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Model-based X-ray Induced Acoustic Computed Tomography

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Abstract— X-ray induced acoustic computed tomography (XACT) provides X-ray absorption based contrast with acoustic detection. For its clinical translation, XACT imaging often has a limited field of view. This can result in image artifacts and overall loss of quantification accuracy. In this article, we aim to demonstrate model-based XACT image reconstruction to address these problems. An efficient matrix-free implementation of the regularized LSQR (MF-LSQR) based minimization scheme and a non-iterative model back-projection (MBP) scheme for computing XACT reconstructions have been demonstrated in this paper. The proposed algorithms have been numerically validated and then employed to perform reconstructions from experimental measurements obtained from an XACT setup. While the commonly used back-projection algorithm produces limited-view and noisy artifacts in the region of interest, model-based LSQR minimization overcomes these issues. The model based algorithms also reduce the ring artifacts caused due to the non-uniformity response of the multichannel data acquisition. Using the model-based reconstruction algorithms, we are able to obtain reasonable XACT reconstructions for acoustic measurements of up to 120° view. Although the MBP is more efficient than the model-based LSQR algorithm, it provides only the structural information of the region of interest. Overall, it has been demonstrated that the model-based image reconstruction yields better image quality for XACT than the standard back-projection. Moreover, the combination of model-based image reconstruction with different regularization methods can solve the limited view problem for XACT imaging (in many realistic cases where the full-view dataset is unavailable) and hence pave the way for the future clinical translation.

Index Terms—X-ray induced acoustic tomography (XACT), model-based image reconstruction, Biomedical imaging, regularization, least-squares problem, model back-projection.

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I. INTRODUCTION

Ever since their discovery, X-rays have been instrumental in biomedical research. X-rays are not only used for imaging and revealing tissue morphology through computerized tomography (CT) scans [1]-[3], but also for treating tumors with radiation therapy [4],[5]. However, an excess of X-ray exposure may lead to DNA mutations that can cause cancer [6], and hence, regular CT scans can be harmful. Therefore an imaging modality that induces low radiation exposure of patients is desirable. X-ray induced acoustic computed tomography (XACT) is a contemporary approach for biomedical imaging that employs X-ray excitation and acoustic detection, invented to address the challenges in traditional X-ray imaging. Time-varying X-ray radiation, when absorbed by materials, leads to an increase in local temperature (\sim mK) causing thermoelastic expansion which generates ultrasound (US) [1]. Unlike X-rays, X-ray induced acoustic (XA) waves are omnidirectional and hence a three-dimensional image can be obtained from pulsed X-ray excitation thus reducing the radiation exposure required for imaging an organ. Due to the low scattering of X-rays in tissue, X-ray induced acoustic computed tomography (XACT) [7]-[10] can facilitate deep imaging and hence has numerous potential clinical applications such as radiation dosimetry [11] and bone density evaluation for osteoporosis assessment [12].

Generation of pressure waves caused by X-ray absorption was first reported in 1983 [13]. The pressure source and hence the pressure waves were hypothesized to carry the information about the internal properties of the material and therefore the collected pressure signals could be employed to study these properties. The first ultrasound emission following X-ray absorption (by water) in a therapeutic setting was demonstrated in 1991 [14]. The ultrasonic transducer used for collecting the XA signal was placed perpendicular to the direction of the X-ray beam. It was reported that with 34 Gy X-ray exposure, detectable XA signals were obtained as far as 13 cm from the beam. These experiments indicated the possible clinical applicability of the X-ray induced ultrasound. The next two decades saw very little research in this field. The interest in X-ray induced ultrasound was revitalized in 2013 when the first XACT image was reported by Xiang et al. [7]. Pulsed X-rays generated from a medical linear accelerator (LINAC) were used to irradiate a chicken breast with a lead rod embedded in it. The XA signals thus produced were collected at multiple positions on a circle by scanning a single transducer. The image reconstruction was performed using the back-projection algorithm and the 2D XACT images were

able to locate the lead target in the tissue. They also demonstrated the linear dependence of the XA signal strength on the radiation dose thus spurring the possibility of radiation dosimetry using XACT which can be advantageous for monitoring and planning radiotherapy. The Monte Carlo simulations [15] used in radiation therapy for treatment planning can be coupled with acoustic propagation simulators (k-wave toolbox [16]) to numerically assess the suitability of XACT for dosimetry [17]. A computational study of the efficacy of XACT for dose monitoring for a human prostate was performed in 2014 [18]. In 2016, simulations were performed by Hickling et al. to study the behavior of the radiation induced acoustic waveforms due to variation in the X-ray energy, target material, and its dimensions [19]. The predicted acoustic waveform properties were found to be reasonably consistent with the experimental observations thus implying that the simulation framework can potentially be used in the study of XACT in different radiotherapy settings. Clinical XACT based dosimetry setups typically employ a clinical Linac X-ray system for irradiating the tissue along with a transducer array for collecting the XA signals. A typical Linac used in the clinics has a pulse width of a few microseconds. While X-rays with nanosecond pulse widths have been reported to generate XA signals more efficiently [20], [21], clinical Linacs have also demonstrated to produce detectable XA signals [7], [17]-[19], [22]-[24]. Initial XACT experiments employed heavy metals, which have high X-ray absorption, as targets [7], [20], [21]. In [22], XA signals following X-ray absorption in water were reported and further employed in the back-projection algorithm to image the X-ray energy deposition in water. XACT for imaging relative radiation dose distribution in real biological tissue (veal liver) was first shown by Lei et al. [25]. The potential of XACT for *in vivo* radiation dosimetry was first demonstrated in [22] and systematic characterization of XACT-based dosimetry was carried out [23]. Another XACT-based dosimetry system was demonstrated by Kim et al. in 2017 [24] where a medical LINAC was used to irradiate a lead sample scanned by a spherically focused transducer to image X-ray energy deposition and later in 2019, an XACT-based imaging device facilitating real-time dosimetry in water was patented [26]. Forghani et al. [27] performed simulations to compare the back-projection (BP) and iterative time-reversal (ITR) algorithms' potential for absolute dosimetry in 3D XACT. They concluded that ITR reconstructions are quantitatively more accurate as compared to the BP counterparts. However, due to the high computational time associated with the ITR algorithm, it has limited clinical applicability. In a recent numerical study [28], the potential of XACT for tracking the X-ray beam and *in vivo* dosimetry during stereotactic partial breast irradiation [29] was examined. Wang et al. carried out simulations to demonstrate the feasibility of using a transperineal (planar) ultrasound transducer array for XACT imaging to monitor prostate radiotherapy [30]. They also developed a workflow for simultaneous, real-time XA and US imaging capturing the dose deposition and the movement of the tissue respectively.

