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**Journal** Journal of Physical Chemistry B, 129(6)

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# **Publication Date**

2025-02-13

# DOI

10.1021/acs.jpcb.4c04103

Peer reviewed



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Article

# How Rigid Are Anthranilamide Molecular Electrets?

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Cite This: J. Phys. Chem. B 2025, 129, 1750–1759



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**ABSTRACT:** As important as molecular electrets are for electronic materials and devices, conformational fluctuations strongly impact their macrodipoles and intrinsic properties. Herein, we employ molecular dynamics (MD) simulations with the polarizable charge equilibrium (PQEq) method to investigate the persistence length  $(L_p)$  of molecular electrets composed of anthranilamide (Aa) residues. The PQEq-MD dissipates the accepted static notions about Aa macromolecules, and  $L_p$  represents the shortest Aa rigid segments. The classical model with a single  $L_p$  value does not describe these oligomers. Introducing multiple  $L_p$  values for the same macromolecule follows the observed trends and discerns the enhanced rigidity in their middle sections from the reduced stiffness at their terminal regions. Furthermore,  $L_p$  distinctly depends on solvent polarity. The Aa oligomers maintain extended conformational fluctuations reduce  $L_p$  to about 2 nm. These characteristics set key guidelines about the utility of Aa conjugates for charge-transfer systems within organic electronics and energy engineering.



### ■ INTRODUCTION

In addition to their crucial importance for the mechanical integrity of a wide variety of materials and biomaterials, polymers and oligomers can mediate long-range transfer and transport of excitons and charges, such as electrons, holes and protons.<sup>1-4</sup> Hopping along the aromatic bases of doublestranded polynucleotides allows long-range hole transfer with pronounced high efficiency.<sup>5-7</sup> Protein and polypeptide helices mediate electron and hole tunneling at distances limited to a few nanometers.<sup>8–12</sup> Furthermore, these protein helical conformers possess enormous macrodipoles that can rectify the directionality of charge transfer (CT) and aid transmembrane ion transport.<sup>12-18</sup> Bioinspired molecular electrets composed of anthranilamide (Aa) residues, on the other side, have not only substantial macrodipoles, but also aromatic moieties along their backbones that can provide hopping sites for long-range electron and hole transfer.<sup>19</sup>

Electric dipoles are ubiquitous, and they strongly affect CT and the performance of electronic devices. With ordered electric dipole moments, electrets are electrostatic analogues of magnets, making them important components for device design and engineering. Polypeptide helices and Aa oligomers represent electrets where the dipoles are oriented in linear head-to-tail sequences. Layers of molecules with their dipoles aligned in a parallel manner represent another electret architecture. Dipoles of organic molecules, layered at the interfaces of electrical junctions, control the device performance.<sup>25</sup> Similarly, in field-effect transistors (FETs), electrets modulate threshold voltage, enabling the design of low-power devices with long-term stability.<sup>26</sup> Coating inorganic quantum dots with organic dipolar layers presents a strategy for improving

the efficiency of photovoltaic cells.<sup>27,28</sup> In piezoelectric devices, dipoles enhance charge separation under mechanical stress, improving energy conversion efficiency.<sup>29–31</sup>

The conformational dynamics of polymers profoundly affect the efficiency of charge and energy transfer that they mediate. Dihedral rotations and bending of the backbone impact the extent of  $\pi$ -conjugation, the electronic coupling, and the orientation of transition dipole moments. Such conformationally driven transitions between adiabatic (strong coupling) and diabatic (weak coupling) regimes strongly affects charge mobility for transport via incoherent hopping.<sup>7,32,33</sup> The structural dynamics has also profound effects on long-range coherent charge transduction, i.e., occurring via superexchange tunneling mechanism.<sup>34</sup> Conformational fluctuations can induce shifting between constructive and destructive interference among parallel electronic-coupling pathways that lead to variations between efficient long-range CT and a complete shutdown of charge transduction.<sup>35</sup>

Electrostatic interactions play an enormous role in charge transfer, CT, and charge transport (CTr). In the equation for estimating CT thermodynamic driving forces, the Coulomb and Born-solvation terms account for electrostatic interaction, respectively, between the CT species, and between the CT species and the solvating media.<sup>36,37</sup> The theoretical treatment

Received:June 20, 2024Revised:November 13, 2024Accepted:November 14, 2024Published:November 20, 2024







**Figure 1.** Structure of Aa oligomers comprising Box residues. (a) Chemical structure of Box trimer showing the repeating unit spanning 4.2 Å. (b) Conformations from MD for Aaa-Box<sub>n-2</sub>-Aaa oligomers (n = 10, 20, and 40) in Tol, illustrating the flexibility of the macromolecules.

of polarons, which aid charge transduction through solids, has evolved since the 1930s to reach its current level of sophistication.<sup>33</sup> The electrostatic effects on CT and CTr are especially pronounced in low-dielectric constant media, such as organic materials. Coulombic charge trapping at electron-donor–acceptor interfaces is a serious source of losses for organic photovoltaics.<sup>38</sup> Extended charge delocalization provides a means for escaping such Coulomb traps,<sup>29,30,39</sup> warranting improved control over the effects of conformational dynamics on the extent of  $\pi$ -conjugation.

