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**Exciton Transport Phenomena in GaAs Coupled Quantum Wells**

A dissertation submitted in partial satisfaction of the  
requirements for the degree  
Doctor of Philosophy

in

Physics

by

Jason R. Leonard

Committee in charge:

Professor Leonid V. Butov, Chair  
Professor John M. Goodkind  
Professor Shayan Mookherjea  
Professor Charles W. Tu  
Professor Congjun Wu

2016

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The dissertation of Jason R. Leonard is approved, and it is acceptable in quality and form for publication on microfilm and electronically:

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Chair

University of California, San Diego

2016

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The text of Chapter 3 and Appendix A, in part, is a reprint of the material as it appears in P. Andreakou, S. V. Poltavtsev, J. R. Leonard, E. V. Calman, M. Remeika, Y. Y. Kuznetsova, L. V. Butov, J. Wilkes, M. Hanson, A. C. Gossard, “Optically controlled excitonic transistor,” *Appl. Phys. Lett.* **104**, 091101 (2014), ©American Institute of Physics, where the dissertation author was the third author. The co-authors in this publication directed, supervised, and co-worked on the research which forms the basis of this chapter.

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ABSTRACT OF THE DISSERTATION

**Exciton Transport Phenomena in GaAs Coupled Quantum Wells**

by

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Doctor of Philosophy in Physics

University of California, San Diego, 2016

Professor Leonid V. Butov, Chair

In GaAs excitons are optically active making them ideally suitable for optical communications and computation. An exciton is composite particle composed of an electron and hole. Indirect excitons are excitons with the electron and hole spatially separated into different quantum wells. Indirect excitons are oriented in the same direction allowing indirect excitons to be manipulated by voltage gradients. This dissertation explores controlling exciton transport with ramps - shaped electrodes that operate as excitonic diodes, or in a crossed ramp configuration operate as an optically controlled transistor. This dissertation also demonstrates an exciton conveyer - a moving lattice created by electrodes driven with AC voltages - that transports excitons over large distances. This dissertation concludes with an observation of exciton spin transport.

# Chapter 1

## Introduction

Computers use electrical interconnects to transfer information between the processor and memory. As processor speeds have increased the speed of processor to memory and chip to chip interconnects have increased. There are a variety of tradeoffs that limit the effectiveness of electrical interconnects. One solution is to use optical interconnects, optical connections do not have the same inherent limitations as electrical connections. However, there are a variety of difficulties involved in building optical interconnects that need to be addressed [Young et al., 2010]. Traditional optics such as VCSELs and resonant cavities address many of these issues, however are size limited by the wavelength of light and do not scale to the size of electrical components. Spatially indirect excitons composed of an electron and hole offer a unique system that is both optically active and electrically controllable. Indirect excitons effectively eliminate the conversion time between electrical and optical signals and are smaller than other optical devices making them a candidate system for optical interconnects [High et al., 2008; Baldo and Stojanović, 2009].

To develop the building blocks of optical interconnects there are a variety of excitonic devices that control potential energy landscapes for excitons, exciton fluxes, emission rates, and other exciton characteristics. The development of excitonic devices that control exciton fluxes is mainly concentrated on indirect excitons in coupled quantum wells (CQW) [Hagn et al., 1995; Gärtner et al., 2006; High et al., 2007; 2008; Grosso et al., 2009; Remeika et al., 2009; High et al., 2009;

Vögele et al., 2009; Kuznetsova et al., 2010b; Cohen et al., 2011; Winbow et al., 2011; Schinner et al., 2011; Remeika et al., 2012; Leonard et al., 2012] and exciton-polaritons in microcavities [Amo et al., 2010; Gao et al., 2012; Ballarini et al., 2013; Nguyen et al., 2013; Sturm et al., 2014].

Beyond being interesting for optical interconnects, indirect excitons carry an intrinsic angular momentum or spin. Building devices that use spin transport may offer advantages in dissipation, size, and speed over charge based devices, leading to considerable interest in the development of semiconductor electronic and excitonic devices based on spin transport; see ref [Awschalom and Flatté, 2007] and references therein. In addition to device applications there is a variety of fundamental spin phenomena in semiconductors, including a number of interesting phenomena in electron transport, such as current-induced spin orientation (the spin Hall effect) [D'yakonov and Perel', 1971a; Hirsch, 1999; Sih et al., 2005], spin-induced contribution to the current [D'yakonov and Perel', 1971b], spin injection [Aronov and Pikus, 1976], and spin diffusion and drag [Dzhioev et al., 1997; Kikkawa and Awschalom, 1999; D'Amico and Vignale, 2001; Weber et al., 2005; Carter et al., 2006; I. Appelbaum, 2007].

## 1.1 Semiconductor introduction

When atoms are combined in a periodic structure, the electronic orbitals of each atom are modified and become bands. Each band is characterized by a dispersion relationship - the relationship between momentum and energy for particles in that band. A semiconductor is a material where the Fermi level is between the conduction band and valence band. This allows the Fermi energy to be moved up into the conduction band or down into the valence band through doping or gate-voltages, manipulating the material conductivity, for details on band structure, see [Kittel, 2005]. Silicon is used in computers because it has a high electron and hole mobility which is important for CMOS devices. Silicon is an indirect band gap semiconductor which means the minimum of the conduction band does not align with the maxima of the valence band. In order for an electron

to optically decay from the conduction band to the valence band the electron must emit a phonon to conserve momentum. This gives an excited electron in silicon a very long lifetime and the material is considered optically inactive. In contrast, GaAs is a direct band gap semiconductor, so an electron can optically decay from the conduction to valence band without also emitting a phonon, see Fig. 1.1. This limits exciton lifetime and the material is considered optically active and suitable for optical applications. This dissertation focuses on GaAs exciton based devices.

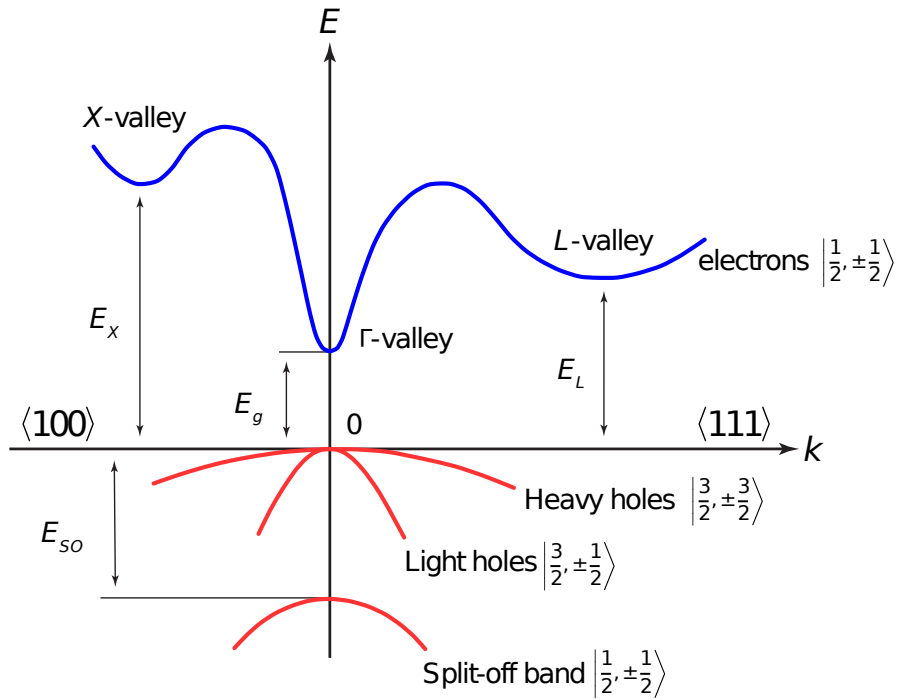
### 1.1.1 Bulk GaAs

When GaAs absorbs a photon an electron is excited from the valence band into the conduction band. The empty location in the valence band can move (when a different electron fills that location) and has positive charge. For practical purposes this empty location in the valence band acts like a positively charged particle called a hole. Since the electron and hole have opposite charge they are attracted to each other and can form a bound state called an exciton. This is analogous to positronium. Figure 1.1 shows the band structure of bulk GaAs. Orbital angular momentum and spin are coupled together, so the bands are described in terms of  $\vec{J} = \vec{L} + \vec{S}$ , where  $\vec{L}$  is the orbital angular momentum and  $\vec{S}$  is the intrinsic angular momentum. Spin-orbit coupling causes an energy difference between  $j = 1/2$  and  $j = 3/2$  states in the valence band.

### 1.1.2 Single Quantum Well

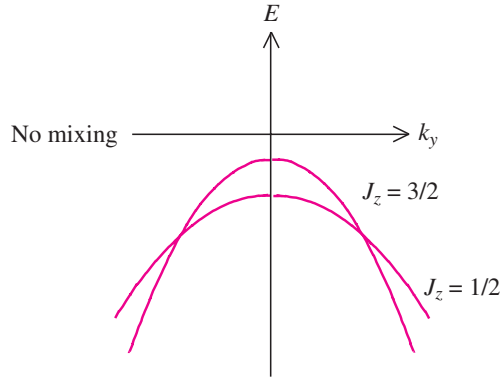
A quantum well is a thin layer of material with a lower band-gap than the surrounding material, restricting electrons and holes to the plane of the quantum well. In a single quantum well an exciton has a lifetime on the order of tens of picoseconds [Feldmann et al., 1987; Andreani et al., 1991; Deveaud et al., 1991]. Confinement along the z-axis modifies the structure of the  $j = 3/2$  band. In bulk GaAs, holes with  $j = 3/2$  are degenerate near  $k = 0$ . In quantum wells, there is a  $k = 0$  energy splitting between  $m_j = \pm 3/2$  and  $m_j = \pm 1/2$  holes [Yu and Cardona, 2005]. In general, this splitting does not directly affect the results in this





**Figure 1.1:** Bulk GaAs Band Diagram. GaAs is a direct band gap semiconductor which means the minimum of the conduction band and the maximum of the valence band both occur at  $k = 0$ . The alignment of the extrema of the conduction and valence band allows an electron to decay into the valence band without coupling to phonon making the material optically active.

dissertation. However, the coupled quantum well absorption spectrum shows two peaks corresponding to excitons containing a light-/heavy-hole. The spin physics of the system changes depending on which resonance is excited. Both of these effects were measured in [Leonard et al., 2008]. For details about the effect of the HH/LH splitting on exciton spin dynamics, see [Viña, 1999].



**Figure 1.2:** GaAs single quantum well valence band diagram. The energy difference at  $k = 0$  is due to confinement in the  $z$ -direction, from [Yu and Cardona, 2005]. Due to the low lattice temperature indirect excitons consist primarily of heavy holes.

### 1.1.3 Coupled-Quantum Wells

In this case, coupled means the quantum wells are placed close enough that particles in one well can interact with particles in the other well. A voltage is applied perpendicular to the plane of the quantum wells. This “gate-voltage” changes the energies of the two wells so that electrons go into one of the wells and holes go into the other well, see Fig. 1.3. The structure is designed so that electrons in one well bind to holes in the other well. These bound particles are called indirect excitons. This design gives rise to many of an indirect excitons unique properties such as a long lifetime, a long spin lifetime, a large transport distance, and in situ control. In this dissertation, I several devices based on these properties.

## Long Lifetime

The spatial separation allows one to control the overlap of electron and hole wavefunctions and engineer structures with lifetimes of indirect excitons orders of magnitude longer than those of direct excitons. Indirect excitons considered in this dissertation have lifetimes on the order of tens of nanoseconds compared to direct excitons with lifetimes on the order of tens of picoseconds [Feldmann et al., 1987; Andreani et al., 1991; Deveaud et al., 1991; Butov et al., 1999a; Hammack et al., 2009].

## Long Spin Lifetime

Indirect excitons have a long spin lifetime compared to direct excitons. The long spin lifetime results from the suppression of the electron-hole exchange interaction by the spatial separation of the electron and hole wavefunctions. Spin physics are detailed in Section 1.3.

## Long Transport Distance

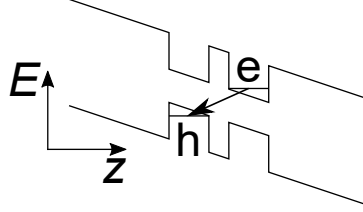
Long lifetimes of the indirect excitons allow them to travel over macroscopic distances before recombination [Hagn et al., 1995; Butov and Filin, 1998; Larionov et al., 2000; Butov et al., 2002; Vörös et al., 2005; Ivanov et al., 2006; Gärtner et al., 2006; Hammack et al., 2009; Alloing et al., 2011; 2012].

## In Situ Control

Indirect excitons have a built-in dipole moment  $ed$ , where  $d$  is close to the distance between the quantum well centers that allows their energy to be controlled by voltage: an electric field  $F_z$  perpendicular to the quantum well plane results in the exciton energy shift  $E = edF_z$  [Miller et al., 1985]. This property is used to create electrostatic in-plane potential landscapes  $E(x, y) = edF_z(x, y)$ .

Exciton transport was studied in various electrostatic potential landscapes including circuit devices [High et al., 2007; 2008; Grosso et al., 2009], traps [High et al., 2009], lattices [Remeika et al., 2009; 2012], narrow channels [Vögele et al.,

2009; Grosso et al., 2009; Cohen et al., 2011], and exciton transistors [High et al., 2007; 2008; Grosso et al., 2009]. Exciton transport was also studied in potential energy gradients created by voltage gradients in electrodes [Hagn et al., 1995; Gärtner et al., 2006].



**Figure 1.3:** Indirect Exciton Band Diagram. Energy diagram showing coupled quantum wells with an applied electric field along the  $z$ -axis. Arrow indicates the electron and hole are in a bound state. Electrons will move to the lower energy quantum well, holes to the higher energy quantum well. The quantum wells are positioned near each other so the electron and hole can bind together into an exciton. The spatial separation results in a large increase of exciton lifetime.

## 1.2 Transport Physics

Exciton transport is driven by drift and diffusion. Ivanov developed a drift-diffusion model that takes into account exciton heating and cooling, and quantum well disorder, see [Ivanov et al., 2006; Hammack et al., 2009]. In steady-state, this drift-diffusion model is given by,

$$\nabla [D_x \nabla n_x + \mu_x n_x \nabla (u_0 n_x + U_{QW} + U_{external})] - n_x / \tau_{opt} + \Lambda = 0, \quad (1.1)$$

where  $n_x$  is the exciton density,  $D_x$  is the exciton diffusion constant and  $\mu_x$  is the exciton mobility.  $u_0$  is the exciton-exciton repulsion. The exact value of  $u_0$  depends on exciton correlations, however, throughout this work it is approximated using the parallel plate capacitor formula,  $u_0 = 4\pi (e^2 / \epsilon_b) d$ , where  $\epsilon_b$  is the dielectric coefficient for GaAs and  $d$  is the distance between quantum well centers. For the device geometry studied  $u_0 \approx 1.6 \text{ meV}/10^{10} \text{ excitons cm}^{-2}$ .  $U_{QW}$  is the

quantum well disorder,  $U_{external}$  is an externally applied potential,  $\tau_{opt}$  is the optical recombination rate, and  $\Lambda$  is the exciton generation rate, determined by laser power. Quantum well disorder can be included in the diffusion coefficient using the thermionic model,

$$D = D_0 \exp\left(-\frac{\langle U_{QW} \rangle}{k_B T + u_0 n}\right) \quad (1.2)$$

This model accounts for excitons screening the quantum well disorder and exciton temperature. The diffusion coefficient and mobility are related by a generalization of the Einstein relationship  $\mu = D_x/k_B T_0 (e^{T_0/T} - 1) \approx D_x/k_B T$  for  $T \gg T_0$ ,  $T_0 = (\pi \hbar^2 n_x) / (2k_B M_x)$  is the exciton quantum degeneracy temperature with exciton mass in terms of the free electron mass,  $M_x = 0.22m_e$ . Laser heating is balanced by emission of acoustic phonons, described by,

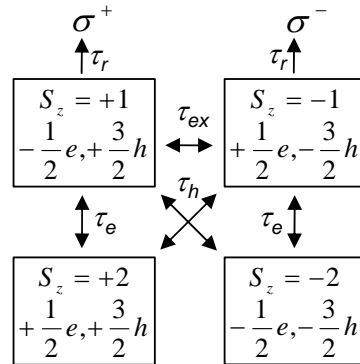
$$S_{phonon}(T_0, T) = S_{pump}(T_0, T, \Lambda, E_{inc}). \quad (1.3)$$

This model describes all of the experiments in this dissertation, aside from the spin transport experiment. In order to describe spin transport, this model was generalized to include the effect of exciton spin. The details of this generalization are in Appendix C.

