndt et al., 2015; Boyer et al., 2008), plant water potential has 41 remained as a standard indicator of physiological and irrigation status. Leaf to leaf variability in water potential occurs due to differences in orientation and boundary layer conductance, and therefore stem water 42 potential ( $\Psi_{\text{stem}}$ ) can be used as a more averaged and stable indicator of plant water stress (Choné et al., 43 44 2001; Marsal et al., 2005; McCutchan and Shackel, 1992; Naor et al., 1995). Stem water potential, measured 45 using light, pump-up pressure chambers, is being used to schedule irrigation in fruit and nut tree horticulture 46 in California, in particular by the large almond industry (Goldhamer and Fereres, 2001; Shackel, 2011)

However,  $\Psi$  as a stress indicator relates to the fact that responses to water stress such as stomatal 47 closure, senescence etc., are regulatory mechanisms that control transpiration (T). Thus, a stress-related 48 49 decrease in T may totally or partially maintain  $\Psi_{\text{leaf}}$  (or  $\Psi_{\text{stem}}$ ) in a physiological range (Jones, 1983; Jones, 50 1990). The degree to which this homeostasis of  $\Psi$  occurs is thought to be species and variety-dependent 51 leading some authors to define isohydric (with a stable  $\Psi_{\text{leaf}}$  and strong stomatal control) and anisohydric (variable  $\Psi_{\text{leaf}}$  with weak stomatal control) behaviors in response to variation in evaporative demand (Klein, 52 53 2014; Schultz, 2003; Tardieu and Simonneau, 1998). Although species may show behaviors that fall on the continuum between aniso- and isohydry, for many species water potentials can be used as a proxy for water 54 55 status, while stomata also exert considerable control over water status (Tardieu and Simonneau, 1998). In the case of almond, stomatal conductance is consistently linearly related with stem water potential (Egea et 56 57 al., 2011; Spinelli et al., 2016). For such species, the relationship of  $\Psi$  to T is the result of two opposite 58 behaviors: first, a decrease in T is expected when  $\Psi$  decreases (more negative) due to stomatal closure under 59 limited water supply; second, a drop in  $\Psi$  is expected as T increases due to increased demand. These two

behaviors are the basis of a heuristic model developed here to test the conflicting influence of coupled
supply and demand factors on transpiration and water potential. The impact of the canopy energy balance
is likely to be particularly important to incorporate in the model, as changes in stomatal conductance would
be somewhat counteracted by the response of increasing temperature.

64 For the purposes of irrigation management, a proxy of the evapotranspiration of a crop  $(ET_c)$  can be calculated from multiplying the reference evapotranspiration for a grassy reference surface  $(ET_0)$  and the 65 66 crop coefficient ( $K_c$ ). The use of  $ET_c$  and  $ET_c$  assumes that the reference ET can be used to account for 67 variation in evaporative demand when interpreting field transpiration data (Espadafor et al., 2013; Johnson et al., 2005; Williams et al., 2012). Similarly dividing an observed T by ET<sub>o</sub> should detrend the T for 68 69 variation in evaporative demand. However,  $ET_0$  is specifically for a grassy reference surface, not trees, and does not account for the feedbacks of  $\Psi$  on T and effects of soil moisture. Thus, the models developed 70 71 below were also used to explore the effect of soil moisture and evaporative demand on the use of ET<sub>o</sub>.

72 More broadly, this work is an attempt to capture the interdependence between transpiration and water 73 potential in almonds, modeling the behavior of three interdependent variables (T,  $\Psi_{stem}$  and stomatal 74 conductance) in a system of three equations/behaviors (Appendix). The three behaviors are: T decreases as 75 stomata close, modeled with eqn. 1;  $\Psi$  decreases with T increases, modeled with eqn. 2; stomata close with 76 decreasing  $\Psi_{\text{stem}}$ , based on an empirical relationship observed in almond (Spinelli, 2015). The model was 77 run varying  $\Psi_{soil}$  and environmental variables affecting the evaporative demand of the atmosphere in order 78 to mimic the natural conditions experienced by plants in the field. A validation of the model was attempted 79 using sapflow velocity to estimate transpirational flow and measurements of  $\Psi_{stem}$ .

80 With the objective of investigating the validity of  $\Psi_{\text{stem}}$  as a predictor of T for almonds, this study 81 explores the following questions through modelling and sap flow data:

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What is the relationship of T with Ψ during supply (soil) and demand (atmosphere) limitations? How does changing soil conductivity over a soil dry-down affect this relationship?
 Does stomatal conductance variation result in proportional variation in transpiration with soil drydown?

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3) Do the interrelated variables affect the usefulness of grassy reference surface ET<sub>o</sub> in irrigation management for tree crops?

88

# Model development: A hydraulic model of supply and demand influences on transpiration 90

The response of transpiration (T) to variation in  $\Psi$  due to changing atmospheric demand can be described using an energy balance approach that calculates transpiration as a function of atmospheric variables and stomatal conductance, under the assumption that stomatal conductance has a monotonic relationship with  $\Psi$  (in the leaf or any other part of the plant) (Fig. 1). Thus the demand side response of canopy T to water potential can be modelled based upon the Penman-Monteith equation (Monteith and Unsworth, 1990), based upon the assumption that a mature almond orchard soil evaporation is low (see Appendix for more details):

$$T \cong LE = \frac{\Delta (R_n - G) + \rho C_p g_a (e_{sat(Ta)} - e_a)}{\Delta + \gamma \left(1 + \frac{g_a}{g_{c(\Psi)}}\right)} \qquad 98 \qquad (eqn. 1)$$
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100

101 T is transpiration or latent energy removal by soil and within-leaf evaporation (E),  $\Delta$  is the slope of the 102 relationship between vapor pressure and air temperature,  $R_n$  is net radiation,  $\rho$  is air density,  $C_p$  is air heat 103 capacity at constant pressure, ga is aerodynamic conductance, es(Ta) is the saturated vapor pressure at air 104 temperature;  $e_a$  is air vapor pressure; L is the latent heat of vaporization,  $\gamma$  is the psychrometric constant 105 and  $g_{c(\Psi)}$  is canopy conductance that is dependent on plant  $\Psi$  and based upon stomatal conductance's of individual leaves. Note that this general formulae is effectively the same as the reference  $ET_0$  formula used 106 107 elsewhere (Allen et al., 1998), but has a unit transformation and lacks the specific constants for a grassy 108 reference surface. The predicted relationship between T and water potential for varying evaporative demand 109  $(ET_o)$  is a decreasing line, where greater evaporative demand results in higher T and more negative  $\Psi$  (Fig. 110 1a). But, variation in soil water deficit results in T decreasing with lower  $\Psi$  at constant ET<sub>0</sub> (Fig. 1b). The

demand and supply responses (Fig. 1a and b) are contrasting, but meet where the soil water potential and ET<sub>o</sub> are the same. The supply function does not reach higher stem water potentials than ~ -1MPa for a constant ET<sub>o</sub> (600 W m<sup>-2</sup>) as the plant has a finite hydraulic conductance resulting in a gradient from the soil to the stem (Fig. 1b). The demand function increases to the point that stomata close considerably due to negative leaf or stem water potentials, but for the high soil water potential modelled the closure happens at unreasonably high ET<sub>o</sub>'s (>800 W m<sup>-2</sup>; not shown).