The molecular dynamics also affect bulk properties of materials, such as their dielectric constants,  $\varepsilon$ . Transition from liquid to solid phases lowers  $\varepsilon$  because of the loss in the orientational polarization, i.e., the loss of the ability of dipoles to orient along the external field.<sup>40</sup> Improving the flexibility of dipolar groups in solid materials allows for enhancing  $\varepsilon$ .<sup>41</sup> While high  $\varepsilon$  is beneficial for energy storage, i.e., high-capacity capacitors, and for preventing Coulomb trapping, the beneficial effects of molecular electrets on CT emerge with lowering medium polarity.<sup>15,42,43</sup> Furthermore, while electrets can mediate long-range CT and CTr, they must be insulators. Populating electrets with free changes counters their permanent dipoles, which removes the localized electric fields that make such systems electrets. In this respect, CT electrets resemble biological materials, such as DNA and proteins with sequences of electronically coupled redox centers, that can mediate longrange charge transduction.<sup>6,44-46</sup>

The importance of conformational dynamics for electronic properties of macromolecules and materials cannot be overstated. Persistence length  $(L_p)$  characterizes the conformational flexibility of polymers, which can be modeled as chains of rigid links hinged with flexible joints or as worm-like structures.<sup>47,48</sup> In this respect,  $L_p$  represents the longest stretch of the polymer chain that does not exhibit flexibility.<sup>48–50</sup>

According to broadly accepted notions, the Aa conjugates assume extended conformation supported by hydrogen bonds between the amides (Figure 1).<sup>51</sup> The structural information about these macromolecules, however, originates from work on short oligomers, i.e., dimers and trimers.<sup>21,22,51</sup> Employing molecular dynamics (MD) including polarization and charge rearrangement, implemented using the polarizable charge equilibrium (PQEq) method, allows expanding such studies to Aa structures with lengths exceeding 10 residues.<sup>52–55</sup> Our previous work shows that the macrodipoles of oligomers increase linearly with the oligomer length, strongly affected by solvent polarity and hydrogen-bonding interactions, and exceeding 100 D for conjugates composed of 20 and 40 residues.<sup>52</sup> Considering that organic molecules with dipoles smaller than 5 D can strongly affect the performance of devices,<sup>25,27</sup> the large dipoles of the Aa molecular electrets make them promising candidates for energy and electronic applications. These studies also reveal for the first time enormous fluctuations of the electret dipoles that emerge from solvent dynamics.<sup>52</sup> The dipole of an Aa 40-mer in dichloromethane and acetonitrile, for example, exhibits picosecond variations ranging between about 50 and 600 D.<sup>52</sup> It opens new paradigms of thinking about solvation effects on picosecond processes, such as fast CT.<sup>56</sup>

While the medium dynamics around the solvation cavity drives these dipole fluctuations, they do not occur independently from the variations of the Aa molecular electrets. It warrants improved understanding of the flexibility of the Aa oligomers that persistence length quantifies in a straightforward manner.

Herein, we employ PQEq-MD simulations to study conformational dynamics of Aa macromolecules and characterize their flexibility. Analysis of the MD results reveals that the  $L_p$ of Aa polymers can reach 10 residues, especially for nonpolar media. At the terminal regions, however,  $L_p$  decreases substantially. An increase in solvent polarity enhances the conformational fluctuations resulting in reduced  $L_p$  values.

#### RESULTS

**MD Simulations.** As a typical Aa macromolecule, we focus on conjugates composed of Box residues containing *iso*-butyl ether groups in the side chain (Figure 1a), at which the ether substituents lead to reversible electrochemical oxidation at large positive potentials making them feasible to use for transducing high-energy holes.<sup>57</sup> In comparison, an Aa residue with an *N*-amide at this position (denoted as Aaa) caps both ends of the oligomers due to its covalent connectivity with favorable electronic coupling for hole injection by photoexcited electron acceptors (Figure S1).<sup>42,58</sup>

For Aa oligomers with the Aaa-Box<sub>n-2</sub>-Aaa structure (Figure S1), we examine three conjugates with different lengths (n = 10, 20, and 40) and investigate their dynamic behavior (Figure 1b). Our method allows explicit implementation of solvents with varying polarities: toluene (Tol; weak), dichloromethane (DCM; moderate), and acetonitrile (MeCN; strong). These solvents do not form hydrogen bonds with the backbone amides of the Aa oligomers, which is critical for maintaining structural rigidity.</sub>

In this study, we employ PQEq polarization and charge rearrangement, along with universal nonbonding (UNB) and universal hydrogen bonding (UHB) force fields, to accurately describe nonbonding interactions,<sup>55,59,60</sup> while using a modified universal force field (UFF) for the bonded interactions.<sup>60</sup> Successfully reproducing the dipoles of small aliphatic amides,

which were previously obtained experimentally from impedance spectroscopy and theoretically from quantum mechanics (QM) calculations,<sup>40</sup> provides validation of this methodology.<sup>52</sup> Our previous study reveals that the dynamic behavior of the macrodipoles manifests a clear dependency on both solvent polarity and polymer length and demonstrates an almost linear relationship between the average length of the oligomers, defined as the end-to-end distance, and the number of residues.<sup>52</sup> These oligomers, however, exhibit significant conformational fluctuations in the presence even of non-hydrogen-bonding solvents, as the MD simulations show (Figures 1b and 3d–l). This observation suggests that our understanding of dynamic behavior warrants further elucidation.