### 1.3 Spin Physics

Due to conservation of angular momentum a circularly polarized laser excitation creates spin polarized excitons. An exciton is composed of a hole in the valence band  $m_j = \pm 3/2$  and an electron in the conduction band  $m_j = \pm 1/2$ . This gives rise to four possible spin states,  $m_j = \pm 1, \pm 2$ , only  $m_j = \pm 1$  is optically active due to conservation of angular momentum with the emitted photon. Figure 1.4 shows the possible spin-flip pathways in an exciton. An exciton can flip spin through an electron spin-flip, a hole spin-flip or a simultaneous electron and hole spin flip. Excitons undergo spin flip processes before optical decay, emitted light has the same polarization as the exciton. This allows the measurement of exciton spin by polarization resolved photoluminescence measurements. Optical methods

have been used as a tool for precise injection, probe, and control of electron spin via photon polarization in semiconductors. A major role in the optical properties of semiconductors near the fundamental absorption edge is played by excitons. The spin dynamics of excitons in GaAs single quantum wells was extensively studied in the past, see [Andreani and Bassani, 1990; Maialle et al., 1993; Vinattieri et al., 1994] and references therein. It was found that the spin relaxation time of excitons in single quantum wells is of the order of a few tens of picoseconds. Due to the short spin relaxation time, no spin transport of excitons was observed in single quantum wells. For the structures studied in this dissertation, the hole spin-flip time is fast compared to the electron spin-flip time [Uenoyama and Sham, 1990; Maialle et al., 1993; Vinattieri et al., 1994].



**Figure 1.4:** Exciton spin flip pathways in GaAs.  $\tau_r$  is the radiative recombination time,  $\tau_e$ , ( $\tau_h$ ,) is the electron (hole) spin-flip time,  $\tau_{ex}$  simultaneous electron-hole spin flip time.  $\sigma^\pm$  indicates the polarization of emitted light.

In GaAs, there are two important mechanisms of exciton spin splitting, the Dresselhaus interaction and the electron-hole exchange interaction. Both of these mechanisms result in a energy difference between excitons of different spins. D'yakonov and Perel' quantified the effect of spin-splitting on spin relaxation. Qualitatively, the more excitons scatter, the longer their spin lifetime. This happens because each scattering event causes the exciton spin to precess about a different arbitrary axis. If excitons scatter frequently, the exciton does not precess much before scattering again. In this case, the average exciton spin is mostly unchanged. In contrast, if the exciton precesses before scattering, the exciton spin

will be oriented in a random direction, and the average exciton spin tends to zero [D'yakonov and Perel', 1971c].

### 1.3.1 D'yakonov and Perel' spin relaxation

For hamiltonians of the form

$$H = \frac{p^2}{2m} + \frac{\hbar}{2} (\vec{\sigma} \cdot \vec{\Omega}(\vec{p})) \quad (1.4)$$

where  $\vec{p}$  is the electron momentum,  $\vec{\sigma}$  is the electron spin,  $\vec{\Omega}$  is the spin precession frequency, and  $m$  is the electron mass. The spin relaxation time is given by,

$$\tau_s^{-1} = \langle \Omega^2 \tau \rangle \quad (1.5)$$

where  $\tau$  is the momentum relaxation time given by,

$$\mu = \frac{e\tau}{m}. \quad (1.6)$$

$\mu$ ,  $e$  and  $m$  are the electron mobility, charge and mass respectively. [D'yakonov and Perel', 1971c].

### 1.3.2 Dresselhaus Interaction

The Dresselhaus interaction arises from spatial inversion asymmetry. GaAs is made up of two face-centered sublattices. Since each sublattice is made from a different element, spatial inversion changes the lattice structure. This allows terms in the Hamiltonian of the form  $p^3$  to be non-zero. The Dresselhaus interaction arises as a third order perturbation on the GaAs band structure, one of the band mixing terms contains spin orbit coupling [Winkler, 2003]. The Hamiltonian is given by,

$$H = \frac{p^2}{2m} + \frac{\hbar}{2} (\vec{\sigma} \cdot \vec{\Omega}) \quad (1.7)$$

where,

$$\vec{\Omega} = \gamma_c \vec{\kappa}, \quad (1.8)$$

where  $\gamma_c \approx 27.5 \text{ eV \AA}^3$  in the case of GaAs. For bulk materials  $\vec{\kappa}$  is given by,

$$\kappa_x = p_x (p_y^2 - p_z^2) \quad (1.9)$$

with  $\kappa_y$  and  $\kappa_z$  given by cyclic permutation.

D'yakonov and Kachorovskii specialized the Dresselhaus interaction for the case of a quantum well. In a quantum well,  $q$  is the momentum along the confinement direction. For a quantum well,  $\langle q \rangle = 0$  and  $\langle q^2 \rangle \neq 0$  is determined by the width of the quantum well and barrier height. In the approximation  $\langle q^2 \rangle \gg k_{\text{thermal}}^2$ , the Dresselhaus interaction reduces to first order in  $k_{\text{thermal}}$ . In particular, the momentum dependence reduces to [D'yakonov and Kachorovskii, 1986],

$$\langle \kappa_x \rangle = \langle q^2 \rangle [2n_x (n_y k_y - n_z k_z) + (n_y^2 - n_z^2) k_z] \quad (1.10)$$

where  $\vec{n}$  is the growth direction and  $\vec{k}$  is the in-plane thermal momentum.

Using this model the spin splitting constant,  $\langle q^2 \rangle \gamma_c$ , can be measured experimentally and independently estimated from the geometry of the quantum wells. This measurement is discussed in Chapter 5.

### 1.3.3 Electron-Hole Exchange Interaction

The exchange interaction takes place between the electron and hole in an exciton, spin relaxation follows the D'yakonov and Perel' model. Spin relaxation due to the electron-hole exchange interaction is designated by,  $\tau_{\text{ex}}$ . In a single quantum well, the electron-hole exchange interaction is an important part of spin relaxation [Maialle et al., 1993; Vinattieri et al., 1994].  $\tau_{\text{ex}} \propto \tau_r^2$ , so for the coupled quantum wells studied in this dissertation,  $\tau_{\text{ex}}$  is suppressed by 6 orders of magnitude compared to a single quantum well. This estimate is discussed in Chapter 5.

## 1.4 Dissertation Overview

I studied controlled exciton transport using three different systems, a ramp, a crossed ramped transistor and a conveyer.



The ramp is conceptually similar to an electric field. Excitons are neutral particles so simply applying an electric field in the direction of transport will not affect the exciton. Instead, by manipulating the electric field perpendicular to the direction of exciton motion a linear potential gradient is created that applies a constant force to excitons similar to the way an electric field applies a constant force to electrons. Details about controlling exciton transport via ramps are given in Chapter 2.

The crossed ramp builds on the ramp experiment, it consists of two ramps oriented perpendicular to each other. This device is an optically controlled exciton transistor. Details about controlling exciton transport via a crossed ramp transistor are given in Chapter 3.

The conveyer experiment uses a moving sinusoidal potential to transport excitons, conceptually similar to a CCD. The moving sinusoidal potential is created by a set of seven independently addressable electrodes driven by phase shifted sine-waves. The conveyer offers a wide degree of flexibility, it is simple to control the speed and strength of the conveyer using a signal generator. Details about controlling exciton transport via conveyer are given in Chapter 4.

These three experiments cover different methods of controlling exciton transport. In addition to these experiments, I studied exciton spin transport. I observed spatially indirect excitons transport spin, over substantial distances, up to several micrometers. This was achieved due to orders of magnitude enhancement of the exciton spin relaxation time of indirect excitons with respect to excitons in single quantum wells. This experiment is described in Chapter 5.

# Chapter 2

## Controlled exciton transport via a ramp

### 2.1 Introduction

In this work, we study exciton transport in a potential energy gradient - a ramp - created by a shaped electrode at constant voltage. We utilize the ability to control exciton energy by electrode shape [Kuznetsova et al., 2010a] and design the shape of a top electrode on the sample surface so that a voltage applied to it creates a constant potential energy gradient for indirect excitons in the CQW. The excitonic ramp realizes directed transport of excitons as a diode realizes directed transport of electrons.

The advantages of this shaped-electrode-method include the suppression of heating by electric currents in electrodes (such currents may appear in the case when the ramp potential is created by a voltage gradient in the top electrode) and the opportunity to engineer the exciton energy profile along the ramp by designing the electrode shape. We also measure exciton transport in a narrow channel formed by a voltage applied to an electrode stripe of constant width - a flat-energy channel [Grosso et al., 2009; Cohen et al., 2011].

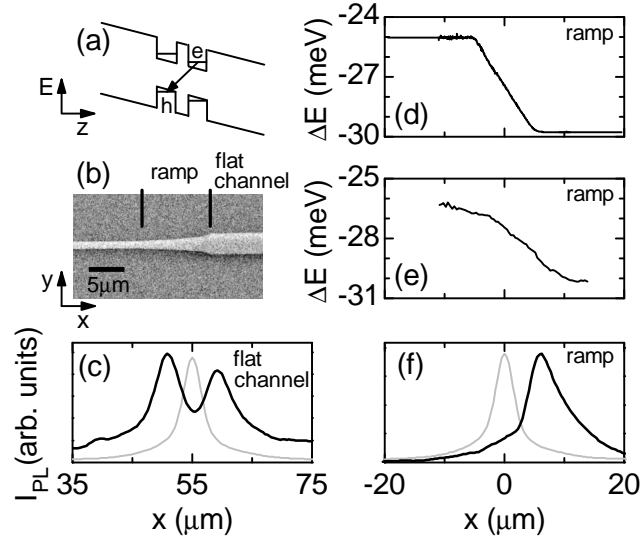
## 2.2 Experimental Methods

The CQW structure is grown by molecular beam epitaxy. An  $n^+$ -GaAs layer with  $n_{Si} = 10^{18} \text{ cm}^{-3}$  serves as a homogeneous bottom electrode. A semitransparent top electrode is fabricated by depositing a 100 nm indium tin oxide layer. Two 8 nm GaAs QWs separated by a 4 nm  $\text{Al}_{0.33}\text{Ga}_{0.67}\text{As}$  barrier are positioned 100 nm above the  $n^+$ -GaAs layer within an undoped  $1 \mu\text{m}$  thick  $\text{Al}_{0.33}\text{Ga}_{0.67}\text{As}$  layer. Positioning the CQW closer to the homogeneous electrode suppresses the in-plane electric field [Hammack et al., 2006], which otherwise can lead to exciton dissociation [Zimmermann et al., 1997]. Excitons are photoexcited by a 633 nm HeNe laser focused to a spot with full width half maximum  $4 \mu\text{m}$ .

## 2.3 Qualitative Results

Figure 2.1c shows the profile of the indirect exciton photoluminescence (PL) intensity  $I(x)$  in the  $3 \mu\text{m}$  channel. The laser excitation profile is shown in gray. The emission pattern has two maxima around the excitation spot and is nearly symmetric relative to the excitation spot position. This pattern is similar to the inner ring studied previously [Butov et al., 2002; Ivanov et al., 2006; Hammack et al., 2009; Alloing et al., 2012; Stern et al., 2008; Ivanov et al., 2010]. The inner ring was explained in terms of exciton transport and cooling: optical excitation heats the exciton gas, excitons cool towards the lattice temperature as they travel away from the excitation spot, the cooling results in an increase in the occupation of the low-energy optically active exciton states and, as a result, the appearance of an emission ring around the excitation spot [Butov et al., 2002; Ivanov et al., 2006; Hammack et al., 2009; Alloing et al., 2012; Ivanov et al., 2010].

Figure 2.1d presents a theoretical numerical simulation of the potential energy profile for indirect excitons  $edF_z$  for constant voltage  $V_e = -3 \text{ V}$  applied to the top electrode shown in Fig. 2.1b. The principle of the ramp is the following: a thinner electrode produces a smaller  $F_z$  due to field divergence near the electrode edges, therefore narrowing the electrode increases the exciton energy thus creating a ramp potential for excitons. The electrode shape (Fig. 2.1b) was designed to



**Figure 2.1:** Ramp overview and operation. (a) CQW band diagram. e, electron; h, hole. (b) Scanning electron microscope image of the electrode, which forms the linear potential energy gradient - ramp (center) and flat-energy channels (sides) for indirect excitons. (c) Indirect exciton PL profile in the flat channel (black).  $P_{ex} = 0.5 \mu\text{W}$ ,  $T_{bath} = 1.6 \text{ K}$ . Laser excitation profile is shown in gray. (d) Simulated potential energy for indirect excitons in the ramp surrounded by flat-energy channels (thin lines show extrapolations). (e) Indirect exciton PL energy in the ramp.  $P_{ex} = 0.02 \mu\text{W}$ ,  $T_{bath} = 5.4 \text{ K}$ . (f) Indirect exciton PL profile in the ramp (black).  $P_{ex} = 0.5 \mu\text{W}$ ,  $T_{bath} = 1.6 \text{ K}$ . Laser excitation profile is shown in gray.  $V_e = -3 \text{ V}$  for all data.

obtain a linear ramp with a constant gradient of the exciton energy (Fig. 2.1d). The energy gradient for indirect excitons in the ramp can be controlled by voltage - it is proportional to  $V_e$ . The ramp is surrounded by flat-energy channels where the electrode width is constant ( $1 \mu\text{m}$  left of the ramp and  $3 \mu\text{m}$  right of the ramp). The energy of indirect excitons is constant in the flat-energy channels (Fig. 2.1d).

Figure 2.1e shows the measured spatial profile of the emission energy of indirect excitons along the ramp  $E(x) = \int EI(x, E)dE/I(x)$ , where  $I(x) = \int I(x, E)dE$ . The measurement was performed at  $T_{bath} = 5.4 \text{ K}$  and  $P_{ex} = 0.02 \mu\text{W}$ : a higher temperature was chosen to reduce the effect of QW disorder and a low laser excitation - to reduce the effect of exciton-exciton repulsion, these effects are described below. The energy of the indirect excitons was measured relative to the direct exciton energy, which is practically independent on  $x$ . The measured (Fig. 2.1e) and calculated (Fig. 2.1d) ramp profiles are qualitatively similar (note that the measured energy difference between the direct and indirect exciton also includes the difference between the direct and indirect exciton binding energies, a few meV for the CQW [Butov et al., 1999b]).

Figure 2.1f shows the profile of the indirect exciton PL intensity  $I(x)$  in the ramp. The laser excitation profile is shown in gray. In contrast to the flat-energy channel (Fig. 2.1c), on the ramp (Fig. 2.1f),  $I(x)$  is asymmetric relative to the excitation spot due to exciton transport along the potential energy gradient.

## 2.4 Quantitative Results

We studied exciton transport in the ramp for different excitation powers  $P_{ex}$  and cryostat temperatures  $T_{bath}$ . Exciton transport in the ramp is presented by the extension of the exciton cloud along the energy gradient (Fig. 2.2). We quantify it by the first moment of the PL intensity  $M_1 = \int xI(x)dx / \int I(x)dx$ , which characterizes the average transport distance of indirect excitons along the ramp. Figure 2 shows that the exciton transport distance along the ramp increases with density. We attribute this to the screening of the disorder in the structure by indirect excitons. The screening originates from the repulsive interaction between indirect

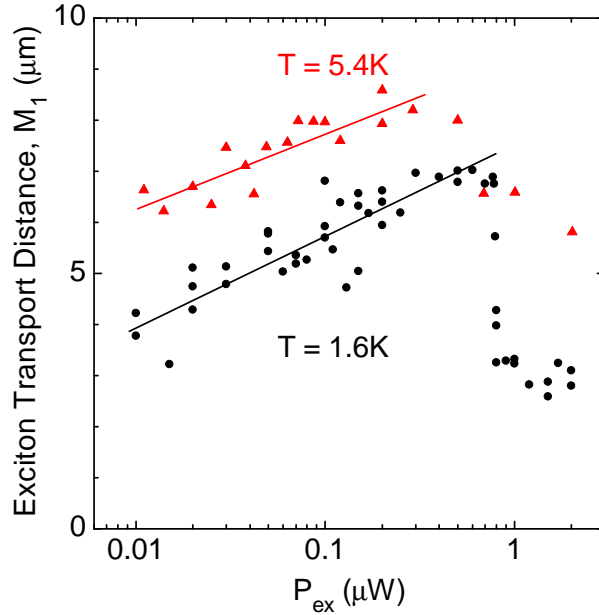
excitons, which are dipoles oriented perpendicular to the QW plane [Ivanov, 2002; Ivanov et al., 2010]. Such screening improves the exciton mobility and, as a result, increases their transport distance along the energy gradient. Figure 2.2 also shows that exciton transport distance along the ramp increases with temperature. We attribute this to the thermal activation of indirect excitons in the disorder potential that facilitates their transport. These interpretations are in agreement with the theoretical numerical model presented in Section 2.5. A drop of  $M_1$  observed at the highest excitation powers can be related to a photoexcitation-induced reduction of the electric field  $F_z$  in the device.