117 The response of T to limited supply of water in the soil is based on the soil-plant-atmosphere 118 continuum (SPAC) and is represented by the hydraulic flux-gradient relationship (Van den Honert, 1948), 119 applicable to any two points in the SPAC:

$$T = \frac{\Psi_a - \Psi_b}{R_{a\_b}} = \frac{\Psi_{soil} - \Psi_{stem}}{R_{soil\_stem}}$$
120 (eqn. 2)
121

122  $\Psi$  is water potential at the point indicated in the subscript and R is the hydraulic resistance between 123 the two points in consideration. Assuming steady-state conditions and an in-series pathway, T is the same 124 in all successive segments of the transport pathway.

However, it is well known that R in the bulk soil increases as decreasing  $\Psi_{soil}$  determines a loss of soil 125 126 conductivity (Campbell and Norman, 1998; Sperry et al., 1998) and that R in the xylem increases as a result of embolisms occurring at low  $\Psi_{xylem}$  (Tyree and Sperry, 1989). However, the usual range of water 127 128 potentials in moderately water stressed almonds is >-3MPa and almond is not vulnerable to loss of stem 129 conductivity i.e. 50% of stem conductivity is lost at  $\sim$  -6MPa for almonds (Cochard et al., 2008). Thus, the plant resistance was modelled as a constant, but the soil conductivity was modelled based upon soil-type 130 131 specific parameters (Appendix). Leaf hydraulic conductance can vary with water status (Hernandez-132 Santana et al., 2016), and this was considered in the Discussion. Changing soil conductance is a function 133 of the soil water potential between the root and bulk soil, and thus the soil loses conductance when plant 134 transpiration rates reach a maximum value; the model presented in the Appendix represents this key response, and is consistent with Sperry et al. (2002). 135

#### 137 Materials and Methods

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#### 139 Model application

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141 The model used for these calculations is described in the Introduction and Appendix. The full coupled 142 atmospheric/soil model was applied to ranges of environmental variables that are typical of midday conditions for an almond orchard during summer months in central California: air temperature 20 to 35 °C, 143 soil water potential -0.001 to -1.5 MPa, aerodynamic conductance 33.3 mm/s (resistance 30 s/m), air vapor 144 pressure 1400 Pa, net radiation 700 W m<sup>-2</sup>, ground heat flux was assumed to be 10% of net radiation during 145 146 the day (CIMIS, 2015). Canopy conductance was used in eqn. 1 in place of stomatal conductance applying the Big Leaf model described in Monteith and Unsworth (1990). Canopy conductance was calculated as an 147 148 average of stomatal conductance for shaded and sunlit leaves weighted by the contribution to LAI of each 149 class of leaves, as proposed by Sinclair et al. (1976). An average LAI of 3.25 was obtained from Zarate-150 Valdez et al. (2012) for the same orchard.

The variable nature of soil hydraulic conductivity was included in the model as a function of soil water potential; the Campbell and Norman (1998) equation was used with the factors indicated for a sandy loam and clay matching the soil types at the two experimental sites, Belridge and Davis, respectively.

The model was run to predict the behavior of the relationship between transpiration and  $\Psi_{\text{stem}}$  varying soil water potential and varying the evaporative demand of the atmosphere estimated as ET<sub>o</sub> (Allen et al., 1998). Because of the widespread use of a constant midseason crop coefficient (K<sub>c</sub>) for almonds in irrigation scheduling, the supply and demand responses of the modelled almond crop coefficient (K<sub>a</sub>; K<sub>a</sub> = ET<sub>a</sub>/ET<sub>o</sub>; where 'a' represents almonds) were also investigated.

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#### 160 **Experimental sites**

162 Sapflow data for model validation were collected in two almond (Prunus dulcis D.A Webb) orchards, one 163 at the Paramount Farming Company in Belridge, California, and one at the Students' Orchard at UC Davis. 164 In Belridge, Nonpareil trees grafted on Nemaguard were planted in a sandy loam at 6.4 X 7.9 m spacing. 165 In Davis, Nonpareil trees were planted in a clay loam. Environmental variables and FAO 56 (Allen et al., 166 1998) grass reference evapotranspiration  $(ET_o)$  were obtained by the nearby CIMIS stations (Belridge station #146 and Davis #4). An attempt was made to calculate a more appropriate reference 167 168 evapotranspiration for almond at midday (almond  $ET_{o}$ ). The Penman-Monteith equation was used (eqn. 1) 169 with the environmental variables obtained from CIMIS for the period 12 PM to 3 PM. A constant unstressed 170 canopy resistance reference value of 75 s/m was used, obtained experimentally (Spinelli, 2015); aerodynamic resistance (r<sub>a</sub>) was estimated from wind speed (u) using the empirical function  $r_a = 30/u$ 171 172 obtained from data reported in Spinelli (2015).

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#### 174 Sapflow and irrigation

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176 Relative transpirational flow was estimated measuring sapflow velocity at both sites in almond trees during 177 the summer of 2013. Sapflow velocity was measured with SFM1 Sap flow Meters (ICT International, 178 Armidale, Australia) at a measurement depth of 12.5 and 27.5 mm from the bark. The highest flow rates 179 occur at 20 to 30 mm depth in almond (M.E. Gilbert and H.K. Vice, pers. obs.). Data obtained from the 180 probes at 12.5mm were discarded because there was no clear daily pattern and the rest of the data was 181 screened for data quality. Measurement frequency was set at 30 min and the heat pulse was set at 40 J. The 182 probes were installed at a distance of 6 mm from each other. Heat pulse velocity was calculated as proposed 183 by Burgess et al. (2001) using the heat ratio method. Subsequently, the data was integrated over each day 184 to obtain an estimate of relative daily transpiration for each tree. The xylem area contributing to sap flow 185 for each probe is unknown, therefore the sapflow velocity data gives only relative information of the time 186 pattern of each probe.

