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SHORT RANGE ORDER IN Ni-Mo, Au-Cr, Au-V and Au-Mn ALLOYS

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#### ABSTRACT

The nature of short range order (sro) has been investigated in the systems  $\mathrm{Au_{h}Cr}$ ,  $\mathrm{Au_{3}Cr}$ ,  $\mathrm{Ni_{h}Mo}$ ,  $\mathrm{Ni_{3}Mo}$ ,  $\mathrm{Au_{3}Mn}$  and  $\mathrm{Au_{h}V}$ , by transmission electron microscopy and diffraction. The examination of the sro state, at temperatures above the critical temperature ( $\mathrm{T_{c}}$ ) for order-disorder transformation and also in the samples that were quenched from above  $\mathrm{T_{c}}$ , showed diffuse scattering peaks centered near { $1\frac{1}{2}$ 0} positions in the fcc reciprocal lattice, whose shape changed from one system to another. Evidence for diffuse scattering near superlattice positions corresponding to the Dla structure was obtained in the sro state of  $\mathrm{Au}$ -Cr,  $\mathrm{Au}$ -V and  $\mathrm{Ni}$ -Mo positions in the  $\mathrm{Ni}$ -Mo alloys. Additional diffuse scattering was observed near  $\mathrm{Ni}_{2}$ Mo positions in the  $\mathrm{Ni}$ -Mo alloys. The diffraction patterns of  $\mathrm{Au}_{3}$ Mn above  $\mathrm{T_{c}}$  showed evidence for diffuse scattering near the superlattice positions corresponding to Watanabe type two-dimensional long period superstructure.

Using the pairwise interaction parameters up to third nearest neighbors in the existing statistical thermodynamic model of Clapp and Moss one can partially account for the shapes of  $\{1\frac{1}{2}0\}$  sro spots in Ni-Mo and Au-Mn alloys, but not in Au-Cr and Au-V alloys. On the other hand the diffuse sro scattering in all these alloys can be qualitatively explained by assuming the presence of imperfectly ordered microdomains

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or various superstructures that may exist in the long range ordered ( $\ell$ ro) state in these alloys. For a particular stoichiometry, the structures of the microdomains that exist above  $T_c$  may or may not correspond to the equilibrium  $\ell$ ro structure obtained at that stoichiometric composition.

#### 1. INTRODUCTION

A solid solution having short range order (sro) usually exhibits diffuse maxima in the diffraction patterns. In order to explain the shape and position of these diffuse maxima various models of the sro state have been proposed. These fall into two main categories, namely the statistical thermodynamic model and the microdomain or more generally the structural model. In this paper the word microdomain is used to mean a tiny ordered region, which may or may not be perfectly ordered and whose size may vary from a unit cell to about 100A or more. One microdomain may be separated from another by an antiphase boundary (APB) or other discontinuities. According to the statistical thermodynamic model the sro is said to exist when there is a tendency for each atom to be surrounded by more than an average number of unlike atoms and in the microdomain model the sro state is described as an assembly of ordered microdomains separated by antiphase domain boundaries or other discontinuities. Both models can satisfactorily explain the positions of the sro diffuse maxima in the systems where they coincide with the ordered (lro) state. In the microdomain model the diffuse sro maxima is explained as due to the broadening of the superlattice reflections arising from very small domain size. So this model

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requires that the position of sro maxima in reciprocal space should always coincide with that of the superlattice reflections.

Certain systems such as Ni<sub>h</sub>Mo, Ni<sub>h</sub>W, Au<sub>3</sub>Cr, and several Ti-0 alloys, 4 have been found to exhibit sro diffuse maxima at positions other than the superlattice positions. In the ordered state the first three alloys are isostructural and possess a body centered tetragonal structure commonly known as Dla, and are disordered f.c.c. above the critical temperature (T\_). The sro diffuse maxima in these three systems occur at all equivalent  $\{1\frac{1}{2}0\}$  positions of the fcc reciprocal lattice, which are not superlattice positions. So the microdomain model fails to explain the position of sro maxima in these systems. On the other hand the recent statistical thermodynamic model of Clapp and Moss<sup>5,6</sup> is able to predict the shape and position of the diffuse  $\{1\frac{1}{2}0\}$  maxima in Ni<sub>h</sub>Mo, which agrees well with the X-ray measurements of Spruiell and Stansbury. On this basis they rejected the microdomain concept of sro at least for this  $\mathrm{Ni}_{1}\mathrm{Mo}$  system. Recently Okamoto and Thomas 7,8 have shown that the microdomain concept is still valid for the system Ni<sub>1</sub>Mo and the  $\{1\frac{1}{2}0\}$  diffuse maxima can be explained by the presence of non-conservative APB's within the microdomains which give rise to imperfectly ordered regions with DO22 superstructure. The presence of microdomains was inferred from the diffraction evidence that samples of NihMo quenched from above T showed weak superlattice reflections at Dla positions co-existing with much stronger  $\{1\frac{1}{2}0\}$  peaks.

On the other hand Tanner et al., while investigating the  ${\rm Au_3Cr}$  and  ${\rm Au_3Mn}$  systems, the two other systems that also exhibit  $\{1\frac{1}{2}0\}$  sro

maxima, did not report any evidence of superlattice reflections in the sro state. However, in their electron diffraction studies of Au<sub>3</sub>Cr above T<sub>c</sub>, they examined only [001] reciprocal lattice sections and as has been pointed out earlier this reciprocal lattice section is not very suitable for detection of weak Dla superlattice reflections and it is essential to examine other reciprocal lattice sections such as [130]. So it is still uncertain as to whether microdomains exist in these systems or not. Since the diffraction evidence for the presence of microdomains in Ni, Mo alloys is based on the examination of quenched samples and quenching may have induced some ordering, there is some question as to whether the observed scattering actually represents the sro state at temperatures above T or not. Thus, the microdomain model still lacks generality. The primary objective of this investigation is to see if the microdomain concept of sro is true in general or not, especially for systems where the diffuse sro maxima are not coincident with the superlattice reflections. For this a number of alloys such as  $Ni_4Mo$ ,  $Ni_3Mo$ ,  $Au_3Cr$ ,  $Au_4Cr$ ,  $Au_3Mn$ , and  $Au_4V$  were chosen. The choice behind these different systems lies in the fact that all of them do not have the same \$\ell\$ ro structure, and still they exhibit sro diffuse maxima at the same position namely  $\{1\frac{1}{2}0\}$ . The systems  $Au_hCr$ ,  $Au_3Cr$ ,  $Ni_hMo$ ,  $Au_hV$ are isostructural with Dla,  $Ni_3Mo$  is orthorhombic whereas  $Au_3Mn$  has a two-dimensional long period superstructure. It was hoped that a comparative study of these various systems would reveal the true nature of the sro from the structural point of view.

# 2. EXPERIMENTAL PROCEDURE

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Bulk alloys of Au<sub>3</sub>Cr, Ni<sub>4</sub>Mo, Ni<sub>3</sub>Mo and Au<sub>4</sub>V were prepared by melting together required proportions of the individual components in an arc furnace, back filled with argon. The purity of all the starting materials was 99.99% except for vanadium which was 99.9% pure. The alloys were melted several times in the furnace in order to obtain a homogeneous composition. The ingots were encapsulated in quartz tubes in vacuum and were homogenized at suitable temperatures. The compositions of the bulk alloys and their corresponding homogenization temperatures are shown in Table 1. The ingots were cold rolled in 6 mil strips with intermediate anneals. The foils were then finally homogenized in an inert atmosphere and quenched directly into iced brine from their homogenization temperature.

The thin foils of Ni-Mo alloys for transmission electron microscopy were prepared by jet polishing in an electrolyte containing two parts of sulphuric acid and one part water. The thin foils of Au alloys were relatively difficult to prepare and the window method was again used

with an electrolyte containing 88 gms. of chromic oxide, 465cc acetic acid, 25cc water.

Vacuum deposition of the bulk alloy onto freshly cleaved <100> faces of NaCl substrate held at 450°C. The substrate was degassed at 500°C for 1/2 hour prior to deposition. This gave fairly large single crystal thin films of <100> orientation. The samples were homogenized for 2 hours at 400°C and mounted on platinum grids. Further annealing was done inside the microscope. The thin films of Au<sub>1</sub>Cr were prepared in a similar manner by melting together required amounts of Au with the bulk Au<sub>3</sub>Cr on the filament to form the alloy Au<sub>4</sub>Cr and then evaporating on to the heated rock salt. The evaporated thin films of Au<sub>3</sub>Mn were obtained from Mr. Lee Tanner of Kennecott Copper Corporation and were similar to that employed in his studies.

All the microscopy was done on a Siemens Elmiskop IA operated at 100 kV. A standard Siemens hot stage was used for the high temperature electron diffraction work. The hot stage was calibrated outside the microscope in a vacuum bell jar at a vacuum similar to the procedure described elsewhere.

#### 3. RESULTS

The short range order study involved the examination of the electron diffraction patterns of the six systems  $\mathrm{Ni_4Mo}$ ,  $\mathrm{Ni_3Mo}$ ,  $\mathrm{Au_3Cr}$ ,  $\mathrm{Au_4V}$  and  $\mathrm{Au_3Mn}$  either in the specimens quenched from above  $\mathrm{T_c}$  or at temperatures above  $\mathrm{T_c}$  or both. Because of the large number of systems involved the results obtained on each system will be presented separately. The

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important crystallographic features of each of these systems will be pointed out first and then the diffuse scattering results will be described.