These results foster the feasibility of the clinical translation of XACT based dosimetry. Clinically used linear accelerators can produce sufficiently strong XA signals for tissue imaging. Therefore, the existing radiotherapy set-ups only need to integrate the coupling medium and a transducer-array (detection grid) to adopt XACT-based dosimetry without significantly affecting existing radiotherapy practices.

XACT has also shown the potential for radiological imaging in clinics. XACT imaging of gold fiducial markers (GFMs) which due to high X-ray absorption properties, are used in the clinics for improving visualization of tumors, was presented in [20]. A simulation study for XACT imaging of the human breast to identify microcalcifications, an indicator for cancer development, was presented by Tang et al [31] demonstrating the possibility of diagnosing breast cancer using XACT. In [32], 3D XACT was demonstrated using an XACT system that uses a pulsed X-ray source and a 96-element arc shaped transducer array for acoustic detection. Reconstructions were achieved by employing the back-projection algorithm driven by a graphics processor unit (GPU) which was found to be about 40-times more efficient than the CPU-based BP [33]. Li et al. carried out a computational study of the feasibility of 3D-XACT using a spherical array of transducers [34] and Robertson et al. demonstrated the first XACT imaging of bone where the acoustic measurements were obtained by scanning a transducer and the image reconstruction was performed using time-reversal [35]. Excitation sources for XACT are typically limited to Linacs and portable pulsed X-ray generator tubes. In a recent study, Choi et al. demonstrated the feasibility of XACT using synchrotron X-ray illumination [36].

Each imaging modality has its advantages and limitations. Integrating the information extracted from multiple complementary imaging modalities can offer a better evaluation and visualization of the region of interest. XACT in combination with US imaging was employed for monitoring the alignment of the X-ray beam with respect to the target during the session [37]. Dual modality imaging systems that employ co-registration of real-time dose deposition obtained from XACT with anatomical US images [38], [39] are also being developed.

XACT typically employs the back-projection-based image reconstruction algorithm which can be implemented only for certain detection geometries (i.e. planar, circular, or spherical) [40]. Unlike the back-projection algorithm, model-based algorithms can incorporate experimental attributes (i.e. acoustic inhomogeneity, finite detector size, etc.) and can perform reconstructions for arbitrary data acquisition geometries. In laser induced photoacoustic imaging modality, model-based algorithms have been demonstrated to ameliorate the limited-view and noisy artifacts associated with conventional back-projection algorithms [41], [42].

XACT-based detection often needs an acoustically matching medium (e.g., water) between the object and the detection grid which is generally achieved by immersing the entire object and the detection grid in water [8]-[10]. For such cases, full-view acoustic measurements can easily be

performed. However, for *in vivo* measurements, acoustic data acquisition is often feasible for a partial view only which leads to artifacts in the back-projection reconstructions. In this paper, we introduce the model-based image reconstruction to solve the limited view problem in XACT imaging. Model-based schemes offer the flexibility to incorporate regularization priors to subdue the noisy and limited-view artifacts and hence are known to produce better reconstructions than the back-projection algorithm [40]. To the best of our knowledge, the results presented in this work are the first demonstration of the model-based XACT.

Model-based reconstruction algorithms rely on an accurate forward model relating the X-ray energy deposition (XED) to the boundary acoustic measurements. Model-based three-dimensional reconstruction problems are computationally demanding. To reduce the dimensionality of the tomographic problem, several set-ups employ circular arrays of detectors and corresponding model-based algorithms have been developed to reconstruct a two-dimensional energy deposition map [41], [44]-[54]. Typically, model-based reconstructions are carried out using a model-matrix, which relates the measurements with the initial pressure source (which is proportional to the XED). For problems aiming at large domain and high-resolution reconstructions as well as high data sampling rates, constructing a model-matrix can be slow and memory intensive. Reconstructions presented in this paper were computed iteratively using the LSQR (least squares with QR-factorization) method, which provides the ability to employ functions for on-the-fly computation of matrix-vector products, effectively avoiding storage of the measurement matrix. Computational efficiency was further improved by using a non-iterative reconstruction scheme (model-back-projection (MBP) [42]) and corresponding results from numerical as well as experimental data have been illustrated in the sequel.

The rest of this paper is structured as follows. Section 2 deals with the mathematical formulation of modeling the forward problem as well as the inverse model-based algorithms associated with XACT. The numerical test cases and phantom XACT experiments are described in sections 3 and 4 respectively and the reconstruction results thus obtained are discussed in section 5. The paper is concluded in section 6.

II. MATHEMATICAL FORMULATION

A. Forward Problem

The forward model deals with the prediction of the acoustic fields due to the thermoelastic expansion of the X-ray energy deposition (XED) in the tissue under the assumptions of thermal confinement and zero acoustic attenuation and is based on [40]:

$$\frac{\partial^2 p(\vec{r}, t)}{\partial t^2} - c^2 \nabla^2 p(\vec{r}, t) = \Gamma H(\vec{r}) \frac{\partial \delta(t)}{\partial t}, \quad (1)$$

where $\Gamma (v^2 \beta / C_p)$ is the Gruneisen parameter, v is the speed of sound, β is the volumetric expansion coefficient, C_p is the specific heat at constant pressure and H is the XED

distribution; initial pressure source is the product of the Gruneisen parameter and XED. The solution to Eq. (1) is given by: [41]

$$p(\vec{r}, t) = \frac{\Gamma}{4\pi c} \frac{\partial}{\partial t} \left(\frac{1}{vt} \int_{S(\vec{r}, t)} H(\vec{r}') dS'(t) \right); \quad (2)$$

$$|\vec{r} - \vec{r}'| = vt,$$

where $S'(t)$ denotes a time-dependent spherical surface centered at a detector (located at \vec{r} such that $|\vec{r} - \vec{r}'| = vt$). If the pressure source lies in a plane, Eq. (2) reduces to its 2D analog where the integral in Eq. (2) represents the integration of the pressure distribution in the domain of interest on a circular arc of radius vt as demonstrated in Fig. 1(a).