Three trees were chosen showing water status representative of the whole orchard i.e. a tree with average stem water potential, and trees with values similar to the highest and lowest stem water potentials measured atBelridge. The trees received conventional irrigation management of commercial almond orchards. In Davis, two trees with similar low initial water status were chosen and a high volume irrigation treatment (multiple microjet sprinklers were added per tree) was applied to one tree (#26), while the second tree received conventional irrigation (single microjet) (#22) maintaining the soil water deficit.

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#### 194 $\Psi_{\text{stem}}$ and $\Psi_{\text{soil}}$

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196  $\Psi_{\text{stem}}$  was measured on fully expanded, lower canopy, shaded leaves, with pressure chambers (Soil Moisture 197 Equipment and PMS Instruments). The leaves were enclosed in plastic and aluminum bags at least 20 198 minutes prior to excision and measurement. In some cases, two leaves per tree were measured and the 199 values averaged. To estimate the degree of water stress, an unstressed baseline water potential based on air 200 vapor pressure deficit was calculated for both sites following McCutchan and Shackel (1992).

201 At both sites,  $\Psi_{soil}$  was estimated with a soil moisture balance approach. The inputs were precipitation and the measured irrigation applied and the output was ET<sub>a</sub>, calculated from ET<sub>o</sub> from the nearby CIMIS 202 203 station and assuming a constant crop coefficient of 1.15. Deep drainage and runoff were assumed to be 204 negligible.  $\Psi_{soil}$  was estimated from soil moisture using water retention curves for the respective soils. A 205 water retention curve for the soil at Belridge was obtained from Kandelous (pers. comm.) and at Davis a 206 curve for a similar soil located 1.2 miles from the experimental site was obtained from Acevedo (1975).  $\Psi_{soil}$  was used to illustrate the periods where soil moisture was low – a heuristic – the values should not be 207 208 interpreted as measured.

- 210 **Results**
- 211

#### 212 Model predictions of the T to $\Psi$ relationship for two soils

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The modeled relationship between transpiration and  $\Psi_{\text{stem}}$  was curved for eight levels of  $\Psi_{\text{soil}}$  and four levels 214 215 of  $ET_{o}$  (Fig. 2a). Starting from point A and following the solid curve to point B, the plot shows the expected 216 relationship of transpiration and  $\Psi_{\text{stem}}$  during a hypothetical soil dry-down cycle at five time points (Fig. 217 2a). Each point has successively lower  $\Psi_{soil}$  -0.001 (point A), -0.1, -0.25, -0.5 and -0.75 MPa (point B) and all points on this curve have the same  $ET_0$  (418 W m<sup>-2</sup>). This scenario shows that a positive correlation 218 between transpiration and  $\Psi_{stem}$  is expected when the water potential in the soil is varied and ET<sub>0</sub> is kept 219 constant. In other words, when plant water potential decreases as a result of a drying soil, transpiration is 220 221 expected to decrease. Furthermore, as the soil dries (i.e. following the curve from A to B), transpiration 222 declines less dramatically in low  $ET_0$  conditions (curve with points A and B) than in high  $ET_0$  conditions 223 (curve with point C).

In contrast, the four points from B to C represent four time points with a common  $\Psi_{soil}$  (-0.75 MPa) and increasing ET<sub>o</sub> from 418 (point B), 485, 545, to 600 W m<sup>-2</sup> (point C). In this case, a negative association is expected between transpiration and  $\Psi_{stem}$ . This is evidence that, when soil moisture is kept constant, a *decrease* in plant water potential caused by higher evaporative demand is associated with an *increase* in transpiration, opposite behavior to the soil water deficit response.

The slope of the T and  $\Psi_{\text{stem}}$  relationship (e.g. C to B), caused by variation in ET<sub>o</sub>, changes with  $\Psi_{\text{soil}}$ for sandy loam soils, but little for clay (Fig. 2a and b). That is, the sensitivity of  $\Psi_{\text{stem}}$  to variation in ET<sub>o</sub> is low for wet sandy loams (line with point A) and flatter ( $\Psi_{\text{stem}}$  is more sensitive) as the soil dries (i.e. at -1.5 MPa). For sandy loam soils the change in slope of the T and  $\Psi_{\text{stem}}$  response with variation in ET<sub>o</sub> is caused by changing hydraulic conductivity in the soil as it dries. At high ET<sub>o</sub> and low  $\Psi_{\text{soil}}$  the loss of water transit pathways in large pore/grains of the sandy loam soil causes loss of conductivity (Fig. 2b). However, the hydraulic conductivity of clay soils is effectively not limiting to plant water uptake in the range of soil water potentials usually expected (0 to -1.5 MPa). These results indicate that  $\Psi_{\text{stem}}$  has variable sensitivity as a predictor of T, whenvariation occurs in either supply ( $\Psi_{\text{soil}}$ ) or demand (ET<sub>o</sub>), particularly for coarser soils such as sands.

239 Stem water potential as a predictor of water stress is also differentially sensitive to  $\Psi_{soil}$  (Fig. 3), with a ~0.8 MPa change in  $\Psi_{\text{stem}}$  for a 1 MPa change in  $\Psi_{\text{soil}}$  in wet soils (points A and B in Fig. 3). In dry soils the 240 241 sensitivity varied by almost two fold, with 1 MPa change in  $\Psi_{stem}$  for a 1 MPa change in  $\Psi_{soil}$  for sandy loam at high ET<sub>o</sub>, and a 0.55 MPa change in  $\Psi_{\text{stem}}$  for a 1 MPa change in  $\Psi_{\text{soil}}$  for clay at low ET<sub>o</sub> (Fig. 3, 242 points C and D). Within a usual range of well-irrigated soil water potentials (0 to -0.5 MPa), the sensitivities 243 varied by 10% across the range of  $ET_o$  and soil types. With constant  $\Psi_{soil}$  (-0.5 MPa) and a variable  $ET_o$ , 244 245 there is a negative correlation between transpiration and canopy conductance, but a positive correlation 246 when only  $\Psi_{soil}$  varies (Fig. 4). This means that a decrease in canopy or stomatal conductance is not 247 associated with a decrease in transpiration when evaporative demand increases, but they are linked with soil is drying. Similar relationships are present for stomatal conductance of sun exposed leaves which makes 248 up the majority of canopy conductance. In other words, if soil wetness is kept constant, as the evaporative 249 250 demand of the atmosphere increases, plant transpiration *increases*, despite a reduction in stomatal 251 conductance and  $\Psi_{\text{stem}}$ .