3.1 Ni<sub>4</sub>Mo: In the tro state the stoichiometric Ni<sub>4</sub>Mo has a body centered tetragonal structure 10 commonly referred to as Dla in the strukturbericht symbol. The crystallographic features of the ordered Ni, Mo structure are well known, 8,11 and need not be repeated here. One important feature of this structure is that if one considers the stacking of atoms on {420}\* planes, every fifth plane contains only Mo atoms and in between planes contain only Ni atoms. Thus, the reciprocal lattice for the ordered structure can be constructed from the fundamental fcc lattice, since the superlattice reflections appear at every  $\frac{1}{5}$ 420> reciprocal lattice vector of the fcc unit cell. The other structure which is important in this study is that of NioMo which occurs as a metastable phase during the ordering of  $Ni_3Mo^{12}$  and  $Ni_hMo^{13}$  The atomic arrangement is isomorphous with ordered PtoMo. As the Dla structure, NioMo can be described by the stacking of atoms on either {420} or {220} planes where every third plane contains all Mo and in between all Ni atoms. Thus, the reciprocal lattice of the ordered structure can be constructed from the original fcc lattice, where the superlattice reflections will appear at every  $\frac{1}{3}$ <220>, or  $\frac{1}{3}$ <420>, reciprocal lattice vectors. This gives rise to six orientation variants of Ni<sub>2</sub>Mo corresponding to six variants of {220}. Furthermore, because of enhanced scattering of  $\{1\frac{1}{2}0\}$  spots towards those at the shape of the  $\{1\frac{1}{2}0\}$  spots should be Dla positions,

<sup>\*</sup>Unless otherwise specified the indices refer to the fcc lattice.

somewhat like the dotted triangle in Fig. 1. However, the X-ray diffuse scattering measurements by Spruiell and Stansbury on quenched samples of Ni<sub>h</sub>Mo showed the shape of  $\{1\frac{1}{2}0\}$  spots to be quite different from the expected shape. In their diffuse scattering map for quenched  $Ni_{14}Mo$  the outer contours at  $(1\frac{1}{2}0)$  were slightly elongated towards the (100) and (210) positions and not like the dotted triangle, Fig. 1(a). In order to resolve this apparent discrepancy isointensity contour maps were drawn on an isodensitracer from a number of diffraction patterns of the quenched samples of Ni, Mo (e.g. Fig. 2) as is shown in Fig. 3. The original map uses a color code for the relative intensities and Fig. 3 has been redrawn from the original for easy reproduction. The relative intensities are in arbitrary units. On this map the positions of the Dla and the Ni Mo superlattice reflections are also marked. It can be seen that the map is very similar to the X-ray map of Spruiell and Stansbury. Here, the diffuse intensities near each of the  $\{1\frac{1}{2}0\}$ positions are not exactly the same because the optic axis being at the origin (000), the deviations of each of the  $\{1\frac{1}{2}0\}$  spots from the exact Bragg positions are different. However, the distribution of diffuse intensity in Fig. 3 suggests that there may be weak scattering present not only at the Dla positions but also at the superlattice positions corresponding to the Ni<sub>O</sub>Mo structure. The observed enhanced scattering of  $(1\frac{1}{2}0)$  spot towards (100) and (210) positions in [001] patterns is most likely to be due to the presence of weak scattering near the Ni<sub>2</sub>Mo spots. In order to check this several other reciprocal lattice sections were examined and Fig. 4 shows a [130] section. The

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diffuse peaks observed in this pattern are not entirely due to the weak Dla spots as was reported earlier. 8 Careful measurements show that the center of these diffuse peaks do not lie exactly at the positions where the Dla spots ought to occur. It can be seen from Fig. 1(b) that the projections of the  $\{1\frac{1}{3}0\}$  spots on to the  $[\overline{1}30]$  reciprocal lattice section lie very close to those of the Dla spots. The diffuse peaks at A in Fig. 4 are, in fact, elongated towards the projection of  $\{1\frac{1}{2},0\}$  spots and have the shape outlined by dotted lines in Fig. 1(b). Thus, the diffuse Dla peaks are not isolated from the diffuse  $\{1\frac{1}{2}0\}$ sro maxima, but merge together with them. The diffuse scattering near 'B' is different from that at 'A' and has two wings on either side (marked by arrows) that extend towards the positions of the Ni<sub>2</sub>Mo spots [Fig. 1(b)]. This shows that in addition to the diffuse scattering near Dla positions, there must be scattering near Ni<sub>2</sub>Mo positions. This has never been reported before. This was further confirmed by examining a [110] section [Fig. 5] which contains only the Ni<sub>2</sub>Mo spots and no  $\{1\frac{1}{2}0\}$  sro or Dla spots. The arrows in Fig. 5(a) point to the weak peaks that appear at the Ni<sub>O</sub>Mo positions as indexed in Fig. 5(b). It must be pointed out that the detection of such weak peaks depends very much on the exposure time. In the underexposed plates these may be missed altogether, and in the present investigation exposure times up to 10 minutes (with a well-defocussed second condensor lens) were necessary to bring out the details. Thus, in the quenched state  $\mathrm{Ni}_{\mathrm{h}}\mathrm{Mo}$  samples exhibit weak scattering near Dla and Ni Mo superlattice positions coexisting with much stronger scattering at  $\{1\frac{1}{2}0\}$ . The scattering at

Dla and  $\text{Ni}_2\text{Mo}$  positions are not isolated peaks but emerge from the  $\{1\frac{1}{2}0\}$  peaks that lie close to them.

3.2. Ni<sub>3</sub>Mo: The equilibrium gro structure of Ni<sub>3</sub>Mo has been determined by Saito and Beck<sup>14</sup> to be orthorhombic and isotypic with that of ordered Cu<sub>3</sub>Ti. The stoichiometric Ni<sub>3</sub>Mo also does not have a true T<sub>c</sub> and decomposes peritectoidally at 910°C to α + NiMo and is disordered fcc at high temperatures in the single phase region. On fast quenching from the single phase region the decomposition to Ni-Mo can be suppressed. It has been mentioned<sup>12,15</sup> that the sro state of Ni<sub>3</sub>Mo is similar to that of Ni<sub>4</sub>Mo, but no detailed study as to whether any weak superlattice peaks are present or not has been reported. During the isothermal annealing the Ni<sub>4</sub>Mo and Ni<sub>2</sub>Mo phases appear as metastable phases at an early stage and finally the quilibrium Ni<sub>3</sub>Mo forms. Thus, it would be interesting to see whether any weak superlattice spots are present in the sro state or not and if so of what type.

Figure 6(a) shows a [001] diffraction pattern of Ni<sub>3</sub>Mo quenched into iced brine from  $1270^{\circ}\text{C}$ . This pattern is similar to that of Ni<sub>4</sub>Mo (Fig. 2). Here the diffuse scattering appears to extend from one  $\{1\frac{1}{2}0\}$  position to the neighboring ones in the form of an arc, that passes through the Ni<sub>2</sub>Mo position. This means that the diffuse scattering near Ni<sub>2</sub>Mo position may be more prominent in Ni<sub>3</sub>Mo than in Ni<sub>4</sub>Mo. The fact that this is so can be seen by comparing the [110] section of Fig. 6(b) with Fig. 5(a) where only Ni<sub>2</sub>Mo spots are present. The [ $\bar{1}30$ ] diffraction pattern of Ni<sub>3</sub>Mo is also similar to that of Ni<sub>4</sub>Mo. In all the sections examined no evidence for diffuse scattering

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near Ni $_3$ Mo positions was obtained. Thus the quenched state of Ni $_3$ Mo is similar to that of Ni $_4$ Mo and there is weak scattering present near the superlattice positions corresponding to the Dla and Ni $_2$ Mo structures in addition to the  $\{1\frac{1}{2}0\}$  peaks. Although it may be surprising that stoichiometric Ni $_3$ Mo does not show Ni $_3$ Mo superlattice spots but rather Ni $_2$ Mo and Ni $_4$ Mo superlattice spots, the reason this may be so will be discussed later. Hence, in the Ni-Mo system as the stoichiometry changes from Ni $_4$ Mo to Ni $_3$ Mo the diffraction patterns of the quenched samples do not change very much except in increased scattering near Ni $_2$ Mo positions with increased Mo content.

In the as quenched condition it was not possible to obtain any resolvable images in dark field of the  $\{l\frac{1}{2}0\}$  spots, but after slight aging the dark field micrographs did show images of particles or microdomains. Figure 7(a) is a dark field micrograph of the  $\{l\frac{1}{2}0\}$  spot encircled in the diffraction pattern in Fig. 7(b). This image is similar to that obtained by Ruedl et al. 11 in quenched Ni<sub>4</sub>Mo, and shows microdomains of about 30-40Å in diameter, that do not have a weld defined shape and have a rather diffuse boundary. In the quenched samples of Ni<sub>3</sub>Mo the degree of order within the microdomains may have been too small to provide images of sufficient intensity to give contrast. The microdomains observed by Ruedl et al. in quenched Ni<sub>4</sub>Mo were probably resolved because of the slower quenching and resulting higher degree of order. Nevertheless, the fact is that microdomains are directly visible

in the dark field micrographs of  $\{1\frac{1}{2}0\}$  sro spots, when the superlattice reflections are still very diffuse and weak.