Setting $\frac{\Gamma}{4\pi v}$ as unity and further solving Eq. (2) can be written as

$$p(\vec{r}, t) = \frac{\partial}{\partial t} \left(\frac{1}{vt} \int_{S(\vec{r}, t)} H(\vec{r}') vt d\theta \right) \quad (3)$$

$$= \frac{\partial}{\partial t} \left(\int_{S(\vec{r}, t)} H(\vec{r}') d\theta \right); \quad |\vec{r} - \vec{r}'| = vt.$$

The region of interest (typically chosen to be a rectangle containing the complete initial pressure source or XED) is discretized into triangular elements (three nodes each) and the initial pressure source is expressed in the nodal basis: $H(\vec{r}) \equiv \underline{h}$. The interpolated value of the initial pressure source $h(\vec{r})$ (at location \vec{r}) inside an element e can be written as [55]

$$h(\vec{r}) = \sum_{k=1}^3 h_k N_k^e(\vec{r}), \quad (4)$$

with N_k^e being the linear basis function³⁹ for the k^{th} node of the element e .

For computation of the integral term, each circular arc is discretized into a sufficiently high number of circular elements as demonstrated in Fig. 1. For ease of computation, the value of the initial pressure source on each of the contributing elements (total M_e elements (say)) has been considered to be constant and equal to the value at its midpoint which is computed using Eq. (4). Therefore the integration in Eq. (2) for the m^{th} detector location and q^{th} time step can be written as:

$$I(\vec{r}_m, t_q) = \int_{S(\vec{r}, t)} H(\vec{r}') d\theta \approx \sum_{i=1}^{M_e} H(\vec{r}_i) \Delta\theta_i$$

$$= \sum_{i=1}^{M_e} \Delta\theta_i \sum_{k=1}^3 h_k N_k^e(\vec{r}_i) \quad (5)$$

$$I^{(m,q)} = \sum_{i=1}^{M_e} \Delta\theta_i [N_1^e \quad N_2^e \quad N_3^e] [h_1 \quad h_2 \quad h_3]^T,$$

where $H(\vec{r}_i)$ denotes the value of the initial pressure source at the midpoint and $\Delta\theta_i$ denotes the angle subtended by the i^{th} contributing element onto the detector point \vec{r}_m . The contribution from all the elements is assembled into sparse vector \underline{v} (size: $N \times 1$), such that the desired integral can be expressed as

$$I^{(m,q)} = \underline{v}^{(m,q)T} \underline{h}; \quad \underline{h} = [h_1, h_2, \dots, h_N]^T. \quad (6)$$

The vectors $\underline{v}^{(m=1,\dots,N_d,q)}$ are stacked to prepare matrix \mathbf{V} and the integral vector consisting of the integral contributions for all the N_d detectors can be written as

$$I^{(m,q)} = \mathbf{V}^{(q)} \underline{h}. \quad (7)$$

Similarly the matrices $\mathbf{V}^{(q=1,\dots,N_t)}$ are stacked to prepare matrix \mathbf{V} and the integral vector consisting of the integral contributions for all the N_d detectors and at all the time samples can be written as:

$$\underline{I} = \mathbf{V} \underline{h}. \quad (8)$$

Using central difference, the time-derivative in Eq. (3) can be approximated as:

$$p(\vec{r}, t) = \frac{\partial}{\partial t} [I(\vec{r}, t)] \approx \frac{I(\vec{r}, t + \Delta t) - I(\vec{r}, t - \Delta t)}{2\Delta t}, \quad (9)$$

and using Eq. (7), the discrete measurements at all the detectors at the q^{th} time step ($t^{(q)} = q\Delta t$), can be expressed as:

$$\underline{p}^{(q)} = \mathcal{M}^{(q)} \underline{h}, \quad (10)$$

Where

$$\mathcal{M}^{(q)} = \left[\frac{\mathbf{v}^{(q+1)} - \mathbf{v}^{(q-1)}}{2} \right]. \quad (11)$$

Matrices $\mathcal{M}^{(q=1,\dots,N_t)}$ are stacked to prepare matrix \mathbf{M} (size: $(N_d \cdot N_t) \times N$) and the complete measurement vector \underline{p} (size: $(N_d \cdot N_t) \times 1$) is written as:

$$\underline{p} = \mathbf{M} \underline{h}. \quad (12)$$

B. Inverse Problem

The inverse problem is to reconstruct the X-ray energy deposition (XED) distribution (\hat{h}) from the time-domain boundary pressure measurements (\underline{p}_{meas}) and corresponding regularized least-squares (LS) problem can be expressed as [41], [42]

$$\hat{h} = \arg \min_{\underline{h}} \|\underline{p}_{meas} - \mathbf{M}\underline{h}\|_2^2 + \lambda^2 \|\mathbf{R}\underline{h}\|_2^2, \quad (13)$$

where $\|\cdot\|_2$ denotes the L^2 -norm. \mathbf{R} is the regularizer matrix with λ being the regularization parameter; for Tikhonov regularization $\mathbf{R} = \mathbf{I}$ (\mathbf{I} being the identity matrix) and for Laplacian regularization $\mathbf{R} = \mathbf{L}$ (\mathbf{L} being the incidence matrix; $\mathbf{L}^T \mathbf{L}$ is the discrete Laplacian operator). The LS minimizer to Eq. (13) is given as:

$$\hat{h} = (\mathbf{M}^T \mathbf{M} + \lambda^2 \mathbf{R}^T \mathbf{R})^{-1} \mathbf{M}^T \underline{p}_{meas}. \quad (14)$$

For certain problem settings (with large domain size, fine spatial discretization and high sampling frequency), constructing \mathbf{M} requires huge computational time and memory, and hence solving Eq. (14) becomes impractical.