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#### **ET**<sub>0</sub> response to demand

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The modelled almond crop coefficient ( $K_a = ET_a/ET_o$ ) and  $\Psi_{stem}$  (Fig. 2c and d) are similar to the transpiration responses (Fig. 2a and b).  $K_a$  decreases when  $\Psi_{stem}$  decreases because of a reduction in  $\Psi_{soil}$ . However, for almonds  $K_a$  shows an increase associated with a decrease in  $\Psi_{stem}$  when the evaporative demand of the atmosphere is increased. The slope of the  $K_a$  to  $\Psi_{stem}$  relationship under varying  $ET_o$  is steeper at high  $\Psi_{soil}$  and it gets flatter as the soil dries out for the sandy loam (Fig. 2d). At  $\Psi_{soil} = -1.25$  MPa the slope is flat and the relationship between  $K_a$  and  $\Psi_{stem}$  is independent of  $ET_o$ . In theory, if the crop coefficient K<sub>a</sub> really accounted for the evaporative demand of the atmosphere, the relationship between K<sub>a</sub> and  $\Psi_{\text{stem}}$ should always be flat as ET<sub>o</sub> is varied. However, the data from the model show that K<sub>a</sub> is independent of ET<sub>o</sub> only at the drier end of the soil for sandy loam, but not for clay. This behavior of K<sub>a</sub> suggests that using a constant K<sub>c</sub> value is not the appropriate method to account for environmental variability tree crop water use studies, since ET<sub>a</sub> is not uniquely related to ET<sub>o</sub> in a proportional manner.

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#### 267 Measured response to variation in demand (Belridge site)

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269 At the Belridge experimental site there was little variation in reference (grass)  $ET_0$  (Fig. 5a,b). Stem water 270 potential data show a clear reduction during the second half of July and during the second week of August 271 with each tree showing different magnitudes of water stress. Trees 142 and 266 showed moderate stress (-1.4 MPa and -1.6 MPa respectively) and tree 274 showed mild stress (-1.1 MPa). The estimated  $\Psi_{soil}$  showed 272 273 little variation, due to the frequent irrigation events (weekly). The sapflow velocity data should be 274 interpreted in relative terms, since the xylem area contributing to sap flow is unknown. However, sapflow velocity from all trees show common patterns associated with ET<sub>o</sub>. For instance, all trees show a decrease 275 of sapflow on July 9<sup>th</sup> (A), when a drop in  $ET_0$  was recorded and an increase on July 14<sup>th</sup> and 15<sup>th</sup> that is 276 277 associated with an increase in ET<sub>o</sub> adjusted for almonds (B). In contrast, all trees show an increase in sapflow velocity during days  $7/20^{\text{th}}$ ,  $7/21^{\text{st}}$ ,  $7/22^{\text{nd}}$  and  $7/23^{\text{rd}}$ , that is associated with a drop in  $\Psi_{\text{stem}}$ , but it is 278 not associated with grass  $ET_{0}$  (C). However, the same four days of high sapflow are associated with high 279 280 almond  $ET_0$  (Penman-Monteith  $ET_0$  calculated using almond reference values for aerodynamic and canopy conductance's) and a drop in  $\Psi_{\text{stem}}$  during the stress cycle between 7/17<sup>th</sup> and 7/31<sup>st</sup>. Based on the model, 281 282 the increase in almond  $ET_0$  (based upon higher aerodynamic resistances than the reference crop) is likely to be the cause of the drop in  $\Psi_{\text{stem}}$ , on 7/23, but the short cut-off in irrigation may also have a role, although 283 the estimated  $\Psi_{soil}$  did not decrease. Almond ET<sub>o</sub> also showed a similar rise during 7/25<sup>th</sup>, 7/26<sup>th</sup>, 7/27<sup>th</sup> and 284  $7/28^{\text{ th}}$ , but only tree #266 shows a similar pattern in sapflow (D). Conversely, the decrease in  $\Psi_{\text{stem}}$  during 285 the first two weeks of August, is not associated an increase in ET<sub>o</sub> and may be associated with soil moisture 286

depletion following the cut-off in irrigation (E). During that period, sapflow velocity decreased in all trees,although with different magnitudes.

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#### 290 Measured response to supply variation (Davis site)

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292 At Davis (Fig. 6a,b), the  $\Psi_{\text{stem}}$  of both trees showed intense stress (-2 MPa) at the beginning of the experiment. Tree #26 responded to the subsequent high irrigation treatment with an increased  $\Psi_{\text{stem}}$  starting 293 from 9/6<sup>th</sup>. Tree #26 kept improving its water status for the whole experiment, until almost reaching baseline 294 295 on  $10/1^{st}$ , while tree #22 remained at the same level of water stress for the whole experiment. Many features in the pattern of sapflow of both trees are associated with ET<sub>o</sub>, for instance, the rise of September 6<sup>th</sup>, 7<sup>th</sup>, 296 8<sup>th</sup> and 9<sup>th</sup> (A) and September 17<sup>th</sup>, 18<sup>th</sup> and 19<sup>th</sup> (B). However, while the stressed tree #22 showed a gradual 297 298 reduction in sapflow velocity, the irrigated tree #26 showed a decrease at the beginning of the experiment 299 but then kept relatively constant values when the water status of the tree improved. Thus, relative to tree 300 #22, tree #26 showed an increase in sapflow during the course of the experiment, presumably associated to the increased stomatal conductance caused by its improved water status. Both trees show a peak in  $\Psi_{stem}$  on 301  $9/21^{st}$ , in association with a low ET<sub>o</sub> day (C). Tree #26 showed a larger increase in  $\Psi_{stem}$ , presumably caused 302 by the irrigation of  $9/20^{\text{th}}$ . However, the estimated  $\Psi_{\text{soil}}$  for tree #26 showed first a first decrease at the 303 beginning of the experiment and then a sharp increase until reaching field capacity values around September 304 15<sup>th</sup> and until the end of the experiment. 305

In Belridge, the daily cumulative sapflow velocity showed a negative correlation with  $\Psi_{\text{stem}}$  for all trees (Fig. 7;  $R^2 = 0.55$ , P = 0.032). Based on the model, such relationship is expected when the variation in  $\Psi_{\text{stem}}$  is determined by ET<sub>o</sub>, as would occur in this well irrigated orchard. In Davis, the two trees showed a different behavior (Fig. 7). For the continually water stressed tree (#22) the relationship was nonsignificantly negative ( $R^2 = 0.50$ , P = 0.079), consistent with variation in ET<sub>o</sub> causing sap flow velocity variation for this tree under constant soil water deficit. However, the rewatered tree #26 had a more flat relationship between sapflow velocity and  $\Psi_{\text{stem}}$  ( $R^2 = 0.27$ , P = 0.38), consistent with changing  $\Psi_{\text{soil}}$  causing

