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A FAST, WIDE-RANGE TIME-TO-HEIGHT CONVERSION SYSTEM

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### ABSTRACT

A time-to-height conversion system has been developed which is useful for measuring time intervals from 10 ps to 200  $\mu$ s. When driven by a mercury-relay pulse generator through appropriate fixed delays, the resolution of the system, FWHM, is 6 ps, the apparent time shift with temperature is less than 2 ps/ $^{\circ}$ C, and the integral linearity is within  $\pm 1\%$ . The apparent time distribution through a type 58 AVP photomultiplier tube driven by a mercury-relay light pulser was less than 0.3 ns at a fixed light level equivalent to  $10^3$  photoelectrons per pulse. The apparent time shift was less than 0.5 ns for variations from  $10^2$  to  $10^4$  photoelectrons per pulse.

## A FAST, WIDE-RANGE TIME-TO-HEIGHT CONVERSION SYSTEM

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### 1. Introduction

Nuclear particles can often be identified and their energy distributions analyzed by use of time-of-flight techniques<sup>1, 2</sup>). Time-of-flight instrumentation is usually the limiting factor in the resolution and reproducibility of the timing measurements. This equipment must make a precise, accurate decision as to when a nuclear event occurs and translate that decision with maximum fidelity and stability into a meaningful record.

This report describes a time-to-height conversion system, which is presently being used at this Laboratory (see Fig. 1). The system is useful for measuring time intervals from 10 ps to 200  $\mu$ s. Driven by mercury-relay-formed fast-rising test pulses through appropriate fixed delays, with the setup of Fig. 2, the full width at half-maximum amplitude (FWHM) on the pulse-height analyzer is two channels (6 ps). The apparent time shift with temperature is less than 2 ps/ $^{\circ}$ C. The integral linearity is  $\pm 1\%$ , as shown in Fig. 3. In a test using a type-58AVP photomultiplier tube, the apparent time shift was less than 0.5 ns for a variation in light level equivalent to from  $10^2$  to  $10^4$  photoelectrons per pulse. The FWHM at a fixed level of  $10^3$  photoelectrons per pulse was less than 0.3 ns.

Signals used to indicate the time of occurrence of a nuclear event vary in amplitude. A decision, not influenced by signal amplitude, must be made as to the arrival time of the signal, and this information presented as a standardized, fast-rising pulse. The triggering level and the circuit delay must be as stable as possible.

For a pulse of fixed shape and size whose leading edge is related through a constant delay to the time of interest, a coincidence circuit or a time-to-height converter may be used to measure that time with respect to some reference time. Usually, many such events are recorded and eventually presented as a time-distribution histogram.

In the coincidence method, one may use a single coincidence circuit<sup>1, 2, 3)</sup> with a variable reference input delay, or there may be many parallel coincidence circuits<sup>4, 5)</sup>, distributed at varied or equal time increments, which sort and route the signals with respect to their arrival time. Recently, tunnel-diode coincidence circuits have been developed at this laboratory which have coincidence curve widths of 150 ps with edges as steep as 10 psec per decade.<sup>3)</sup> Although the coincidence method is more straightforward and promises the best ultimate system resolution and repetition rate, acquisition of a time-distribution histogram with a single coincidence circuit is tedious. The multi-coincidence or "chronotron" system overcomes this disadvantage, but its usefulness is limited by system complexity and its ultimate resolution is limited, to first order, by the coincidence curve width. The information out of a chronotron is of such form as to be best fed directly into a memory unit. This requires either a special memory system or the modification of a pulse-height analyzer to provide direct access to its memory.

Therefore, work continues on the development of time-to-height conversion systems<sup>6, 7)</sup>. Such a system translates the time information into a pulse height which is readily analyzed by conventional pulse-height analyzers. Time-to-height conversion is essentially a simple process involving a minimum of circuit complexity. To convert a time interval to a related pulse height, the shaped timing pulses are used to switch a constant current,  $I$ , into a fixed capacitor,  $C$ , during the time interval,  $\tau$ , to be measured. In such a circuit

the voltage across the capacitor,  $V_c$ , is a linear function of the time interval,  $V_c = I/C \tau$ , where  $I/C$  is constant. The converted output is not quantized and therefore more susceptible to noise than the coincidence systems. In general, more switching energy is required for present time-to-height converters than for a tunnel-diode coincidence circuit<sup>3)</sup>. This energy is usually gained at the expense of bandwidth and stability. The output of the time-to-height converter should be of the size and shape required by a pulse-height analyzer. At present, this is roughly 1  $\mu$ s in width and a few V in amplitude.

In general a time-to-height conversion system requires:

- a. a pulse-shaping circuit that indicates the time of arrival of a particle and presents this information, with maximum fidelity, as a standardized, fast rising pulse,
- b. an analogue time-to-height converter that presents a shaped output whose amplitude is a linear, stable function of the time interval between the leading edges of two shaped input pulses,
- c. minimum noise and maximum stability in all elements.

## 2. Discriminator-Shapers

Scintillation counters mounted on photomultiplier tubes remain the most popular and successful means of detecting nuclear events for time-of-flight analysis. The photomultiplier tube has gain-bandwidth and signal-to-noise figures which are as yet unattainable by other conventional means. Most fast timing work at this laboratory has been done with photomultipliers, and it is this work to which we will refer. In particular, Bjerke et al. have developed "zero-crossing" timing techniques which, when used with discriminators and coincidence circuits using high-current tunnel diodes, give timing resolutions that are to first order limited only by photomultiplier time spread<sup>3, 8)</sup>. Time spreads calculated from this data are shown in Table I with corresponding data measured independently with out time-to-height conversion system. The experiments show substantial agreement.



As shown by Bjerke et al, zero-crossing techniques provide a way of using most of the timing information in a phototube pulse by inspecting most of the pulse, thereby minimizing time-shift as a function of pulse height<sup>8)</sup>. The photo-multiplier signal, Fig. 4a, is "differentiated" to cause the signal to cross back over zero as in Fig. 4b. A discriminator is set to trigger just after the zero-crossing point, above the noise level. This method is most effective if the discriminator triggers quickly on very little differential charge. A 5-mA tunnel diode can be stably biased to within 0.5 mA of its peak current and can be switched in about 1 ns<sup>9)</sup>. This implies a required trigger charge of only .5 pC.

Because the negative conductance increases almost as a direct function of peak current, and since higher switching currents charge stray capacitances more quickly, best short-term timing results can be obtained by using high-current tunnel diodes<sup>3)</sup>. However, the nominal peak-current drift with temperature is also a direct function of peak current. That is, a 50-mA tunnel diode might be expected to show 50 times more peak current drift with temperature than would a 1-mA type<sup>9)</sup>. Because the threshold of our tunnel-diode discriminators is determined by the difference between the tunnel-diode peak current and an adjustable bias current, peak current drift with temperature shows up directly as a shift in threshold. The tunnel diode selected for the time-to-height converters was a compromise, having a nominal peak current of 5 mA.