Therefore, Eq. (13) is solved iteratively using LSQR algorithm, which utilizes routines computing matrix-vector products $\mathbf{M}\underline{u}$ and $\mathbf{M}^T \underline{v}$ on-the-fly instead of constructing the measurement matrix \mathbf{M} .

Algorithm 1: Matrix free computation of $\mathbf{M} \underline{u}$

```

procedure Computing  $\underline{p} = \mathbf{M}\underline{u}$ ;
   $\underline{p} = []$  (initialization by null-vector)
  for  $i_d = 1$  to  $N_d$  do
     $\underline{e} \leftarrow \tilde{\mathbf{E}}\{i_d\}$ ;  $\underline{t} \leftarrow \tilde{\mathbf{T}}\{i_d\}$ ;  $\mathbf{N} \leftarrow \tilde{\mathbf{N}}\{i_d\}$ 
     $\mathbf{R} \leftarrow t(\underline{e}, :)$ 
     $\mathbf{H} \leftarrow \underline{u}(\mathbf{R})$ 
     $\mathbf{V} \leftarrow \mathbf{N} * \mathbf{H}$ ;  $\underline{J} \leftarrow \sum_{t=1}^3 \mathbf{V}(:, 3)$ 
     $\underline{I} = \text{sparse}(1, \underline{t}, \underline{J}, 1, N_t)$ 
     $\underline{p} \leftarrow [\underline{p}^T, \frac{I(2:N_t) \cdot 0 - [0 \ I(1:N_t-1)]}{2}]^T$ 
  end for
  return  $\underline{p}$ 
end procedure

```

Algorithm 2: Matrix free computation of $\mathbf{M}^T \underline{u}$

```

procedure Computing  $\underline{q} = \mathbf{M}^T \underline{v}$ ;
   $\underline{q} = \text{zeros}(\text{Nodes}, 1)$  (initialization by zero-vector)
  for  $i_d = 1$  to  $N_d$  do
     $\underline{e} \leftarrow \tilde{\mathbf{E}}\{i_d\}$ ;  $\underline{t} \leftarrow \tilde{\mathbf{T}}\{i_d\}$ ;  $\mathbf{N} \leftarrow \tilde{\mathbf{N}}\{i_d\}$ 
     $\underline{u}_d \leftarrow [\mathbf{U}(i_d, :)]^T$ 
     $\underline{u}_2 \leftarrow \left[ \frac{\underline{u}_d(\underline{t}-1) - \underline{u}_d(\underline{t}+1)}{2} \right]^T$ 
     $\mathbf{P} \leftarrow [\underline{u}_2, \underline{u}_2, \underline{u}_2]^T$ 
     $\mathbf{G} \leftarrow [\mathbf{N}^T * \mathbf{P}]$ ;
     $\mathbf{R} \leftarrow [t(\underline{e}, :)]^T$ 
     $\underline{q} \leftarrow \underline{q} + [\text{sparse}(1, \mathbf{R}(:, :), \mathbf{G}(:, :), 1, \text{Nodes})]^T$ 
  end for
  return  $\underline{q}$ 
end procedure

```

In order to compute $\mathbf{M}\underline{u}$ and $\mathbf{M}^T \underline{v}$ during LSQR iterations efficiently, the following set of quantities were computed and stored in MATLAB cells:

1. $\tilde{\mathbf{E}}\{i_d = 1, \dots, N_d\}$: Each cell contains the spatial element numbers in which the mid-points (quadrature points) of the contributing circular elements for a detector at all the time-samples lie in.
2. $\tilde{\mathbf{N}}\{i_d = 1, \dots, N_d\}$: Each cell contains the elemental interpolation function values corresponding to these quadrature points and elements.
3. $\tilde{\mathbf{T}}\{i_d = 1, \dots, N_d\}$: Each cell contains the time-samples corresponding to these quadrature points.

The algorithms for computing on-the-fly matrix-vector

products $\mathbf{M}\underline{u}$ and $\mathbf{M}^T\underline{v}$ are provided in algorithms 1 and 2 respectively. A model back-projection (MBP) reconstruction has been proposed by Ding et al. [42], which is given by:

$$\hat{\underline{h}} = \mathbf{M}^T \underline{p}_{meas}. \quad (15)$$

This solution represents a highly (Tikhonov) regularized reconstruction. It needs to be noted that MBP reconstructions require a single matrix-vector product computation (algorithm 2) and hence are much faster than the iterative model-based reconstruction algorithms.

III. NUMERICAL STUDIES

A. Model-matrix based XACT Algorithm (MB-XACT)

Numerical studies were performed to validate the proposed reconstruction schemes. For the first numerical experiment, we consider a square of side length 2 cm as the region of interest (ROI). A circle of radius 5 cm, concentric with the ROI is considered as the detection array (Fig. 1(b)) with 128 detection-points uniformly distributed on its circumference. The full- and partial-view detection geometries are demonstrated in Fig. 1(b). The pressure source chosen for this study (true phantom-I) is shown in Fig. 1(c).

To simulate the pressure signals (mimicking experimental measurements) the ROI was discretized into triangular elements with a grid resolution of $h = 100\mu\text{m}$ and each arc of integration (Fig. 1(a)) was divided into $N_q \approx 1000$ quadrature elements. The numerical acoustic signal at each detector was recorded for a total of 410 time-samples at $F_s = 8\text{ MHz}$ sampling frequency, and white Gaussian noise was added to obtain signals with 5 dB SNR. To perform the unregularized and Laplacian-regularized reconstructions in the ROI, the model-matrix was constructed with $h = 200\mu\text{m}$ and $N_q \approx 1000$, and reconstructions were obtained using Eq. (14).