Now the question arises as to whether these quenched samples represent the sro state above Tc or not. It is quite possible that some fro might have been induced during the quench itself. To prove conclusively that these weak superlattice reflections are present in the sro state it is necessary to examine specimens at and near  $T_c$ .

In the Ni-Mo system, since the disordering temperatures are rather high, electron diffraction studies near  $T_c$  are not very helpful because of the excessive thermal diffuse scattering. Thus, the Au-Cr and Au-Mn systems which have relatively lower  $T_c$  were chosen for high temperature electron diffraction studies, to see whether there are any weak superlattice reflections co-existing with  $\{1\frac{1}{2}0\}$  maxima.

3.3. Au<sub>3</sub>Cr: The equilibrium fro structure of Au<sub>3</sub>Cr is not definitely known and the phase diagram of Au-Cr system shows that an ordered phase may be present below 300°C. However, it has been established that in thin films the alloy transforms to the Dla superstructure. Current experiments on bulk alloys show that the fro structure is not Dla, but the exact structure has not been identified yet. Thus, thin films and bulk alloys may behave differently, as has been shown in Au<sub>3</sub>Mn. In the present study the sro state was studied both in thin films and in foils made from bulk alloys. Since the important crystallographic features of the Dla structure have been described earlier, they need not be repeated here.

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Figures 8a and b show the [001] and  $[\overline{1}30]$  diffraction patterns respectively, obtained from a thin film of Au<sub>3</sub>Cr, after aging for 67 hours at 270°C. The patterns consist of superlattice reflections due to Dla structure (see Fig. 11), together with weak spots that are due to double diffraction. The spots marked 'T' in Fig. 8(b) are due to the fine {lll} fcc twins that are invariably present in such epitaxially grown thin films. As the ordered structure was heated the Dla spots suddenly became weak and the  $\{1\frac{1}{2}0\}$  sro spots appeared around 330°C. This temperature is the same as that reported for T<sub>c</sub> by Tanner et al. <sup>3</sup> for Au<sub>3</sub>Cr. This critical temperature was a good check on the composition of the thin film. Figure 9(a) shows a [001] diffraction pattern obtained after holding for 30 minutes at 330°C + 10°C. Diffuse peaks can be seen at  $\{1\frac{1}{2}0\}$  spots and these are triangularly shaped with the edges extending towards neighboring Dla superlattice positions. fact the area of the triangle covers almost the entire area outlined by the dotted lines in Fig. la. Figure 9b shows a [130] pattern taken at 370°C. Similar to the case of Ni, Mo, here also the observed diffuse peaks (marked by arrows) are not entirely due to weak Dla spots but are elongated towards the projection of  $\{1\frac{1}{2}0\}$  spots and have the shape outlined by dotted lines in Fig. 1b. So here again the diffuse Dla peaks are not isolated from the diffuse  $\{1\frac{1}{2}0\}$  maxima, but merge together with them. This gives rise to a tetrahedral distribution of the diffuse sro scattering centered about the  $\{1\frac{1}{2}0\}$ , but enveloping the Dla positions.

It has been reported<sup>3</sup> that the ordering reaction in bulk Au<sub>3</sub>Cr is very sluggish and diffraction patterns do not show any evidence of lro even after annealing

for 550 hours at 270°C. Thus, on fast quenching from above Tc it should be possible to retain the sro state without inducing any lro. In order to check this and also to compare the high temperature results described above on thin films with that of the bulk, samples of  $\operatorname{Au_3Cr}$  were quenched from various temperatures above Tc. Figure 10a and b show [001] and [ $\overline{130}$ ] diffraction patterns respectively obtained on specimens that were water quenched from 550°C. These patterns are very similar to the high temperature electron diffraction patterns shown in Fig. 9. The  $\{1\frac{1}{2}0\}$  spots in the quenched samples (Fig. 10a) are sharper compared to those in diffraction patterns at  $\mathbf{T_c}$  (Fig. 9a), but the shape remains more or less the same. The [ $\overline{130}$ ] pattern (Fig. 10b) is also identical to the high temperature pattern shown in Fig. 9. Here again the diffuse peaks near Dla positions elongate towards the  $\{1\frac{1}{2}0\}$  spots. In addition to the diffuse peaks there are extra spots due to relrods from the (111) and (200) reciprocal lattice points above and below this section.

In order to derive more conclusively the shape of the  $\{1\frac{1}{2}0\}$  spots some other reciprocal lattice sections were also examined. Figure 11(a) shows a [121] pattern, that has been indexed in Fig. 11(b). The symbols used in indexing are the same as in Fig. 1. The Dla positions marked 3 and 4 in Fig. 11(b) are especially important in determining the shape of  $\{1\frac{1}{2}0\}$  spots. Diffuse peaks can be observed near these and equivalent positions. They are elongated in the <210> directions shown by the full and dotted lines on the indexed pattern and are shifted in the direction of the arrows shown, which point towards the projection of the  $\{1\frac{1}{2}0\}$  spots. The diffuse scattering near the Dla positions such

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as 1 and 2 are difficult to distinguish from the broad diffuse  $\{1\frac{1}{2}0\}$  spot that lies very close to it. Based on the information gathered above, a three-dimensional reciprocal lattice model of the sro state was constructed and Fig. 12(a) shows the intensity distribution around each  $\{1\frac{1}{2}0\}$  position. It can be seen that each  $\{1\frac{1}{2}0\}$  spot is stretched out into two triangular shaped sheets of intensity that are normal to each other. For comparison the three-dimensional reciprocal lattice of the fully ordered Dla structure is also shown in Fig. 12(b). It is clear that the shapes of the  $\{1\frac{1}{2}0\}$  sro spots have resulted from the presence of weak scattering near the four Dla positions surrounding it.

The comparison of these results of quenched bulk samples with those obtained at  $T_c$  proves that no fro has been induced in  $Au_3$ Cr during the quench. On this basis it is quite reasonable to assume that in the Ni-Mo alloys also weak scattering is present near Dla and  $Ni_2$ Mo superlattice positions in the sro state above Tc. The fast quenching may have just slightly enhanced their intensities.

3.4.  $Au_4$ Cr: The equilibrium fro structure of  $Au_4$ Cr has been established 18 to be Dla and on heating it disorders to the fcc structure around 325°C. To the authors' knowledge there has been no report of the study of the sro state above Tc, but one would expect it to behave similarly to the system  $Au_3$ Cr. In order to see if diffuse scattering centered around  $\{1\frac{1}{2}0\}$  positions occurs, similar to that of  $Au_3$ Cr, thin films of  $Au_4$ Cr were examined above Tc. In the fully ordered state the diffraction patterns were identical to those in Fig. 8. On heating to a temperature above Tc ( 325°C) the Dla superlattice spots vanished and were replaced

by diffuse  $\{1\frac{1}{2}0\}$  spots. Figure 13 shows a [001] diffraction pattern taken at  $340^{\circ}\text{C}$ . This pattern is identical to the diffraction pattern of  $\text{Au}_3\text{Cr}$  at Tc shown in Fig. 9(a). The triangular shape of the  $\{1\frac{1}{2}0\}$  spots extending towards the Dla positions can be clearly seen. Examination of other reciprocal lattice sections also showed that the shapes of the diffuse  $\{1\frac{1}{2}0\}$  spots in  $\text{Au}_4\text{Cr}$  are identical to those of  $\text{Au}_3\text{Cr}$  and the patterns show diffuse scattering near Dla positions.

Thus,  ${\rm Au_3^{Cr}}$  and  ${\rm Au_4^{Cr}}$  are similar to  ${\rm Ni_3^{MO}}$  and  ${\rm Ni_4^{MO}}$  in that they all have similar sro structures, although the lro structure of  ${\rm Au_3^{Cr}}$  in thin films and bulk alloys may be different.

3.5.  $\underline{\mathrm{Au_4V}}$ : The alloy  $\mathrm{Au_4V}$  also possesses the Dia structure  $^{18}$  in the \$\ellip{l}{r}\$ of state and is disordered fcc above  $\mathrm{T_c}$  (~565°C). So far there has been no report of any electron diffraction study of order-disorder transformation in this system. Since this system is isostructural with  $\mathrm{Ni_4Mo}$  and  $\mathrm{Au_4Cr}$  it would be interesting to determine whether this alloy has a similar sro structure (diffuse  $1\frac{1}{2}$ 0 reflections and weak superlattice reflections). Figure 14 shows a [001] electron diffraction pattern of a bulk sample quenched in iced brine from 900°C. Weak peaks can be observed in this pattern at  $\{1\frac{1}{2}0\}$  positions (marked by arrows). There is an enhanced scattering of each  $\{1\frac{1}{2}0\}$  spot towards the neighboring Dla position. As a matter of fact the diffuse intensity extends beyond the Dla position towards the fundamental fcc spots. Examination of other reciprocal lattice sections such as [121] and [\bar{1}{3}0] confirms this observation.