The charge sensitivity of the discriminator is reflected directly in the curve of Fig. 5. The shape of this curve is common to all simple regenerative circuits and is of the general form of the curve,  $XY = K$ , intersecting a straight line;  $Y = K'$ , where  $K'$  is the nominal minimum circuit delay. This curve shows that, as the input voltage is decreased toward the threshold value, a longer time is required to accumulate the necessary trigger charge. From this, it is

apparent that the high charge sensitivity of the tunnel diode minimizes time shift at low input signal levels.

The time-to-height converter start and stop discriminators are identical. The start and stop shapers are nearly comple<sup>e</sup>ments of each other. In the following discussion, we will refer to the "start" discriminator-shaper, Figs. 6 and 7. Transistor  $Q_1$  is introduced, at the expense of discriminator speed, to allow a matched input impedance of  $125\Omega$ . The common-base configuration was chosen for maximum bandwidth, minimum reflection at the input due to tunnel-diode switching, and maximum driving impedance for the tunnel diode. The common-base input stage is also conveniently adapted to the use of the delay-shift compensating capacitor,  $C_x$ <sup>(Fig. 10)</sup>. This capacitor shifts the zero-crossing time, which tends to compensate for the normal discriminator delay shift near threshold, as shown in Fig. 8. An example of a first-order calculation of  $C_x$  is given in the Appendix. Capacitor  $C_x$  is useful when timing information must be derived from zero-crossing signals with amplitudes near threshold. This is in preference to amplification of the photomultiplier signal, which distorts pulse shapes and introduces further timing errors for large signal variations. Although the use of  $C_x$  will be helpful in some cases, it is only a means of compensation for, not elimination of, delay shift with amplitude.

Diodes  $CR_1$ ,  $CR_2$ , and  $CR_3$  with transistor  $Q_2$ , form a gate which, with switch  $S_1$  closed, raises the discriminator threshold to 5 V. A positive 2- to 4-V gate-signal opens the gate. With  $S_1$  open, the gate is normally open.

The tunnel diode,  $CR_4$ , is biased and loaded so that it operates in a monostable manner. The forward bias current is determined by the setting of  $R_{14}$ . With a discriminator input impedance of  $125\Omega$ , the threshold as referred to the input can be varied from 10 to 600 mV. The threshold is nearly constant for repetition rates up to 10 Mc at maximum sensitivity and 5 Mc at minimum sensitivity. The input pulse width should be kept below 100 ns to avoid double pulsing.

Transistors  $Q_4$  and  $Q_5$  form a complementary, emitter-coupled, one-shot multivibrator. Both transistors are biased in their active regions. The feedback loop is held open by  $CR_6$  which is normally nonconducting. The tunnel-diode signal appearing at the base of  $Q_4$  lowers the impedance of  $CR_6$ , causing the circuit to regenerate. Since both transistors are in their active regions during trigger and pulse rise, the trigger delay is less than 1 ns. The rise time at the emitter of  $Q_6$  is about 3 ns; the pulse height is about 5 V. Maximum duty cycle is about 40%. The temperature dependence of dc transistor parameters causes the one-shot trigger threshold to be slightly temperature-dependent. Because of the sharp leading edge of the trigger, the threshold variation results in a trigger delay shift of less than 5 ps/ $^{\circ}$ C. The time shift in the stop channel tends to be the same, reducing the composite effect at the converter.

By selection of  $C_{17}$ , the one-shot pulse width can be varied from 0.5  $\mu$ s to over 1 ms with negligible deterioration of pulse shape. The required pulse width is determined by the sum of the maximum time interval to be measured and the minimum pulse width required by the pulse-height analyzer. During the pulse,  $Q_5$  is saturated much harder than  $Q_4$ . The pulse will not end until  $Q_5$  turns off. Therefore, the time required to pull  $Q_5$  out of saturation will effect the total output pulse width.  $Q_5$  is a 2N834 which has a turn-off time in this circuit of less than 50 ns. The equivalent transistor  $Q_5$  in the stop circuit is a 2N1143 (Figs. 9 and 10). The turn-off time of an epitaxial 2N1143 in this circuit is about 100 ns. A non epitaxial 2N1143 may require as long as 500  $\mu$ s. Consequently, with equal values of the feedback capacitor,  $C_7$  (of Figs. 9 and 10) =  $C_{17}$  (of Figs. 6 and 7), the stop pulse will always be longer than the start pulse. This is a requirement of the analogue conversion circuit.

### 3. Time-To-Height Converter

The time,  $\tau$ , between the leading edge of the start pulse and the leading edge of the stop pulse is converted into a related pulse height by means of a constant current,  $I$ , charging a capacitor,  $C_2$ , for the time,  $\tau$ . Referring to Fig. 11, transistors  $Q_1$  and  $Q_2$ , with diodes  $CR_4$ ,  $CR_5$ , and  $CR_6$ , form a wide-bandwidth constant-current source. Diodes  $CR_5$  and  $CR_6$  serve to compensate for the temperature drift of the  $Q_1$  and  $Q_2$  emitter-base junctions. The current  $I$  through  $R_3$  varies less than  $0.02\%/^{\circ}\text{C}$ . To maximize the signal-to-noise ratio,  $I/C$  should be as large as possible. The minimum value of  $C_2$  is usually fixed at some value much larger than parallel stray capacities, typically  $100\text{ pF}$ <sup>7)</sup>. Some compromise must be reached between maximizing  $I$  and concern for the high-current high-frequency characteristics of the current switches. The current-switching elements were chosen on the basis of quickest recovery time and least change in the charge in analogue capacitor  $C_2$  due to stored charge in the switches and direct feedthrough from the driving signals. Either a saturated transistor or a forward-conducting diode stores some quantity of minority carriers which must be swept out or recombined before the device can be switched off. In each case the amount of stored charge is a significant function of the driving signal and temperature. This has been the limiting factor in the stability of some previous solid-state circuits<sup>7)</sup>. A Hughes diode, HD5000, was found to recover in less than 1 ns in our time-to-height converter circuit. The change in charge at  $C_2$  due to diffusion and depletion capacities was nearly negligible. This, in addition to attendant circuit simplicity, led to the choice of HD5000 diodes as converter current-switching elements.

These diodes,  $CR_2$  and  $CR_3$ , conduct the constant current  $I$  at quiescence. They are arranged in the circuit so that any feedthrough from one tends to be compensated at  $C_2$  by feedthrough from the other. The arrival of a negative start pulse at the anode of  $CR_2$  causes it to become nonconducting, forcing the current  $I$  to charge  $C_2$ . The voltage across  $C_2$  then rises linearly at a rate determined by  $I/C_2$  until either  $CR_2$  or  $CR_1$  begins to conduct. In the absence of a stop pulse, the maximum voltage to which  $C_2$  can rise is limited by the negative bias voltage at the anode of  $CR_1$  or the negative signal voltage at the anode of  $CR_2$ . Therefore the maximum linear range is limited by the smaller of these two inverse diode voltages and the capacitor voltage rate of  $\Delta V_c/\Delta T = I/C_2$ . The maximum time interval that can be converted is  $\tau_{\max} = V_{c \max} C_2 / I$ . For integral linearity of within  $\pm 1\%$ ,  $\tau_{\max} (\mu s) \geq 300 C_2 (\mu F)$ .