**Figure 2.** Depiction of a segment of a macromolecule (between the *i*<sup>th</sup> and the *k*<sup>th</sup> residue) as a flexible system with a contour length of  $\sum_{j=i}^{k} L_j$ . The angle  $\theta_{i,j}$  depicts the direction that a vector  $\vec{L_j}$  makes with a reference vector  $\vec{L_i}$ . The vector, connecting the head of  $\vec{L_i}$  and the tail of  $\vec{L_j}$ , represents the end-to-end distance when i = 1, i.e., the first residue of the polymer, and k = n, i.e., the last residue of a polymer composed of n units. The length of each vector,  $\vec{L_j}$ , is the same, designated with  $L_B$ . The differences between the lengths of the shown arrows originate from the projection of the three-dimensional arrangement of these vectors in the plane of their two-dimensional representation of the figure.

**Modeling Polymer Chains.** Understanding the behavior of polymers through models is crucial for grasping their mechanical and thermodynamic properties. Assuming no interactions between the monomers, the "*ideal*" models of polymer chains describe such macromolecules well with the smallest number of parameters. Among them, the *freely jointed chain* (FJC) model is the simplest one. It represents polymers as linear chains of rigid segments connected with flexible bonds. The bond and torsion angles between the segments can assume any value with equal probability. Developed by Werner Kuhn in the FJC treatment, the *Kuhn length* ( $\beta_K$ ) is the length of the rigid segments, also referred to as *Kuhn segments*.<sup>61</sup>

The FJC model provides a basic understanding of polymer flexibility but ignores the bond-angle and torsional constraints in macromolecules. In contrast, the *freely rotating chain* (FRC) model accounts for the structural features of chemical bonding and allows equiprobable torsional degrees of freedom while keeping the bond angles fixed. It incorporates a level of structural realism by accounting for the fixed spatial orientation between neighboring monomers. Taking this concept further, the *hindered rotation* (HR) model considers the potential energies along the rotational trajectories and employs the Boltzmann factor for estimating the probability for each torsion angle. Unlike the other models, the *worm-like chain* (WLC) model assumes continuous flexibility. That is, the flexibility along the polymer chain is not only between the rigid segments. In the WLC model, the persistence length,  $L_p$ , represents the longest stretch of a polymer chain behaving like a rigid rod. Therefore,  $L_p$  offers quantification of the bending stiffness of polymer chains.

The two critical lengths emerging from these conceptual models of polymers are  $L_P$  and  $\beta_K$ . Specifically,  $L_P$  is distance over which the direction of the polymer chain remains correlated, serving as a measure of the polymer stiffness.<sup>62</sup> Conversely,  $\beta_K$  represents the effective segment length while accounting for the local stiffness in an equivalent FJC treatment that approximates the behavior of a real polymer chain.<sup>63</sup> That is,  $\beta_K$  is a key characteristic emerging from an idealized model of a real polymer chain, which simplifies analysis while retaining the critical representation of the macromolecular mechanical properties.<sup>48</sup> The relationship between  $L_p$  and  $\beta_K$  is fundamental to understanding polymer dynamics and structure. The  $L_P$ characterizes the local stiffness of the chain, while the  $\beta_K$  scales the chain into an ideal model, facilitating the theoretical analysis of polymer properties. These lengths are pivotal in providing a bridge between microscopic interactions and macroscopic properties, such as the overall dimensions of polymer chains and their response to external forces.

These two lengths are correlated: a larger  $\beta_K$  results in a larger  $L_p$ , making the polymer stiffer. Conversely, a smaller  $\beta_K$  warrants enhanced flexibility of the polymer.

**Estimating Persistence Length.** The modeling involves partitioning the macromolecule into *n* arbitrary rigid segments, each with the same length  $L_B$  that is smaller than  $L_P$  (Figure 2). If the monomer units are rigid, they present a good choice for such arbitrary segments. The angle between any two rigid segments *i* and *j* is  $\theta_{ij}$  (Figure 2). The mean of the squared end-to-end distance (*h*, Figure 2) provides estimates for the  $\beta_K$  that, for WLC, is usually about twice larger than  $L_P$ :<sup>48,49,62,64,65</sup>

$$\langle h^2 \rangle \approx \beta_{\rm K} n L_{\rm B} \approx 2 L_{\rm P} n L_{\rm B}$$
 (1)