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present, but in any case the important observation is that diffuse scattering is present near Dla positions. Although no diffraction patterns were examined at temperatures above  $T_c$ , comparison with the results on  $Au_3Cr$  suggests that quenching retains the sro state above  $T_c$ , fairly well in this alloy. Thus, the sro state in this alloy is very similar to that in the Au-Cr alloys.

3.6.  $\underline{Au_3Mn}$ : The bulk system  $\underline{Au_3Mn}$  shows a  $\underline{DO_{22}}$  structure [also described as a long period superlattice of the type  $\underline{Ll_2}$  (M=1) i.e. an antiphase derivative of the  $\underline{Cu_3Au}$  structure where an APB is introduced at every unit cell] with long period stacking modulations.  $^{17}$  In thin films this alloy has a two-dimensional long period superstructure analyzed by Watanabe.  $^{19}$  The alloy  $\underline{Au_4Mn}$  forms the Dla structure both in thin films on and in bulk.  $^{17,21}$  In the narrow composition range between 20 to 25 at% Mn at least six different structures exist at various composition and temperature ranges. Consequently this alloy system is very interesting in order to see whether diffuse scattering above  $\underline{T_c}$  shows any evidence for the presence of weak superlattice reflections corresponding to any of the complicated ordered structures observed below  $\underline{T_c}$ .

Figure 15(a) shows a [001] diffraction pattern from an evaporated thin film of Au<sub>3</sub>Mn showing only the Watanabe type two-dimensional long period superlattice and Fig. 15(b) shows a similar pattern but containing additional Dla spots, indicating a mixutre of Au<sub>4</sub>Mn and Watanabe type Au<sub>3</sub>Mn, and that the films probably differ in compositions.

The [001] reciprocal lattice section corresponding to the Watanabe type structure is shown in Fig. 15(c), where the filled small circles are the superlattice spots corresponding to the two-dimensional long period superlattice with periodicities  $m_1 = (\frac{a^*1}{M_1})$  and  $m_2 = (\frac{a^*2}{M_2})$ . Here  $a^*1$  and  $a^*2$  refer to the reciprocal lattice vectors and  $m_1$  and  $m_2$  correspond to the periodicities in real space in  $m_1$  and  $m_2$  directions respectively. That is, in real space the periodic APB's occur at every  $m_1$  and  $m_2$  unit cells in the  $m_1$  and  $m_2$  directions respectively. The values of  $m_1$  and  $m_2$  measured from the diffraction patterns were found to be 1.2 and 2.3 respectively, which are close to those obtained by Watanabe. In addition to the superlattice reflections there are weak satellites present (marked by small open circles) which are thought to arise from lattice modulations such as the variations in the lattice spacing or scattering factor and hence have the same periodicity of the APB's.

The two different kinds of ordered state, one containing the two-dimensional long period superlattice [Fig. 15(a)] and the other a mixture of Dla and Watanabe type structure [Fig. 15(b)] were heated above  $T_c$  to examine if there are any differences in the diffuse scattering behavior. During heating, it was observed that the Dla spots disappeared completely around 450°C and only the Watanabe type structure remained and Fig. 16(a) shows a diffraction

0 0 0 0 3 7 0 0 2 3 0

pattern taken at 450°C. This pattern corresponds to the film that contained a mixture of Dla and Watanabe type structure in the ordered state before heating [Fig. 15(b)]. The streaks are still present at this temperature. On further heating to 475°C all the sharp superlattice reflections vanished and were replaced by diffuse scattering around  $\{1\frac{1}{2}0\}$ positions and Fig. 16(b) shows the pattern taken at 500°C. The samples containing only the Watanabe type ordered structure, such as in Fig. 15(a), showed diffraction patterns above  $T_c$  that were identical to Fig. 16(b). Thus the sro state above Tc in these samples containing different initial ordered structures are identical. Although the actual composition of these films are unknown the low  $T_c$  (  $475^{\circ}C$ ) suggests that the composition is closer to Au, Mn than Au, Mn. It can be seen from Fig. 16(b) that the diffuse intensity is not as concentrated around  $\{1\frac{1}{2}0\}$  as was observed in Au-Cr and Ni-Mo alloys, but is fairly spread out in the <100> directions. Measurements show that the diffuse intensity extends from the superlattice position marked P [Fig. 15(c)] to that marked Q, which shows that there is diffuse scattering present near most of the superlattice reflections in Fig. 15(c), except those near A and C and their equivalent positions. If there is any scattering present near A and C it must be very weak. The shape of the diffuse scattering is quite different from that of Au<sub>2</sub>Cr and shows no enhanced scattering towards the Dla positions. There is also no diffuse scattering observed near the satellite positions of Fig. 15(c).

Thus the diffuse scattering results above  $T_{\rm c}$  in thin films of Au-Mn alloys of compositions between 20-25 at% Mn show the presence

of weak scattering near most of the superlattice reflections of the Watanabe type two-dimensional long period superstructure.

#### 4. DISCUSSION

The results of the sro alloys presented above show conclusively that in allow systems that exhibit diffuse  $\{1\frac{1}{2}0\}$  sro peaks; there is additional weak scattering present near the superlattice reflections. These superlattice reflections are not isolated from the  $\{1\frac{1}{2}0\}$  peaks but merge with the neighboring  $\{1\frac{1}{2}0\}$  peaks. The superlattice reflections that are observed in the sro state in a particular alloy correspond to one or more of the fro phases that appear in that system, although they may or may not be the equilibrium fro structure at that particular composition. In different systems the  $\{1\frac{1}{2}0\}$  peak assumes different shapes, so as to give rise to scattering near these various superlattice positions. Now, first an attempt will be made to account for the various shapes of these diffuse  $\{1\frac{1}{2}0\}$  spots by using the statistical thermodynamic model of Clapp and Moss. <sup>5</sup> It will be shown that this model in its present form is unable to account for all the features of the observed diffuse scattering and then it will be examined whether the structural interpretation of the sro state can explain the observed shapes or not. 4.1. Statistical Thermodynamic Model of SRO: In the high temperature approximation of the statistical thermodynamic model developed by Clapp and Moss, the diffuse intensity,  $I(\bar{k})$  at any reciprocal lattice point, k, can be written as

$$I(\bar{k}) = C \left[ 1 - \frac{r}{T} \cdot \frac{V(\bar{k})}{V(\bar{k}_m)} \right]^{-1}$$
 (1)

0 4 0 0 5 7 5 3 2 5-1

where C is a normalization constant,  $T_c$  is the critical temperature for order-disorder transitoin, T is any temperature above  $T_c$  where the diffuse scattering is measured, and  $V(\overline{k})$  is the Fourier transform of the pairwise interaction potential. For a fcc crystal, considering the interaction potentials Vi's only up to third nearest neighbors  $V(\overline{k})$  can be written as,

 $V(k) = 4V_1 \left[ \cos \pi h_1 \cos \pi h_2 + \cos \pi h_2 \cos \pi h_3 + \cos \pi h_3 \cos \pi h_1 \right]$ 

- $+ 2V_2 [\cos 2 \pi h_1 + \cos 2 \pi h_2 + \cos 2 \pi h_3]$
- +  $8V_3$  [Cos  $2 \pi h_1$ Cos  $\pi h_2$ Cos  $\pi h_3$  + Cos  $\pi h_1$ Cos  $2 \pi h_2$ Cos  $\pi h_3$
- + Cosπh<sub>1</sub>Cosπh<sub>2</sub>Cos2πh<sub>3</sub>]

where  $\{h_1, h_2, h_3\}$  are continuous variables in reciprocal space.  $V(\overline{k}_m)$  corresponds to the value of  $V(\overline{k})$  at that position in reciprocal lattice,  $\overline{k}_m$ , where it takes an absolute minimum value. The intensity  $\overline{I}(\overline{k})$  has a peak where  $V(\overline{k})$  goes to a minimum and in the present case, since we are concerned with the diffuse peaks at  $\{1\frac{1}{2}0\}$  positions, the value of  $V(k_m)$  is the value at  $h_1 = 1$ ,  $h_2 = \frac{1}{2}$ ,  $h_3 = 0$ . Using equation (1) iso-intensity contours were plotted for all possible values of the ratios  $\frac{V_2}{V_1}$  and  $\frac{V_3}{V_1}$  keeping a constant  $\frac{T_c}{T} = 0.95$  close to the experimental value. No matter what values of the ratios of the interaction parameters were chosen, it was not possible to match the computed shape with the tetrahedral shape of  $\{1\frac{1}{2}0\}$  sro spots in Au-Cr alloys [Fig. 12(a)] and also in  $Au_4V$ . In the case of  $Ni_4Mo$ , Clapp and Moss tried to match the computed curves with the X-ray results of Spruiell and Stansbury and obtained a good agreement. But as pointed out earlier, the X-ray

results failed to detect any scattering near Dla positions and so also the computed curves. Similar attempts were made to obtain a match for Ni<sub>3</sub>Mo and Fig. 17 shows the best possible match with that of Fig. 6(a), by using  $\frac{T_c}{T} = 0.95$ ,  $\frac{V_2}{V_1} = 0.4$  and  $\frac{V_3}{V_1} = 0.00$ . The intensities are in relative units. Here, although the diffuse scattering near Ni<sub>2</sub>Mo positions is reproduced well in the computed curve, it is still not possible to obtain any scattering near Dla positions.