Arrival of a positive stop voltage at the anode of  $CR_1$  causes that diode to conduct, shunting the current  $I$  around  $C_2$  and causing  $CR_3$  to become nonconducting.

While both start and stop pulses remain,  $C_2$  can discharge only into the input impedance of the White emitter follower, which is approximately 42 k $\Omega$ . As previously pointed out, the start pulse ends before the stop pulse ends. The end of the start pulse allows  $CR_2$  to conduct, discharging  $C_2$  through the low impedance of the start-circuit output emitter follower. The end of the stop pulse leaves the circuit in its quiescent condition. The pulse width out of the converter is then controlled by the width of the start pulse. Since the output is usually fed to a pulse-height analyzer, the pulse width for fast time-of-flight analysis is usually fixed at about 1  $\mu s$ . Note that in any case the start and stop pulse widths must be at least as long as the time interval to be measured. The duty cycle of the system to this point is limited only by the maximum duty cycle of the driving circuits, which is approximately 40%. For our experiments, the repetition rate has been limited to about 50kc by the pulse-height analyzer.

For large values of  $C_2$ , the rise time of the converter output may well be slow enough to confuse the pulse-height analyzer. For these time ranges,  $Q_6$  and the circuit included within the dashed box of Fig. 11 may be added.  $Q_6$  is normally saturated, shunting the output signal to ground. The stop pulse is applied to the base of  $Q_6$ , cutting  $Q_6$  off. This allows the output voltage to rise to that of capacitor  $C_2$  in less than  $0.1 \mu\text{s}$ . The pedestal at the converter output caused by this gated operation is less than 50 mV (2% of maximum signal).

The configuration of the White emitter follower was chosen after unsuccessful investigations of complementary and other feedback-type emitter followers. In general, design of fast, feedback-type emitter followers is complicated by their tendency to present a loop gain of greater than unity at some frequencies, causing oscillation and unstable gain. This problem is the result of phase shift in the feedback loop and is generally avoided by slowing the response of the circuit. A loop gain of greater than unity tends to turn one of the base-emitter diodes off, especially in the case of a capacitive load. This leads to further instability and some nonlinearity. In the circuit of Fig. 11, the negative going signal presented to the base of  $Q_3$  tends to reduce its current. However, the amplified signal at the base  $Q_4$  tends to turn  $Q_4$  on, and the feedback signal arriving at the emitter of  $Q_3$  tends to drive that transistor, too, further into conduction. Therefore, if the loop gain tends to become greater than unity, both transistors are driven into higher conduction and the output voltage is referred even more closely to the input.

#### 4. Amplifier-Output Stages

The maximum output voltage of the converter is about 2.5 V. Most solid-state pulse-height analyzers require 6 to 8 V full scale. Also, it is convenient to be able to vary the overall conversion ratio without changing the fast converter circuitry. Therefore, a linear, variable-gain amplifier is useful, although not always necessary, between the converter and the pulse-height analyzer. For

the tests included in this report, amplifier stages shown in Figs. 12 and 13 were used. They are described briefly in the Appendix.

## 5. Test and Results

The test setup shown in Fig. 2 was used to determine noise, stability, and linearity of the time-to-height conversion system, including the linear amplifiers. A mercury pulser provides two simultaneous outputs with rise times of less than 1 ns. These were fed through appropriate delays to the start and stop discriminator-shapers. The analogue capacitor  $C_2$  of Fig. 11, was set at 150 pF. Conversion gain at the output of the converter,  $\Delta V_c / \tau \approx 1/C_2 = 67$  mV/ns.

The resolution over 1-h period at room temperature was two channels (6ps) FWHM with  $\tau_{\max} = 300 C_2 = 45$  ns. The resolution may be expressed as the ratio  $\tau_{\max} / \Delta\tau = (45 \times 10^{-9}) / (6 \times 10^{-12}) = 7500$  to 1. About 90% of this spread is due to trigger jitter; about 10% is introduced after the converter. Therefore, at high values of  $C_2$ ,  $\tau_{\max} / \Delta\tau$  was observed to increase almost in direct proportion to  $C_2$  until the resolution was less than one channel.

The apparent time shift with temperature is less than 2 ps/°C from 20 to 55°C and is a negligible function of  $C_2$ . The integral linearity is  $\pm 1\%$  to 50 ns as shown in Fig. 3. For higher values of  $C_2$  the linearity remains  $\pm 1\%$  to  $\tau_{\max}$ , there  $\tau_{\max} (\mu s) = 300 C_2 (\mu F)$ .

The time resolution of the time-to-height conversion system with a type-58AVP photomultiplier was studied by using the setup shown in Fig. 14. The mercury light pulses<sup>10)</sup> was adjusted to provide a known number of photoelectrons per pulse from the photocathode of the 58AVP and a synchronized electrical pulse for use as a start signal for the time-to-height converter. Table I shows the timing resolution, FWHM, and the peak-time shift as a function of light level and photomultiplier gain. The absolute delay through the tube is given parenthetically in the 5000 photoelectron-level row of Table I for each gain setting.

Time spread of the photomultiplier as a function of light level follows Poisson statistics<sup>3)</sup>. To first order, for the light levels considered here the photomultiplier time spread will decrease as the square root of the light level. Study of the time spread of type-58AVP photomultipliers performed previously by Bjerke et al<sup>3)</sup>, using fast tunnel-diode coincidence techniques, indicated resolutions as given in the last column of Table I. The discrepancy in results for light levels of greater than 100 equivalent photoelectrons per pulse can be attributed to differences in individual tubes, and possible errors in determining the absolute light level. Below 100 photoelectrons per pulse the sensitivity of the time-to-height converter discriminator begins to impair the resolution. This is verified by the shift in peak time at these light levels. The average delay in the photomultiplier should not be a function of the light level. At high light levels some apparent time shift with light level may occur because of tube-gain nonlinearities. At low light levels, however, this should be negligible, and any shift in delay with light level suggests signal levels near the threshold of the discriminator. As the discriminator input voltages approach threshold, statistical amplitude variations cause depreciation of system resolution. Improvement in system resolution with increase in photomultiplier gain at these low light levels is further corroborative evidence.

Note too, from Table I, the reduction in peak-time shift as a function of light level when  $C_x$  (as calculated in the Appendix) is added. Study of the time spread in various photomultipliers is being continued.

## 6. Conclusion

A solid-state time-to-height converter has been developed which is usable over time ranges from 10 ps to 200  $\mu$ s. With mercury-relay-formed, fast-rising test pulses applied to the discriminator inputs, the system measures a fixed delay with a resolution of 6 ps, or less than one part in 7500. The



observed drift with temperature is less than  $2 \text{ ps}/^\circ\text{C}$ . Preliminary results of timing experiments with a type-58AVP photomultiplier show time shifts of less than  $0.5 \text{ ns}$  for light-level variations equivalent to from 100 to 10,000 photoelectrons per pulse.