The structures from the MD simulations provide straightforward estimates for *h*, of the Aa oligomers. Averaging the squares of *h* for all frames from a simulation run yields  $\langle h^2 \rangle$  needed for calculating  $\beta_K$  and  $L_p$  (eq 1). The span of the repeating residue unit in the extended conformations of the oligomers defines the magnitude  $L_B$  of the link vectors, i.e.,  $L_B = 4.2$  Å (Figure 1a). The values of  $\beta_K$  and  $L_p$ , obtained for the Aa conjugates using eq 1, manifest dependence on the length of the oligomers and the solvent (Figure 3c, Table S7). The  $L_p$  of macromolecules depends not only on their intrinsic properties but also on the surrounding environment, as the model from Odijk, Skolnick, and Fixman describes for charged polymers, for example.<sup>66,67</sup> Nevertheless, the oligomer length should not affect  $L_p$ . This discrepancy warrants resorting to an improved analysis for obtaining  $L_p$ .

The statistics of h characterizes the dimensions of a macromolecule:

$$\langle h^2 \rangle = \left\langle \left( \sum_{i=1}^n \vec{L_i} \right) \cdot \left( \sum_{j=1}^n \vec{L_j} \right) \right\rangle$$
(2a)

The expanded terms result in self-correlation when i = j and the interbond correlations when  $i \neq j$ :



**Figure 3.** Visualization of the variability of the end-to-end distance, *h*, of Aa oligomers with 10 to 40 residues across different solvent environments. (a) A single residue of Aa indicating the numbering of the carbon atoms and attachments of the *N*- and *C*-terminal amides. The dihedral angles,  $\phi$  and  $\varphi$ , quantify the rotation around the bonds between the amides and the aromatic ring responsible for the conformational variations along the backbones of the electret oligomers. (b) Chemical structure illustrating the end-to-end span, *h*, across the oligomer. (c) The Kuhn length,  $\beta_K$ , of oligomers with number of residues, *n* = 10, 20 and 40, in different solvent environments, i.e., Tol, DCM, and MeCN. (d-l) Variation of *h* and its averages through the 1 ns MD simulations for the three trials of the oligomers with (d,g,j) 10, (e,h,k) 20 and (f,i,l) 40 residues (d-f) in MeCN, (g-i) in DCM and (j-l) in Tol.

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**Figure 4.** Correlation decays, i.e.,  $\langle \cos\theta_{ij} \rangle$  vs |j-il (the circular markers), derived from the 1 ns MD simulations of the Aa oligomers (Figure 3d-1), along with monoexponentially data fits (eq 3a) (solid lines). The data-fit residuals are displayed on the top of each graph. Decays of  $\langle \cos\theta_{ij} \rangle$  for: (a) Tol, the data fit yields  $L_P = 5.3$  residues; (b) DCM, the data fit yields  $L_P = 3.2$  residues; and (c) MeCN, the data fit yields  $L_P = 3.2$  residues.

$$\langle h^2 \rangle = \sum_{i=1}^n \vec{L_j} \left( \sum_{j=1}^{i-1} \langle \vec{L_i}, \vec{L_j} \rangle + \langle \vec{L_i}^2 \rangle \sum_{j=i+1}^n \langle \vec{L_i}, \vec{L_j} \rangle \right)$$

$$= \sum_{i=1}^n \langle \vec{L_i}^2 \rangle + L_B^2 \sum_{i=1}^n \left( \sum_{j=1}^{i-1} (\cos\theta_{i,j})^{i-j} + \sum_{j=i+1}^n (\cos\theta_{i,j})^{j-i} \right)$$

$$= nL_B^2 + L_B^2 \sum_{i=1}^n \left( \sum_{k=1}^{i-1} \cos^k \theta_{i,j} + \sum_{k=1}^{n-i} \cos^k \theta_{i,j} \right)$$

$$(2b)$$

$$\sum_{i=1}^{n} \left( \sum_{k=1}^{i-1} \cos^{k} \theta_{i,j} + \sum_{k=1}^{n-i} \cos^{k} \theta_{i,j} \right) \cong$$

$$2\sum_{i=1}^{n} \sum_{k=1}^{\infty} \cos^{k} \theta_{i,j} = 2n \sum_{k=1}^{\infty} \cos^{k} \theta_{i,j} = 2n \frac{\cos \theta_{i,j}}{1 - \cos \theta_{i,j}}$$
(2c)

Thus,

$$\langle \mathbf{h}^2 \rangle = nL_B^2 + 2nL_B^2 \frac{\cos \theta_{i,j}}{1 - \cos \theta_{i,j}} = nL_B^2 \frac{1 + \cos \theta_{i,j}}{1 - \cos \theta_{i,j}}$$
(2d)