The measurements of exciton transport in a ramp and in a flat-energy region allow estimating the exciton temperature  $T$ . The former measurement provides an estimate for the exciton mobility  $\mu_x$ , the latter - for the exciton diffusion coefficient  $D_x$ , and the Einstein relationship between them - for the exciton temperature. The exciton diffusion coefficient can be estimated using  $D_x \approx w^2/\tau_{\text{opt}}$ , where  $w$  is the half-width at half-maximum of the indirect exciton emission cloud in the flat-energy region and  $\tau_{\text{opt}}$  is the indirect exciton lifetime ( $\tau_{\text{opt}} \approx 50$  ns in the structure). The exciton mobility can be estimated using  $\mu_x = -\frac{M_1}{\tau_{\text{opt}}\nabla U_{\text{ramp}}}$ , where  $\nabla U_{\text{ramp}}$  is the exciton potential energy gradient in the ramp. For  $T_{\text{bath}} = 1.6$  K and  $P_{\text{ex}} = 0.02$   $\mu\text{W}$ , the estimate gives  $D_x \sim 3$   $\text{cm}^2/\text{s}$ ,  $\mu_x \sim 3000$   $\text{cm}^2/\text{eVs}$ , and  $T = \frac{D_x}{k_B\mu_x} \sim 10$  K ( $k_B$  is the Boltzmann constant). This estimate is consistent with the exciton temperature in the excitation spot obtained within the theoretical model for the exciton energy relaxation and transport in a ramp (Fig. 2.3a). This model is described in Section 2.5.

## 2.5 Theoretical Model

We modeled the in plane transport of excitons in the ramp using the following non-linear partial differential equation for exciton density  $n_x$ :

$$\nabla [D_x \nabla n_x + \mu_x n_x \nabla (u_0 n_x + U_{\text{ramp}})] - n_x/\tau_{\text{opt}} + \Lambda = 0. \quad (2.1)$$



**Figure 2.2:** Observed ramp transport distance dependence on exciton density and sample temperature. The average transport distance of indirect excitons along the ramp  $M_1$  as a function of excitation density  $P_{ex}$  for  $T_{bath} = 1.6$  K (black circles) and 5.4 K (red triangles),  $V_e = -3$  V.

The first and second terms in the square brackets account for exciton diffusion and drift, respectively. In the one dimensional geometry relevant to the experiment,  $\nabla = \partial/\partial x$ . The exciton dipole-dipole repulsion, which is approximated by  $u_0 n_x$  with  $u_0 = 4\pi d e^2 / \epsilon_b$  ( $\epsilon_b$  is the background dielectric constant), [Ivanov, 2002; Ivanov et al., 2006; 2010] and the ramp potential  $U_{ramp} = edF_z$  are included in the drift term. The decay rate of excitons is given by  $1/\tau_{opt}$ .  $\Lambda(x)$  is the exciton generation rate. The diffusion coefficient and mobility are related by the generalized Einstein relationship  $\mu_x = D_x / k_B T_0 (e^{T_0/T} - 1)$ , where  $T_0 = (2\pi\hbar^2 n_x) / (M_x g k_B)$  is the quantum degeneracy temperature. Here,  $g = 4$  is the spin degeneracy. The diffusion coefficient is given by the thermionic model  $D_x = D_0 e^{-U_0/(u_0 n_x + k_B T)}$ , where  $U_0/2 = 0.75$  meV is the amplitude of disorder potential in the structure [Ivanov, 2002]. In addition, we included a thermalization equation to account for energy relaxation of photoexcited excitons:

$$S_{phonon}(T_0, T) = S_{pump}(T_0, T, \Lambda, E_{inc}), \quad (2.2)$$

where  $S_{phonon}$  is the cooling rate due to bulk longitudinal acoustic phonon emission,  $S_{pump}$  is the heating rate due to the laser excitation and  $E_{inc}$  is the excess energy of photoexcited excitons (17 meV in the simulations). Expressions for  $S_{phonon}$ ,  $S_{pump}$ ,  $\tau_{opt}$  and all other parameters of the model are given in [Ivanov, 2002; Ivanov et al., 2006; Hammack et al., 2009].

The results of the simulations are presented in Fig. 2.3. The calculated exciton temperature in the excitation spot (Fig. 2.3a) is close to the temperature estimate above. Figure 2.3b shows the bare ramp potential  $U_{ramp}$  and the ramp potential screened by the exciton-exciton repulsion  $U_{ramp} + u_0 n_x$ . Figure 2.3c shows the density and PL intensity of indirect excitons. The latter is qualitatively similar to the measured PL intensity (Fig. 2.1f). Figure 2.3d shows the average transport distance of indirect excitons along the ramp  $M_1$  as a function of exciton generation rate  $\Lambda(x)$ . Within the model, the exciton transport distance along the ramp increases with density due to the screening of the disorder in the structure by repulsively interacting indirect excitons and increases with temperature due to the thermal activation of indirect excitons in the disorder potential. These features observed in the model are qualitatively similar to the experimental data, compare Figs. 2.2 and 2.3d.

## 2.6 Summary

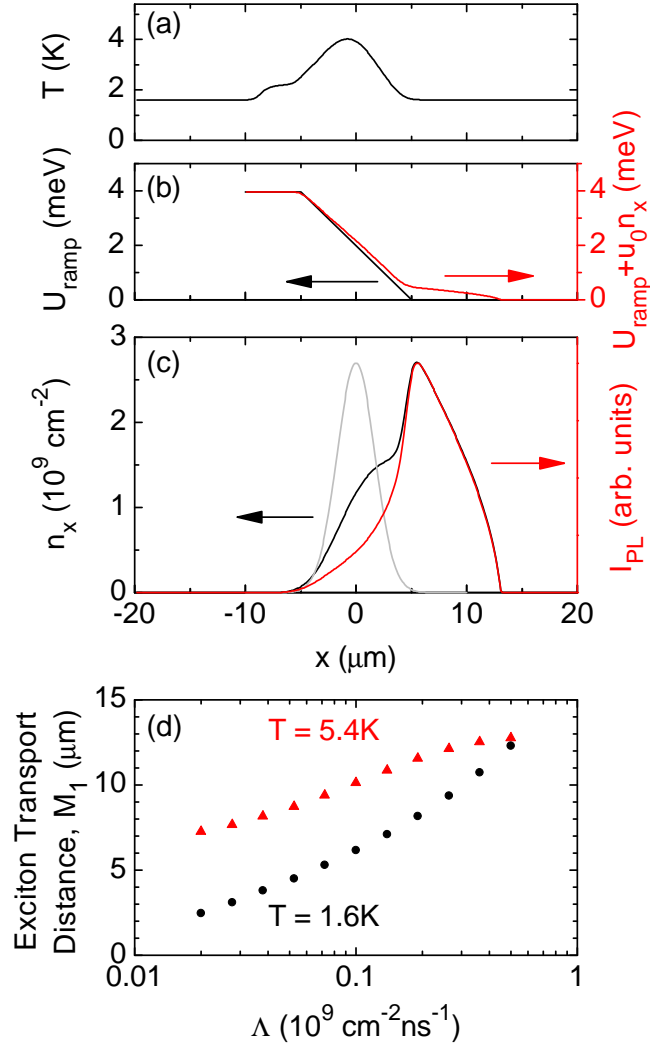
We report on the realization of an electrostatic ramp potential for indirect excitons using a shaped electrode at constant voltage and on experimental and theoretical studies of exciton transport along the ramp.

This work was supported by NSF Grant No. 0907349. J.W. was supported by EPSRC, A.A.H. was supported by an Intel fellowship.

## 2.7 Acknowledgments

The text of Chapter 2, in part, is a reprint of the material as it appears in J. R. Leonard, M. Remeika, M. K. Chu, Y. Y. Kuznetsova, A. A High, L. V. Butov,





**Figure 2.3:** Theoretical ramp transport distance dependence on exciton density and sample temperature. (a) Exciton temperature. (b) Bare ramp potential  $U_{\text{ramp}}$  and screened ramp potential  $U_{\text{ramp}} + u_0 n_x$ . (c) Exciton density (black) and PL intensity (red). Laser excitation profile is shown in gray.  $\Lambda = 10^8 \text{ cm}^{-2} \text{ ns}^{-1}$ ,  $T_{\text{bath}} = 1.6$  K. (d) The average transport distance of indirect excitons along the ramp  $M_1$  as a function of exciton generation rate  $\Lambda$  for  $T_{\text{bath}} = 1.6$  (black) and 5.4 K (red).

J. Wilkes, M. Hanson, and A. C. Gossard, “Transport of Indirect Excitons in a Potential Energy Gradient,” *Appl. Phys. Lett.* **100**, 231106 (2012), ©American Institute of Physics, where the dissertation author was the first author. The co-authors in this publication directed, supervised, and co-worked on the research which forms the basis of this chapter.

# Chapter 3

## Controlled exciton transport via an optically controlled exciton transistor

### 3.1 Introduction

Optical control of exciton fluxes is realized for indirect excitons in a crossed-ramp excitonic device. The device demonstrates experimental proof of principle for all-optical excitonic transistors with a high ratio between the excitonic signal at the optical drain and the excitonic signal due to the optical gate. The device also demonstrates experimental proof of principle for all-optical excitonic routers.

### 3.2 Realization

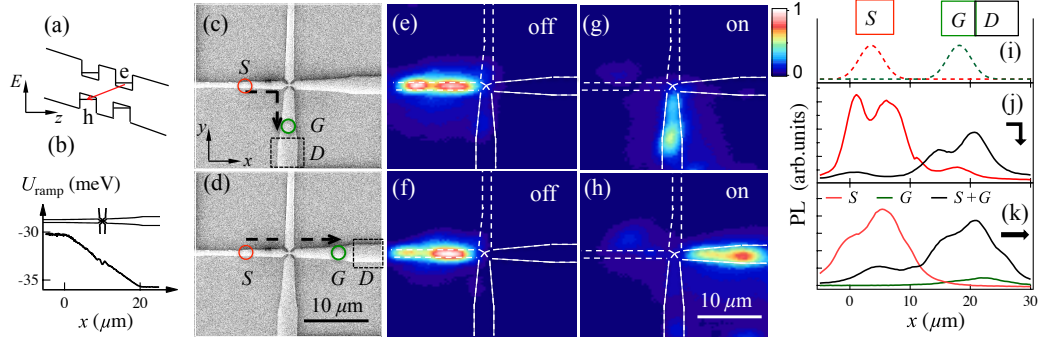
We study indirect excitons in a crossed-ramp excitonic device. A potential energy gradient - a ramp - is created by a shaped electrode at constant voltage with no energy-dissipating voltage gradient [Leonard et al., 2012]. The design utilizes the ability to control exciton energy by electrode density [Kuznetsova et al., 2010a]. An electrode on the sample surface - the top electrode (Fig. 3.1c,d) - is shaped so that a voltage applied between it and a homogeneous bottom electrode creates

two crossing ramps. In each of these ramps, narrowing of the top electrode reduces  $F_z$  due to field divergence near the electrode edges and, as a result, increases the exciton energy. The electrode shape (Fig. 3.1c,d) is designed to obtain a constant potential energy gradient for indirect excitons in the CQW along each of the crossing ramps (Fig. 3.1b). At the crossing point, the electrodes are narrowed to compensate for the otherwise increased electrode density and thus to keep the exciton energy linear along both ramps [Kuznetsova et al., 2010a]. Each of the two ramps is surrounded by flat-energy channels where the electrode width and, in turn, the energy of indirect excitons, is constant (Fig. 3.1b-d). The parameters of the structure and experimental details are presented in Appendix A.

The crossed-ramp excitonic device demonstrates experimental proof of principle for all-optical excitonic transistors with optical input, output, and control gate using indirect excitons as the operation medium. Photons transform into excitons at the optical input (source) and travel to the optical output (drain) due to the ramp potential. The output signal of the exciton emission in the drain region is controlled by a gate beam.

### 3.3 Experimental Methods

The CQW structure was grown by molecular beam epitaxy. An  $n^+$ -GaAs layer with  $n_{Si} = 10^{18} \text{ cm}^{-3}$  serves as a bottom electrode. A semitransparent top electrode is fabricated by depositing a 100 nm indium tin oxide layer. Two 8 nm GaAs QWs separated by a 4 nm  $\text{Al}_{0.33}\text{Ga}_{0.67}\text{As}$  barrier are positioned 100 nm above the  $n^+$ -GaAs layer within an undoped  $1 \mu\text{m}$  thick  $\text{Al}_{0.33}\text{Ga}_{0.67}\text{As}$  layer. Positioning the CQW closer to the homogeneous electrode suppresses the in-plane electric field [Hammack et al., 2006], which otherwise can lead to exciton dissociation [Zimmermann et al., 1997]. Excitons are photoexcited by a 633 nm HeNe laser corresponding to the photon energy above the  $\text{Al}_{0.33}\text{Ga}_{0.67}\text{As}$  barrier. Experiments are performed at  $T_{bath} = 1.6 \text{ K}$ . For the data in this chapter, the voltage applied to the top electrode  $V_e = -3 \text{ V}$ .



**Figure 3.1:** Optically Controlled Excitonic Transistor overview and operation. (a) CQW band diagram. e, electron, h, hole. (b) Simulated potential for indirect excitons in the crossed-ramp device along one of the crossed electrodes. The electrode and a part of the other electrode near the crossing point are shown schematically in the upper part. (c,d) SEM images of the electrode. The shaped electrode forms the crossing ramps for indirect excitons. Red and green circles indicate the excitation spots of the source ( $S$ ) and gate ( $G$ ) beam, respectively. Arrows indicate the turned-path (c) or straight-path (d) operation of the excitonic transistor. (e-h) Images of the exciton emission in (e,f) off and (g,h) on states for the turned-path (e,g) and straight-path (f,h) transistor operation. The power of the source beam  $P_S = 0.5 \mu\text{W}$ . The power of the gate beam  $P_G = 0$  (e,f) and  $0.2 \mu\text{W}$  (g,h). (j,k) Emission intensity of indirect excitons along the exciton flux for the turned-path (j) and straight-path (k) transistor operation in off state (red,  $P_S = 0.5 \mu\text{W}$ ,  $P_G = 0$ ), in on state (black,  $P_S = 0.5 \mu\text{W}$ ,  $P_G = 0.2 \mu\text{W}$ ), and when only the gate beam is on (green,  $P_S = 0$ ,  $P_G = 0.2 \mu\text{W}$ ). (i) Spatial profiles of the source (red) and gate (green) excitation beam spots.

### 3.4 Results

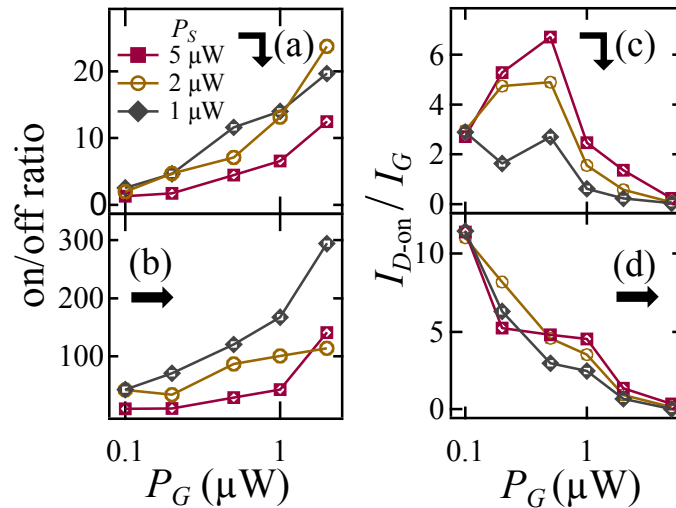
Figure 3.1e,f shows the images of the emission of indirect excitons along the turned-path and straight-path of the crossed-ramp device when only the source beam is on. The corresponding spatial profiles of the indirect exciton emission intensity  $I(x)$  are presented in Fig. 3.1j,k. The profile of the source beam is shown in Fig. 3.1i. The emission patterns show enhanced emission intensity around the excitation spot due to the inner-ring effect studied earlier [Ivanov et al., 2006; Hammack et al., 2009]. The inner ring was explained in terms of exciton transport and cooling: the heating of the exciton gas by laser excitation reduces the occupation of low-energy optically active exciton states, in turn reducing the exciton emission intensity in the excitation spot. When excitons travel away from the excitation spot, they thermalize to the lattice temperature, and the occupation of low-energy optically active exciton states increases, in turn increasing the exciton emission intensity and forming photoluminescence ring around the excitation spot [Ivanov et al., 2006; Hammack et al., 2009]. Emission patterns also show the enhanced emission intensity of indirect excitons at the lower energy side of the ramps due to exciton transport along the potential energy gradient.