313	variation in sap flow. Both $ET_o$ and $\Psi_{soil}$ varied simultaneously for these data; predictions from a multiple
314	regression analysis (dashed lines in Fig.7) illustrates that for a high $ET_0$ of 529 W m <sup>-2</sup> the slope of the sap
315	flow to $\Psi_{stem}$ relationship was steeper than for a lower ET <sub>o</sub> , similar to the model predictions in Fig. 2.
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#### 318 **Discussion**

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#### 320 Plant water potential responds to water supply *and* demand

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322 The usefulness of plant water potential as an indicator of soil water status, and irrigation timing, is 323 determined by the sensitivity of plant water potential to soil water content and atmospheric demand. If plant 324 water potential is similarly sensitive across a range of variation in soil water and atmospheric demand, then 325 the atmospheric demand can be detrended using a consistent baseline and plant water potential can be broadly used to predict soil water status and trigger irrigation. While stem water potential was similarly 326 327 sensitive to soil water potential and evaporative demand under a range of environments and soil types, 328 sensitivities diverged considerably when soils were dry. These effects were variably interactive with both 329 soil type and evaporative demand, and warrant further evaluation.

In a soil dry-down cycle (i.e. moving from point A to B in Fig. 2a), the model predicted that time points with high  $ET_0$  show a more rapid decline of transpiration as soil dries out than low  $ET_0$  time points. This is supported by data from experimental studies (Denmead and Shaw, 1962) and theoretically confirmed in models (Cowan, 1965). However, the model presented here differs from Cowan's in a number of features. Cowan's model did not account for the dependence of soil conductivity on  $\Psi_{soil}$ . Secondly, stomatal conductance was assumed by Cowan to maintain a high constant value at high  $\Psi_{leaf}$  and to decline linearly once  $\Psi_{leaf}$  reached a threshold value, unlike what is observed in almonds. 337 A curved relationship between T and  $\Psi_{\text{stem}}$  is expected based on the Penman-Monteith equation (eqn. 1), where the difference in slope across different ET<sub>o</sub>'s is due to the stronger stomatal control associated 338 339 with a more negative  $\Psi_{\text{stem}}$  that results from a larger transpiration flow. The sapflow data demonstrated 340 similar responses to those predicted by the model: 1) that variation in ET<sub>0</sub> and  $\Psi_{soil}$  result in contrasting relationships between T (sapflow) and  $\Psi_{stem}$ , 2) that the sensitivity of the relationship of T to  $\Psi_{stem}$  changes 341 with  $ET_{0}$  (Fig. 7). The prediction of a decreasing  $K_{a}$  and T with soil water deficit is similar to lysimeter 342 343 experiment data where dry downs corresponded to lower transpiration and plant water potentials in peaches 344 and grapes (Johnson et al., 2005; Williams et al., 2012).

Relationships between  $ET_o$  and  $\Psi_{stem}$  have been used to develop baselines, or reference well-watered 345  $\Psi_{\text{stem}}$  values, that account for the effects of evaporative demand on  $\Psi$  to aid irrigation management 346 347 (McCutchan and Shackel, 1992; Ortuño et al., 2006). Such relationships are of great practical value. As a 348 predictor of  $\Psi_{soil}$ , the model showed that stem water potential was similarly sensitive (0.91 to 0.76 MPa change in  $\Psi_{\text{stem}}$  for 1 MPa change in  $\Psi_{\text{soil}}$ ) above a  $\Psi_{\text{soil}}$  of -0.5MPa for any range of ET<sub>o</sub> or soil type (Fig. 349 2a,b and Fig. 3). Thus it seems reasonable to use  $\Psi_{\text{stem}}$  to predict irrigation scheduling on the basis of limiting 350  $\Psi_{soil}$  down to a  $\Psi_{soil}$  of -0.5MPa. Furthermore, baseline "well-watered" values for  $\Psi_{stem}$ , based upon ET<sub>o</sub> or 351 352 vapor pressure deficit should function well in accounting for the consistent effects of evaporative demand 353 on  $\Psi_{\text{stem}}$ .

However, in more dry soils (< -0.5MPa) there was decreasing sensitivity of  $\Psi_{\text{stem}}$  to  $\Psi_{\text{soil}}$  for clay soils and divergence of sensitivities to variation in ET<sub>o</sub> (Fig. 2a and 3). Sandy loam soils displayed the opposite behavior, increasing sensitivity and sudden divergence of sensitivities to variation in ET<sub>o</sub> under very dry soils (Fig. 2b and 3). The latter behavior is due to the increasing resistance of water flow in dry soils for coarse sandy soils. Thus, baseline "well-watered" values for  $\Psi_{\text{stem}}$  will become more difficult to apply in dry soils where the effects would be non-linear, and would vary based upon soil type.

The use of stem water potential for scheduling irrigation is essentially a trigger, where divergence from a baseline value indicates the need for irrigation to maintain full soil hydration. Thus changing sensitivity of stem water potential to soil hydration will not greatly affect its use as a binary trigger for irrigation, particularly as soil water potentials should rarely be lower than -1MPa in high productivity orchards.
However, changing sensitivity of stem water potential would be important when scheduling irrigation in
severe regulated deficit conditions, or when using plant water potentials in research.

366 When considering orchards grown on sandy or coarse soil types, researchers/growers should be aware 367 of the potential for runaway loss of soil conductivity under conditions of considerable soil water deficit and/or high evaporative demand. This effect is analogous to the runaway cavitation in the xylem of trees 368 369 (Tyree and Sperry, 1988); a very negative water potential in a xylem vessel leads to cavitation of that vessel, 370 in turn the loss of the conductive capacity of the vessel results in a greater burden on the remaining vessels 371 leading to more negative water potentials and more cavitation. Similarly, runaway loss of soil conductivity 372 would occur when large water filled spaces between soil particles will be sucked dry and these high 373 conductivity pathways to the root lost under conditions of negative soil water potentials and/or negative 374 root water potentials caused by high evaporative demand. The loss of the conductive capacity of large pores 375 would then result in more negative water potentials in the roots and soil adjacent to the roots and, in turn, 376 result in loss of conductivity in smaller pores – and runaway conductivity loss. Thus, it is possible, in coarse 377 soils, for a plant to effectively lose contact with the water in the soil around its roots. These effects are 378 limited to soils that have large pore sizes, and would not occur in physiologically meaningful conditions for smaller particle loams and clays. Coarse organic soils would also have the potential for this effect under 379 380 drought conditions (Jones and Tardieu, 1998). These 'runaway soil conductivity' effects are similar to those 381 in Sperry et al. (1998) who predicted that soil can be the limiting segment of the soil-plant system at high 382 flow rates (a maximum transpiration).