One key aspect of this analysis involves measuring the alignment between different rigid segments (not necessarily next to each other) of the polymer backbone, which is quantified using the cosine of the angle between them,  $\cos\theta_{i,i}$  (Figure 2). This angle  $\theta_{i,i}$  measures how well two segments, *i* and *j*, align with each other. Thus,  $\cos\theta_{i,i} = 1$  represents perfect alignment and  $\cos\theta_{i,i} = 0$  indicates no correlation between the orientations of the two segments. As the distance between the arbitrary rigid segments, *j-il*, increases along the polymer chain, the alignment typically decreases, a phenomenon known as a decay of  $\cos \theta_{i,j}$ , representing a loss of orientational correlation. The rate of this decay is a critical indicator of the polymer flexibility. In a stiff polymer, segments remain aligned over relatively long distances and  $\cos\theta_{ii}$  decays slowly as the separation between segments increases. In a flexible polymer, on the other hand, the alignment decays at a short distance, indicating enhanced flexibility of the backbone. An exponential function with  $L_p$  as the inverse of the decay constant can describe this loss of correlation:<sup>48,63,68</sup>

$$\langle \cos \theta_{i,j} \rangle = \exp\left\{-\frac{|j-i|L_B}{L_P}\right\}$$
 (3a)

Hence, the persistence length can be expressed in terms of the averaged correlation between the  $i^{\text{th}}$  and  $j^{\text{th}}$  vectors:

$$L_{p} = -|j - i|L_{B}\ln^{-1}(\langle \cos \theta_{i,j} \rangle)$$
(3b)

The significance of this decay and its relationship to the  $L_p$  and  $\beta_K$  extends beyond structural considerations. In molecular electrets like Aa oligomers, conformational flexibility has a direct impact on their electronic properties, such as their macrodipoles, the electronic-coupling pathways they provide for charge transfer, and the exciton mobility they mediate. Bending of the backbone that breaks the electronic coupling, for example, hinders charge transfer and charge transport. Variations of polymer macrodipoles originating from their flexibility can induce additional effects on the charge-transduction dynamics. These multifaceted effects originating from backbone structural fluctuations make  $L_p$  a critical parameter for predicting the performance of such materials in electronic and energy applications.

The MD simulations reveal that dihedral rotations around the bonds between the amides and the aromatic rings are principally responsible for the conformational variations along the backbones of the electret oligomers (Figure 3a). The aromatic rings of the Aa residues, on the other hand, are relatively rigid with the positions of their atoms showing negligibly small fluctuations relative to one another. This feature makes them a perfect choice for defining the orientation of the link vectors  $\overrightarrow{L_i}$  to  $\overrightarrow{L_i}$  for the model (Figure 2). For each residue, points from carbon 2, bearing its N-terminal amide, to the carbon at position 1 connected to the carbonyl carbon of its C-terminal amide (Figure 3a). The relative correlation to the orientation of any pair of  $\vec{L}_i$  to  $\vec{L}_j$ , corresponding to the *i*<sup>th</sup> and *j*<sup>th</sup> residues, along the As oligomer chain produces  $\theta_{ij}$ . By definition,  $\langle \cos \theta_{ij} \rangle$  is the average of the cosine values of  $\theta_{ij}$  and obtained from the multiple frames along the trajectories produced by the MD simulations. This average of the correlation angles formulates the behavior of  $\theta_{i,i}$ . Exponential fits of these correlations vs the residue position j in relevance to residue i (eq 3a) produce  $L_p$ .

What Do the Results for Aa Conjugates Mean? Sampling the  $\cos\theta_{ij}$  decays in various directions reveals that the "traditional" exponential model of  $L_P$  (eq 3a) does not accurately represent the conformational behavior of the Aa macromolecules. The residual from the monoexponentially fits exhibit patterns with amplitudes that amount to about 10% of the  $\langle \cos\theta_{ij} \rangle$  values (Figure 4). Durbin–Watson (DW) statistics allow testing of how well a selected fitting model describes the analyzed results. Specifically, DW quantifies autocorrelation patterns in the residuals that the data fits do not depict.<sup>69–72</sup> Low DW values, such as DW  $\lesssim 1.2$ , indicate positive



**Figure 5.**  $\langle \cos\theta_{ij} \rangle$  correlation decays and the  $L_p$  of Aa oligomers for solvents with different polarity. (a) Representative correlation decays for Tol, DCM and MeCN, along with the triexponential fits (eq 4) and the corresponding residuals from these SCF analysis. The  $\theta_{ij}$  values are extracted from the MD simulation for the electret surrounded by explicitly introduced Tol, DCM and MeCN solvents, and the corresponding cos  $\theta_{ij}$  are averaged of all the segmented frames from the 1 ns MD simulations. (b) The  $L_p$  of the Aa electrets obtained from the triexponential SCF fits and assigned to  $L_p^{(0)}$ ,  $L_p^{(T)}$  and  $L_p^{(K)}$ , based on the patterns from the GF analysis (see Supporting Information), for the Aa oligomers with n = 10, 20, and 40 residues. The amplitude averages of the  $L_p$  from the triexponential fits,  $\langle L_p \rangle = \frac{\sum_{i=1}^n A_i \times L_{P_i}}{\sum_{i=1}^n A_i}$  provides a single value for the  $L_p$  considering the contributions from all the components.

autocorrelation, i.e., the fits yield systematic patterns questioning the validity of the regression model. The analysis of the monoexponentially data fits for the Aa oligomers produces DW varying between 0.2 and 0.5 across the different solvents, which is consistent with the observed patterns in the residuals (Figure 4) and warrants improving the model for describing the distance dependence of the loss of the  $\langle \cos\theta_{i,j} \rangle$  correlations.