The shape of the  $\{1\frac{1}{2}0\}$  spot in Au<sub>3</sub>Mn [Fig. 16(b)] is quite different from other systems and is in the form of a cigar elongated along <100>. The theoretical diffuse scattering map obtained by Moss and Clapp<sup>6</sup> for Au<sub>3</sub>Mn using  $\frac{^{\prime}2}{V_3}$  = +0.08 does not match very well with our experimental result. A better match was obtained by using a large negative  $\frac{V_2}{V_2} = -0.7$  and  $\frac{V_3}{V_2} = -0.2$  as shown in Fig. 18. On the basis of this agreement between theoretical and experimental shape of  $\{1\frac{1}{2}0\}$  spots in Au<sub>3</sub>Mn and the apparent agreement in Ni<sub>4</sub>Mo Clapp and Moss ruled out the microdomain concept of sro for these alloys, and said that the src state can be best described by the statistical theory. The present results show that the theory fails to explain the sro state in AugCr, AuhCr, AuhV and the fine features of the diffuse scattering in Ni-Mo alloys. Clapp 22 has suggested that this failure is due to the fact that equation (1) is only a high temperature approximation and in the region near  $T_{\text{C}}$  the linear approximation is poor. It also fails to explain some of the features of the diffuse scattering observed in Cu-Au alloys in the sro state, for example the weak splitting observed in the diffuse scattering in Cu<sub>3</sub>Au, 23,24 in CuAu<sup>25</sup> and in CuAu<sub>3</sub> 0 0 0 0 3 7 0 002 \$ 25

In the following section it will be shown that the structural model can qualitatively account for the observed results and at the same time gives a better physical description of the sro state than the statistical theory.

4.2. Structural Interpretation of the SRO State: Any structural model for the sro state in the systems investigated has to account for the presence of all the weak superlattice reflections observed and the  $\{l\frac{1}{2}0\}$  spot. There are two structures, namely the DO<sub>22</sub> and Ll<sub>0</sub> (M = 1) that give rise to superlattice reflections at  $\{l\frac{1}{2}0\}$  positions in the fcc reciprocal lattice. A perfectly ordered DO<sub>22</sub> structure exhibits superlattice peaks at  $\{l\frac{1}{2}0\}$  and also at  $\{100\}$  positions and the experimental results do not show any diffuse peak position. It has been shown that if there exists a sinusoidal composition fluctuation within the DO<sub>22</sub> structure the  $\{100\}$  reflections are extinct and thus the diffuse sro peaks at  $\{l\frac{1}{2}0\}$  positions have been interpreted in terms of imperfectly ordered microdomains.

have microdomains with  $\mathrm{Ll_0}(\mathrm{M=1})$  structure, which also give rise to peaks at  $\{1\frac{1}{2}0\}$  positions. Although this structure is rarely observed in ordered alloys, recently Lin et al. 27 have indicated that this structure might exist in Au-40 at %Pd alloy. Moreover the  $\mathrm{Ll_0}(\mathrm{M=1})$  structure corresponds to a stoichiometry of 50 at% solute and so its probability of occurrence will be less than that for the  $\mathrm{DO}_{22}$  structure containing 25 at% solute, in the composition range investigated. The presence of  $\mathrm{Ll_0}(\mathrm{M=1})$  type microdomains corresponding to 50 at% solute at this

25 at% solute concentration will also necessarily mean the existence of very large composition fluctuations. Thus, it is more likely that the imperfectly ordered microdomains with  $DO_{22}$  structure are responsible for the diffuse  $\{1\frac{1}{2}0\}$  spots, and this choice will be further justified below.

The presence of weak scattering near Dla positions in Au<sub>3</sub>Cr, Au<sub>4</sub>Cr, Au<sub>4</sub>V, Ni<sub>4</sub>Mo and Ni<sub>3</sub>Mo in the sro state can be due to the presence of microdomains with Dla structure. In the Ni<sub>h</sub>Mo and Ni<sub>3</sub>Mo alloys there is additional diffuse scattering present near Ni<sub>2</sub>Mo positions which implies that there are microdomains with Ni<sub>o</sub>Mo type superstructure. Since the intensity of Ni Mo spots is greater in Ni Mo than in Ni Mo, there may be a larger volume fraction of Ni<sub>2</sub>Mo type microdomains present in Ni3Mo than in Ni4Mo. This is in accord with what one would expect from the difference in molybdenum contents in these two alloys. Since no superlattice reflections at Ni3Mo positions were detected, there may not be any microdomains present with Ni3Mo structure, although this is the equilibrium fro structure of stoichiometric Ni3Mo. Thus, it appears that in the sro state Au<sub>3</sub>Cr, Au<sub>4</sub>Cr and Au<sub>4</sub>V alloys contain predominantly microdomains of imperfectly ordered DO22 and Dla structures, whereas in Ni Mo and Ni Mo additional microdomains of Ni Mo type structure will exist. The reason Ni, Mo type microdomains do not exist in Au-Cr and Au-V alloys is probably because there is no ordered phase in these systems with Ni<sub>O</sub>Mo type structure. The atomic size effects may also be very important in deciding what structures will exist in the sro state. The three structures DO22, Dla and Ni2Mo are very closely related to

0 0 0 0 5 7 0 0 2 5 5

each other and starting with any one of these the two others can be derived by simply introducing a periodic distribution of  $\{420\}\frac{1}{2}$   $\sim 1\overline{10}$ type APB's. 8,13 In the sro state above T if the diffusion is fast enough, tiny regions with these various types of ordered structures may be continuously forming and disappearing in order to establish an equilibrium distribution. Statistically, there exists a finite probability for some other closely related structures to exist other than the above three, but their volume fraction may be very small to give rise to any appreciable diffraction effect. The degree of order within these various types of microdomains must be very low as it was impossible to obtain contrast in dark field images of these diffuse spots. On quenching fast enough from above T, the high temperature distribution of various types of microdomains is essentially retained and depending on the quenching rate the degree of order within these microdomains may be slightly enhanced as is reflected in the intensities of Dla spots in diffraction patterns of quenched Au<sub>2</sub>Cr compared to those taken above  $T_c$ . The evidence for the presence of various types of microdomains is primarily based on their diffraction effects. Although the dark field micrographs do not reveal directly the microdomains when the spots are very diffuse, they do reverse contrast for respective microdomains after short time aging when the degree of order has increased slightly. For example the microdomains observed in Fig. 7(a) in the dark field of the  $\{1\frac{1}{2}0\}$  spot may consist of predominantly imperfectly ordered DO<sub>22</sub> regions. Recently Penisson et al. 28 have obtained evidence for microdomains in dark field image of the diffuse

{100} spots in Pt-Co alloy quenched from above  $T_c$ .

The above discussion leads us to propose a structural model of the sro state that is different from the classical microdomain concept where the structure of microdomains was simply assumed to correspond to the equilibrium fro structure. In this modified microdomain concept the sro state consists of not one but several types of microdomains whose structures do not necessarily correspond to the equilibrium ero structure. In some cases, as in Ni, Mo, the equilibrium ero structure may not exist at all in the sro state. Recently Clapp 29 has used a Probability Variation Method (PVM) derived earlier by him, 30 to determine the complete frequency distribution of nearest neighbor configurations for a number of cubic alloys from their experimentally determined sro parameters. His calculations showed that the most enhanced configuration relative to the random state often corresponded to the perfectly ordered state, although its volume fraction may be very small. There were also departures from this simple expectation, although it is not clear how many cases (if any) result from data limitation. His calculations on Au<sub>3</sub>Cu (Ll<sub>2</sub> structure) show a rather surprising result that the most enhanced clusters are the Llo (CuAu) type and the fourth most enhanced clusters are CuaAu type. Unfortunately, for the systems investigated in this work there are no three-dimensional sro parameters available and so such probability. calculations cannot be performed. However, there are some threedimensional sro parameters available 31 for Ni-10 at% W, which is quite similar to the Ni-Mo alloys. Clapp's calculations 22 using these

0 9 6 9 5 7 9 6 2 5 9

sro parameters of Ni-10 at% W show the most enhanced cluster to be  ${\rm DO}_{22}$  type. The next most enhanced cluster is the Dla with one mistake. It is not unreasonable to expect a similar distribution in Ni-Mo alloys and so the previous choice for  ${\rm DO}_{22}$  type microdomains to be present in the sro state of Au-Cr, Au-V, and Ni-Mo alloys instead of  ${\rm Ll}_{0}$  (M = 1) type seems to be well justified.

The results of diffuse scattering in  $\operatorname{Au_3^Mn}$  can also be explained qualitatively by structural models. The cigar shaped  $\{1\frac{1}{2}0\}$  spots give rise to diffuse scattering at the superlattice reflections P, Q, R, S and their equivalent spots [Fig. 15(c)]. The superlattice reflections in Fig. 15(c) can be thought of as formed by the splitting of the reciprocal lattice points with mixed integers  $h_1$ ,  $h_2$ , and  $h_3$ , the splitting distance being  $\frac{m_1}{2}$  along  $[h_100]$  and  $\frac{m_2}{2}$  along  $[0h_20]$ , which arise from the presence of periodic APB's at every  $\operatorname{M_1} \left( = \frac{a_1^*}{m_1} \right)$  and  $\operatorname{M_2} \left( \frac{a_2^*}{m_2} \right)$  cells along the respective directions, as described earlier in sec. 3.6. At temperatures above  $\operatorname{T_c}$ , if there exist microdomains with the Watanabe type structure, but without any fixed periodicities  $\operatorname{M_1}$  and  $\operatorname{M_2}$  then there will be no strong superlattice reflections, but a broad diffuse scattering near positions corresponding to all possible periodicities that are present as observed in Fig. 16(b). Since the origin of the satellites in Fig. 15(c) is most likely to be due

to periodic lattice modulations or composition modulations in the fro state, these will be completely washed out in the sro state because then there will be hardly any such periodic modulation present. This explains the absence of any scattering near satellite positions above  $T_c$ . Thus the diffuse scattering in Au<sub>3</sub>Mn can also be accounted for by the presence of microdomains with Watanabe type structure.