## 7. Appendix

### 7.1 CALCULATION OF COMPENSATING CAPACITOR, $C_x$

As noted in the text, the action of  $C_x$  is to cause a shift in zero-crossing time which tends to compensate for the normal discriminator delay shift near threshold, as shown in Fig. 8. The data for Fig. 8 are calculated using the peak-time shift as a function of light level.

The optimum value for  $C_x$  is a function of input pulse shape; however, by using several crude approximations, a nominal value may be calculated. For example, note that most of the delay shift shown in Fig. 8a occurs when  $V_+$  is near  $0.5 \text{ V}$ . Referring to the circuit of Fig. 10, we bias  $Q_1$  so that it will turn off at  $+0.5 \text{ V}$  input. This requires a standby emitter current,  $I_E$ , of

$$I_E = \frac{0.5}{125} = 4 \text{ mA}$$

and

$$R_{36} \approx \frac{24}{4} = 6\text{k} \approx 5.6\text{k}.$$

When  $V_+$  remains below  $0.5 \text{ V}$ ,  $C_x$  is shunted by the input impedance of  $Q_1$ , which is about  $5\Omega$  at quiescence. For  $V_+$  greater than  $0.5 \text{ V}$ ,  $C_x$  is shunted by a nonconducting diode and the voltage across  $C_x$ ,  $V_c$ , rises with a time constant  $\tau_1 = 120 C_x$ . If we assume a  $\tau_1$  much shorter than the input pulse width,  $V_c$  will reach  $V_+$ . Furthermore, we shall assume that the peak negative excursion,

$V_-$  is one-half  $V_+$ . Then if the input voltage were to fall much faster than  $V_c$  and since zero voltage is about 66% of the peak-to-peak swing, zero-crossing would be delayed by about the time interval,  $\tau_1$ . Inspecting Fig. 7a we choose a  $\tau_1$  of 1 ns. Then we have  $C_x = 10^{-9}/120 \approx 10$  pF. The effect of adding  $C_x = 10$  pF can be seen in Fig. 8b and Table I. It should be obvious that the calculations shown above are approximate and only give a nominal value for  $C_x$ . The optimum value should be empirically determined for a particular pulse shape, with the nominal value of  $C_x$  used as a starting point.

## 7.2 CHARACTERISTICS OF AMPLIFIER STAGES

### A. Variable-Gain Linear Amplifier (Fig. 12)

The amplifier consists of two feedback-pair stages designed for optimum linearity and stability. The gain is controlled by means of feedback resistors from 1 to 4 in increments of 0.5 and from 4 to 16 in increments of 2.

The nominal input impedance of 1k is divided between 511 $\Omega$  on the amplifier board and 464 $\Omega$  on the converter board. An alternate front panel input is provided which has an internal input impedance of 1k. The amplifier accepts positive or negative input, and is designed to drive an impedance of 1k with  $\pm 1\%$  integral linearity from 0 to  $\pm 4$  V.

### B. Output Stage

The output stage consists of a feedback-pair stage with a fixed gain of 4 driving a White emitter follower. Components  $R_3$ ,  $R_4$ , and  $C_5$  form an integrating network to improve the signal-to-noise ratio. This stage accepts negative inputs and is also designed to drive a dc impedance of 1k $\Omega$ , but will drive very long cables with  $\pm 1\%$  integral linearity from 0 to +8 V.

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Table I. Time resolution of 58AVP photomultiplier tube

Light level (photoelectrons per pulse)		Time-to-height converter					Coincidence	
		Pm gain =	$10^6$	$2 \times 10^6$	$5 \times 10^6$	$10^6$	$5 \times 10^6$	$10^6$
		$C_x$ (pF) = <sup>a</sup>	10	10	10	0	0	—
5000	Peak shift <sup>b, c</sup>	0	0	0	0	0	—	
		(90.0 ns)	(88.5 ns)	(86.5 ns)	(88.5 ns)	(85.1 ns)		
5000	Resol. <sup>b, d</sup>	0.1	0.15	0.16	0.2	0.2	0.18	
2500	Peak shift	0.1	0.1	-0.1	0.3	0.1	—	
2500	Resol.	0.17	0.18	0.15	0.2	0.2	0.21	
1000	Peak shift	-0.1	0.3	0.1	0.6	0.1	—	
1000	Resol.	0.26	0.28	0.29	0.4	0.3	0.32	
500	Peak shift	-0.5	0	0.3	0.8	0.5	—	
500	Resol.	0.36	0.35	0.43	0.6	0.5	0.37	
100	Peak shift	0.3	0	-0.2	1.9	0.9	—	
100	Resol.	0.82	0.85	0.81	1.0	0.9	0.67	
50	Peak shift	0.7	0.2	-1.5	2.4	1.1	—	
50	Resol.	2.1	1.07	1.0	2.1	1.0	0.81	

<sup>a</sup> see Fig. 8 and the text.

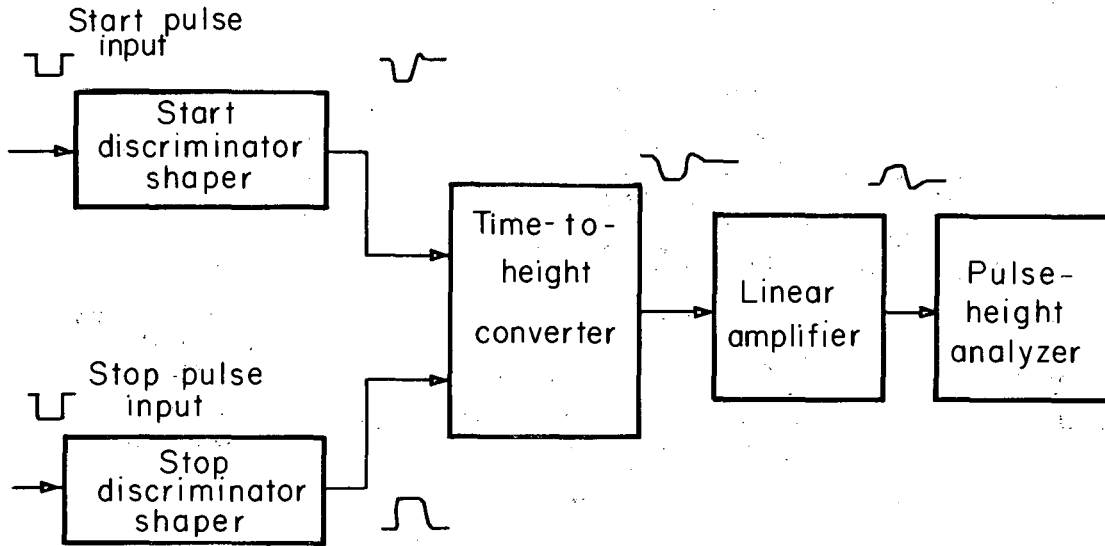
<sup>b</sup> converted from number of channels to time in nanoseconds

<sup>c</sup> peak shift is the deviation from peak values with the light level at 5000 photoelectrons per pulse