The model-matrix-based LSQR (MB-LSQR) unregularized (Unreg-LSQR) and Laplacian regularized (Lap-LSQR) reconstructions along with the back-projection reconstructions for phantom-I are shown in Fig. 2 and corresponding computation time (τ) and correlation coefficients (ρ) [56] are provided in Table 1. The reconstructions were performed using full-view (360°) as well as partial-view (180° and 120°)

detection geometries as demonstrated in Fig. 1(b). As expected, the back-projection algorithm is computationally the most efficient and the structures in the cross-section are reconstructed well. However, not only do the back-projection reconstructions fail to provide the quantitative information of the cross-section, but they also carry limited view as well as noisy artifacts and hence yield low correlation coefficients with respect to the true phantom. For all the test cases, Laplacian regularization helped to reduce the noisy artifacts in the reconstruction and yield smoother images. This is also reflected in the relatively higher ρ values for the Laplacian-regularized reconstructions than their unregularized counterparts. For partial-view ($<180^\circ$) measurements, the visibility of structures oriented perpendicular to the detection grid is known to be adversely affected [52], [57], as is also evident in Fig. 2(c,f). While for both the 360° and 180° view measurements (Fig. 2(a,b,d,e)), both the unregularized and Laplacian-regularized algorithms reconstruct all the structures of the phantom reasonable well, for the 120° view measurement neither can reconstruct the lower rectangle (oriented normal to the detection grid) due to missing data.

B. Model-matrix free XACT Algorithm (MF-XACT)

In the second numerical experiment, the size of the ROI was chosen to be $2.5\text{ cm} \times 2.5\text{ cm}$; the initial pressure source is depicted in Fig. 1(d). The detection geometry was chosen to be the same as the previous numerical experiment. Due to the sharper structures in the initial pressure source, the measurements were computed at a higher spatial resolution $h = 30\mu\text{m}$, a higher sampling frequency ($F_s = 20\text{ MHz}$), and a higher number of quadrature points ($N_q \approx 2000$) than the first numerical experiment. The size of the structures in the ROI decides the frequency content in the signal. Thinner structures result in high frequency content and hence need higher sampling frequencies. Gaussian noise was added to obtain data with 5 dB SNR. For this problem setting, model-based reconstructions were performed with $h = 60\mu\text{m}$ and $N_q \approx 500$ without explicitly constructing \mathbf{M} .

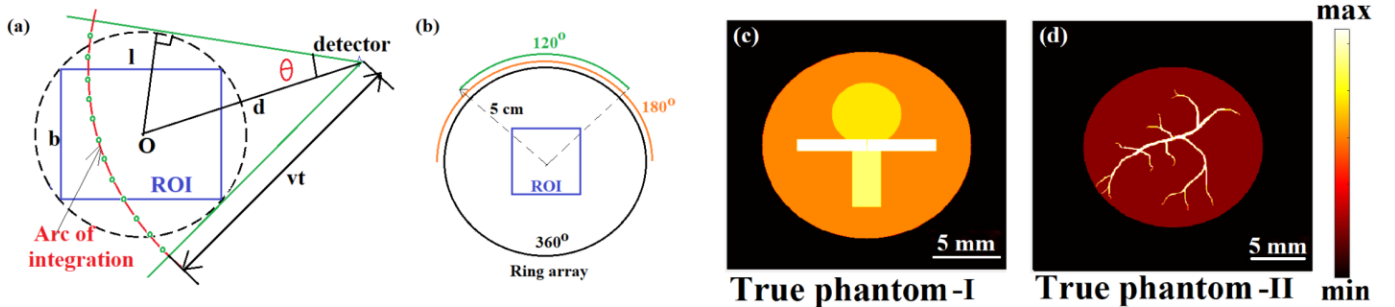


FIG. 1. (a) Arc of integration for a detector at distance d from the center of the ROI at time t and corresponding range of θ . The quadrature points on the arc are denoted by small circles. (b) Full and limited-view detection geometries, and the cross-sections of the initial pressure sources (c) I and (d) II.

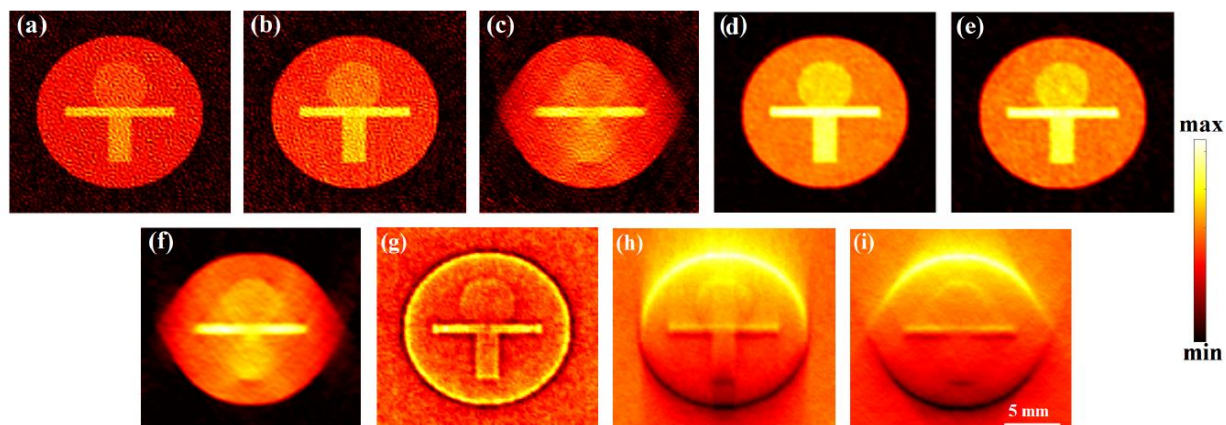


FIG. 2. Unregularized (a,b,c) and Laplacian-regularized (d,e,f) model-matrix-based reconstructions and back-projection reconstructions (g,h,i) obtained from 360° , 180° and 120° views, respectively.