The regime when only the source beam is on refers to off state of the excitonic transistor. The output signal of the transistor given by the emission of indirect excitons in the drain region is weak (Fig. 3.1j,k). The exciton signal in the drain region is controlled by an optical gate. The positions of the gate beam and drain region are shown in Fig. 3.1c and Fig. 3.1d for the turned-path or straight-path operation of the excitonic transistor, respectively. Figure 3.1j,k shows that turning on the gate beam strongly increases the exciton signal at the drain, switching the excitonic transistor to the on state. Figure 3.2a,b shows that the on/off ratio of the output intensity in the drain region reaches two orders of magnitude. Furthermore, even a weak gate beam generating a weak exciton signal (green lines in Fig. 3.1j,k) can strongly increase the output in the drain. Figure 3.2c,d shows that the ratio between the excitonic signal at the optical drain and the excitonic signal due to the optical gate  $I_{D-on}/I_G$  reaches an order of magnitude. We note that the excitonic signal due to the optical gate is generally smaller than

the gate signal since not all of the gate photons transform to the emitted photons due to losses, therefore, in general  $I_{D-on}/I_G$  is not equal to the transistor gain.

The earlier studied exciton optoelectronic devices, where switching was controlled by gate voltage, demonstrated a switching time below 1 ns [High et al., 2007]. Since no voltage switching is required for the all-optical excitonic transistors studied here, the switching time of these devices can potentially be even shorter. The study of the signal kinetics in all-optical excitonic transistors forms the subject for future work.

The crossed-ramp excitonic device also demonstrates an experimental proof of principle of all-optical excitonic routers. In the absence of the gate beam, the output signal of exciton emission is low in both ramps after the crossing point (Fig. 3.1e,f). Positioning the gate beam on one or another ramp of the crossed-ramp device determines the path where the output signal is directed (Fig. 3.1c-h). Even a weak gate beam generating a weak exciton signal can route a much stronger output signal of exciton emission (Fig. 3.1j,k).



**Figure 3.2:** Optically Controlled Excitonic Transistor performance characterization. (a,b) The contrast ratio of the output intensity integrated over the drain region. (c,d) The ratio of the exciton emission intensity integrated over the drain region in on state to the exciton emission intensity integrated over the entire device when only the gate beam is on. The data are shown for the turned-path (a,c) and straight-path (b,d) operation of the excitonic transistor.

### 3.5 Theoretical Model

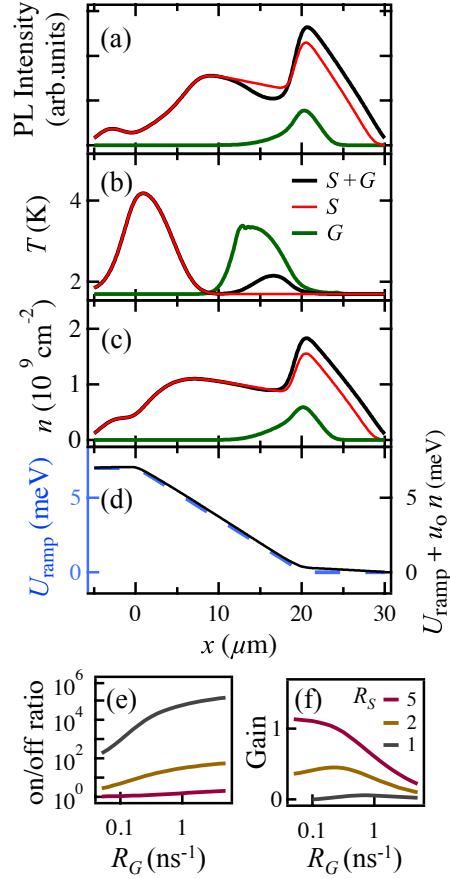
Indirect exciton transport in a 1D potential energy channel was modeled using the following non-linear transport equation:

$$\nabla [D\nabla n + \mu n \nabla (u_0 n + U_{\text{ramp}})] - n/\tau + \Lambda_S + \Lambda_G = 0. \quad (3.1)$$

This equation was solved for the steady-state distribution of indirect excitons,  $n$  with  $\nabla = \partial/\partial x$  (the coordinate  $x$  follows the path of the exciton flux along the energy channel and ramp). Diffusion and drift fluxes are given by the first and second terms in square brackets, respectively. The exciton diffusion coefficient  $D$  and mobility  $\mu$  are related by the generalized Einstein relationship [Ivanov et al., 2006; Hammack et al., 2009],  $\mu = D(e^{T_0/T} - 1)/(k_B T_0)$  where  $T_0 = (\pi\hbar^2 n)/(2Mk_B)$  is the quantum degeneracy temperature and  $M$  is the exciton mass. The drift flux is due to the gradient in the applied ramp potential  $U_{\text{ramp}}$  (shown in Fig. 3d) and the exciton-exciton interaction. The exciton-exciton interaction was modeled as a repulsive dipolar interaction potential, approximated by  $u_0 n$  with  $u_0 = 4\pi d e^2/\epsilon_b$ , where  $\epsilon_b$  is the GaAs dielectric constant. The effect of the QW disorder potential is included in the diffusion coefficient,  $D = D_0 \exp[-U_0/(u_0 n + k_B T)]$  [Ivanov et al., 2006; Hammack et al., 2009]. Here,  $U_0/2 = 0.5$  meV is the amplitude of the disorder potential and  $D_0$  is the diffusion coefficient in the absence of disorder. This description includes (i) increased exciton localization to potential minima for decreasing temperature and (ii) screening of the disorder potential for increasing exciton density [Ivanov et al., 2006; Hammack et al., 2009].

Optical generation of excitons at the source (gate) is given by  $\Lambda_{S(G)}$ . These have Gaussian profiles with position and FWHM chosen to match the experiment. The total injection rate of excitons is  $R_{S(G)} = \delta y \int \Lambda_{S(G)}(x) dx$  where  $\delta y \approx 1 \mu\text{m}$  is the width of the potential energy channel. The exciton optical lifetime  $\tau(T_0, T)$  determines the decay of optically active excitons [Ivanov et al., 2006; Hammack et al., 2009]. The spatially varying exciton temperature used in Eq. (3.1) is found





**Figure 3.3:** Theoretical Optically Controlled Excitonic Transistor performance characterization. Exciton emission intensity (a), temperature (b), and density (c) for  $R_S = 5 \text{ ns}^{-1}$  and  $R_G = 0$  (red, off state),  $R_S = 0$  and  $R_G = 0.5 \text{ ns}^{-1}$  (green), and  $R_S = 5 \text{ ns}^{-1}$  and  $R_G = 0.5 \text{ ns}^{-1}$  (black, on state). (d) Bare ramp potential  $U_{\text{ramp}}$  (dashed blue) and screened ramp potential  $U_{\text{ramp}} + u_0 n$  for  $R_S = 5 \text{ ns}^{-1}$  and  $R_G = 0.5 \text{ ns}^{-1}$  (black). (e) The contrast ratio of the output intensity in the drain region vs. gate generation rate  $R_G$  for different source generation rates  $R_S = 1$  (black), 2 (yellow), and 5 (red)  $\text{ns}^{-1}$ . (f) The gain of the excitonic transistor. The gain is defined as the ratio of the exciton emission intensity integrated over the drain region in on state to the exciton emission intensity integrated over the entire device when only the gate beam is on.

by solving a thermalization equation:

$$S_{\text{phonon}}(T_0, T) = S_{\text{pump}}(T_0, T, \Lambda_S + \Lambda_G, E_{\text{inc}}). \quad (3.2)$$

Here,  $S_{\text{phonon}}$  accounts for energy relaxation of excitons due to bulk longitudinal acoustic phonon emission.  $S_{\text{pump}}$  is the heating rate due to the non-resonant laser excitation and is determined by the generation rates,  $\Lambda_{S(G)}$  and the excess energy of photoexcited excitons  $E_{\text{inc}}$ . Expressions for  $S_{\text{phonon}}$ ,  $S_{\text{pump}}$ ,  $\tau$ , and all other parameters of the model are given in Ref. [Hammack et al., 2009].

The results of the simulations are presented in Fig. 3.3. Figure 3.3d shows the bare ramp potential  $U_{\text{ramp}}$  and the ramp potential screened by the exciton-exciton repulsion  $U_{\text{ramp}} + u_0 n$ . Figures 3.3a, 3.3b, and 3.3c show the emission intensity, temperature, and density of indirect excitons. Figures 3.3e and 3.3f show the contrast ratio of the output intensity in the drain region and the gain of the excitonic transistor for different source and gate powers.

Within the model, excitons generated in the gate area screen the disorder in the structure due to the repulsive dipolar interactions of indirect excitons. This increases the source exciton transport distance along the ramp, allowing excitons generated by the source laser to reach the drain region. The transport distance is further enhanced by the gate-beam-induced heating of the exciton gas due to the thermal activation of excitons in the disorder potential. The heating also increases the exciton lifetime that increases the density and, in turn, the screening of the disorder potential. The increasing exciton transport distance along the ramp generates the signal in the drain region. The features observed in the model are qualitatively similar to the experimental data, compare Figs. 3.1j,k with Fig. 3.3a, Fig. 3.2a,b with Fig. 3.3e, and Fig. 3.2c,d with Fig. 3.3f. However, the experimentally observed ratio between the excitonic signal at the optical drain to the excitonic signal due to the optical gate is much higher than the gain of the excitonic transistor calculated within the model. This indicates that a model beyond the considered drift/diffusion model should be developed for a quantitative description of the experimental data.

## 3.6 Summary

We report on experimental proof of principle for all-optical excitonic transistors with a high ratio of the excitonic signal at the optical drain to the excitonic signal due to the optical gate and experimental proof of principle for all-optical excitonic routers.

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## 3.7 Acknowledgments

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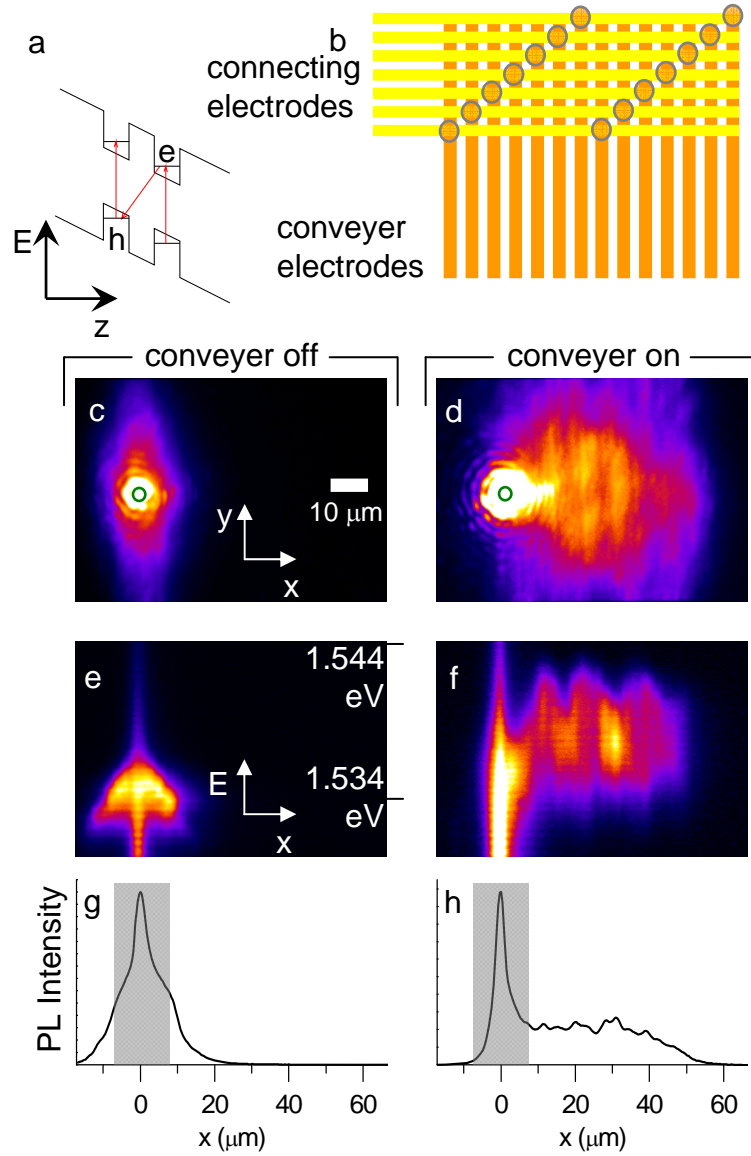
# Chapter 4

## Controlled exciton transport via a Conveyer

### 4.1 Introduction

This chapter presents an excitonic conveyer – a moving lattice created by a set of seven independently controlled electrodes controlled by AC voltages to create a moving sine wave potential. The excitonic conveyer realizes controlled transport of excitons as charged coupled devices (CCD) realize controlled transport of electrons [Smith, 2010].

Moving potential lattices can be created by surface acoustic waves (SAW). Transport of excitons, exciton-polaritons, and laterally separated electrons and holes via SAW is intensively studied [Rocke et al., 1997; Rudolph et al., 2007; Lazic et al., 2010; Cerda-Méndez et al., 2010]. The transport velocity in this case is defined by the sound velocity of SAW propagation  $\sim 3\mu\text{m/ns}$ . In contrast, the velocity of the electrostatic excitonic conveyer can be controlled by the AC frequency and can be from well below to well above the sound velocity.



**Figure 4.1:** Conveyor Overview and Operation. (a) CQW band diagram; e, electron; h, hole. (b) Electrode pattern, contacts are shown by circles. (c-f)  $x - y$  and  $x - \text{energy}$  PL images for conveyor off and on. (g,h) PL intensity profiles  $I(x)$ .  $P_{\text{ex}} = 20\mu\text{W}$ ,  $A_{\text{conv}} = 7.5 \text{ meV}$ ,  $v_{\text{conv}} = 0.7\mu\text{m/ns}$ .

## 4.2 Experimental Methods

The indirect excitons are created in a GaAs coupled quantum well structure (CQW) grown by molecular beam epitaxy (Fig. 4.1a). An  $n^+$ -GaAs layer with  $n_{\text{Si}} = 10^{18} \text{ cm}^{-3}$  serves as a homogeneous bottom electrode. Two 8 nm GaAs QWs separated by a 4 nm  $\text{Al}_{0.33}\text{Ga}_{0.67}\text{As}$  barrier are positioned  $0.1 \mu\text{m}$  above the  $n^+$ -GaAs layer within an undoped  $1 \mu\text{m}$  thick  $\text{Al}_{0.33}\text{Ga}_{0.67}\text{As}$  layer. Positioning the CQW closer to the homogeneous electrode suppresses the in-plane electric field [Hammack et al., 2006], which otherwise can lead to exciton dissociation [Zimmermann et al., 1997].

The conveyer potential is created by a set of semitransparent  $1 \mu\text{m}$  wide 120 nm thick indium tin oxide (ITO) electrodes on the sample surface. The distance between the electrode centers is  $2 \mu\text{m}$ , the conveyer periodicity is 7 electrodes, and the wavelength of the conveyer potential is  $\lambda_{\text{conv}} = 14 \mu\text{m}$ . The conveyer electrodes are covered by a layer of transparent insulation ( $300 \mu\text{m}$  thick  $\text{SiO}_2$ ). A set of connecting electrodes ( $10 \mu\text{m}$  wide 300 nm thick ITO) provides the contacts to the conveyer electrodes through  $1 \times 10 \mu\text{m}$  etched openings in the insulating layer (Fig. 4.1b). The conveyer length is  $380 \mu\text{m}$ , width is  $80 \mu\text{m}$ .

The sample mounts in a He cryostat at 1.7 K. AC voltages to the conveyer electrodes are applied by coaxial cables with impedance-matching termination at the sample. The regime, where the indirect excitons have lower energy than spatially direct excitons in the CQW, is realized by DC bias  $V_{\text{bias}} = 4 \text{ V}$  supplied separately, see Appendix B. A set of differentially phase-delayed AC sinewaves at frequency  $f_{\text{conv}}$  creates a traveling potential lattice for indirect excitons – the excitonic conveyer. The amplitude of the conveyer potential for indirect excitons  $A_{\text{conv}}$  is controlled by the applied voltage, see Appendix B. The conveyer velocity is controlled by the AC frequency  $v_{\text{conv}} = \lambda_{\text{conv}} f_{\text{conv}}$ .

The excitons are photoexcited by 788 nm Ti:Sp laser focused to a spot  $\sim 5 \mu\text{m}$  in diameter. The exciton density is controlled by the laser excitation power  $P_{\text{ex}}$ . Photoluminescence (PL) images of the exciton cloud are taken by a CCD with a bandpass filter  $810 \pm 5 \text{ nm}$  covering the spectral range of the indirect excitons. The diffraction-limited spatial resolution is  $1.4 \mu\text{m}$ . The spectra are measured using

a spectrometer with resolution 0.18 meV.