<sup>d</sup> resolution is the full width at half maximum

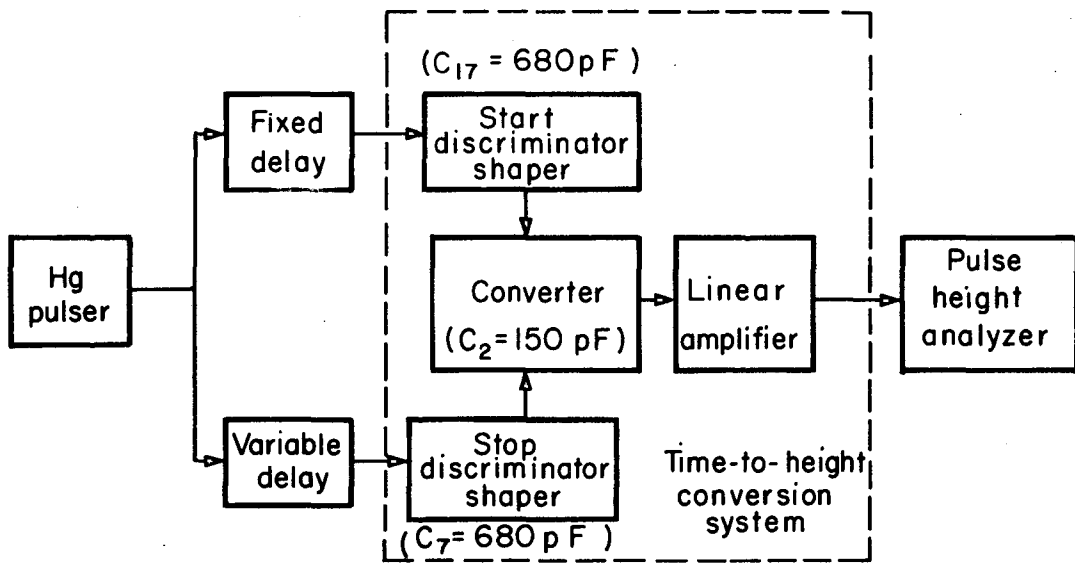
## FIGURE LEGENDS

- Fig. 1. Block diagram of time-to-height conversion system.
- Fig. 2. Block diagram of the test setup for the time-to-height conversion.
- Fig. 3. Linearity of the time-to-height conversion system,  $C_3 = 150$  pF  
(see Fig. 11).
- Fig. 4. Type-58AVP photomultiplier output waveforms. Each division represents 1 ns or 0.3 V. The input light pulses resulted in about 500 photocathode electrons per pulse. The phototube gain was about  $10^6$ .  
(a) Dynode 14 voltage; (b) anode voltage through differentiating transformer.
- Fig. 5. Delay shift of discriminator-shaper as a function of input pulse amplitude for a step input. The threshold voltage is 30 mV;  $C_x = 0$ .
- Fig. 6. Block diagram of the start discriminator-shaper.
- Fig. 7. Schematic diagram of the start discriminator-shaper;  $C_{17}$  ( $\mu\text{F}$ )  
 $= \tau_{\text{start}} (\mu\text{s})/1470$ .
- Fig. 8. Delay shift of discriminator-shaper as a function of photocathode light level. At low light levels, a pulse of 250 photocathode electrons produces a  $V_+$  of 1 V. (a)  $C_x = 0$  pF; (b)  $C_x = 10$  pF.
- Fig. 9. Block diagram of the stop discriminator-shaper.
- Fig. 10. Schematic diagram of the stop discriminator-shaper;  
 $C_7 (\mu\text{F}) \approx \tau_{\text{start}} (\mu\text{s})/1470$ ;  $\tau_{\text{stop}} \approx \tau_{\text{start}} + 0.2 \mu\text{s}$ .
- Fig. 11. Schematic diagram of the time-to-height converter.
- Fig. 12. Schematic diagram of variable-gain linear amplifier.
- Fig. 13. Schematic diagram of linear amplifier output.
- Fig. 14. Block diagram of photomultiplier time-distribution experiment.