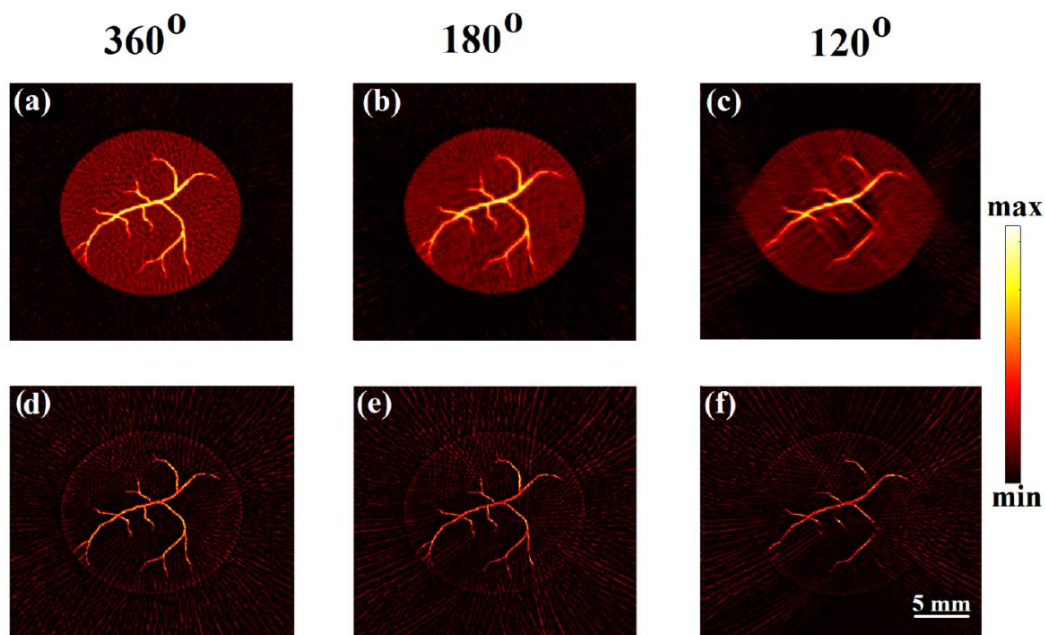


FIG. 3. Model-matrix free reconstruction results: Laplacian-regularized (first row: a,b,c) and model-back-projection (second row: d,e,f) reconstructions obtained from 360° , 180° and 120° views, respectively.

MF-LSQR and MBP reconstructions corresponding to full and partial-view noisy measurements for phantom-II are demonstrated in Fig. 3 and corresponding computation time (τ) and correlation (ρ) with respect to the true phantom are tabulated in Table 1. For the 360° and 180° view measurement data, all the structures are reconstructed reasonably well (Fig. 3(a,b,d,e)), but for the 120° view, the structures normal to the detection grid are poorly reconstructed - a trend also observed

in numerical experiment-I.

While both these model-based algorithms are able to provide reasonably good structural information of the phantoms, the MF-LSQR demonstrates better quantitative accuracy than the MBP algorithm which is reflected in lower ρ values for MBP reconstructions with respect to their MF-LSQR counterparts. Moreover, Laplacian regularization enabled MF-LSQR to render smoother reconstructions than the MBP reconstructions which carry streak artifacts.

However, it needs to be noted that while MF-LSQR is an iterative algorithm, MBP is not and hence takes less computational time to produce the reconstructions. Both these matrix-free model-based algorithms need to precompute the quantities $\tilde{\mathbf{E}} (i_d = 1, \dots, N_d)$, $\tilde{\mathbf{N}} (i_d = 1, \dots, N_d)$, and $\tilde{\mathbf{T}} (i_d = 1, \dots, N_d)$ (as mentioned in section 2.2), which takes about 8, 6.7, and 5.7 seconds respectively for the 360° 180° and 120° view measurement settings. The MF-LSQR algorithm takes about 10-15 LSQR iterations to produce reasonable reconstructions. Each LSQR iteration needs one computation of $\{\mathbf{M}\underline{u}, \mathbf{M}^T\underline{v}\}$ each which takes $\sim\{1.5, 2\}$ seconds, $\sim\{1.1, 1.5\}$ seconds, and $\sim\{1.0, 1.3\}$ seconds respectively for the 360°, 180° and 120° views. The MBP algorithm requires a single $\mathbf{M}^T\underline{v}$ computation and hence takes ~ 20 folds less time (after computing $\tilde{\mathbf{E}}, \tilde{\mathbf{N}},$ and $\tilde{\mathbf{T}}$) as compared to the MF-LSQR reconstruction algorithm.

Moreover, in section IIIA, the model-based reconstructions require constructing and storing the model-matrix (size: (number of detectors x number of time samples) x number of nodes in the reconstruction domain). For high sampling frequencies, constructing the model matrix can take huge computation time and its storage may demand huge memory. Therefore, the studies performed in section IIIA are carried out for low (8 MHz) sampling frequency.

This section demonstrates the LSQR reconstructions obtained in a model-matrix free approach. This approach does not need the model-matrix explicitly, and hence computations can be performed for higher sampling frequencies.

IV. XACT EXPERIMENTAL VERIFICATION

After numerical validation of the proposed model-based algorithms, these schemes were employed to obtain XACT reconstructions from experimental measurements. Fig. 4 shows the schematic of the XACT experimental setup [10].

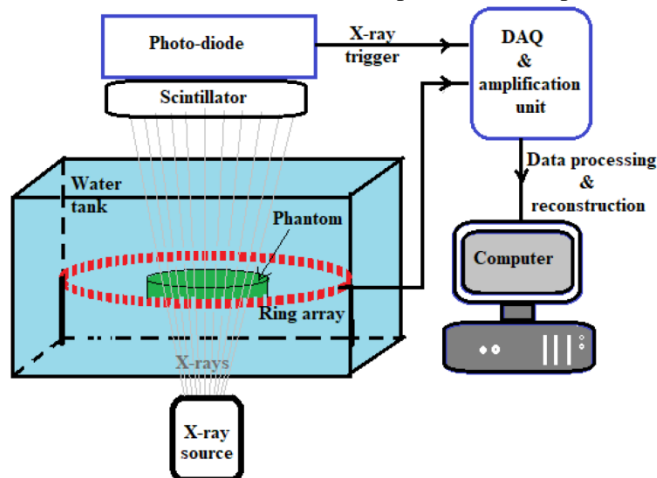


FIG. 4. Schematic of XACT experimental setup.