Runaway stem xylem cavitation is less likely in almonds, as the percentage of loss of xylem conductivity for almond trees reaches values close to 20% only at  $\Psi_{\text{stem}}$  of -5 MPa (Cochard et al., 2008). In the range of  $\Psi_{\text{stem}}$  commonly observed in the field (0 to -3 MPa) the percentage loss of conductivity is less than 1%. In this context, the avoidance of loss of stem xylem conductivity seems not to be the most important priority in the optimization of stomatal control in almond trees. Leaf conductance may limit water transport to a greater degree in almonds (Hernandez-Santana et al., 2016). However, the negative water potentials needed to result large conductance loss and the larger effect of soil conductivity change led tolimited influence of leaf conductance loss on the results (not shown).

In summary, both a decrease and an increase in transpiration can be theoretically expected as  $\Psi_{\text{stem}}$ decreases depending upon the variation in soil or atmospheric moisture. In reality both behaviors are always superimposed on each other. Thus, the model suggests that in general it may be problematic to predict T from  $\Psi_{\text{stem}}$  without knowledge of  $\Psi_{\text{soil}}$  and  $R_{\text{soil}}$ .

395

#### 396 Utility of ET<sub>0</sub> and a constant crop coefficient for irrigation management

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398 A constant crop coefficient (K<sub>c</sub>) and local grassy reference ET<sub>o</sub> are routinely used for determining how 399 much irrigation water to apply. However, the actual crop coefficient for almonds (K<sub>a</sub>) may be variable with 400 supply and demand, and if so, a constant crop coefficient would be biased. However, the modelling done 401 here shows that  $K_a$  is not a constant and varies with  $ET_o$ , soil water and soil type (Fig. 2). If  $K_a$  served the 402 purpose it is used for, the relationship of K<sub>a</sub> to ET<sub>o</sub> should be flat lines. However, only at  $\Psi_{soil}$  of -1.25 MPa 403 for sandy loam, did  $K_a$  show a constant value irrespective of the level of  $ET_o$ . The limitations of  $K_a$  have been shown elsewhere (Annandale and Stockle, 1994), and thus it seems more appropriate to calculate a 404 405 crop-specific unstressed reference ET rather than using grass ET<sub>o</sub> to account for environmental variability. 406 However, it is remarkable that in wetter soil conditions, and consequently at higher stomatal conductance, the model output shows that K<sub>a</sub> increases strongly as ET<sub>o</sub> rises. This result is likely to be determined by the 407 408 fact that aerodynamic resistance for grass is usually higher than for a crop, particularly a tall crop like 409 almond. Therefore, if the soil water potential is assumed constant, a higher  $ET_0$  day results in a more-than-410 proportionally higher ET<sub>a</sub> and hence in a higher K<sub>a</sub>. A higher ET<sub>a</sub> day can be associated with a lower  $\Psi_{stem}$ (eqn. 2), such conditions could result in both a higher  $K_a$  and a lower  $\Psi_{stem}$ , resulting in the counterintuitive 411 scenario where a lower  $\Psi_{\text{stem}}$  is associated with a higher K<sub>a</sub>. 412

In general, the model results are corroborated by experimental observations at the Belridge site (Fig.
5, 7). Presumably, in those conditions, short-term fluctuations of high evaporative demand were associated

with lower  $\Psi_{\text{stem}}$  and more than proportionally higher ET<sub>a</sub> and hence sapflow velocity. Thus, sapflow shows a negative correlation with  $\Psi_{\text{stem}}$ . On the other hand, in Davis, where a gradual water status recovery occurred over a long period of time, a more flat relationship of sapflow and  $\Psi_{\text{stem}}$  was observed (Fig. 7). In this case,  $\Psi_{\text{stem}}$  appears to be consistent with the output from the model where  $\Psi_{\text{soil}}$  is varied. In the Davis experiment,  $\Psi_{\text{stem}}$  may be mostly influenced by soil wetness, although the variability in ET<sub>o</sub> observed in Davis is larger than what observed in Belridge.

421 In conclusion, the model presented in this work suggests that water potential, despite being a robust index of many physiological processes, appears to be a good predictor of  $\Psi_{soil}$  in well-watered conditions, 422 423 but not with low soil water availability and highly variable atmospheric evaporative demand in almonds. 424 Additionally, the model suggests that baselines for irrigation scheduling may need to be improved to 425 incorporate the role of decreased conductivities in the soil-plant system at low soil and plant  $\Psi$ . 426 Furthermore, the model shows that the use of a constant crop coefficient for almonds does not properly 427 account for atmospheric evaporative demand, particularly in wet soil conditions, and suggests that the use 428 of crop-specific unstressed reference ET appears to be a better solution. Finally, the experimental validation 429 of the model presented in this study is limited and more research is needed to validate the model implications. 430

431

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433

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437

### 438 **Conflict of Interest**

439

440 The authors report no conflicts of interest.

#### 441

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541 Appendix: Full set of equations to describe the coupled soil and atmosphere model 542 543 The empirical linear relationship between stomatal conductance and stem water potential for sunlit ( sun) 544 and shaded (\_sh) leaves (Spinelli, 2015) used in the model is: 545  $g_{sun} = 0.473 + 0.173 * \Psi_{stem}$ 546  $g_{shade} = 0.3161 + 0.12 * \Psi_{stem}$ 547 Where  $\Psi_{\text{stem}}$  is in MPa units,  $g_{\text{sun}}$  and  $g_{\text{shade}}$  units of mol m<sup>-2</sup> s<sup>-1</sup> and are limited by a minimum of 0.02 548 mol m<sup>-2</sup> s<sup>-1</sup>. These equations are based upon measurements on almond trees at a range of sites and conditions 549  $(R^2 = 0.74 \text{ for sunlit leaves and } R^2 = 0.43 \text{ for shaded leaves})$  and is reported in Spinelli (2015). 550 551 552 To obtain canopy conductance  $(g_c)$ , sunlit and shaded leaves conductance's were scaled-up weighting the contribution to LAI (unitless) of each category (Sinclair et al., 1976): 553 554  $g_c = LAI_{sun} g_{sun} + LAI_{shade} g_{shade}$ 555 Canopy conductance was converted from units of mol m<sup>2</sup> s<sup>-1</sup> to m s<sup>-1</sup> by dividing by the molar volume of 556 air  $V_m = 40 \text{ mol } m^{-3}$  (Jones, 1992). 557 The fraction of LAI of sunlit leaves was obtained assuming a horizontal distribution (Jones, 1992): 558 559  $LAI_{sun} = 1 - e^{-LAI}$ 560 The fraction of shaded leaves was calculated by difference. A mean value of LAI = 3.25 was obtained from Zarate-Valdez et al. (2012). 561 The relationship between transpiration (LE, units W m<sup>-2</sup>) and canopy conductance was obtained 562 from the Big Leaf model (Monteith and Unsworth, 1990): 563