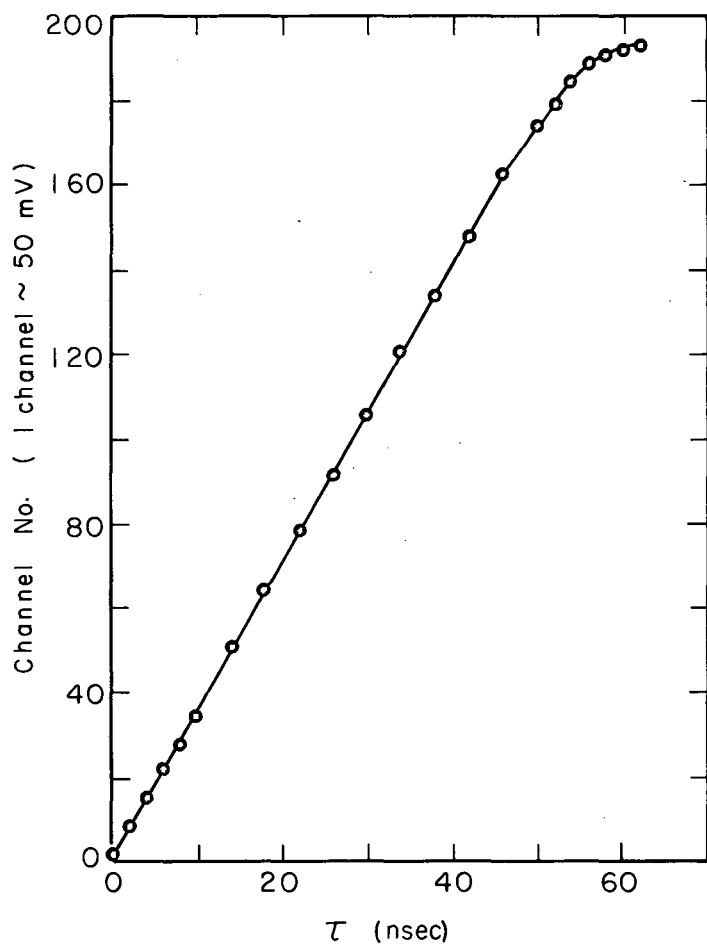
MU-28790

Fig. 1



MU-28791

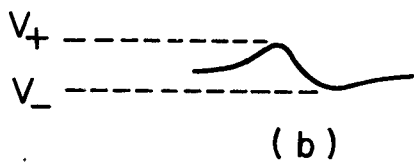
Fig. 2



MU-28801

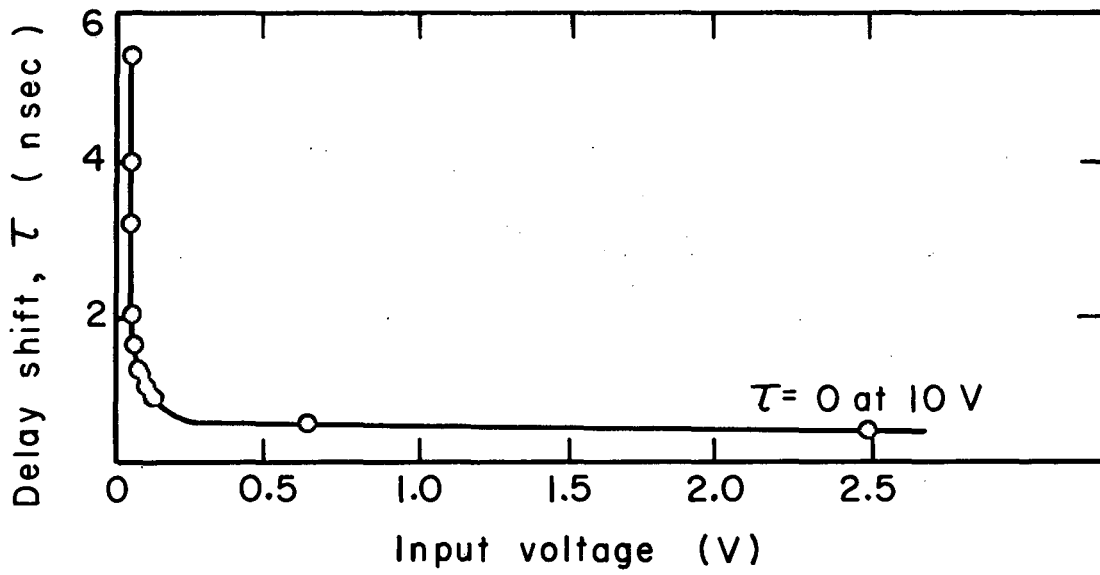
Fig. 3





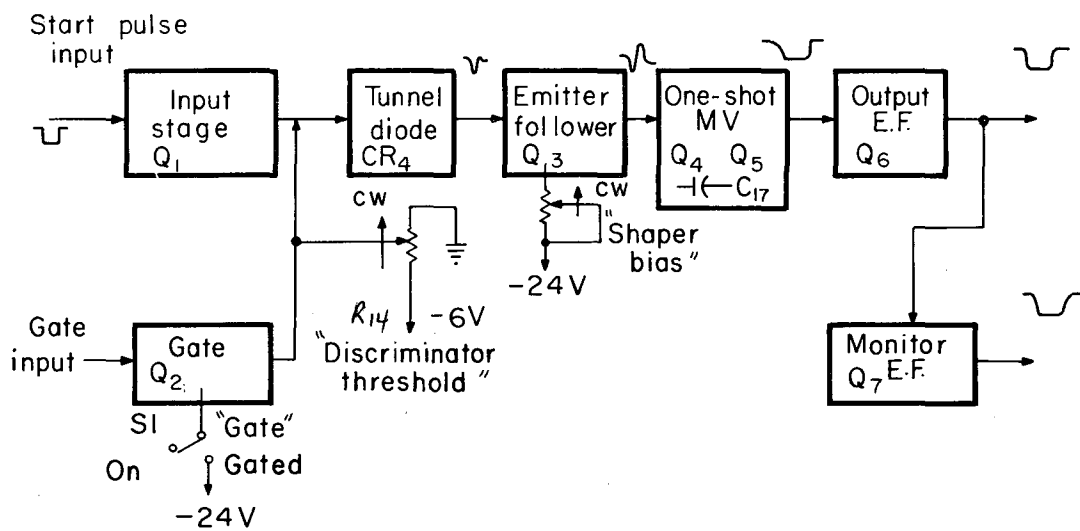
MU-28793

Fig. 4



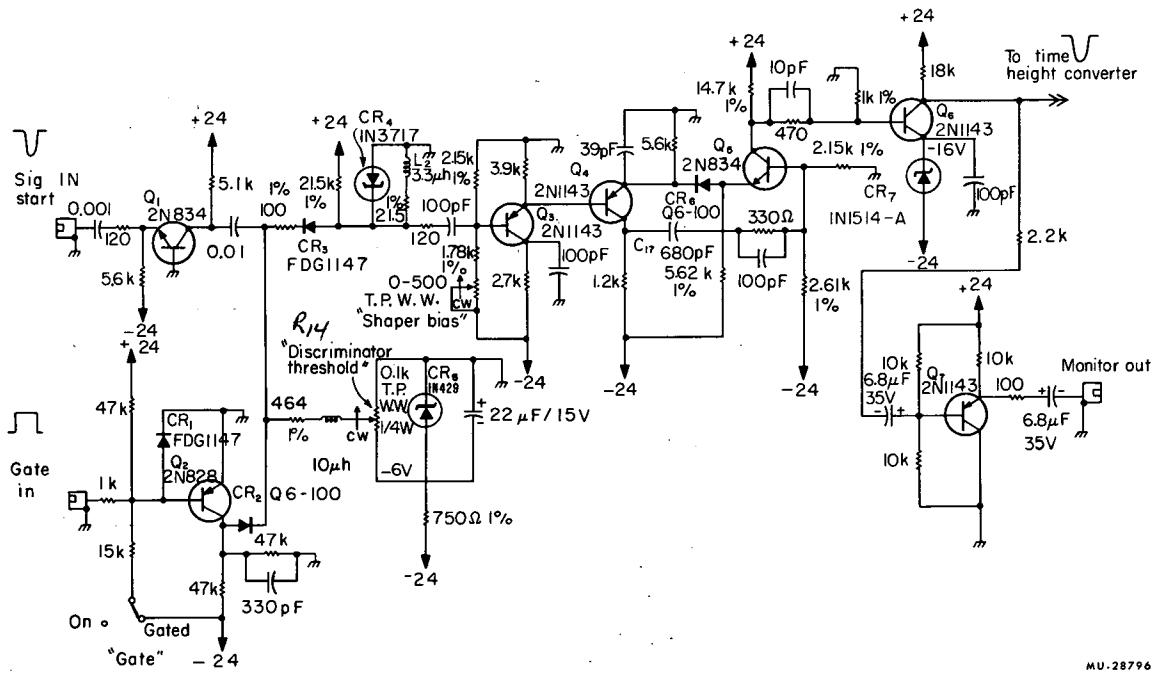