Increasing the number of exponential terms of fit functions offers a means to account for the correlation patterns in the observed residuals, which sets the motivation for modifying eq 3a:

$$\langle \cos \theta_{i,j} \rangle = \sum_{k=1}^{N} A_k \exp\left\{-\frac{|j-i|L_B|}{L_{P_k}}\right\}$$
(4)

Three exponential terms provide good fits for the different correlation decays. They yield DW of about 1.8 for all three solvents indicating minimal autocorrelation between residuals, (Table S9) allowing confident evaluation of the data sets using eq 2c. Considering that the maximum value that  $\langle \cos\theta_{i,j} \rangle$  can assume is one indicating a complete correlation, the sum of the amplitudes in eq 4 is always unity.

For each solvent, three sets of  $L_p$  values emerge from the single-curve-fit (SCF) multiexponential analysis of the decrease in  $\langle \cos\theta_{ij} \rangle$  along different *i*-to-*j* spans. For the different Aa oligomers in Tol, for example, such multiexponential analysis produces  $L_p$  values of about: (1)  $L_{p1} = 4.9$  nm, corresponding to approximately 12 Aa residues, (2)  $L_{p2} = 2.1$  nm, corresponding to 5 residues, and (3)  $L_{p3} = 0.5$  nm, corresponding to a single Aa residue.

The corresponding amplitudes for the  $L_{P1}$ ,  $L_{P2}$  and  $L_{P3}$  terms are  $A_1 = 0.3$ ,  $A_2 = 0.43$  and  $A_3 = 0.26$ . For DCM and MeCN, the triexponential SCF analyses produce similar patterns with three  $L_P$  values. An increase in solvent polarity reduces the amplitude of the term with the longest  $L_P$  (Table S9).

To elucidate what these three different  $L_p$  represent, we resort to a global-fit (GF) analysis of correlation decays, where  $\theta_{i,j}$ spans over different segments of the oligomers (Figure S2, Table S8). Holding each of the  $L_p$ , i.e.,  $L_{P1}$ ,  $L_{P2}$  and  $L_{P3}$  (eq 4), the same for all correlation decays, the GF allows the amplitudes  $A_1$ ,  $A_2$ and  $A_3$  to vary freely among the different sets of  $\langle \cos \theta_{i,j} \rangle$  vs |j - i|. For Tol, the three  $L_p$  values that the GF produces are 3.8 nm, corresponding to 9 residues; 1.7 nm, corresponding to 4 residues and 0.5 nm corresponding to one residue. For the  $\theta_{i,j}$  segments that span over the middle sections of the oligomers and exclude the terminal regions, this GF analysis (for Tol) yields the largest amplitude of 0.76 for  $L_p = 3.8$  nm, i.e., 9 residues. Shifting the  $\theta_{i,j}$  spans toward the termini, increases the amplitude for  $L_p = 1.7$  nm, i.e., 4 residues, to 0.74, while decreasing the contributions from the  $L_p = 9$  residue to amplitude of 0.06 (Table S8). The GF yields a third component of  $L_p$  of 0.5 nm, corresponding to a single residue, with amplitudes of around 0.2 persisting in all different segments for Tol (Table S8).

These results allow ascribing the largest  $L_p$  value for each solvent to the intrinsic  $L_p$  of an Aa polymer,  $L_p^{(0)}$ , without the effects of conformational fluctuations at its termini. The term with the intermediate  $L_p$  dominates each triexponential data fit of the segment at the terminal regions of the oligomers (Table S8). Therefore, these intermediate  $L_p$  values represent the  $L_p^{(T)}$  emerging at the termini of the Aa conjugates.

For all solvents, the shortest  $L_p$  that the triexponential GF analysis yields amount to about one residue. These small  $L_p$  values represent the emergence of kinks along the Aa oligomers where both backbone amides of the same residue twist considerably out of the plane of its aromatic ring. This consideration allows designating the shortest length as  $L_p^{(K)}$  with an amplitude that contributes about 5% to 20% to the correlation decays at the different regions of the oligomers (Table S8).