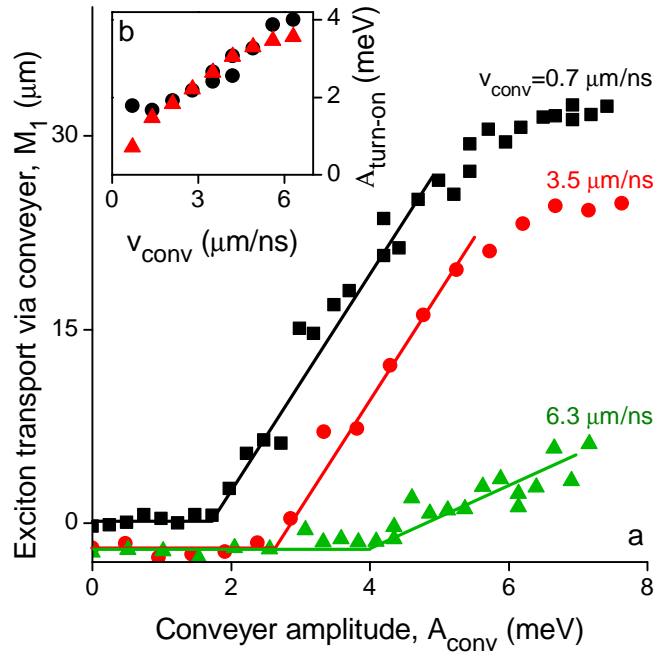
### 4.3 Qualitative Results

Figures 4.1c-f show  $x - y$  and  $x - energy$  PL images for conveyer off and on. The PL intensity profiles  $I(x)$ , obtained by the integration of the  $x - energy$  images over the emission wavelength, are shown in Fig. 4.1g,h. Exciton transport via conveyer is presented by the extension of the exciton cloud along the direction of the moving potential. We quantify it by the first moment of the PL intensity  $M_1 = \int xI(x)dx / \int I(x)dx$ , which characterizes the average transport distance of indirect excitons via conveyer. The spectrally broad emission at  $x = 0$  (Fig. 4.1e,f) and sharp peak in  $I(x)$  (Fig. 4.1g,h) originate from the bulk GaAs in the structure. To remove the contribution from the bulk, the shaded area is not included to the calculation of  $M_1$  in the analysis of exciton transport.

### 4.4 Quantitative Results

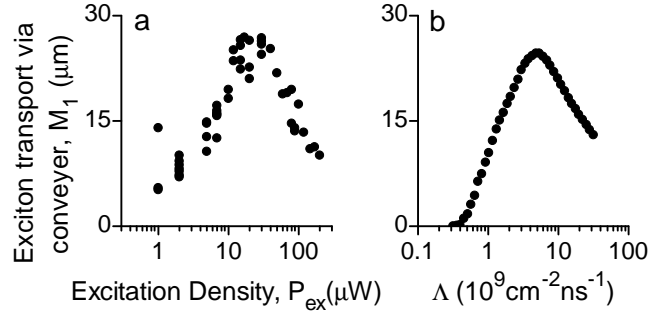
Figure 4.2 presents exciton transport via conveyer as a function of the conveyer amplitude  $A_{conv}$ . For a shallow conveyer, the exciton cloud extension  $M_1$  is not affected by the conveyer motion indicating that the excitons do not follow the moving lattice, i.e. are dynamically delocalized in the lattice (Fig. 4.2a). In contrast, at higher conveyer amplitudes, excitons are moved by the moving lattice, i.e. are dynamically localized in the lattice. At the dynamical localization-delocalization transition (dLDT), the exciton cloud starts to follow the conveyer and  $M_1$  changes from constant to increasing with  $A_{conv}$ . We define the conveyer amplitude at the dLDT,  $A_{turn-on}$ , as the point where the extrapolation of the growth of  $M_1$  to small  $A_{conv}$  becomes equal to the low- $A_{conv}$  constant. The dLDT is a dynamical counterpart of the LDT for excitons in static lattices [Remeika et al., 2009].

The control of  $f_{conv}$  gives an opportunity to study exciton transport via conveyers and in particular the dLDT as a function of the conveyer velocity. Figure



**Figure 4.2:** Conveyer transport distance dependence on conveyer amplitude and conveyer velocity. (a) The average transport distance of indirect excitons via conveyer  $M_1$  as a function of the conveyer amplitude,  $A_{\text{conv}}$ . Lines are a guide to the eye,  $A_{\text{turn-on}}$  is  $A_{\text{conv}}$  at the line intersection. (b) The measured (black points) and calculated (red triangles)  $A_{\text{turn-on}}$  vs the conveyer velocity.  $P_{\text{ex}} = 20 \mu\text{W}$ .





**Figure 4.3:** Experimental and theoretical conveyer transport distance dependence on exciton density. (a) The measured and (b) calculated average transport distance of indirect excitons via conveyer  $M_1$  as a function of exciton density.  $A_{\text{conv}} = 4.9$  meV,  $v_{\text{conv}} = 0.7 \mu\text{m}/\text{ns}$ .

4.2 shows that exciton transport via conveyer is less efficient for higher  $v_{\text{conv}}$ . In particular,  $A_{\text{turn-on}}$  increases with  $v_{\text{conv}}$ .

The control of  $P_{\text{ex}}$  gives an opportunity to study exciton transport via conveyers as a function of the exciton density. Figure 4.3a shows that excitons are hardly moved by the conveyer at low densities, efficient exciton transport via conveyer is achieved at intermediate densities, and exciton transport via conveyer becomes less efficient at high densities. The observed dependences of exciton transport via conveyer on the exciton density and conveyer velocity and amplitude are compared to the theoretical model and discussed in Section 4.5.

## 4.5 Theoretical Model

The following nonlinear partial differential equation was used to model in-plane transport of indirect excitons subject to the applied conveyer potential  $U_{\text{conv}}(x)$ :

$$\frac{\partial n_x}{\partial t} = \nabla \cdot [D_x \nabla n_x + \mu_x n_x \nabla (u_0 n_x + U_{\text{conv}})] + \Lambda - \frac{n_x}{\tau_{\text{opt}}}. \quad (4.1)$$

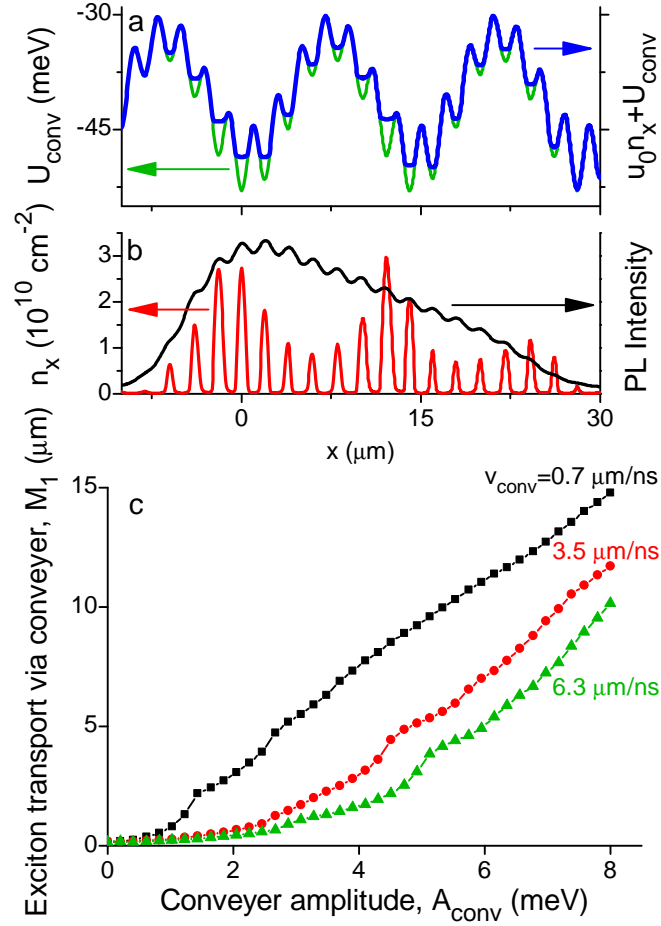
the first term in square brackets in Eq. (4.1) accounts for exciton diffusion,  $D_x$  is the diffusion coefficient. The second term accounts for exciton drift due to the dipole-dipole exciton interaction, which is approximated by  $u_0 n_x$  Ivanov [2002]; Ivanov et al. [2010], and the conveyer potential  $U_{\text{conv}} = edF_z(x) = ed \frac{\partial}{\partial z} V(\mathbf{r})$ ,

where voltage  $V(\mathbf{r})$  originates from the voltage applied to the conveyer electrodes  $V_{z=0}(x)$ . The mobility  $\mu_x$  is given by the generalized Einstein relationship  $\mu_x = D_x(e^{T_0/T} - 1)/(k_B T_0)$ , where  $T_0 = (2\pi\hbar^2 n_x)/(M_x g k_B)$ ,  $M_x \simeq 0.22 m_0$  is the exciton mass,  $g = 4$  is the spin degeneracy [Ivanov, 2002]. Due to the geometry of the system, we use the approximation  $\nabla = \partial/\partial x$  and solve for the density of indirect excitons  $n_x(x, t)$ .

The effect of disorder intrinsic to QWs is included using a thermionic model for the diffusion coefficient,  $D_x = D_x^{(0)} \exp(-U^{(0)}/(k_B T + u_0 n_x))$  Ivanov [2002].  $D_x^{(0)}$  is the diffusion coefficient in the absence of QW disorder and  $U^{(0)}/2$  is the amplitude of the disorder potential. The temperature of indirect excitons  $T$  is approximated as  $T = T_{\text{bath}}$ . The non-resonant photoexcitation causes heating of the exciton gas by a few Kelvin. However, the hot excitons cool to the lattice temperature within a few microns of the excitation spot [Hammack et al., 2009] justifying the approximation.

The last two terms in Eq. (4.1) take account of the creation and decay of excitons.  $\Lambda(x)$  is the generation rate and  $\tau_{\text{opt}}$  is the optical lifetime. The increased exciton velocity due to transport via the conveyer can, in principle, shift the energy of excitons outside the photon cone and increase their optical lifetime. However, we evaluated  $\tau_{\text{opt}}$  using the expressions given by Eqs. 1-6 in Hammack et al. [2009] and found that for the studied range of parameters, the corrections to the lifetime are small and can be neglected. Therefore we used a constant  $\tau_{\text{opt}}$  independent of  $v_{\text{conv}}$ .

The results of the simulations are presented in Fig. 4.4. The green curve in Fig. 4.4a presents a snapshot of the conveyer potential for  $n_x = 0$ . The sinusoidal envelop of the conveyer potential with  $\lambda_{\text{conv}} = 14\mu\text{m}$  is modulated by  $2\mu\text{m}$ -period ripples, which originate from the finite spacing between the conveyer electrodes. The amplitude of these ripples can be controlled by the spacing between the conveyer electrodes  $d_s$  (the ripples essentially vanish for  $d_s < 0.5\mu\text{m}$  for the structure). The repulsively interacting indirect excitons screen the external potential [Ivanov, 2002]. The snapshot of the exciton density distribution is shown by the red curve and the corresponding screened conveyer potential by the blue curve in Fig. 4.4a,b.



**Figure 4.4:** Theoretical Conveyer transport distance dependence on conveyer amplitude and conveyer velocity. (a,b) A snapshot of the conveyer potential (green), exciton density distribution (red), and corresponding screened conveyer potential (blue). PL intensity (black).  $A_{\text{conv}} = 8 \text{ meV}$ ,  $v_{\text{conv}} = 0.7 \mu\text{m/ns}$ . (c)  $M_1$  vs  $A_{\text{conv}}$ .  $D_x^{(0)} = 30 \text{ cm}^2 \text{ s}^{-1}$ ,  $\Lambda = 10^9 \text{ cm}^{-2} \text{ ns}^{-1}$ ,  $\tau_{\text{opt}} = 50 \text{ ns}$ .

The time-integrated exciton PL with the spatial resolution taken into account is presented by the black curve in Fig. 4.4b. The average exciton transport distance via conveyer is evaluated by  $M_1$ , excluding the shaded area shown in Fig. 4.1g,h as for the experimental data. The obtained theoretical simulations of exciton transport via conveyer (Fig. 4.4c) are in qualitative agreement with the experimental data (Fig. 4.2) exhibiting the dynamical exciton delocalization in shallow conveyers and the dLDT with increasing conveyer amplitude. The simulated and measured conveyer amplitude at the dLDT,  $A_{\text{turn-on}}$ , are in qualitative agreement (Fig. 4.2b).

In order to simplify the calculations for the analysis of the exciton density dependence, we approximate the conveyer potential by a cosine function  $U_{\text{conv}}^* = \Delta + A_{\text{conv}} \cos(2\pi(x/\lambda_{\text{conv}} - f_{\text{conv}}t))$  and treat the ripples in the same way as the disorder potential. The position of the ripples is fixed, similar to the position of the CQW disorder potential. We approximate the effect of the CQW disorder and conveyer ripples on exciton transport within the thermionic model [Ivanov, 2002] via the modification of the exciton diffusion coefficient  $D_x = D_x^{(0)} \exp\left(- (U^{(0)} + U_{\text{ripple}}^{(0)}) / (k_B T + u_0 n_x)\right)$ . Here  $U_{\text{ripple}}^{(0)}$  is the ripple amplitude obtained by simulations.  $U_{\text{ripple}}^{(0)}$  is nearly proportional to  $U_{\text{conv}}^*$  and, therefore, it is approximated by  $U_{\text{ripple}}^{(0)} = C U_{\text{conv}}^*$  ( $C$  is a fitting constant). The simulated density dependence of exciton transport via conveyer is in qualitative agreement with the experimental data (Fig. 4.3). The results are discussed below.

### 4.5.1 Conveyer amplitude dependence

Figs. 4.2a, 4.4c show the conveyer amplitude dependence. When the conveyer amplitude is smaller than the exciton interaction energy or disorder amplitude, excitons are not localized in the minima of the moving conveyer potential, in analogy to the case of static lattices [Remeika et al., 2009], and therefore are not moved by the conveyer. When the conveyer amplitude becomes larger than both the exciton interaction energy and disorder amplitude, excitons can localize in the minima of the moving conveyer potential. This results in efficient transport of excitons via conveyer. The effect of the ripples in conveyer potentials on exciton

transport is similar to that of disorder. More efficient exciton transport can be achieved by reducing the ripple amplitude. This can be realized by reducing  $d_s$ . The saturation of  $M_1$  at large  $A_{\text{conv}}$  can be related to a device imperfectness and can be studied in future works.

### 4.5.2 Conveyer velocity dependence

Figs. 4.2a,b, 4.4c show the conveyer velocity dependence. Excitons can efficiently follow the moving conveyer potential when the maximum exciton drift velocity in the conveyer is higher than the conveyer velocity,  $v_{\text{drift}} = \mu_x(\partial U_{\text{conv}}/\partial x)_{\text{max}} \gtrsim v_{\text{conv}}$ . This leads to an estimate  $A_{\text{turn-on}} \sim v_{\text{conv}}\lambda_{\text{conv}}/\mu_x$ , qualitatively showing that a higher conveyer amplitude is required for efficient exciton transport via conveyer at a higher  $v_{\text{conv}}$ . The efficiency of exciton transport via conveyers can be improved by increasing  $\mu_x$ . This can be achieved by reducing  $d_s$  and, in turn,  $U_{\text{ripple}}^{(0)}$ .

A monotonic dependence of  $A_{\text{turn-on}}$  on  $v_{\text{conv}}$  without abrupt changes at the sound velocity is consistent with the thermal velocity of excitons,  $\sqrt{2k_{\text{B}}T/M_x} \sim 15\mu\text{m/ns}$  at  $T = 1.7$  K, being much higher than the sound velocity.

### 4.5.3 Density dependence

Fig. 4.3) shows the conveyer density dependence. At low densities, the excitons are localized in local minima of the disorder potential (given by the intrinsic disorder and ripples in the conveyer potential) and hardly follow the moving conveyer. At the intermediate densities, excitons effectively screen the disorder and can be efficiently moved by the conveyer. Exciton transport via conveyer becomes less efficient at the high densities when excitons screen the conveyer potential. The requirement for efficient exciton transport via conveyers  $\mu_x(\partial U_{\text{conv}}/\partial x)_{\text{max}} \gtrsim v_{\text{conv}}$  is relevant, where screening of disorder results in the enhancement of  $\mu_x$  while screening of the conveyer potential results in the reduction of the conveyer amplitude.

## 4.6 Summary

We report on the realization of electrostatic conveyers for excitons and experimental and theoretical studies of exciton transport via conveyers.

In memory of Alexei Ivanov.

We thank Misha Fogler, Nikolai Gippius, and Egor Muljarov for discussions. This work was supported by the DOE Office of Basic Energy Sciences under award DE-FG02-07ER46449. The development of the conveyer RF system and multilayer lithography was also supported by ARO under award W911NF-08-1-0341 and NSF under award 0907349. Cardiff group was supported by EPSRC, CUROP and WIMCS. This work was performed using the computational facilities of the ARCCA Division, Cardiff University.