MU-28794

Fig. 5



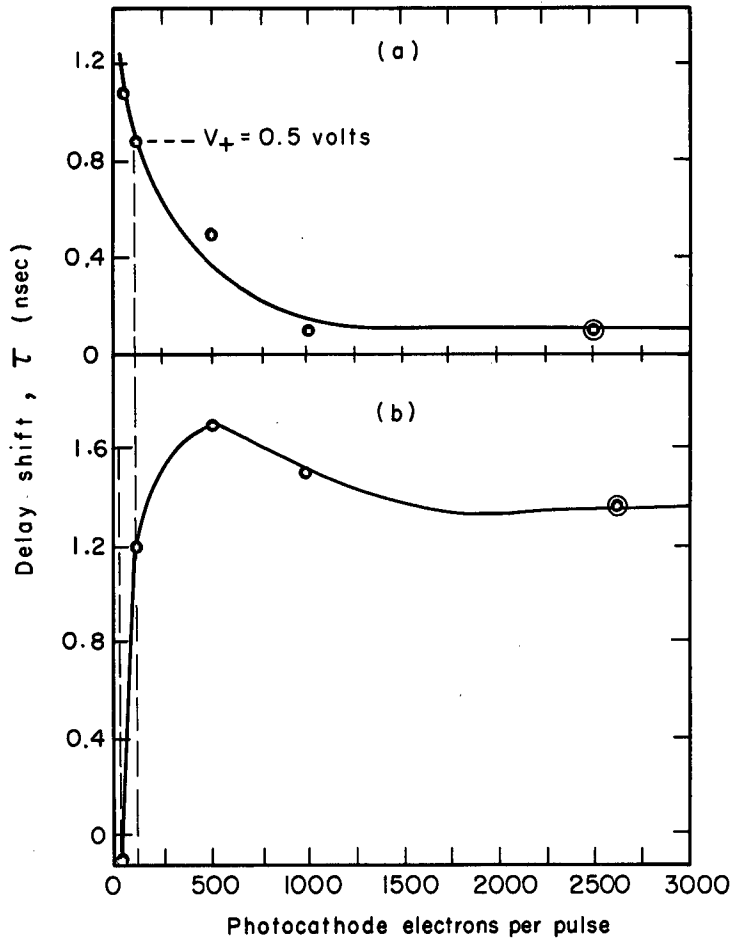
MU-28800

Fig. 6



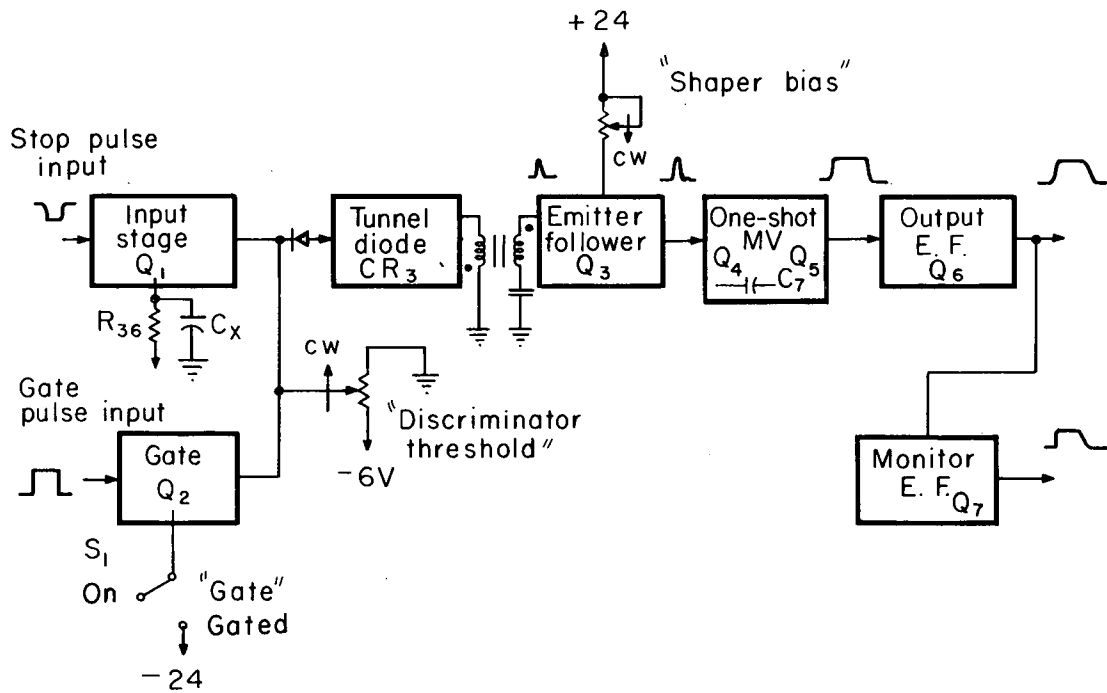
MU-28796

Fig. 7



MU-28799

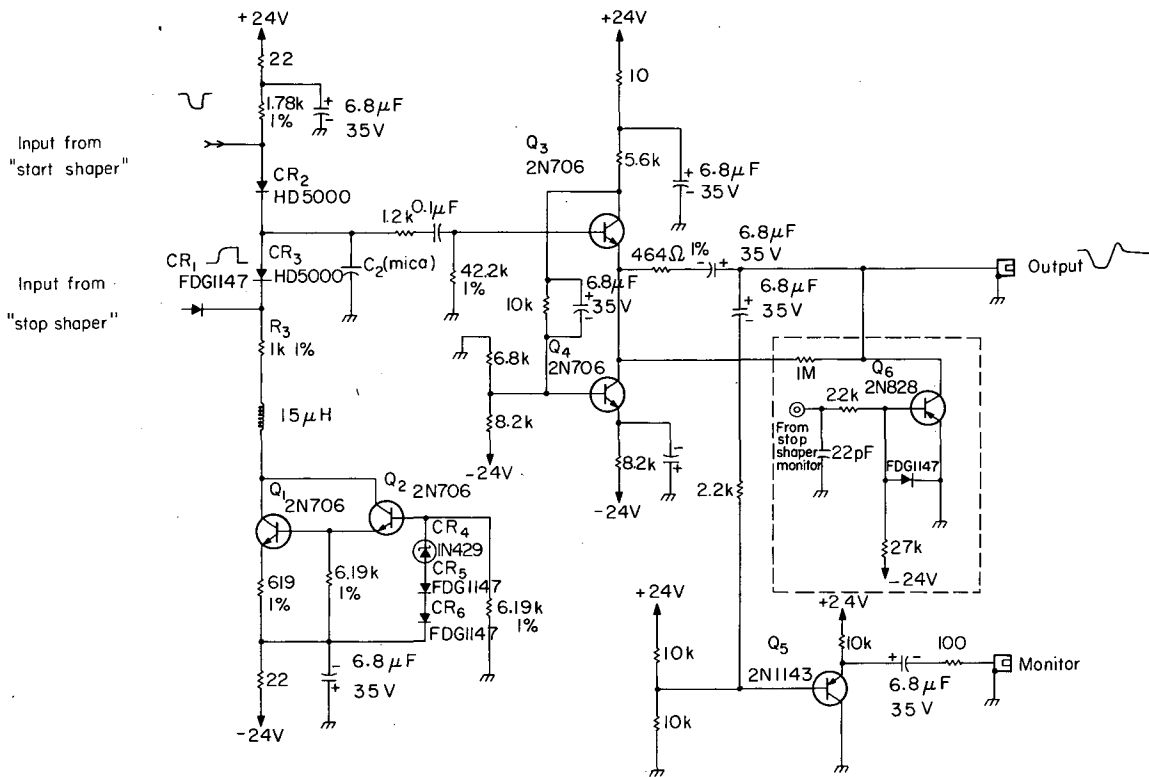
Fig. 8



MU-28792

Fig. 9

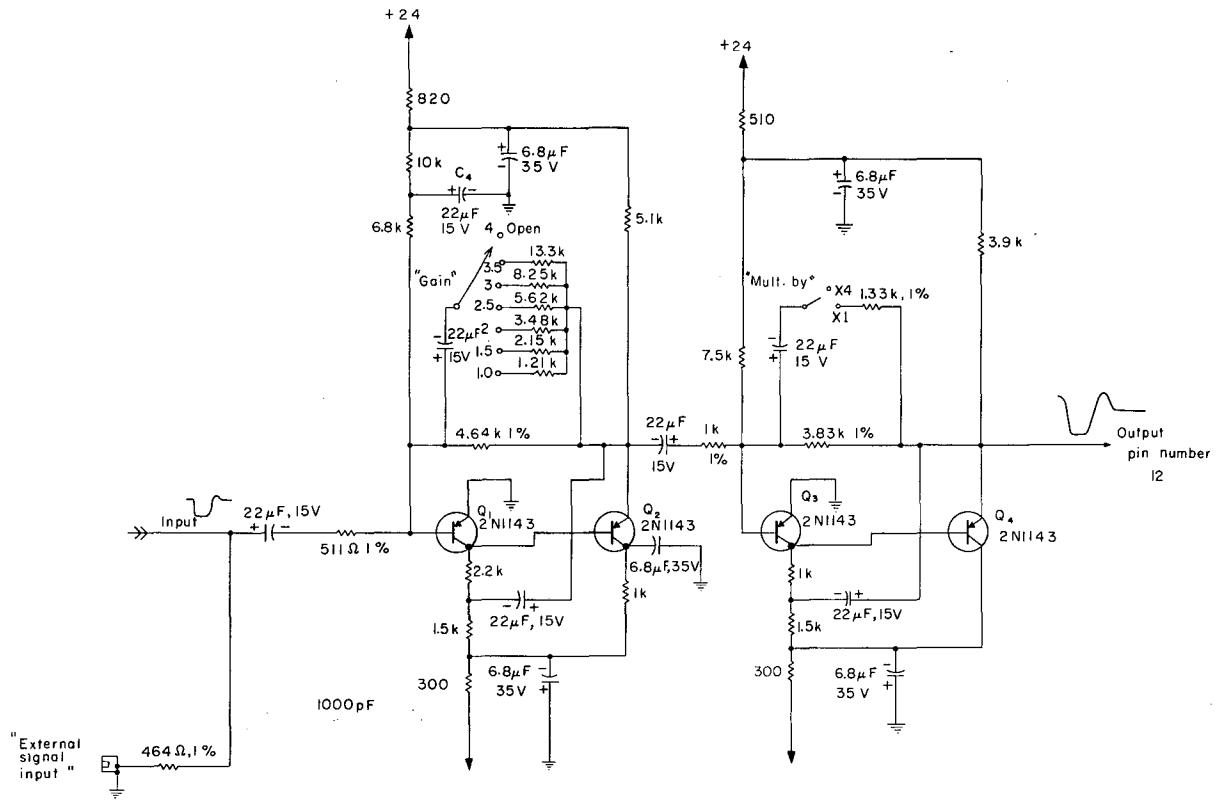