These ascriptions of the results from the GF analysis offer the basis for designating the different  $L_p$  that the SCF fits yield. For each triexponential SCF fit, the largest  $L_p$  value most likely designates  $L_p^{(0)}$ , the intermediate  $L_p$  value  $-L_p^{(T)}$ ; and the smallest  $L_p$  value  $-L_p^{(K)}$  (Figure 5). For each solvent, shifting from the middle of the oligomers to their terminal regions, decreases the  $L_p$  by a factor of 2, i.e.,  $L_p^{(T)} \approx 0.5L_p^{(0)}$  (Table S9). This trend is consistent with conformational destabilization at termini of macromolecules, especially when hydrogen bonding and steric interactions restrict the structural fluctuations along the polymer chain.<sup>73-75</sup>

Conversely, increasing solvent polarity reduces the three  $L_p$  components representing the stiffness of the Aa oligomers (Figure 5b). In addition, the trends from the fits of the  $\langle \cos\theta_{i,i} \rangle$ 

decays spanning from the first to the last residue of the electrets show that an increase in solvent polarity increases the amplitude for the  $L_p^{(T)}$  terms, while decreasing that for  $L_p^{(0)}$  (Figure 5b, Table S9). Previous studies on Aa conjugates show that increased solvent polarity destabilizes the  $\pi$ -conjugation between the aromatic rings and the amides, and reduces their hydrogen-bonding capabilities.<sup>52</sup> These polarity-induced changes weaken the constraints for dihedral fluctuations, which is consistent with the observed decrease in all  $L_p$  values upon transitioning from Tol to DCM and MeCN. That is, nonpolar solvents favor planarity, which enhances the stiffness characteristics of the Aa backbone, such as h,  $\beta_{K}$  and  $L_{p}^{(0)}$ . It is important to emphasize that lowering medium polarity increases not only  $L_p$  of the Aa electrets, but also the effects of their dipoles on CT,<sup>42,43</sup> making these conjugates immensely attractive for applications in low-dielectric-constant environments.

#### DISCUSSION

As commonly defined (eq 3a),  $L_p$  often fails to capture the local intrinsic flexibility, especially in terminal regions. Due to the reduced number of nearest-neighbor interactions, the flexibility at the termini increases and  $L_p$  markedly decreases. This trend is particularly evident and extensively studied in biopolymers, such as polypeptide helices.

Electrostatic interactions and hydrogen bonding play a key role for stabilizing the terminal regions of polypeptide  $\alpha$ helices.<sup>76,77</sup> For stabilizing the secondary conformation, early work focuses on the Coulombic interactions between the helix macrodipoles and the terminal charges.<sup>78</sup> The high dielectric constant of the usually used solvating media, however, diminishes the dipole effects.<sup>79,80</sup> Therefore, the interactions between charged and dipolar groups localized at the termini emerge to have a dominating contributions to the helix stability.<sup>76,80</sup>

As important as the electrostatics are, they function in synergy with other interactions. Chemical modifications for eliminating disruptive charges can also introduce sites for hydrogen bonding that stabilizes the helix folds at the termini.<sup>81</sup> Considering hydrogen bonding, along with hydrophobic interactions, has led to the emergence of sophisticated strategies for capping the terminal regions of polypeptides to stabilize their helical secondary conformation.<sup>82</sup>

The development of strategies for stabilizing biopolymer conformations have grown for many decades. In contrast, we are just beginning to unravel the structural features of Aa molecular electrets. The structural differences between the helical conformers and the extended Aa conjugates precludes direct translation of the current strategy for stabilizing the termini of the Aa oligomers. For example, electrostatic interactions that induce stretching forces along the principal axes, while causes disruptive unfolding of helices, can have the potential to stabilize the Aa extended conformation at the termini. Therefore, placing negative charges at the N-terminus and positive charges at the Cterminus of Aa oligomers can prove beneficial. The Coulombic interactions between such terminal charges and the Aa macrodipole (which points from the N- to the C-terminus) should induce forces favoring the extended conformation, especially in low-polarity media. In addition, such charges will enhance the dipole field. Exploration of this idea, along with strategies for hydrogen-bonding capping of the terminal amides of Aa electrets, is indeed beyond the scope of this study.

In organic electronics, the design of systems for mediating long-range CT hinges on the intrinsic properties of polymers and oligomers. Among these properties,  $L_P$  — a measure of molecular stiffness and the range over which the segments of polymers remain directionally correlated — emerges as a critical factor. Conformational flexibility and dynamics strongly affect electronic coupling and CT kinetics.<sup>83</sup>

A number of biological macromolecules assume helical conformations with extended shapes manifesting remarkable stiffness. Such rod-shaped structures reveal key paradigms for the design of molecular wires.<sup>84–86</sup> For example, doublestranded DNA (dsDNA) is renowned for its large  $L_p$ , typically between 40 to 60 nm, corresponding to approximately 120 to 180 base pairs.<sup>87-89</sup> The electrostatic repulsion between the negatively charged backbone phosphates stabilizes the extended conformation of DNA. Lowering the ionic strength of the solvating media decreases the electrostatic screening of the phosphate charges and, therefore, can drive dsDNA to assume  $L_p$  exceeding 100 nm, i.e., > 290 base pairs.<sup>90</sup> Conversely, protein-nucleic acids (PNAs) comprise noncharged backbones making them more flexible than their DNA analogues.<sup>91</sup> Hence, the  $L_p$  of double-stranded PNA (dsPNA) is about 35 nm, i.e., shorter than  $L_p$  of dsDNA.<sup>92</sup>