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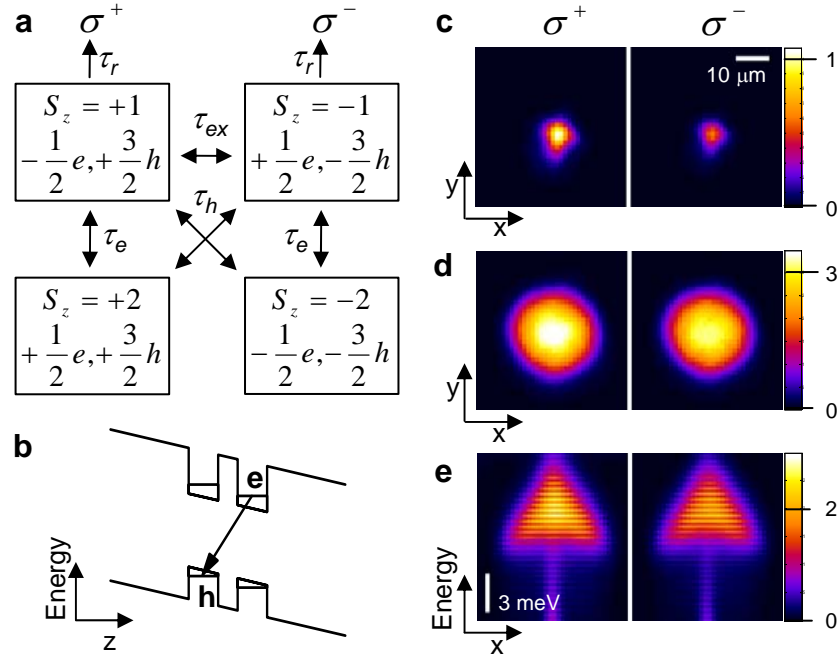
# Chapter 5

## Observation of exciton spin transport

### 5.1 Introduction

We report on the observation of the spin transport of spatially indirect excitons in GaAs coupled quantum wells (CQW). The spin relaxation time of indirect excitons is orders of magnitude longer than one of regular direct excitons. In combination with a long lifetime of indirect excitons, this makes possible spin transport of indirect excitons over substantial distances.

The spin dynamics of excitons can be probed by the polarization resolved spectroscopy. In GaAs QW structures, the  $\sigma^+$  ( $\sigma^-$ ) polarized light propagating along the  $z$ -axis creates a heavy hole exciton with the electron spin state  $s_z = -1/2$  ( $s_z = +1/2$ ) and hole spin state  $m_h = +3/2$  ( $m_h = -3/2$ ). In turn, heavy hole excitons with  $S_z = +1$  ( $-1$ ) emit  $\sigma^+$  ( $\sigma^-$ ) polarized light. Excitons with  $S_z = \pm 2$  are optically inactive. The polarization of the exciton emission  $P = (I_+ - I_-)/(I_+ + I_-)$  is determined by the recombination and spin relaxation processes. For an optically active heavy hole exciton, an electron or hole spin-flip transforms the exciton to an optically inactive state (Fig. 5.1a) causing no decay of emission polarization. The polarization of emission decays only when both the electron and hole flip their spins. This can occur in the two-step process due to the separate electron and hole



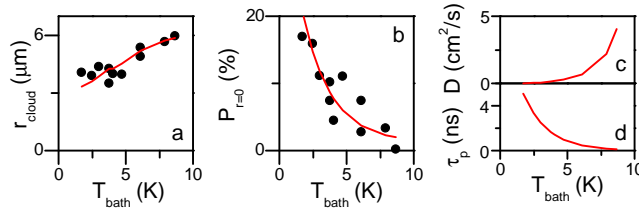
**Figure 5.1:** Spin transport overview. (a) Exciton spin diagram. (b) Energy diagram of the CQW structure; e, electron; h, hole.  $x - y$  images of the PL intensity of indirect excitons in  $\sigma^+$  and  $\sigma^-$  polarizations for (c)  $P_{ex} = 4.7\ \mu\text{W}$  and (d)  $P_{ex} = 310\ \mu\text{W}$ ;  $V_g = -1.1\ \text{V}$ ,  $E_{ex} = 1.582\ \text{eV}$ . (e) Energy- $x$  images of the PL intensity of indirect excitons in  $\sigma^+$  and  $\sigma^-$  polarizations;  $V_g = -1.1\ \text{V}$ ,  $E_{ex} = 1.572\ \text{eV}$ ,  $P_{ex} = 140\ \mu\text{W}$ .



spin flips and the single-step process due to the exciton spin flip [Andreani and Bassani, 1990; Maialle et al., 1993; Vinattieri et al., 1994]. The rate equations describing these processes [Maialle et al., 1993; Vinattieri et al., 1994] yield for the case when the splitting between  $S_z = \pm 1$  and  $\pm 2$  states  $\Delta$  is smaller than  $k_B T$  the polarization of the exciton emission  $P = \tau_P / (\tau_P + \tau_r)$  and the relaxation time of the emission polarization  $\tau_P^{-1} = 2(\tau_e + \tau_h)^{-1} + \tau_{ex}^{-1}$ , where  $\tau_{ex}$  time for exciton flipping between  $S_z = \pm 1$  states,  $\tau_e$  and  $\tau_h$  electron and hole spin flip times, and  $\tau_r$  exciton recombination time, see Appendix C. The requirement  $\Delta \ll k_B T$  is typically fulfilled for indirect excitons. Indeed, for regular direct excitons in single GaAs QW,  $\Delta \lesssim 100 \mu\text{eV}$  [Ivchenko, 2005]. It is determined by the exchange interaction between the electron and hole in the exciton and scales  $\propto \tau_r^{-1}$  [Andreani and Bassani, 1990; Ivchenko, 2005; Maialle et al., 1993; Vinattieri et al., 1994]. For indirect excitons in the studied CQW,  $\tau_r$  is about thousand times larger than for direct excitons [Butov et al., 1999b] and therefore  $\Delta \lesssim 100 \text{ neV} \ll k_B T$ .

In GaAs single QW,  $\tau_h$  and  $\tau_{ex}$  are typically in the range of tens of ps and are much shorter than  $\tau_e$  so that  $\tau_P \approx \tau_{ex}$  [Uenoyama and Sham, 1990; Maialle et al., 1993; Vinattieri et al., 1994]. The short  $\tau_{ex}$  results in fast depolarization of the exciton emission within tens of ps in GaAs single QW [Maialle et al., 1993; Vinattieri et al., 1994] making exciton spin transport over substantial distances problematic. However,  $\tau_{ex}$  is determined by the strength of the exchange interaction between the electron and hole. This gives an opportunity to control the depolarization rate by changing the electron-hole overlap, e.g. in QW structures with different QW widths or with an applied electric field [Maialle et al., 1993; Vinattieri et al., 1994].

The electron-hole overlap is drastically reduced in CQW structures. An indirect exciton in CQW is composed from an electron and a hole confined in different wells (Fig. 1b). As a result of the small electron-hole overlap, the recombination time  $\tau_r$  of indirect excitons is orders of magnitude longer than that of regular direct excitons and is typically in the range between tens of ns to tens of  $\mu\text{s}$  [Alexandrou et al., 1990]. Long lifetimes of indirect excitons make possible their transport over large distances [Hagn et al., 1995; Larionov et al., 2000; Gärtner



**Figure 5.2:** Experimental and theoretical exciton spin polarization temperature dependence. Experimental (points) and simulated (curves) (a) exciton cloud radius and (b) degree of circular polarization at the exciton cloud center as a function of temperature. (c,d) Fit parameters – diffusion coefficient  $D$  and polarization relaxation time  $\tau_P$  as a function of temperature.

et al., 2006; Ivanov et al., 2006]. However, the ability to travel is required yet insufficient condition for spin transport. Exciton spin transport over substantial distances also requires a long spin relaxation time. The small electron-hole overlap for indirect excitons should also result to a large  $\tau_{ex} \propto \tau_r^2$  and in turn  $\tau_P$ , thus making possible exciton spin transport over substantial distances.

## 5.2 Experimental Methods

We probed exciton spin transport in a GaAs/AlGaAs CQW structure with two 8 nm GaAs QWs separated by a 4 nm  $\text{Al}_{0.33}\text{Ga}_{0.67}\text{As}$  barrier (see sample details in [Butov et al., 1999b] where the same sample was studied). The electric field across the sample was controlled by an applied gate voltage  $V_g$ . The excitons were photoexcited by a cw Ti:Sapphire laser tuned to the direct exciton energy,  $E_{ex} = 1.572$  eV, and focused to a spot of  $\sim 5\mu\text{m}$  in diameter. The spatial profile of the laser excitation spot was deduced from the profile of the bulk GaAs emission from the excitation spot. The excitation was circularly polarized ( $\sigma^+$ ). The emission images in  $\sigma^+$  and  $\sigma^-$  polarizations were taken by a CCD camera with an interference filter  $800 \pm 5$  nm, which covers the spectral range of the indirect excitons. The spatial resolution was 1.4 micron. The spectra were measured using a spectrometer with a resolution of 0.3 meV. The characteristic  $x$ -energy spectra and  $x - y$  images are shown in Fig. 5.1c-e. The exciton density  $n$  was estimated from

the energy shift as in [Ivanov et al., 2006]. For recent discussions of the exciton-exciton interaction strength and the exciton density estimation see [Schindler and Zimmermann, 2008; Remeika et al., 2009]. We note that the results on exciton spin transport reported here are practically insensitive to the interaction strength.

### 5.3 Phenomenological model for exciton spin transport

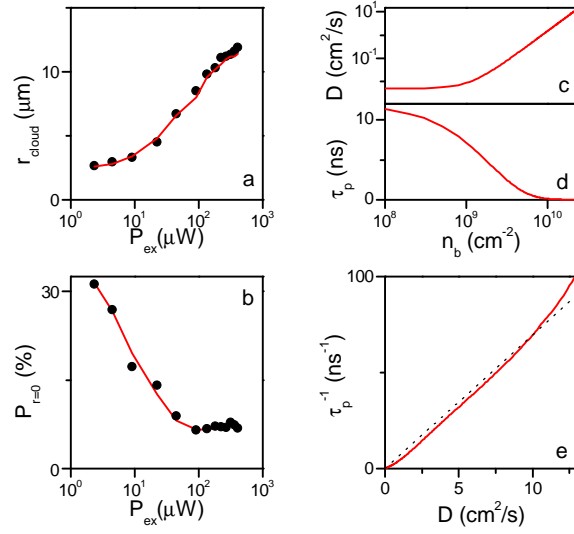
Rate equations combining the exciton spin relaxation equations [Maialle et al., 1993; Vinattieri et al., 1994] with the drift-diffusion equation [Ivanov et al., 2006] yield

$$2\frac{\partial n_{\pm 1}}{\partial t} = 2\nabla [D\nabla n_{\pm 1} + 2\mu n_{\pm 1}\nabla (u_0 n_b)] - \frac{1}{\tau_r} n_{\pm 1} - \frac{1}{2\tau_P} (n_{\pm 1} - n_{\mp 1}) + \Lambda \delta_{+, \pm}, \quad (5.1)$$

where  $D$  is the exciton diffusion coefficient,  $\mu = D/k_B T$  mobility,  $u_0$  interaction energy estimated by  $u_0 = 4\pi^2 d/\epsilon$ ,  $n_b = n_{+1} + n_{-1}$ , and  $\Lambda$  generation rate of  $+1$  excitons, see Appendix C. Both bright and dark exciton states are included in Eq. (5.1), however the fast hole spin flip process allowed the simplification of the set of four coupled equations for four exciton spin species to the form of Eqs. (5.1), which contain only two bright exciton states  $n_{\pm 1}$ , see Appendix C.  $n_{+1}(r)$ ,  $n_{-1}(r)$ , and  $P(r)$  were calculated using Eq. (5.1) and compared to the experimental data.

### 5.4 Temperature dependence

Increasing the temperature leads to the increase of the exciton cloud radius  $r_{cloud}$  and decrease of the circular polarization of exciton emission at the excitation spot center  $P_{r=0}$  (Fig. 5.2a,b). The exciton cloud expansion  $r_{cloud} \sim \sqrt{D\tau_r}$  is determined by the exciton diffusion coefficient  $D$ . The circular polarization of exciton emission  $P = \tau_P/(\tau_P + \tau_r)$  is determined by the depolarization time of the emission  $\tau_P$ . Therefore, the measurements of  $r_{cloud}$ ,  $P$ , and  $\tau_r$  allow estimating  $D$  and  $\tau_P$ .  $D$  and  $\tau_P$  were extracted from the measured  $r_{cloud}$ ,  $P_{r=0}$ , and  $\tau_r$  [Butov



**Figure 5.3:** Experimental and theoretical exciton spin polarization density dependence. Experimental (points) and simulated (curves) (a) exciton cloud radius and (b) degree of circular polarization at the exciton cloud center as a function of excitation density. (c,d) Fit parameters – diffusion coefficient  $D$  and polarization relaxation time  $\tau_P$  as a function of  $n_b = n_{+1} + n_{-1}$ . (e)  $1/\tau_P$  vs  $D$ .

et al., 1999b] via numerical simulations using Eq. (5.1). The obtained temperature dependencies for  $D$  and  $\tau_P$  are plotted in Fig. 5.2c,d. The data show that (i) the depolarization time of the emission of indirect excitons reaches several ns, orders of magnitude longer than that of direct excitons in single QW [Maialle et al., 1993; Vinattieri et al., 1994], (ii) the polarization rapidly decreases with increasing temperature, and (iii) the decrease of polarization is correlated with the increase of the diffusion coefficient.

## 5.5 Density dependence

Increasing the density leads to the increase of  $r_{cloud}$  and decrease of  $P_{r=0}$  (Fig. 5.3a,b). At low densities,  $r_{cloud}$  is essentially equal to the excitation spot radius. Similar to the case of temperature dependence, these measurements of  $r_{cloud}$  and  $P$  allow estimating  $D$  and  $\tau_P$  as a function of density. The measured  $r_{cloud}$  and  $P_{r=0}$  were simulated using Eq. (5.1) with  $D$  and  $\tau_P$  as fitting parameters.

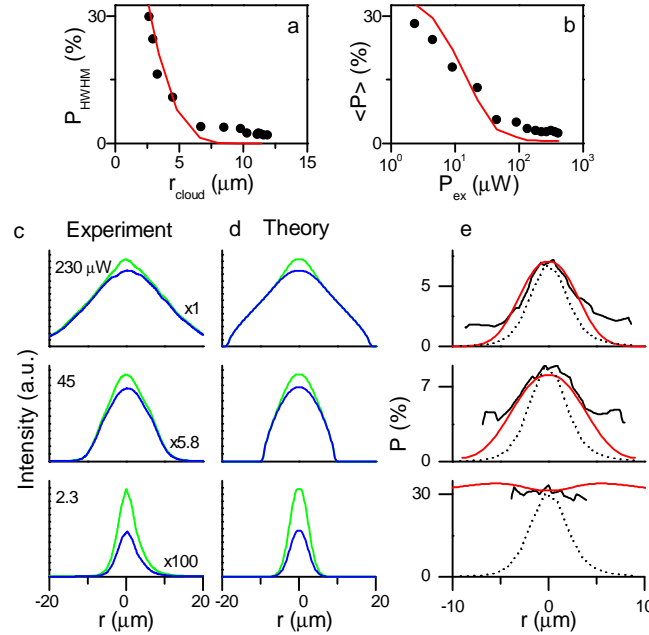
The obtained density dependencies for  $D$  and  $\tau_P$  are plotted in Fig. 5.3c,d. The polarization degree of the exciton emission and the polarization relaxation time reduce with increasing density (Fig. 5.3b,d). Similar to the case of temperature dependence, the decrease of polarization is correlated with the increase of the diffusion coefficient. Figure 5.3e shows  $\tau_P^{-1}$  vs  $D$  for the data in Fig. 5.3c,d.

## 5.6 Spatial dependence: Exciton spin transport

The polarization at HWHM of the exciton cloud  $P_{HWHM}$  is observed up to several microns away from the origin (Fig. 5.4a). This gives a rough estimate for the length scale of exciton spin transport. Figure 5.4a,b also shows  $P_{HWHM}$  and the spatially average polarization  $\langle P \rangle$  calculated using Eq. (5.1) with  $D$  and  $\tau_p$  in Fig. 5.3c,d obtained from fitting  $r_{cloud}$  and  $P_{r=0}$  data in Fig. 5.3a,b.

Essential characteristics of the exciton spin transport are presented in Fig. 5.4c-e. Figure 5.4c shows the measured PL in  $\sigma^+$  and  $\sigma^-$  polarization as a function of the distance from the excitation spot center  $r$ . Figure 5.4d shows the corresponding  $n_{+1}(r)$  and  $n_{-1}(r)$  calculated using Eq. (5.1) with  $D$  and  $\tau_P$  in Fig. 5.3c,d. The polarization profiles are wider than the excitation spot that directly shows exciton spin transport (Fig. 5.4e). The measured and calculated data on exciton spin transport are in agreement (Fig. 5.4).