The presence of the microdomains of such long period Watanabe type structure in the sro state would necessarily imply that long range interatomic interactions are present. This would contradict the usual idea of short range interactions being present in the sro state. The justification for long range interactions being present in the sro state has been given by Cowley 32 in terms of flat regions being pressed on the Fermi surface. Moss 33 and Hashimoto and Ogawa 24 have tried to explain the diffuse split spots in Cu-Au alloys, and also Scattergood et al. 34 have tried to explain the diffuse scattering in Cu-Al alloys in terms of these flat regions on the Fermi surface. Thus, the presence of long range interatomic interactions supports the idea that microdomains with Watanabe type long period superstructure may be present in sro Au-Mn alloys. In our descriptions of these microdomains it is not at all implied that they possess a perfectly ordered structure, but an imperfectly ordered structure within which the degree of order may be very low.

#### 5. CONCLUSIONS

- 1. The high temperature electron diffraction patterns of Au<sub>3</sub>Cr and Au<sub>4</sub>Cr above  $T_c$  show a tetrahedral intensity distribution around the  $\{1\frac{1}{2}0\}$  positions which gives rise to diffuse scattering at Dla positions. The comparison of the as quenched state with diffraction patterns taken above  $T_c$  show that the sro state is essentially retained on quenching in this alloy.
- 2. The diffraction patterns of  $\mathrm{Au}_{1}\mathrm{V}$  in the sro state also exhibit diffuse scattering at  $\{1\frac{1}{2}0\}$  and Dla positions.
- 3. The diffuse scattering in  $\operatorname{Au_3Mn}$  above  $\operatorname{T_c}$  gives rise to an intensity distribution centered around  $\{1\frac{1}{2}0\}$  in such a way that weak scattering is present near most of the superlattice reflections corresponding to Watanabe type two dimensional long period superstructure.
- 4. The sro state of Ni<sub>4</sub>Mo and Ni<sub>3</sub>Mo show diffuse scattering near Dla and Ni<sub>2</sub>Mo superlattice positions in addition to that at  $\{1\frac{1}{2}0\}$  position.
- 5. The statistical thermodynamic model of Clapp and Moss is unable to explain the shape of  $\{1\frac{1}{2}0\}$  spots in Au-Cr and Au-V alloys but can explain the gross features of diffuse scattering in Au-Mn and Ni-Mo alloys.
- -6. The microdomain concept is valid in general, but the sro state may contain more than one type of microdomain. The sro state is best described as a mixture of imperfectly ordered microdomains with various types of superstructures in different proportions. The sro

Au-Cr and Au-V alloys contain predominantly imperfectly ordered DO<sub>22</sub> and Dla type microdomains. The Ni-Mo alloys contain imperfectly ordered DO<sub>22</sub>, Dla and Ni<sub>2</sub>Mo type microdomains whereas Au-Mn alloys may contain microdomains with a structure close to that of Watanabe type long period superstructure. On the whole it is concluded that the structural model gives a better physical description of the sro state and at the same time accounts for the observed diffuse scattering results.

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#### FIGURE CAPTIONS

- Fig. 1. (a) [001] reciprocal lattice section containing Dla, Ni<sub>2</sub>Mo,  $\{1\frac{1}{2}0\}$  sro spots, (b) [ $\overline{1}30$ ] reciprocal lattice section.
- Fig. 2. [001] diffraction pattern of  $Ni_4Mo$  quenched in iced brine from  $1100^{\circ}C$ .
- Fig. 3. Iso-intensity contour map of the [001] electron diffraction pattern of quenched Ni<sub>4</sub>Mo. The dotted line outlines the portion traced, and the notations for Ni<sub>2</sub>Mo and Ni<sub>4</sub>Mo positions are the same as in Fig. 1.
- Fig. 4. [130] electron diffraction pattern of quenched NihMo.
- Fig. 5. (a) [110] diffraction pattern of Ni<sub>h</sub>Mo.
- (b) the indexed pattern.
- Fig. 6. Diffraction patterns of Ni<sub>3</sub>Mo after quenching in iced brine from 1270°C (a) [001] pattern (b) [110] pattern.
- Fig. 7. Ni<sub>3</sub>Mo sample after aging for 1 hour at 650°C (a) Dark field micrograph of {1\frac{1}{2}0} spot encircled in the diffraction pattern;

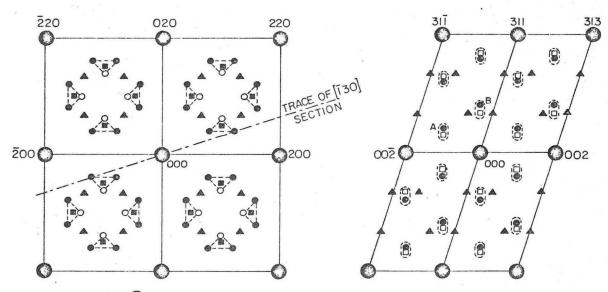
  (b) the [1\bar{2}0] diffraction pattern corresponding to (a).
- Fig. 8. Evaporated thin film of Au<sub>3</sub>Cr after aging for 67 hrs at 270°C (a) [001] orientation, (b) [\bar{1}30] orientation.
- Fig. 9. (a) [001] diffraction pattern of  $\text{Au}_3\text{Cr}$  film taken at 330°  $\pm$  10°C; (b) [ $\bar{1}$ 30] pattern of same  $\text{Au}_3\text{Cr}$  film taken at 370°C.
- Fig. 10. Electron diffraction patterns of bulk Au<sub>3</sub>Cr after quenching in water from 550°C. (a) [001] pattern, (b) [\bar{1}30] pattern.
- Fig. 11. (a) [121] diffraction pattern of bulk Au<sub>3</sub>Cr, quenched into water (b) the indexed pattern.

- Fig. 12. Three-dimensional reciprocal lattice models of Au<sub>3</sub>Cr showing
  - (a) the distribution of diffuse scattering in the sro state,
  - (b) the six variants of Dla in the lro state.
- Fig. 13. [001] electron diffraction pattern of thin film of  $\mathrm{Au_{h}Cr}$  taken at  $340^{\circ}\mathrm{C}$ .
- Fig. 14. [001] diffraction pattern of bulk  $Au_{l_l}V$  quenched in iced brine from 900°C.
- Fig. 15. (a) [001] diffraction pattern of evaporated thin film of

  Au<sub>3</sub>Mn showing two-dimensional long period superstructure (Watanabe
  type), (b) another [001] pattern showing additional Dla superlattice
  spots, (c) sketch of [001] pattern corresponding to Watanabe type
  structure.
- Fig. 16. (a) [001] diffraction pattern of ordered thin film of Au<sub>3</sub>Mn taken at 450°C, (b) the same pattern as (a) but taken at 500°C.
- Fig. 17. Theoretical diffuse scattering map for Ni<sub>2</sub>Mo.
- Fig. 18. Theoretical diffuse scattering map for AugCr.

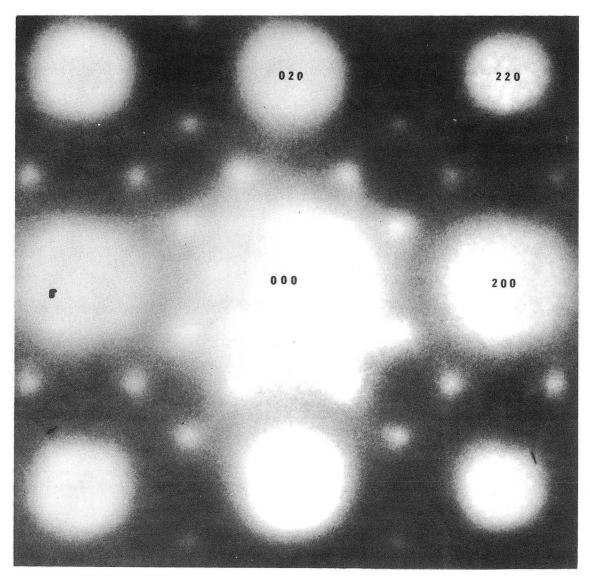
A

В



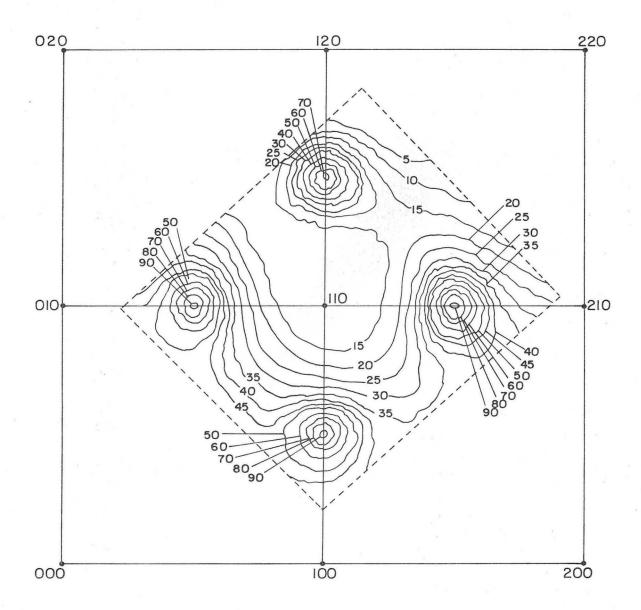
- O FUNDAMENTAL FCC SPOTS
- DIa SUPERLATTICE SPOTS
- PROJECTION OF THE OTHER DIG SPOTS
- ▲ Ni2Mo SUPERLATTICE SPOTS
- (11/20) SRO SPOTS
- PROJECTION OF THE (1/20) SPOTS