Considering this structural rigidity of polynucleotides, it is not a surprise that dsDNA and dsPNA can serve as molecular wires, effectively mediating hole transfer (HT) over tens of nanometers.<sup>6,93</sup> In addition to their relative rigidity, these macromolecules mediate hole hopping (with holes delocalized over several base pairs). Along dsDNA, HT rates show minimum distance dependence beyond the first 3 to 4 base pairs following the initial charge separation.<sup>6</sup>

Compared with dsDNA and dsPNA, protein and polypeptide helices exhibit significantly shorter  $L_p$ , generally ranging from about 2 to 20 nm.<sup>94</sup> When subjected to alkaline environment, poly-L-lysine (PLL) forms righthanded  $\alpha$ -helices with  $L_p$  of 15 to 21 nm. Unlike  $\alpha$ -helices, polyprolines do not have hydrogenbonding network to support their secondary structure. Nevertheless, polyproline type II (PPII) helix is an extended conformer with  $L_p$  of about 3 to 4 nm.<sup>95</sup> While a report of PPII  $L_P$  exceeding 10 nm further confirms the rigidity of these helical polypeptides, the impressive results of  $L_p = 7$  nm and  $L_p =$ 13 nm are from studies on oligomers containing, respectfully, only two and one proline residues.<sup>96</sup> Polypeptides of achiral non-native amino acids assuming 310-helical conformations with  $L_{\rm P}$  that ranges from about 3 nm (for polar media) to 37 nm (for nonpolar media).<sup>97</sup> This behavior is comparable to the observed effect of medium polarity on the  $L_P$  of Aa oligomers (Figure 5b).

Unlike polynucleotides, polypeptides of  $\alpha$ -amino acids mediate CT only via tunneling along their backbones. Injecting holes into the peptide bonds (which are aliphatic carboxyl amides) leads to oxidative degradation.<sup>98</sup> precluding hopping as a potential CT mechanism. These features limit the utility of polypeptide helices as effective mediators of effective CT to about 2 nm.<sup>8,9,11</sup> Therefore, the inherent  $L_p \gtrsim 3$  nm for these macromolecular structures ensures that the conformational flexibility is not necessarily the limiting factor for their propensity to efficiently mediate CT. One important feature of helical polypeptides is their enormous macrodipole that can reach 5 D per residue,<sup>12</sup> making them attractive molecular electrets that can directionally rectify CT rates.<sup>15,16,99,100</sup>

This study shows that Aa conjugates manifest  $L_p$  comparable to those of polypeptide helices. These Aa oligomers exhibit  $\langle L_p \rangle$ , between 1.4 and 2.5 nm, while their  $L_p^{(0)}$  (i.e., without the effects of the termini and the kinks) amount to about 2 and 5 nm (Figure 5b). Similar to helical polypeptides, Aa oligomers are electrets and possess large macrodipoles that can rectify CT.  $\overset{21,22,42,43,52}{\text{CT}}$ 

Conversely, the aromatic moieties of the Aa oligomers provide sites for charge hopping along their backbones needed for long-range CT, similar to that of polynucleotides. This feature of the Aa electrets illustrates a principal advantage over their biological polypeptide counterparts. The cross section of Aa polymer chain is about 1 nm wide and 0.2 nm high. This structural feature makes the Aa conjugates quite thinner than dsDNA, which has circular cross section with a diameter of about 2 nm, and even than polypeptide  $\alpha$ -helices that have a diameter of about 1 nm.

### CONCLUSIONS

Based on the  $L_p$  analysis, anthranilamide oligomers with lengths that do not exceed five residues assume relatively rigid extended conformations. Nonpolar solvating media enhance this conformational rigidity placing these bioinspired macromolecules on par with a number of biological structures. The relatively large persistence length, the large macrodipoles, the thin cross sections and the ability to mediate long-range CT make anthranilamide molecular electrets uniquely promising for organic electronics and energy-conversion systems.

### ASSOCIATED CONTENT

#### **Supporting Information**

The Supporting Information is available free of charge at https://pubs.acs.org/doi/10.1021/acs.jpcb.4c04103.

Theoretical and computational details including the choices of simulation parameters and references along with parameter fits and their associated  $L_p$  and amplitude values (PDF)

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#### Notes

The authors declare no competing financial interest.

#### ACKNOWLEDGMENTS

V.I.V. and O.O. thank the U.S. National Science Foundation (grant number CHE 2154609) and the American Chemical Society Petroleum Research Fund (grant number 60651-ND4) for supporting these studies. M.Y.Y. and W.A.G. were funded by the NSF (grant CBET 2311117, program manager Robert McCabe). M.Y.Y. and W.A.G. also used resources of the National Energy Research Scientific Computing Center, a DOE Office of Science User Facility supported by the Office of Science of the U.S. Department of Energy under Contract No. DE-AC02-05CH11231 using NERSC award BES-ERCAP0024109.

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### NOTE ADDED AFTER ASAP PUBLICATION

This paper was published November 20, 2024, with an error in equation 3b. The corrected version reposted January 9, 2025.