The parameters used in the calculations of exciton spin transport  $D$ ,  $\tau_P$ , and  $\tau_r$  were obtained from other experiments, different from exciton spin transport experiments:  $D$  – from exciton transport,  $\tau_P$  – from emission polarization at the excitation spot center, and  $\tau_r$  – from PL kinetics. The agreement between the calculated and measured data (Fig. 5.4) indicates that the major characteristics of exciton spin transport are determined by  $D$ ,  $\tau_P$ , and  $\tau_r$ . The following assumptions were made in the model: (i) splitting between optically active and dark exciton states is small  $\Delta \ll k_B T$ , (ii) hole spin flip is fast  $\tau_h \ll \tau_e, \tau_{ex}$  and  $\nabla [D\nabla\bar{n} + \mu\bar{n}\nabla(u_0 n_{total})] \ll \bar{n}/(2\tau_h)$ , and (iii) conversion of the direct excitons into indirect excitons is fast  $\tau_c \ll \tau_{P,d}$ , see Appendix C. The agreement between the experiment and the model (see Fig. 5.4) indicates that these assumptions are



**Figure 5.4:** Experimental and theoretical exciton spin polarization transport. (a) Experimental (points) and simulated (curve) polarization at HWHM of the exciton cloud  $P_{HWHM}$  as a function of  $r_{cloud}$ . (b) Experimental (points) and simulated (curve) spatially average polarization  $\langle P \rangle$  as a function of excitation density. (c) PL intensity of indirect excitons in  $\sigma^+$  and  $\sigma^-$  polarizations (green and blue curves) as a function of  $r$  for  $P_{ex} = 2.3, 45,$  and  $230 \mu\text{W}$  with estimated densities at  $r = 0$  of  $9 \cdot 10^8, 2 \cdot 10^{10},$  and  $4 \cdot 10^{10} \text{ cm}^{-2}$  respectively. (d) Simulated  $n_{+1}(r)$  and  $n_{-1}(r)$  for the same exciton densities as in (a). (e) Experimental (black curves) and simulated (red curves) PL polarization as a function of  $r$  for the same exciton densities as in (a,b). The profile of the bulk emission, which presents the excitation profile, is shown by dotted line.  $T_{bath} = 1.7 \text{ K}$ . The simulations in (a,b,d,e) use  $D(n)$  and  $\tau_P(n)$  in Fig. 5.3(c,d).

justified and the model accurately describes exciton spin transport (with roughly 20% uncertainty for the obtained dependencies of  $D$  and  $\tau_P$  on temperature and density).

## 5.7 Discussion

Spin transport requires the ability of particles to travel maintaining spin polarization. This, in turn, requires large  $\tau_r$ ,  $D$ , and  $\tau_P$ . Large  $\tau_r$  and  $D$  are required to achieve exciton transport over substantial distances since the exciton diffusion length is determined by  $\sqrt{D\tau_r}$ , while large  $\tau_P$  is required for maintaining spin polarization during the transport. Large  $\tau_r$  is characteristic for indirect excitons for which it is orders of magnitude larger than for regular direct excitons. Large  $D$  is achieved with increasing exciton density (Fig. 5.3a,c). This behavior is consistent with the localization-delocalization transition: Excitons are localized at low densities due to disorder and delocalized at high densities when the disorder is screened by repulsively interacting indirect excitons [Ivanov et al., 2006; Remeika et al., 2009]. Localized excitons do not travel beyond the excitation spot while delocalized excitons spread over the distance  $\sim \sqrt{D\tau_r}$ . This accounts for the density dependence of  $r_{cloud}$  and  $D$  (Fig. 5.3a,c).  $r_{cloud}$  and  $D$  also increase with temperature (Fig. 5.2), because of thermal activation of indirect excitons over maxima of the disorder potential.

For indirect excitons with a small electron-hole overlap  $\tau_{ex} \propto \tau_r^2$  is large,  $\tau_{ex} \gg \tau_e$ , and  $\tau_P \approx \tau_e/2$  so that the polarization relaxation is governed by the electron spin relaxation and, therefore, can be long. Indeed,  $\tau_P$  for indirect excitons at low temperatures and low densities reaches 10 ns (Figs. 5.2d, 5.3d), much longer than  $\tau_P$  for regular excitons, which is in the range of tens of ps [Maialle et al., 1993; Vinattieri et al., 1994]. This orders of magnitude enhancement of the spin relaxation time for indirect excitons is achieved due to a small electron-hole overlap.

However,  $P$  and  $\tau_P$  for indirect excitons drop with increasing temperature and density (Figs. 5.2, 5.3). For qualitative understanding of this behavior we

compare the variations of the polarization relaxation time and diffusion coefficient. Figures 5.2c,d and 5.3c,d show that  $\tau_P^{-1}$  increases with  $D$  both when the temperature or density is varied. This behavior complies with the Dyakonov-Perel (DP) spin relaxation mechanism [D'yakonov and Perel', 1971a] for which the spin relaxation time  $\tau_{e,ex}^{-1} = \langle \Omega_{e,ex}^2 \tau \rangle$ , where  $\Omega_{e,ex}$  is the frequency of spin precession caused by the energy splitting between different spin states,  $\tau \approx m_{ex}D/(k_B T)$  momentum scattering time, and  $m_{ex}$  exciton mass.

Figures 5.4a, e show that the length scale for exciton spin transport reaches several microns. It is large enough (i) for studying exciton spin transport by optical experiments, (ii) for studying spin-polarized exciton gases in microscopic patterned devices, e.g. in in-plane lattices [Remeika et al., 2009], in which the period can be below a micron, and (iii) for the development of spin-optoelectronic devices where *spin* fluxes of excitons can be controlled in analogy to the control of fluxes of unpolarized excitons in [High et al., 2008] (the distance between source and drain in the excitonic transistor in [High et al., 2008] was  $3\mu\text{m}$ ; however, it is expected that the dimensions can be reduced below  $1\mu\text{m}$  by using e-beam lithography). The length scale for exciton spin transport exceeds the length scale for electron spin transport in metals where it is typically below  $1\mu\text{m}$  [Bass and W.P. Pratt, 2007].

*Estimation of spin splitting.* The measured dependence  $\tau_P^{-1}(D)$  can be used to estimate the spin splitting. For the splitting of electron states caused by the Dresselhaus mechanism [D'yakonov and Kachorovskii, 1986], which is the most likely scenario,  $\Omega_e = 2\beta k/\hbar$  where  $k$  is the electron wave-vector. For the average thermal  $k$  of an electron in an exciton  $k_T = \sqrt{2m_{ex}k_B T/\hbar^2 m_e/m_{ex}}$ , one obtains  $\tau_P^{-1} = 2\tau_e^{-1} = 16\beta^2 m_e^2 D/\hbar^4$  ( $m_e$  is electron mass) and the measured  $\tau_P^{-1}(D)$  (Fig. 5.3c) leads to the estimate of the spin splitting constant  $\beta \approx 25 \text{ meV } \text{\AA}$ .

The value of  $\beta$  for  $\langle 001 \rangle$ -oriented QW can be also roughly estimated as  $\beta = \gamma_c \langle k_z^2 \rangle \approx \gamma_c (\pi/a)^2$ , where  $a$  is the extension of the electron wave function in the QW and  $\gamma_c \approx 27.5 \text{ eV } \text{\AA}^3$  is the bulk GaAs Dresselhaus constant [D'yakonov and Kachorovskii, 1986]. For the studied CQW structure with a confining potential of 8 nm width and 260 meV depth, we obtain  $\beta \approx 20 \text{ meV } \text{\AA}$ , in agreement with the experiment.



## 5.8 Summary

The spin transport of indirect excitons has been observed. It originates from a long spin relaxation time and long lifetime of indirect excitons. The phenomenological model for exciton spin transport is in agreement with the experiment.

This work is supported by DOE and EPSRC. We thank Misha Fogler, Lu Sham, and Congjun Wu for discussions.

## 5.9 Acknowledgments

The text of Chapter 5, in part, is a reprint of the material as it appears in J. R. Leonard, Y. Y. Kuznetsova, Sen Yang, L. V. Butov, T. Ostatnicky, A. Kavokin, and A. C. Gossard, “Spin Transport of Excitons,” *Nano Lett.* **9**, 4204 (2009), ©American Chemical Society, where the dissertation author was the first author. The co-authors in this publication directed, supervised, and co-worked on the research which forms the basis of this chapter.

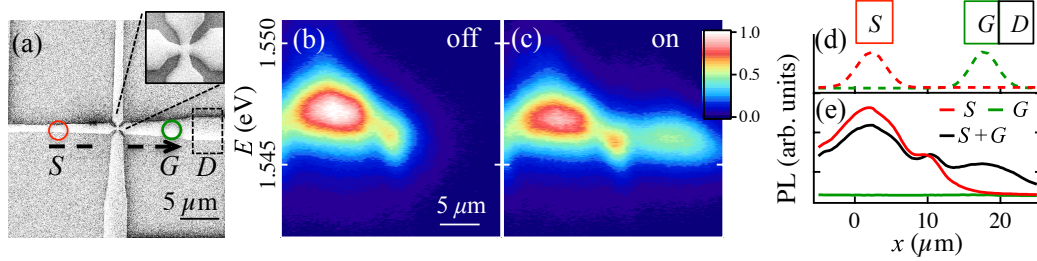
# Appendix A

## Supplement to *Controlled exciton transport via an all-optical exciton transistor*

### A.1 Experimental Methods

The CQW structure was grown by molecular beam epitaxy. An  $n^+$ -GaAs layer with  $n_{Si} = 10^{18} \text{ cm}^{-3}$  serves as a bottom electrode. A semitransparent top electrode is fabricated by depositing a 100 nm indium tin oxide layer. Two 8 nm GaAs QWs separated by a 4 nm  $\text{Al}_{0.33}\text{Ga}_{0.67}\text{As}$  barrier are positioned 100 nm above the  $n^+$ -GaAs layer within an undoped  $1 \mu\text{m}$  thick  $\text{Al}_{0.33}\text{Ga}_{0.67}\text{As}$  layer. Positioning the CQW closer to the homogeneous electrode suppresses the in-plane electric field [Hammack et al., 2006], which otherwise can lead to exciton dissociation [Zimmermann et al., 1997]. Excitons are photoexcited by a 633 nm HeNe laser (data in Chapter 3 and Fig. A.2 in this appendix) or 787.5 nm Ti:Sapphire laser (Fig. A.1 in this appendix). The former wavelength corresponds to the photon energy above the  $\text{Al}_{0.33}\text{Ga}_{0.67}\text{As}$  barrier and the latter corresponds to the photon energy at the direct exciton resonance. Experiments are performed at  $T_{bath} = 1.6$  K. For the data in the main text, the voltage applied to the top electrode  $V_e = -3$  V.

## A.2 Supplemental Data

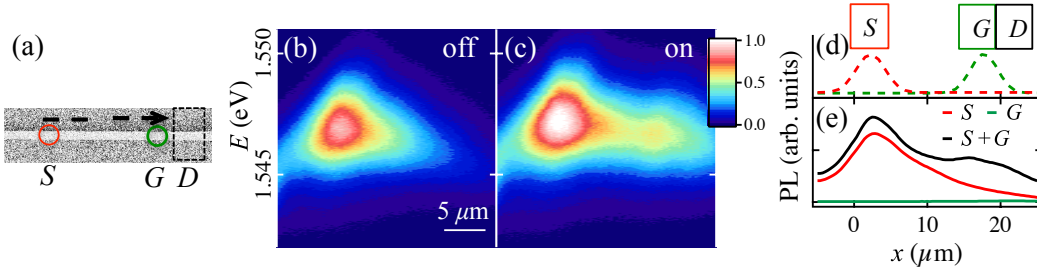


**Figure A.1:** Low laser energy Optically Controlled Excitonic Transistor overview and operation. (a) SEM images of the crossed-ramp device. Inset: SEM image of the crossing point of the crossed-ramp device. Red and green circles indicate the excitation spots of the source ( $S$ ) and gate ( $G$ ) beam, respectively. The arrow indicates the operation path of the excitonic transistor. (b,c) Energy-resolved images of the exciton emission in (b) off and (c) on states for the crossed-ramp transistor. The power of the source beam  $P_S = 2 \mu\text{W}$  (b,c). The power of the gate beam  $P_G = 0$  (b) and  $2 \mu\text{W}$  (c). (d) Spatial profiles of the source (red) and gate (green) excitation beam spots. (e) Emission intensity of indirect excitons along the exciton flux for the crossed-ramp transistor in off state [red,  $P_S = 2 \mu\text{W}$ ,  $P_G = 0$ ], in on state [black,  $P_S = 2 \mu\text{W}$ ,  $P_G = 1 \mu\text{W}$ ], and when only the gate beam is on [green,  $P_S = 0$ ,  $P_G = 1 \mu\text{W}$ ].  $V_e = -4 \text{ V}$ .

Qualitatively similar data are measured for the source and gate beam wavelengths 633 nm (main text) and 787.5 nm (Fig. A.1). Furthermore, qualitatively similar data are measured for the cross-ramp device (main text) and planar-electrode device, which forms a flat-energy channel (Fig. A.2). In all these cases (i) the gate beam strongly increases the exciton signal at the drain region and (ii) even a gate beam, which generates a weak exciton signal, can strongly increase the output at the drain (Figs. 3.1 and 3.2 in Chapter 3 text and Figs. A.1 and A.2). This indicates that all-optical excitonic transistors can operate at various source and gate beam wavelengths and various electrode geometries.

## A.3 Acknowledgments

The text of Appendix A, in part, is a reprint of the material as it appears in P. Andreakou, S. V. Poltavtsev, J. R. Leonard, E. V. Calman, M. Remeika,



**Figure A.2:** Flat electrode Optically Controlled Excitonic Transistor overview and operation. (a) SEM images of the planar-electrode device. Red and green circles indicate the excitation spots of the source ( $S$ ) and gate ( $G$ ) beam, respectively. (b,c) Energy-resolved images of the exciton emission in (b) off and (c) on states for the planar-electrode transistor. The power of the source beam  $P_S = 10 \mu\text{W}$  (b,c). The power of the gate beam  $P_G = 0$  (b) and  $2 \mu\text{W}$  (c). (d) Spatial profiles of the source (red) and gate (green) excitation beam spots. (e) Emission intensity of indirect excitons for the planar-electrode transistor in off state [red,  $P_S = 10 \mu\text{W}$ ,  $P_G = 0$ ], in on state [black,  $P_S = 10 \mu\text{W}$ ,  $P_G = 2 \mu\text{W}$ ], and when only the gate beam is on [green,  $P_S = 0$ ,  $P_G = 2 \mu\text{W}$ ].  $V_e = -4 \text{ V}$ .

Y. Y. Kuznetsova, L. V. Butov, J. Wilkes, M. Hanson, A. C. Gossard, “Optically controlled excitonic transistor,” *Appl. Phys. Lett.* **104**, 091101 (2014), ©American Institute of Physics, where the dissertation author was the third author. The co-authors in this publication directed, supervised, and co-worked on the research which forms the basis of this chapter.

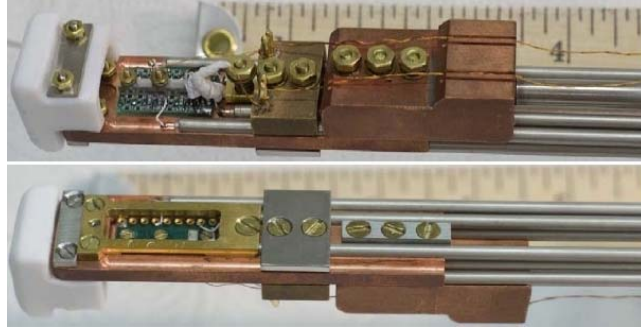
# Appendix B

## Supplement to *Controlled exciton transport via a Conveyer*

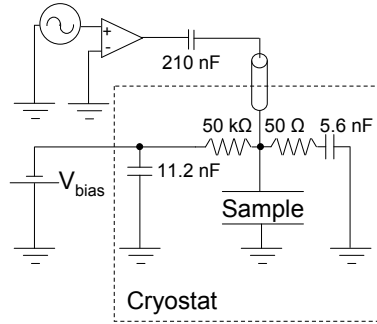
### B.1 Circuit schematic of the conveyer RF system

Figure B.1 presents photographs of the lower part of the insert Octopus for optics and RF electronics at cryogenic temperatures. The Octopus has 8 broadband transmission lines providing up to 8 independent channels. Both the sample and electronic circuit on PCB next to the sample are in superfluid He in the conveyer experiment.

AC voltages to the conveyer electrodes on the sample are delivered via 7 broadband transmission lines with impedance-matching termination at the sample. We used coaxial cables UT-141B-SS silver-plated beryllium copper inner conductor, PTFE Teflon dielectric, and stainless-steel outer shell with diameter 3.6 mm, having a room-temperature attenuation of 3 dB/m at 10 GHz. The cable bandwidth complies with the frequency used in the experiments ( $f_{\text{conv}} = 50 - 450$  MHz), while the cable composition reduces heat conductance to the sample. The DC bias  $V_{\text{bias}}$  is supplied separately via regular wires. The transmission lines are capacitively terminated to block DC heating at the termination resistors. Circuit schematic for the conveyer RF system is presented in Fig. B.2 for one of the channels and in Fig. B.3 for the entire system with 7 channels. A sample resistance



**Figure B.1:** Photographs of the radio frequency optical cryostat insert. The sample insert Octopus from two sides, an electronic circuit on PCB is seen on the upper photo and a socket for a sample is seen on the lower photo. The ends of the  $\sim 1$  m long transmission lines are on the right.