This XACT set up employs a 128-element ring array transducer (radius 5cm; Doppler Electronic Technologies Co. Ltd., Guangzhou, China) with 5 MHz central frequency and 60% bandwidth for sensing the XA waves. A target in ‘T’

shape, made of a 1/64 inch thick lead sheet was fixed at the center of a 3% gelatin water-based phantom. The phantom was placed at the center of the ring-array inside of a water tank and a pulsed X-ray generator (XR200, Golden Engineering, USA) with the tube energy of 150 kVp, pulse repetition rate of 10 Hz, and pulse width of 50 ns, was used to excite the phantom. The X-ray beams emitted from the X-ray generator carried an average dose of ~ 2.6 mR/pulse with a divergence angle of 40°. The XA waves are sensed by the transducer elements and sent to the amplification and data acquisition unit. The X-ray beams exiting the water tank were converted into visible light photons by a Ce:Lu₂SiO₅ crystal (MTI Corporation, USA) scintillator which were converted to voltage pulses by an integrated amplified photodetector (APD410C, Thorlab USA) and sent as the trigger pulses to the amplification and data acquisition system. The collected XA signals were averaged over 1500 pulses and the MF-LSQR and MBP-based XACT reconstructions were performed.

Model-based (MF-LSQR and MBP) and back-projection (BP) algorithms were employed on the full and partial-view (Fig. 5(b)) XACT measurements for reconstructions which are provided in Fig. 5(c-k) and corresponding computation time and contrast-to-noise ratios (CNR) [48] are tabulated in Tab. 1. While all the algorithms are able to reconstruct the target, the back-projection reconstructions (MBP (Fig. 5(d,f,h)) and BP (Fig. 5(i,j,k))) carry more noisy artifacts and hence have lower CNRs as compared to their MF-LSQR (Fig. 5(c,e,g)) counterparts. Non-uniform response associated with multi-channel data acquisition (DAQ) for ring-array transducers results in vertical lines in the XA sinogram. Vertical lines in sinograms form ring artifacts in reconstructions [58]. Both, the Laplacian and Tikhonov regularizers have a smoothing effect on the reconstructions. Therefore, the Laplacian regularized MF-LSQR and the highly Tikhonov regularized MBP algorithm manage to suppress the ring artifacts up to a certain extent. However, it needs to be noted that severe ring artifacts cannot be corrected simply by using the regularized reconstruction algorithms; additional signal processing can help to correct in such cases [58].

The artifacts in the reconstructions can be attributed to the electromagnetic interference in data collection as well as the attenuation and distortion of XA waves due to the finite-shaped lead target. Other possible sources of error include the acoustic reflections due to acoustic mismatch between the target and the background, out-of-plane contribution to the XA signal, as well as inaccuracy in the radius and shape of the ring-array.

V. CONCLUSION

We demonstrated model-based algorithms to perform XACT reconstructions for numerical test cases as well as experimental measurements. The first numerical experiment employed the model-matrix (\mathbf{M}) to solve the unregularized as well as Laplacian-regularized least squares problems (Eq. (13)) for low-scale test cases. While both the schemes reconstructed the initial pressure source reasonably well, the unregularized reconstructions were observed to carry noisy artifacts that the Laplacian regularizer was able to ameliorate up to a certain extent. Corresponding back-projection