$$T = LE = \frac{\Delta (Rn - G) + \rho C_p g_a (e_{sat(Ta)} - e_a)}{\Delta + \gamma \left(1 + \frac{g_a}{g_{c(\Psi_{stem})}}\right)}$$

E is transpiration (Kg m<sup>-2</sup> s<sup>-1</sup>),  $\Delta$  is the slope of the relationship between vapor pressure and temperature at 565 air temperature (Pa K<sup>-1</sup>), R<sub>n</sub> is net radiation (W m<sup>-2</sup>),  $\rho$  is air density (Kg m<sup>3</sup>), C<sub>p</sub> is air heat capacity at 566 567 constant pressure (1204 J K<sup>-1</sup> Kg<sup>-1</sup>), g<sub>a</sub> is aerodynamic conductance (m s<sup>-1</sup>), e<sub>s(Ta)</sub> is the saturated vapor pressure at air temperature (Pa); ea is air vapor pressure (Pa); L is the latent heat of vaporization (2.26x10<sup>6</sup> 568 J Kg<sup>-1</sup>),  $\gamma$  is the psychrometric constant (67 Pa K<sup>-1</sup>) and g<sub>c(Ystem)</sub> is canopy conductance (m s<sup>-1</sup>) as a function 569 570 of plant  $\Psi$ . The model is based upon the calculation that soil evaporation is a minor component of total ET in a high LAI almond orchard. For five year old almonds, microjet sprinklers operating every 2 or 3 days 571 resulted in soil evaporation of 0.5 to 1 mm day-1 (Koumanov et al., 1997), which was approximately 8.5 to 572 17% of total ET. In the mature orchards studied here having greater canopy cover of the soil, and with 573 574 longer periods between irrigation, it is expected that soil evaporation would be a smaller percentage of the 575 total orchard ET. Specifically, the energy-limited evaporation rate would result in higher evaporation for a 576 limited period after soil wetting, and then the water movement-limited phase of soil evaporation would occur for most of the period between the weekly irrigation events (Ritchie, 1972) resulting in relatively low 577 contribution of soil evaporation to ET. In these circumstances, it seems valid to assume that transpiration 578 579 is approximated by ET.

The slope of the vapor pressure and temperature relationship ( $\Delta$ , units Pa K<sup>-1</sup>) was obtained as: 580

581

582 
$$\Delta = \frac{4.098 \, 10^6 \left(0.6108 \exp(\frac{17.27 \, T_{air^\circ C}}{T_{air^\circ C} + 237.3})\right)}{(T_{air^\circ C} + 237.3)^2}$$

583

Saturated air vapor pressure as a function of air temperature ( $e_{sat(Ta)}$ , units kPa) was obtained from Tetens 584 (1930): 585

586

587 (1727T)

588 
$$e_{sat(Ta)} = 0.6108 * \exp\left(\frac{17.27 T_{air^{\circ}C}}{T_{air^{\circ}C} + 237.3}\right)$$

The relationship between stem water potential ( $\Psi_{stem}$ , units MPa) and transpiration (LE, units W m<sup>-2</sup>) was 590 591 obtained rearranging the classic equation from van den Honert (1948):

592

$$\Psi_{stem} = \Psi_{soil} - (LE R_{tot})$$

where  $R_{tot}$  (W MPa<sup>-1</sup> m<sup>-2</sup>) is the total resistance of the soil-plant system from the bulk soil to the stem. 594

- This resistance was obtained experimentally forcing  $\Psi_{\text{stem}} = 0$  MPa at LE = 0 W m<sup>2</sup> and  $\Psi_{\text{stem}} = -1.2$  MPa 595 596 at  $LE = 700 \text{ W} \text{ m}^2$ . The first point is derived from theoretical considerations, while the second reflects the 597 typical values observed in summer at midday in California for almonds in a well irrigated soil.
- The soil-plant water transport system was modeled as a two-segment pathway with two 598

resistances in series, R<sub>p</sub>, resistance in the plant and R<sub>soil</sub>, resistance in the soil, both with units of W MPa<sup>-1</sup> 599

m<sup>-2</sup>: 600

- 601
- $R_{tot} = R_p + R_{soil}$ 602

Bulk soil saturated hydraulic conductivity was converted to units of W MPa<sup>-1</sup> m<sup>-2</sup> using the latent heat of 603 vaporization (L=2.26  $10^6$  J Kg<sup>-1</sup>) and water density ( $\rho_w = 10^3$  Kg m<sup>-3</sup>). The effects of soil water potential 604 605 in limiting soil conductivity was modeled using the equation given in Campbell and Norman (1998):

606

607
$$K_{(\Psi soil)} = K_s \left(\frac{\Psi_e}{\Psi_{soil}}\right)^{2+\frac{3}{b}}$$

608 A value of -0.0091 or -0.0598 MPa was used for  $\Psi_e$  (air entry value of the soil for sandy loam and 609 clay, respectively) and 3.31 or 14.95 was used for the parameter b, and 53.2 or 1.69 for K<sub>s</sub>, respectively (Campbell and Norman, 1998). To obtain bulk soil resistance (Rsoil) the inverse of Kysoil was taken. The 610  $K_{(\Psi soil)}$  was scaled to the soil volume root geometry using the conversion of Sperry et al. (1998): with root 611 length density, 10000 m of root m<sup>-3</sup>; soil depth, 0.5m; and root radius, 1mm. The  $\Psi_{soil}$  used for K<sub> $\Psi$ soil</sub> was 612 taken as the geometric mean of  $\Psi_{root}$  and bulk  $\Psi_{soil}$ . Once soil resistance for a wet soil was obtained from 613