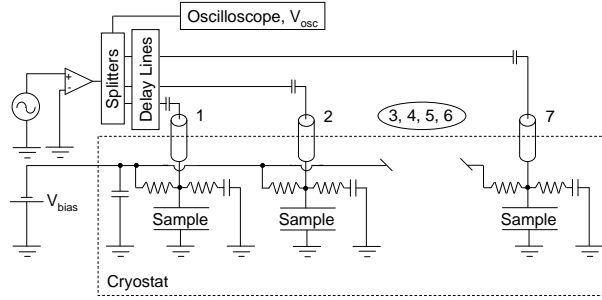
**Figure B.2:** Schematic of a single radio frequency circuit in the optical cryostat insert.

between the top and bottom exceeds  $10 \text{ M}\Omega$  in the experiments.

## B.2 Calibration of the conveyer amplitude

The conveyer amplitude is calibrated using the following procedure:

1. We applied AC voltage  $V_{\text{osc}}$  to all conveyer electrodes in phase and measured the spectral linewidth of indirect excitons. The linewidth, characterized by the half width at half maximum HWHM, has a contribution from the intrinsic linewidth of indirect excitons  $\text{HWHM}_0$ , which is present at zero voltage oscillation, and a contribution from the energy oscillation of indirect excitons  $\text{HWHM}_{\text{osc}}$  due



**Figure B.3:** Complete Schematic of the radio frequency optical cryostat insert.

to the oscillating voltage. A defocused laser excitation with a spot  $\sim 50\mu\text{m}$  in diameter and  $P_{\text{ex}} = 220\mu\text{W}$  was used. Figure B.4a presents the measured HWHM as a function  $V_{\text{osc}}$  for one of the frequencies.

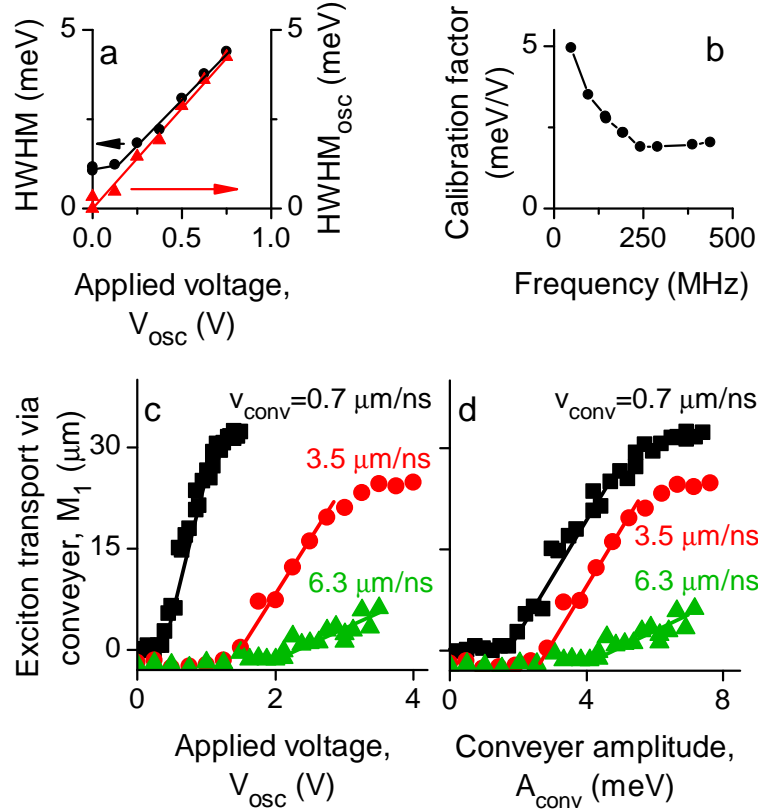
2. We subtracted in quadrature  $\text{HWHM}_0$  from HWHM to obtain  $\text{HWHM}_{\text{osc}}$  (Fig. B.4a).

3. We performed numerical simulations of  $\text{HWHM}_{\text{osc}}$  vs the amplitude of exciton energy oscillation. The comparison of these simulations to the experimental data allows to determine the amplitude of exciton energy oscillation. Figure B.4c presents the obtained ratio between the AC voltage supplied to the transmission lines at the top of the cryostat  $V_{\text{osc}}$  and the amplitude of energy oscillation of indirect excitons  $A_{\text{conv}}$  as a function of frequency. This is the calibration curve for the conveyer amplitude. Figure S4c and S4d show the average transport distance of indirect excitons via conveyer  $M_1$  as a function of  $V_{\text{osc}}$  and  $A_{\text{conv}}$ , respectively.

We note that future studies at higher  $A_{\text{conv}}$  may benefit from further optimizations of the heat conductance from the sample insert reducing possible heating at large applied voltages and from taking into account the energy dependence of the exciton lifetime when the exciton energy variation due to AC voltages becomes large.

### B.3 Simulation details

Figure B.5 presents details of the simulations for the density dependence of exciton transport via conveyer. In these simulations, the conveyer potential



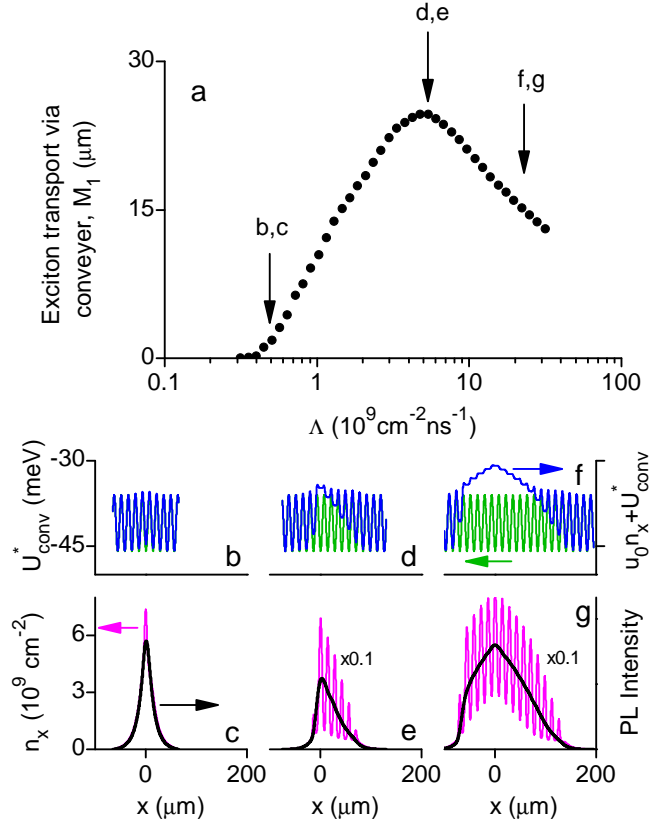
**Figure B.4:** Radio frequency optical cryostat insert and conveyer sample calibration. (a) AC voltage  $V_{\text{osc}}$  is applied to all conveyer electrodes in phase. Spectral linewidth of indirect excitons HWHM at 50 MHz vs  $V_{\text{osc}}$  (black points). The contribution from the energy oscillation of indirect excitons due to the oscillating voltage  $\text{HWHM}_{\text{osc}} = [\text{HWHM}^2 - \text{HWHM}_0^2]^{1/2}$  vs  $V_{\text{osc}}$  (red triangles). Red line with slope  $m$  presents a linear fit with y-intercept fixed at 0. (b) The calibration curve for the conveyer amplitude: The ratio between the AC voltage supplied to the transmission lines at the top of the cryostat and the amplitude of energy oscillation of indirect excitons obtained from the simulations to fit the measured value of  $m$  vs driving frequency. (c,d) The average transport distance of indirect excitons via conveyer  $M_1$  vs (c) the applied AC voltage at the top of the cryostat and (d) the conveyer amplitude.



is approximated by a cosine function and the effect of the disorder and conveyer ripples on exciton transport is approximated within the thermionic model via the modification of the exciton diffusion coefficient as described in the main text.

## B.4 Acknowledgments

The text of Appendix B, in part, is a reprint of the material as it appears in A. G. Winbow, J. R. Leonard, M. Remeika, Y. Y. Kuznetsova, A. A. High, A. T. Hammack, L. V. Butov, J. Wilkes, A. A. Guenther, A. L. Ivanov, M. Hanson, and A. C. Gossard, “Electrostatic Conveyer for Excitons,” *Phys. Rev. Lett.* **106**, 196806 (2011), ©American Physical Society, where the dissertation author was the second author. The co-authors in this publication directed, supervised, and co-worked on the research which forms the basis of this chapter.



**Figure B.5:** Simulation details for the density dependence of exciton transport via conveyer. (a) Calculated average transport distance of indirect excitons via conveyer  $M_1$  as a function of exciton generation rate. (b-g) A snapshot of the conveyer potential  $U_{\text{conv}}^*$  (green), exciton density distribution (magenta), and corresponding screened conveyer potential (blue). Time-integrated PL intensity (black).  $\Lambda = 0.51 \cdot 10^9$  (b,c),  $5.4 \cdot 10^9$  (d,e), and  $22 \cdot 10^9 \text{ cm}^{-2} \text{ ns}^{-1}$  (f,g).  $A_{\text{conv}} = 4.9 \text{ meV}$ ,  $v_{\text{conv}} = 0.7 \mu\text{m}/\text{ns}$ .

# Appendix C

## Supplement to *Observation of exciton spin transport*

### C.1 Exciton spin dynamics

The dynamics of four exciton spin species with  $S_z = -2, -1, +1,$  and  $+2$  is described by four coupled equations. In the absence of exciton transport, the spin-flip model Maialle et al. [1993] yields

$$\frac{d}{dt}\bar{n} = w\bar{n} \quad (\text{C.1})$$

where,

$$w = \begin{pmatrix} -(w_e^+ + w_h^+) & w_e^- & w_h^- & 0 \\ w_e^+ & -\left(\frac{1}{\tau_r} + w_{ex}\right) & w_{ex} & w_h^+ \\ w_h^+ & w_{ex} & -\left(\frac{1}{\tau_r} + w_{ex}\right) & w_e^+ \\ 0 & -w_h^- & w_e^- & (w_e^+ + w_h^+) \end{pmatrix}, \quad (\text{C.2})$$

$\bar{n} = \left( n_{+2} \ n_{+1} \ n_{-1} \ n_{-2} \right)^T$ ,  $w_{ex} = 1/(2\tau_{ex})$ ,  $w_{e(h)}^\pm = \tau_{e(h)}^{-1} (1 + e^{\pm\Delta/k_B T})$ ,  $\tau_{ex}$  is the time for exciton flipping between  $S_z = \pm 1$  states,  $\tau_e$  and  $\tau_h$  are the electron and

hole spin flip times,  $\tau_r$  is the exciton recombination time, and  $\Delta$  is the splitting between the optically active  $n_{\pm 1}$  and optically in-active (dark)  $n_{\pm 2}$  states. For  $\Delta \ll k_B T$ , Eqs. (C.1) and (C.2) yield for the polarization of the exciton emission  $P$  and the relaxation time of the emission polarization  $\tau_P$

$$\tau_P^{-1} = 2(\tau_e^{-1} + \tau_h^{-1}) + \tau_{ex}^{-1} \quad (\text{C.3})$$

$$\tau_P = \tau_r \frac{P}{1 - P}. \quad (\text{C.4})$$

## C.2 Phenomenological model for exciton spin transport

Combining the exciton spin relaxation Eq. (C.1) with the drift-diffusion equation yields the set of four coupled equations

$$\frac{\partial \bar{n}}{\partial t} = \nabla [D \nabla \bar{n} + \mu \bar{n} \nabla (u_0 n_{total})] + w \bar{n} + \bar{\Lambda}, \quad (\text{C.5})$$

where  $D$  is the exciton diffusion coefficient,  $\mu$  is mobility,  $u_0$  is the exciton interaction energy,  $n_{total} = n_{-2} + n_{-1} + n_{+1} + n_{+2}$ , and  $\bar{\Lambda}$  is the generation rate of +1 excitons. This set of equations can be simplified in the case of fast spin relaxation of holes. In GaAs single QW,  $\tau_h$  is in the range of tens of ps Uenoyama and Sham [1990]; Maialle et al. [1993]; Vinattieri et al. [1994], much shorter than  $\tau_e$  and  $\tau_{ex}$  for the indirect excitons, so that  $w_e, w_{ex} \ll w_h$ . Also, the characteristic speed of exciton transport in the CQW is in the range of  $\mu\text{m/ns}$  Hammack et al. [2007]. Therefore, for the spatial averaging over lengths exceeding  $\mu\text{m}$  (which is the case in optical experiments due to the diffraction limit), hole spin flip takes place much faster than exciton diffusion, i.e.  $\nabla [D \nabla \bar{n} + \mu \bar{n} \nabla (u_0 n_{total})] \ll w_h \bar{n}$ . These inequalities straightforwardly lead to the simplification of the set of Eqs.

(C.5):

$$2\frac{\partial n_{+1}}{\partial t} = 2\nabla [D\nabla n_{+1} + \mu n_{+1}\nabla (u_0 n_{total})] - \frac{1}{\tau_r} n_{+1} - \frac{1}{2\tau_P} (n_{+1} - n_{-1}) + \Lambda \quad (\text{C.6})$$

$$2\frac{\partial n_{-1}}{\partial t} = 2\nabla [D\nabla n_{-1} + \mu n_{-1}\nabla (u_0 n_{total})] - \frac{1}{\tau_r} n_{-1} - \frac{1}{2\tau_P} (n_{-1} - n_{+1}) \quad (\text{C.7})$$

Both bright and dark exciton states are included in Eqs. (C.6),(C.7), however the fast hole spin flip process allowed the simplification of the set of four coupled equations for four exciton spin species Eqs. (C.5) to Eqs. (C.6),(C.7), which contain only two bright exciton states  $n_{\pm 1}$ . For the estimations in the paper, we used the classical Einstein relationship  $\mu = D/k_B T$  and approximated the exciton-exciton interaction by  $u_0 = 4\pi^2 d/\epsilon$  as in Ivanov et al. [2006]. Note that the spatially average polarization  $\langle P \rangle = \langle \tau_P \rangle / (\langle \tau_P \rangle + \langle \tau_r \rangle)$ , allows a rough estimate of  $\tau_P$  without numerical simulations.

The numerical model and measured data differ at large  $r$  (Fig. 5.4). This difference can originate from degrading experimental accuracy at large  $r$  where the polarization is obtained by the division of two small quantities  $I_+ - I_-$  and  $I_+ + I_-$ . However, there are also physical processes which can contribute to this difference. The above phenomenological model can be improved by including the effect of a higher exciton temperature at the excitation spot center Ivanov et al. [2006] and the spin Coulomb drag D'Amico and Vignale [2001]; Weber et al. [2005]. The former should lead to a slower exciton spin relaxation at large  $r$  where the exciton gas becomes colder, while the latter would reduce the exciton spin diffusion coefficient  $D_s$  relative to  $D$ . Including these effects should make the modeling of the exciton spin transport more accurate.

### C.3 Direct to indirect exciton conversion

For the case of resonant excitation  $\bar{\Lambda}$  is directly determined by the laser polarization. However, in the experiments reported in this paper the excitation was done at the energy of direct excitons, about 20 meV above the energy of indirect excitons. Such excitation has been chosen due to a high absorption coefficient at

the direct exciton resonance, which allows creating a high exciton density with a low excitation power. For such excitation scheme, the generation rate of indirect excitons,  $\bar{\Lambda}_{indirect} = \bar{n}_d/\tau_c$ , where  $\bar{n}_d$  is the density of direct excitons and  $\tau_c$  is the direct to indirect exciton conversion time. The following estimations show that the polarization lost during the conversion time is small. Rate equation for the density of indirect excitons  $\partial n_i/\partial t = n_d/\tau_c - n_i/\tau_r$  yields for the steady state  $\tau_c = (n_d/n_i)\tau_r$ . The experimental  $n_d/n_i \sim 10^{-4}$  for the steady state and  $\tau_r \sim 30$  ns Butov et al. [1999b] yield  $\tau_c \sim 3$  ps. This is much smaller than the spin relaxation time and recombination time of direct excitons  $\tau_{P,d} \sim 50$  ps and  $\tau_{r,d} \sim 30$  ps Maialle et al. [1993]; Deveaud et al. [1991], hence the direct excitons convert into the indirect excitons before significant spin relaxation may occur, allowing the generation rate to be approximated by the laser polarization.

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