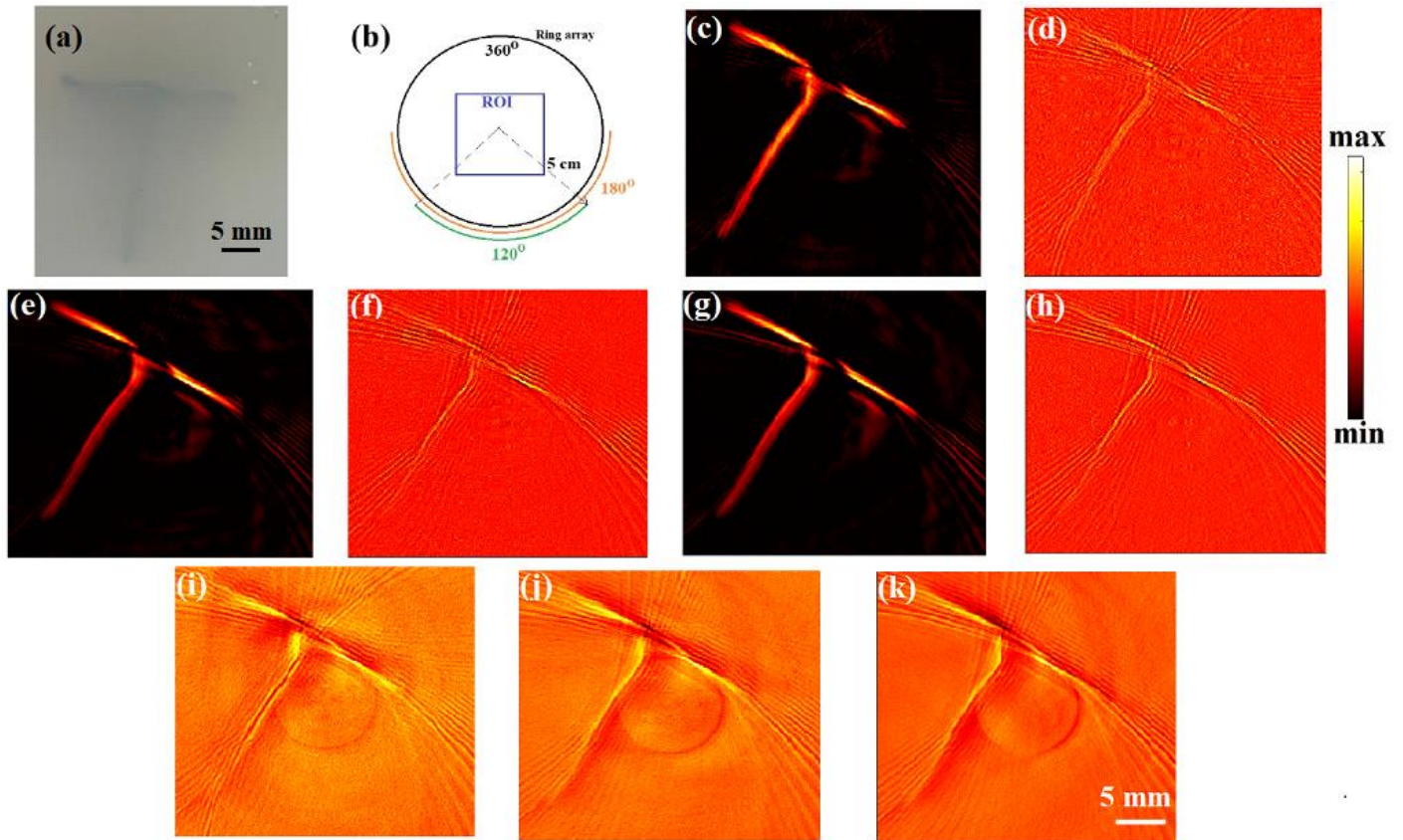


FIG. 5. XACT experimental reconstruction results: (a) true phantom, (b) full and limited-view measurement geometry, and Laplacian-regularized MF-LSQR (c,e,g), model-back-projection MBP (d,f,h), and traditional back-projection (BP) (i,j,k) reconstructions obtained from 360° , 180° and 120° views, respectively.

TABLE. 1. Computation time (τ) and reconstruction quality measures – correlation coefficient (ρ) for numerical and contrast to noise ratio (CNR) for XACT experimental studies

View	MB-XACT						MF-XACT				XACT Experiment					
	BP		Unreg-LSQR		Lap-LSQR		MF-LSQR		MBP		MF-LSQR		MBP		BP	
	ρ	τ (s)	ρ	τ (s)	ρ	τ (s)	ρ	τ (s)	ρ	τ (s)	CNR	τ (s)	CNR	τ (s)	CNR	τ (s)
360°	0.42	0.3	0.93	310	0.99	310	0.95	45	0.49	10	0.83	80	0.31	42	0.35	1.1
180°	0.07	0.2	0.93	160	0.99	160	0.95	35	0.39	8	0.70	55	0.27	27	0.30	0.7
120°	0.06	0.2	0.92	115	0.97	115	0.88	29	0.33	7	0.61	36	0.22	16	0.27	0.5

reconstructions carried limited-view and noisy artifacts while also failing to provide quantitative information about the cross-section thus affirming the superiority of the model-based schemes over back-projection.

Construction of the model-matrix can be expensive in terms of computational time and memory, especially for problems associated with a large region of interest, high resolution, and high sampling frequency. To overcome this issue, algorithms for computing matrix-vector products $\{\mathbf{M}\underline{u}, \mathbf{M}^T\underline{v}\}$ on-the-fly

(without storing \mathbf{M}) have been developed. These algorithms can be passed as function handles in the MATLAB-based LSQR function to solve Eq. (13) iteratively. This scheme was employed in the second numerical experiment to efficiently compute Laplacian-regularized (MF-LSQR) reconstructions.

For the test cases considered in this paper, the MF-LSQR algorithm produces reasonable reconstructions in ~10-15 LSQR iterations and each LSQR iteration needs one set of $\{\mathbf{M}\underline{u}, \mathbf{M}^T\underline{v}\}$ computation. In order to further reduce the computational costs, the model-back-projection (MBP) algorithm which produces highly Tikhonov regularized reconstructions, was employed. MBP is a non-iterative scheme and requires a single $\mathbf{M}^T\underline{v}$ computation. Therefore, it is computationally much more efficient than the MF-LSQR algorithm. Despite both the MF-LSQR and MBP algorithms being able to reconstruct the structures in the cross-section reasonably well, the MBP reconstructions lacked quantitative accuracy and carried more artifacts as compared to their MF-LSQR counterparts. The MF-LSQR and MBP algorithms were further employed to reconstruct a 'T' shaped target (made of lead) embedded in an agar-based phantom from experimental XACT measurements collected by a 128-element ultrasound ring-array and compared with the corresponding BP reconstructions. Both the model-based algorithms produced acceptable reconstructions of the target and were able to significantly reduce the ring artifacts caused by the non-uniformity response of the multichannel data acquisition. The Laplacian regularized MF-LSQR reconstructions carry lesser artifacts than both of the back-projection (MBP and BP) reconstructions.

These results, to the best of our knowledge, are the first model-based XACT reconstructions. While the computationally efficient MBP algorithm can be used to obtain the structural information of the cross-section, MF-LSQR can also be employed in dosimetry-based applications which desire quantitative information of the cross-section.

The results presented in this paper affirm that regularized model-based schemes are advantageous over the conventionally used back-projection algorithms in terms of the quantification accuracy as well as image artifacts. Matrix free implementation of the model-based algorithms potentially enables high resolution and large scale XACT imaging. The algorithms 1 and 2 for computing $\{\mathbf{M}\underline{u}, \mathbf{M}^T\underline{v}\}$ can be accelerated using GPUs to reduce the reconstruction time.

In comparison to the commonly used back-projection scheme, model-based algorithms not only give the ability to employ regularization to improve the reconstructions but also provide the flexibility to incorporate features such as heterogeneous speed of sound distribution, finite detector shape, etc. which will be addressed in future work. Moreover, the strong acoustic mismatch between bone and soft tissue causes acoustic refraction and reflection at the interface. These corrections also need to be integrated in the model-based algorithms for accurate XACT reconstruction and will be the focus of future studies.

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Author Biographies



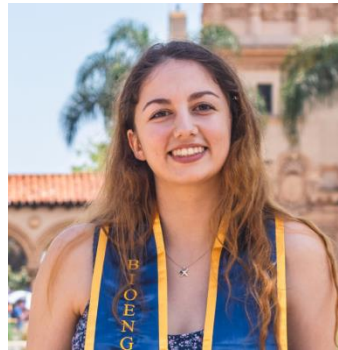
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