XBL717-7009



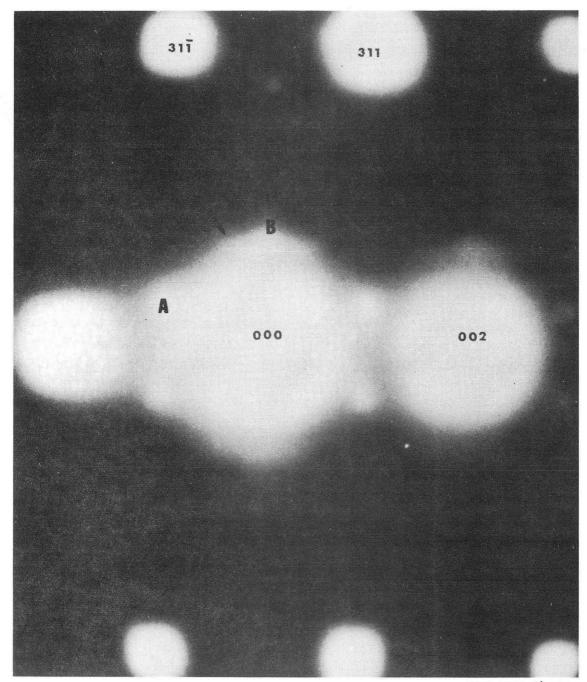
XBB 717-3401A

Fig. 2



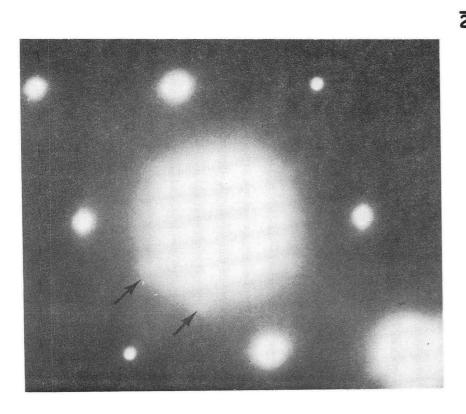
XBL7110-7338

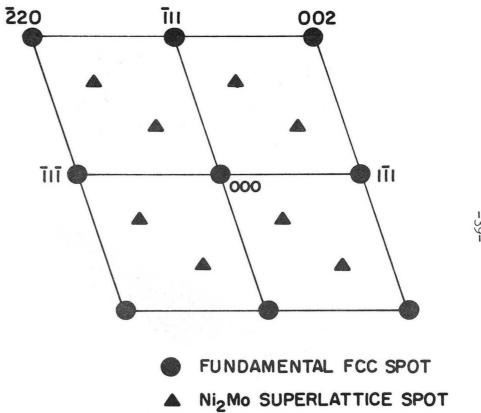
Fig. 3



XBB 717-3407A

Fig. 4



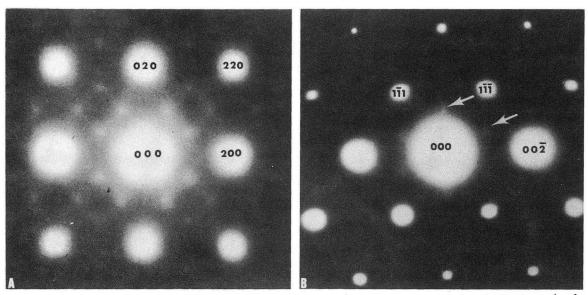


XBB 717-3397

B

Α

Fig. 5



хвв 717-3406А

Fig. 6

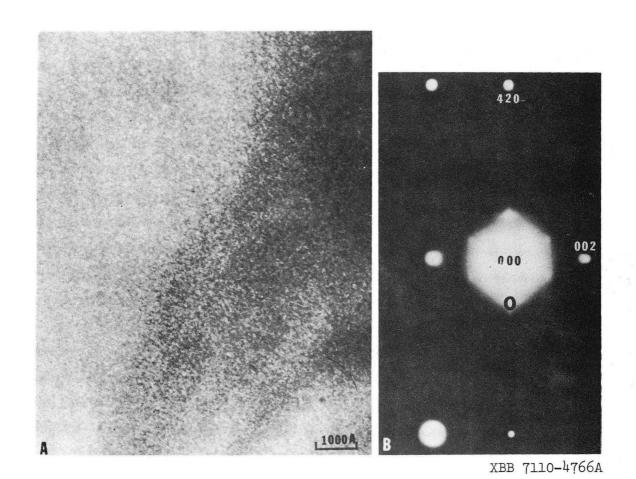
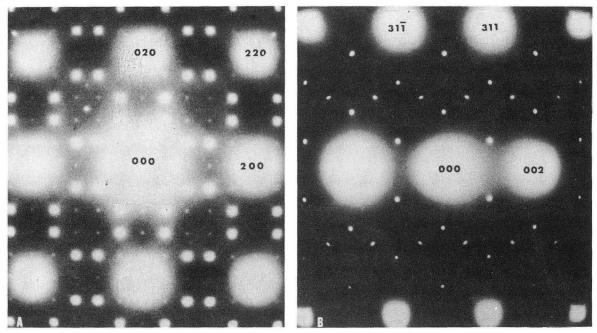
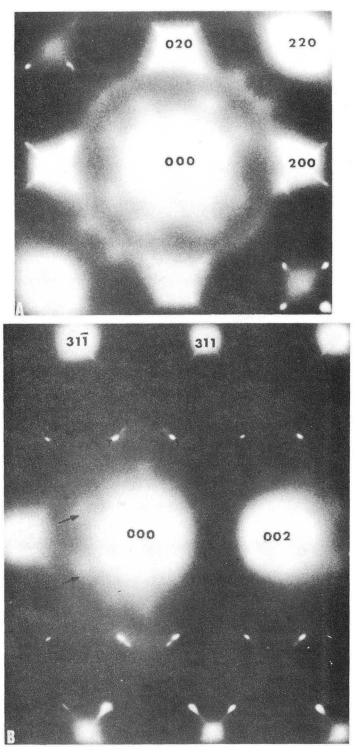


Fig. 7



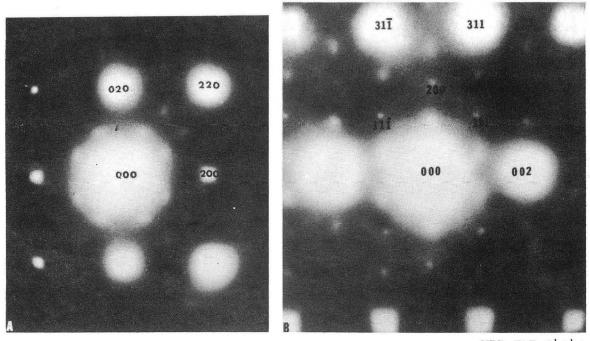
XBB 717-3405A

Fig. 8



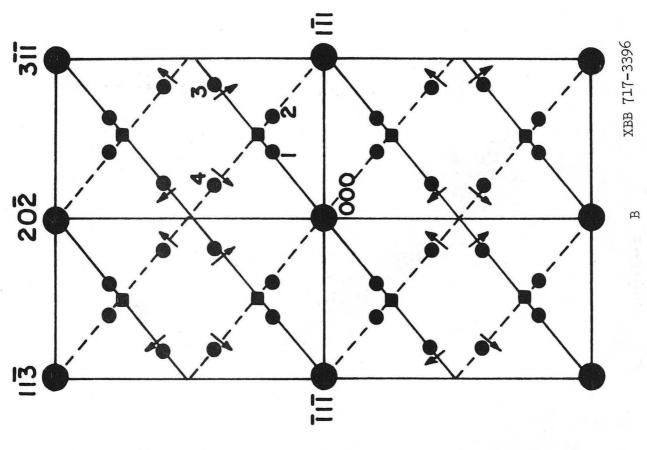
XBB 717-3401A

Fig. 9



XBB 717-3404A

Fig. 10



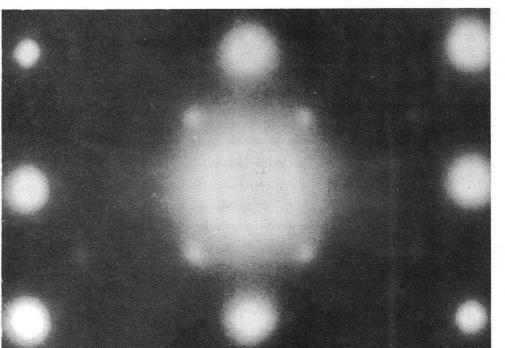
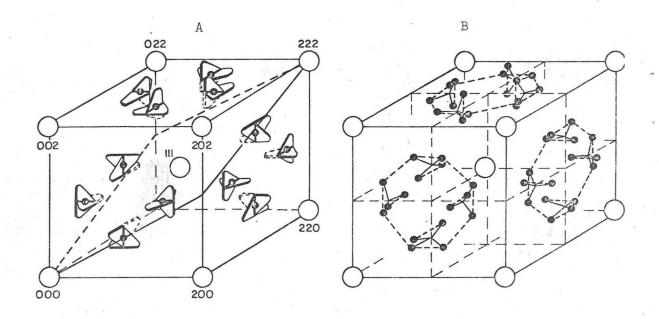