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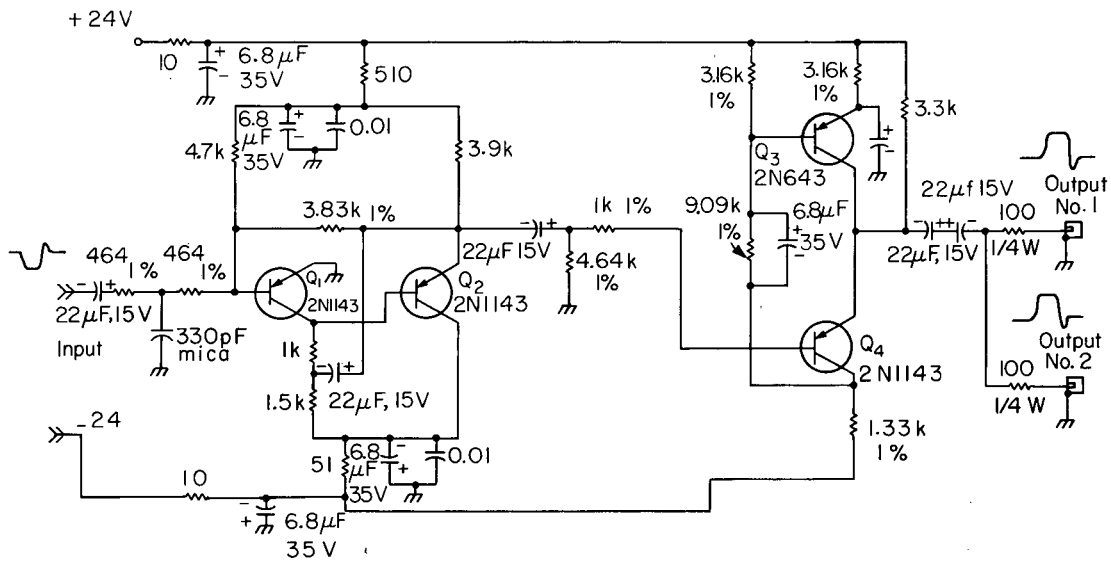
Fig. 11





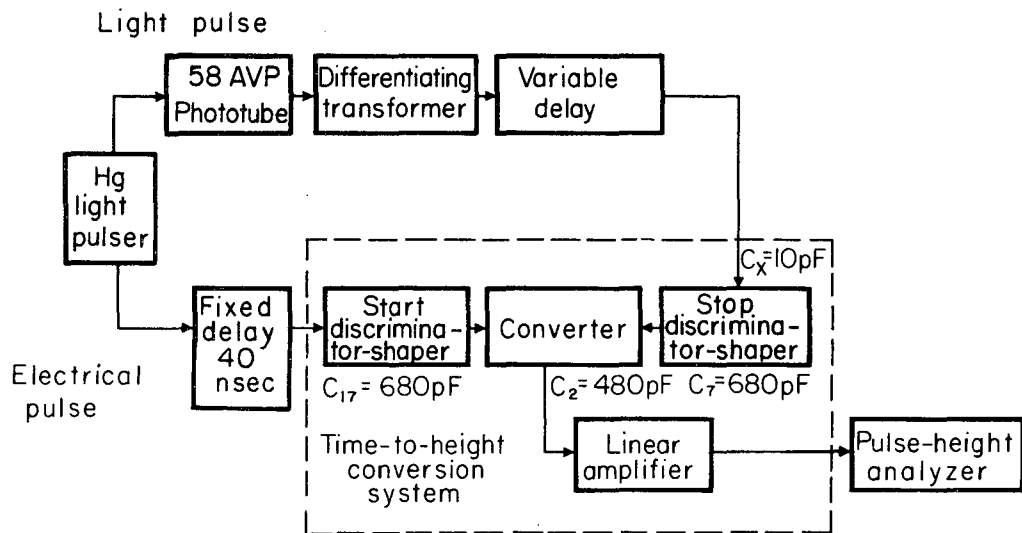
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Fig. 12



MU-28798

Fig. 13



MU-28797

Fig. 14

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