- 614 the equations above, plant resistance in absence of cavitation ( $R_p$ , units MPa m<sup>2</sup> W<sup>-1</sup>) was obtained from
- 615 the difference:

$$R_p = R_{tot} - R_{soil} \tag{617}$$

618 Plant resistance was kept constant.

Symbol	Quantity	Unit
b	Exponent of the soil moisture release equation	Unitless
C <sub>p</sub>	Air heat capacity at constant pressure	1204 J K <sup>-1</sup> Kg <sup>-1</sup>
e	base of the natural logarithm	2.71828 Unitless
ea	Air vapor pressure	Pa
esat(Tair)	Saturated vapor pressure at air temperature	Pa
ga	aerodynamic conductance	m s <sup>-1</sup>
gc	canopy conductance	m s <sup>-1</sup>
gs	stomatal conductance	m s <sup>-1</sup>
g <sub>sun</sub>	stomatal conductance of sunlit leaves	mol m <sup>2</sup> s
gshade	stomatal conductance of shaded leaves	mol m <sup>2</sup> s
G	Ground heat flux	W m <sup>-2</sup>
Ka	Crop coefficient, ratio of actual to reference ET	Unitless
Ks	Soil saturated conductivity	W MPa <sup>-1</sup> m <sup>-2</sup>
K <sub>(Ψsoil)</sub>	Soil conductivity as a function of $\Psi_{soil}$	W MPa <sup>-1</sup> m <sup>-2</sup>
LAI	Leaf area index	Unitless
LE	Transpiration or Latent heat flux	W m <sup>-2</sup>
R <sub>n</sub>	Net radiation	W m <sup>-2</sup>
R <sub>p</sub>	plant hydraulic resistance	W MPa <sup>-1</sup> m <sup>-2</sup>
R <sub>soil</sub>	soil hydraulic resistance	W MPa <sup>-1</sup> m <sup>-2</sup>
R <sub>tot</sub>	hydraulic resistance of the soil-plant system	W MPa <sup>-1</sup> m <sup>-2</sup>
Ta	Air temperature	К
$T_{air^{\circ}C}$	Air temperature in Celsius	°C
γ	Psychrometric constant	67 Pa K <sup>-1</sup>
Δ	Slope of the vapor pressure and temperature relationship	Pa K <sup>-1</sup>
ρ	Air density	Kg m <sup>-3</sup>
Ψe	Soil air entry value	MPa
$\Psi_{ m soil}$	Soil water potential	MPa
$\Psi_{\text{stem}}$	Midday stem water potential	MPa

## **Table 1** Variables and units used in the model

#### 628 Figure legends

629 Fig. 1 A coupled model of demand and supply effects on the response of transpiration (T) to plant water potential ( $\Psi_{stem}$ ). Demand effects assume a monotonic relationship between stomatal conductance in the 630 631 sun and shade ( $g_{sun}$  and  $g_{shade}$ ) and  $\Psi_{stem}$  (1), and a scaling relationship to calculate canopy conductance (2). 632 Based upon the Penman-Monteith model, demand side variation in atmospheric conditions result in a 633 negative response of T to  $\Psi_{stem}$  (panel a). The supply effects can be based upon cavitation effects on stem 634 resistance (3; R<sub>stem</sub>; these effects were not used in this model) and effects on soil resistance (4) due to variation in water potential between the bulk soil ( $\Psi_{soil}$ ) and root surface ( $\Psi_{root surface}$ ). Based upon the SPAC 635 636 hydraulic model the supply effects result in a curved positive relationship (panel b). The predicted relationships are for clay, where little effect of soil conductance is expected. The full model is detailed in 637 638 the Appendix.

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**Fig. 2** Response of transpiration (panel a and b) or modelled crop coefficient ( $K_a = T/ET_o$  of a grassy reference; panel c and d) under conditions of varying  $\Psi_{soil}$  and  $ET_o$  for two soil types (clay: panels a and c; sandy loam: panels b and d). These points are the predictions of the model encapsulated in eqn. 1 and 2, and run for four levels of  $ET_o$  (varying air temperature) and eight levels of soil water potential.

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**Fig. 3** Change in sensitivity of  $\Psi_{\text{stem}} (\Delta \Psi_{\text{soil}})$  in response to variation in  $\Psi_{\text{soil}}$  and ET<sub>o</sub> for two soil types. Data are the same as in Fig. 2.

**Fig. 4** A positive relationship between transpiration and stomatal or canopy conductance under varying  $\Psi_{soil}$  and a negative relationship under varying ET<sub>o</sub> for a constant  $\Psi_{soil}$ . These data are the same as Fig. 2, restricted to the highest ET<sub>o</sub> (and  $\Psi_{soil}$  varied) or a  $\Psi_{soil}$  of -0.5 MPa (and ET<sub>o</sub> varied). The contrasting

behavior of supply (circles) and demand (triangles) responses of transpiration to canopy conductance isevident at higher conductance.

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654	Fig. 5 Temporal pattern of daily cumulative sapflow velocity and stem water potential ( $\Psi_{stem}$ ) of three
655	trees at the Belridge site (a) and temporal pattern of grass reference evapotranspiration (ET <sub>o</sub> , from FAO
656	56, Allen et al., 1998) and almond reference evapotranspiration for midday conditions in Belridge (b).
657	Irrigation water applied and the baseline for stem water potential are also indicated. The soil water
658	potential ( $\Psi_{soil}$ ) was estimated to illustrate when soil moisture was limiting.

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**Fig. 6** Temporal pattern of daily cumulative sapflow velocity and stem water potential ( $\Psi_{stem}$ ) of three trees at the Davis site (a) and temporal pattern of grass reference evapotranspiration (ET<sub>o</sub>, from FAO 56, Allen *et al.*, 1998) and almond reference evapotranspiration for midday conditions in Davis (b). Irrigation water applied and the baseline for stem water potential are also indicated. The soil water potential ( $\Psi_{soil}$ ) was estimated to illustrate when soil moisture was limiting.

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**Fig. 7** Sap flow velocity relationship with stem water potential for tree 26 in Davis (circles) undergoing rehydration from water deficit, tree 22 in Davis under soil water deficit and varying ET<sub>o</sub> (Fig. 6), and three trees in Belridge (squares) with uniform irrigation and low variation in ET<sub>o</sub> (Fig. 5). Dashed lines are fitted relationships between sap flow and water potentials for two constant ET<sub>o</sub> values (averages for the two sites) derived from a multiple regression analysis: sap flow = -879 - 317\* $\Psi_{\text{stem}}$  + 3.45\*ET<sub>o</sub> + 0.98\*ET<sub>o</sub>\* $\Psi_{\text{stem}}$  with *P* < 0.001, *P* < 0.001 and *P* = 0.029 for each factor, respectively.





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