Fig. 11



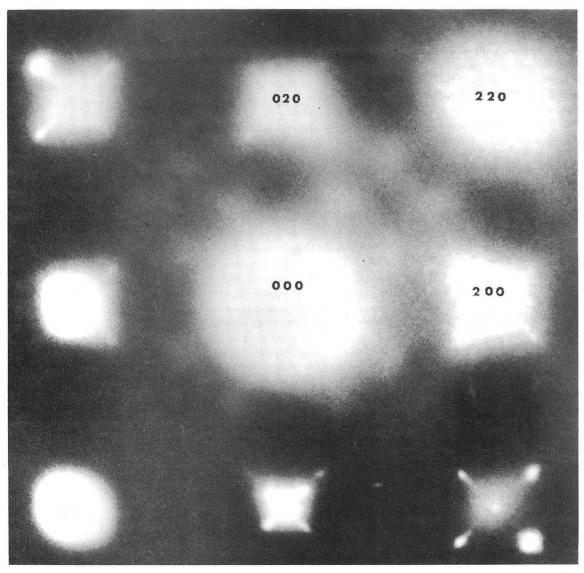
Disordered state

LRO state: 6 variants of D1a

Reciprocal lattices of Au<sub>3</sub>Cr

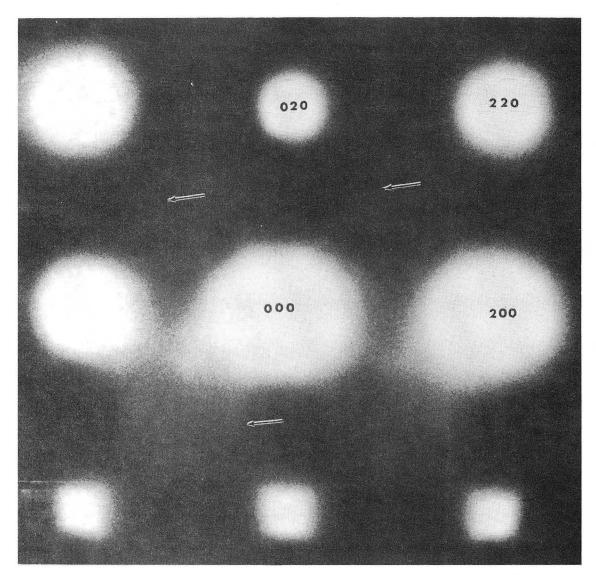
XBL713-6626

Fig. 12



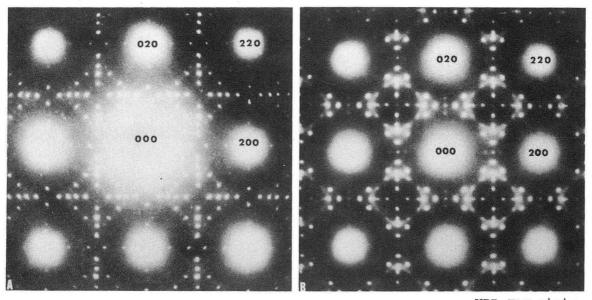
XBB 717-3412A

Fig. 13



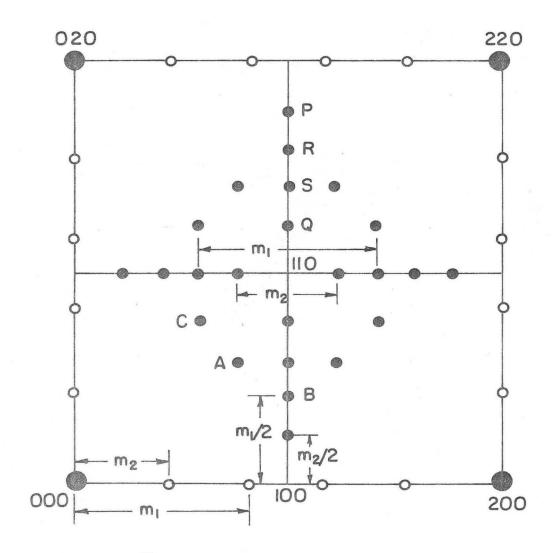
XBB 717-3399A

Fig. 14



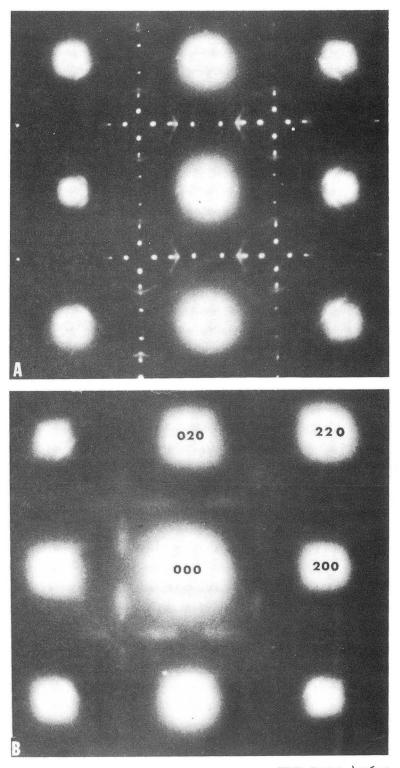
XBB 717-3414A

Fig. 15



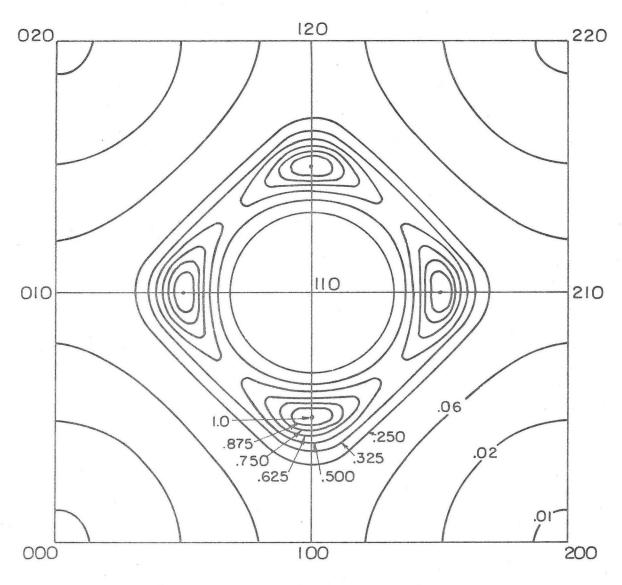
- FUNDAMENTAL FCC SPOTS
- SUPERLATTICE SPOTS
- O SATELLITES

XBL 717-7008



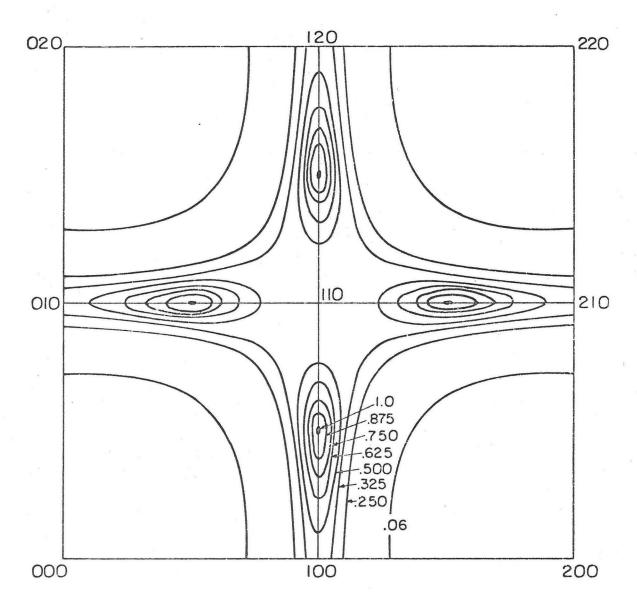
XBB 7110-4762A

Fig. 16



 $T_C/T = 0.95$ ;  $V_2/V_1 = 0.4$ ;  $V_3/V_1 = 0.00$ 

XBL 717- 7007



 $T_c/T = 0.95$ ;  $V_2/V_1 = 0.7$ ;  $V_3/V_1 = -0.2$ 

XBL717-7010

Fig. 18

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